



Implementation of Digital Optical Switches and Signal Routers for High-Speed Communication

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Introduction

- Photonics has settled its effectiveness in various switching functions due to its key features of large bandwidth, EMI immunity, integrability and high speed.
- The use of light offers the possibility of high-speed operation around 10^4 times faster than that conceivable employing electronic circuits.
- Lightwaves of different frequencies (or wavelengths) can be used within the same guided wave channel or device.
- Linear electro-optic effect (Pockels Effect) can be efficiently used to obtain switching phenomena based on integrated MZIs.
- The integrated MZIs are used to design various WDM components such as combinational and sequential logic devices, signal routers, wavelength selectors etc.

Motivation of work

- In the switching context of WDM components, integrated photonic devices have a distinct advantage of high speed and low signal degradation over their electronic counterparts in this area.
- To fulfill the growing demand of high speed communication, the WDM systems are acquiring popularity worldwide.
- Successful demonstrations and development have been seen on the component level (switches, routing devices), system level (large photonic switch architectures), and the network level (wavelength-switched networks).

Motivation cont....

- Till date, several combinational and sequential circuits have been proposed utilizing various technologies such as periodically poled LiNbO_3 (PPLN), Erbium doped optical amplifier (EDFA) and Fabryperot laser diodes (FP-LDs).

The following problem occurs in the previous work:

- ✓ PPLN based logic circuits require numerous light sources and so, they are costly.
- ✓ Erbium doped fiber amplifier operates exclusively at low speeds upto 1 Gbps.
- ✓ Devices implemented with FP-LDs are complex in the sense that more number of FP- LDs and some external devices are required to implement even a simple logic circuit.

Motivation cont....

- ✓ SOAs based logic circuits need interferometric structure that requires numerous devices with matching characteristics and proper control.

Electro-optic modulator (EOM) seems to be an interesting substitute because of its distinct features of being:

- ✓ lightweight,
- ✓ miniature,
- ✓ immune to electromagnetic interference,
- ✓ wider bandwidth (faster switching times),
- ✓ lower drive power,
- ✓ and inherently compatible with optical fiber.

Motivation cont....

- LiNbO₃ possess a combination of unique electro-optical, acoustic, piezoelectric, and non-linear optical properties making it a suitable material for implementation of integrated photonic devices.
- Beam propagation method (BPM) is one of the popular numerical methods. The mathematical details of the mode concept satisfying mode solution are reviewed.

WDM System

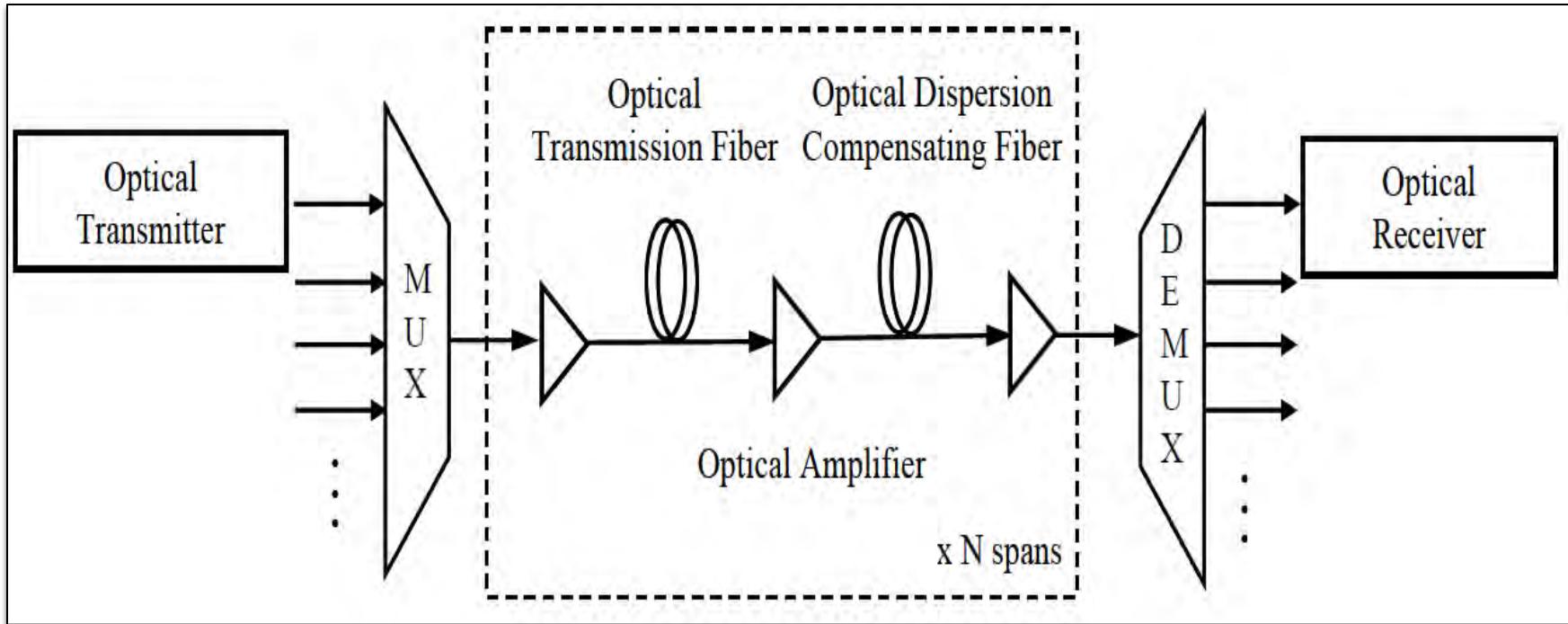


Figure: General block diagram of Wavelength Division Multiplexed System

- Wavelength-division multiplexing (WDM) is a technology which multiplexes a number of optical carrier signals onto a single optical fiber by using different wavelengths.
- Some of the optical WDM network components are: multiplexers (MUX), de-multiplexers (De-MUX), Single mode DFB laser, power divider, power splitters, Optical add-drop multiplexers (OADM), WDM Couplers etc.

Pockels Effect

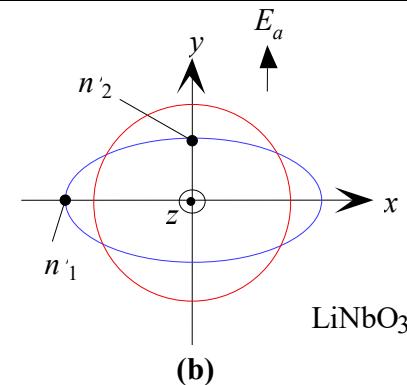
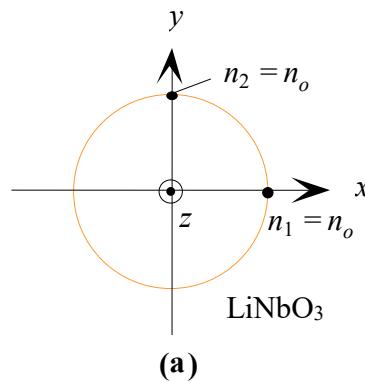


Figure: (a) Cross section of the optical indicatrix with no applied field, $n_1 = n_2 = n_o$

(b) Applied field along y in LiNbO_3 modifies the indicatrix and changes n_1 and n_2 change to n'_1 and n'_2 .

$$n'_1 \approx n_1 + \frac{1}{2} n_1^3 r E_a \quad \text{and} \quad n'_2 \approx n_2 - \frac{1}{2} n_1^3 r E_a \quad (1)$$

where,

$\lambda \rightarrow$ Wavelength of the signal.

$$\varphi_1 = \frac{2\pi n'_1}{\lambda} L = \frac{2\pi L}{\lambda} \left(n_0 + \frac{1}{2} n_0^3 r \frac{V}{d} \right) \quad (2)$$

$n_0 \rightarrow$ Refractive index of the material.

$$\varphi_2 = \frac{2\pi n'_2}{\lambda} L = \frac{2\pi L}{\lambda} \left(n_0 - \frac{1}{2} n_0^3 r \frac{V}{d} \right) \quad (3)$$

$d \rightarrow$ Separation between the electrodes.

$$\Delta\varphi = \varphi_1 - \varphi_2 = \frac{2\pi}{\lambda} n_0^3 r \frac{L}{d} V \quad (4)$$

$r \rightarrow$ Electro-optic coefficients (m/V).

$V \rightarrow$ Voltage applied across the waveguide.

$L \rightarrow$ Length of the waveguide.

Cont ...

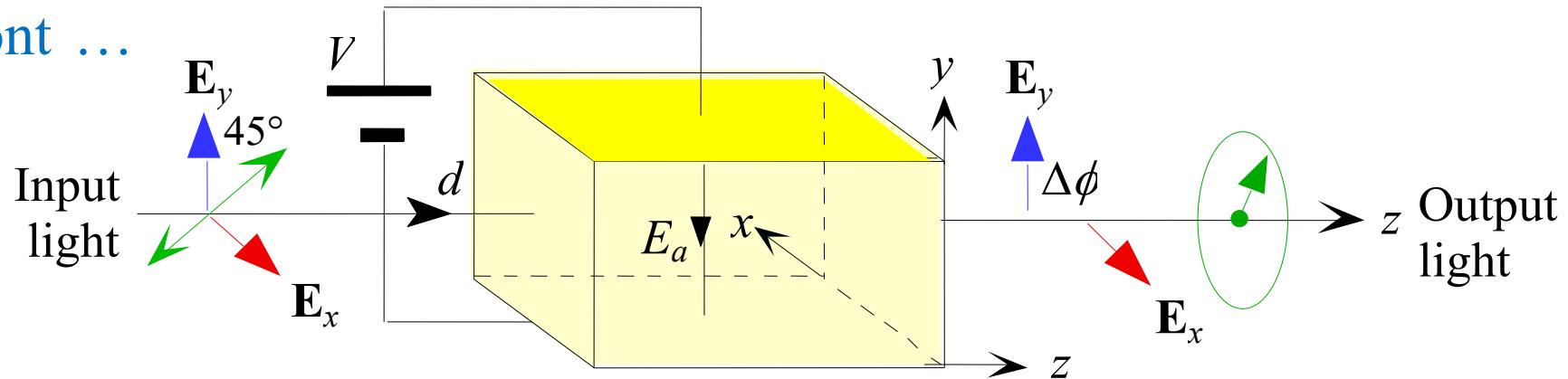


Figure: Transverse Pockels cell phase modulator. A linearly polarized input light into an electro-optic crystal emerges as a circularly polarized light.

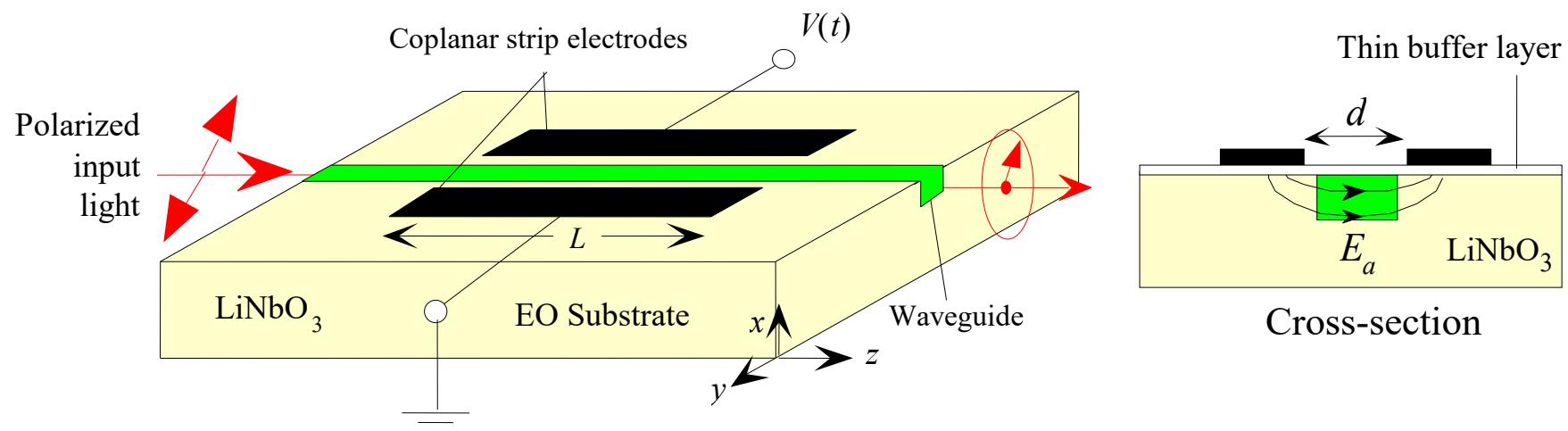


Figure: Integrated transverse Pockels cell phase modulator in which a waveguide is diffused into an electro-optic (EO) substrate of LiNbO_3 . Coplanar strip electrodes apply a transverse field E_a through the waveguide.

Interferometric Modulator

Table: Different parameters to obtain particular voltage $V\pi$

Parameters	Value of Parameters
Wavelengths (λ)	$1.33 \mu m$
Separation between the electrodes (d)	$6 \mu m$
Refractive index	1.47
Electro-optic coefficients	$36.6 \times 10^{-12} m/V$
Substantial Length (L)	$10000 \mu m$

$$V_\pi = \frac{\lambda}{n^3 r} \frac{1}{L} d = 6.75 V$$

- In matrix form, we can obtain the following relation between the input, output and intermediate signals.

$$\begin{bmatrix} A \\ B \end{bmatrix} = \begin{bmatrix} \sqrt{1 - \alpha_1} & j\sqrt{\alpha_1} \\ j\sqrt{\alpha_1} & \sqrt{1 - \alpha_1} \end{bmatrix} \begin{bmatrix} E_{in} \\ 0 \end{bmatrix} \quad (5)$$

$$\begin{bmatrix} C \\ D \end{bmatrix} = \begin{bmatrix} e^{-j\varphi_1} & 0 \\ 0 & e^{-j\varphi_2} \end{bmatrix} \begin{bmatrix} A \\ B \end{bmatrix} \quad (6)$$

$$\begin{bmatrix} OUT_1 \\ OUT_2 \end{bmatrix} = \begin{bmatrix} \sqrt{1 - \alpha_2} & j\sqrt{\alpha_2} \\ j\sqrt{\alpha_2} & \sqrt{1 - \alpha_2} \end{bmatrix} \begin{bmatrix} C \\ D \end{bmatrix} \quad (7)$$

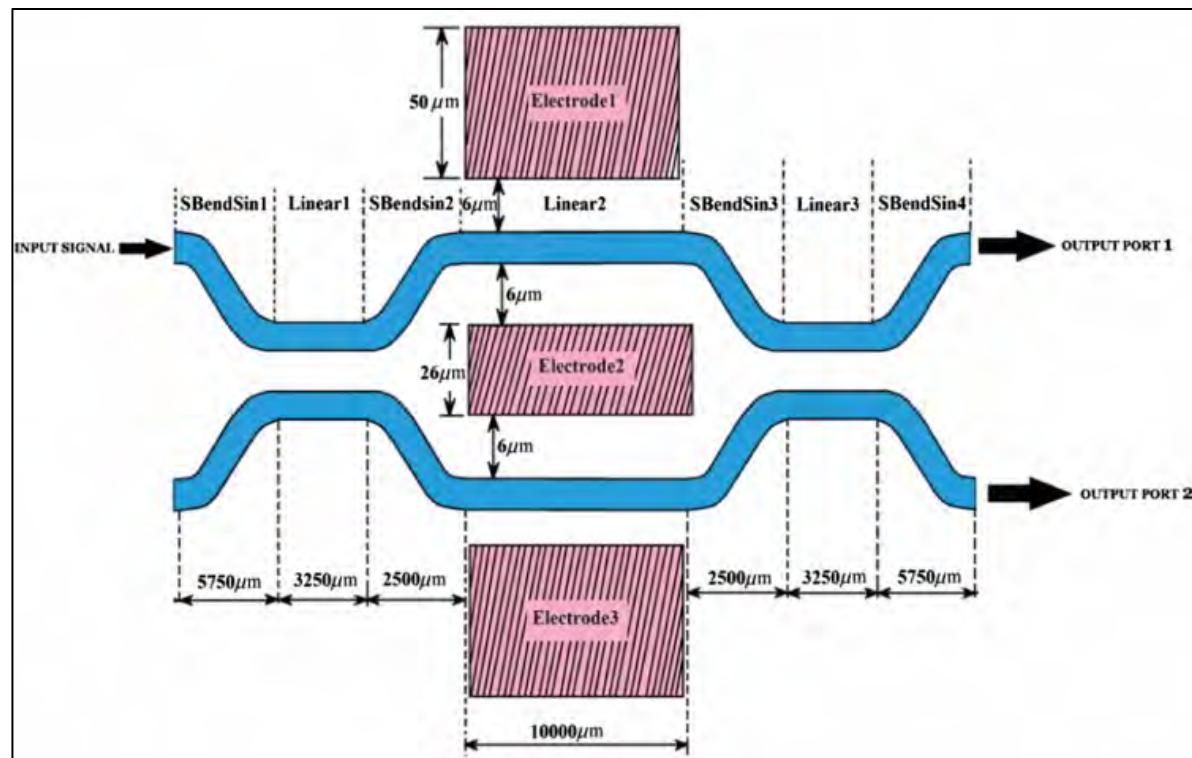


Figure: Schematic view of Mach Zehnder interferometer

Where,
 α_1 and $\alpha_2 \rightarrow$
Attenuation constant of first and second directional coupler
 φ_1 and $\varphi_2 \rightarrow$ Phase arises due to application of voltage

Cont ...

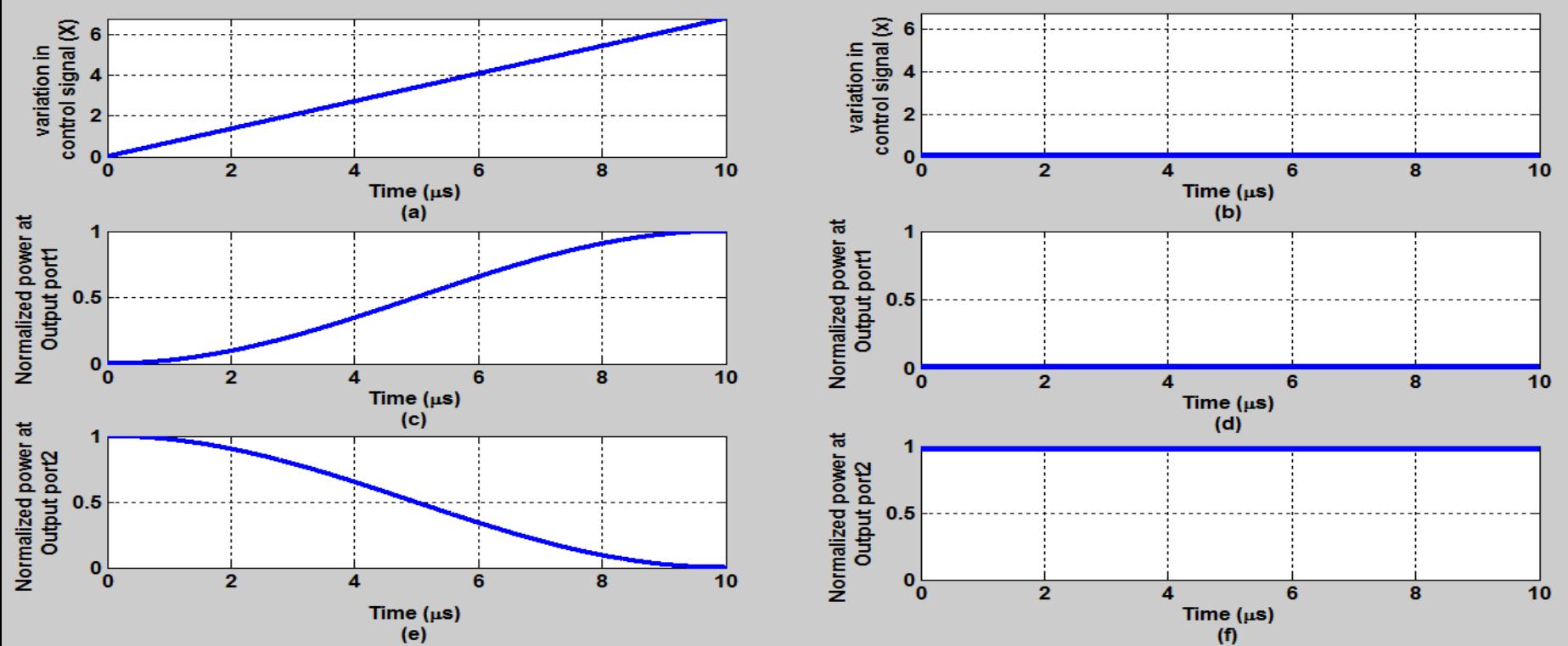
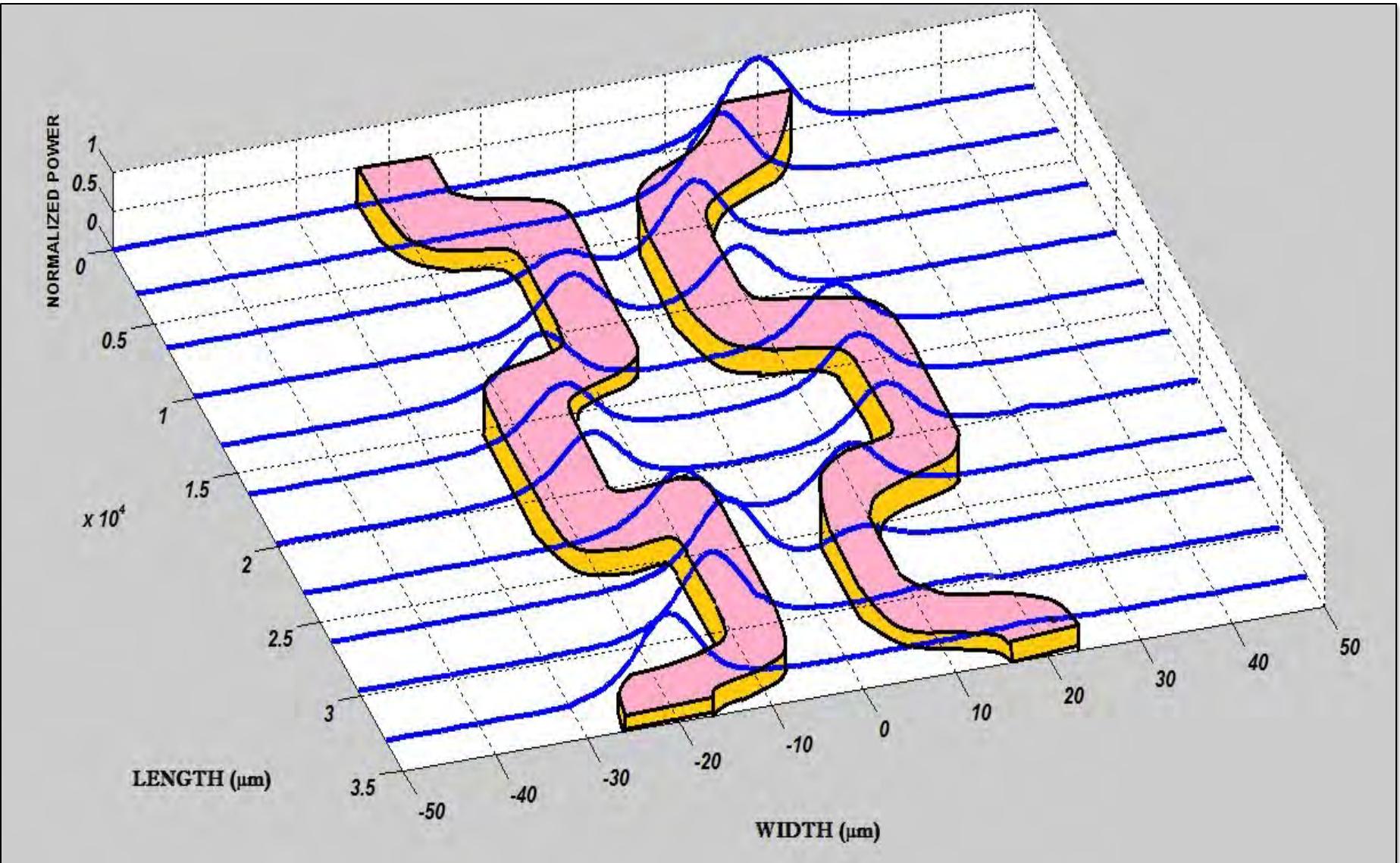


Figure: Simulation of MZI due to the variation of the control signal X .

$$P_{out1} = \left| \frac{OUT_1}{E_{in}} \right|^2 = \left| j e^{-j(\varphi_0)} \sin\left(\frac{\Delta\varphi}{2}\right) \right|^2 = \sin^2\left(\frac{\Delta\varphi}{2}\right) \quad (8)$$

$$P_{out2} = \left| \frac{OUT_2}{E_{in}} \right|^2 = \left| j e^{-j(\varphi_0)} \cos\left(\frac{\Delta\varphi}{2}\right) \right|^2 = \cos^2\left(\frac{\Delta\varphi}{2}\right) \quad (9)$$

Cont...



Design of NOT gate using MZI

Santosh Kumar et. al., *Optical Engineering (SPIE)*, Vol. 52, No. 9, PP. 097106 (Sep. 20, 2013)

Design of NOT gate using MZI

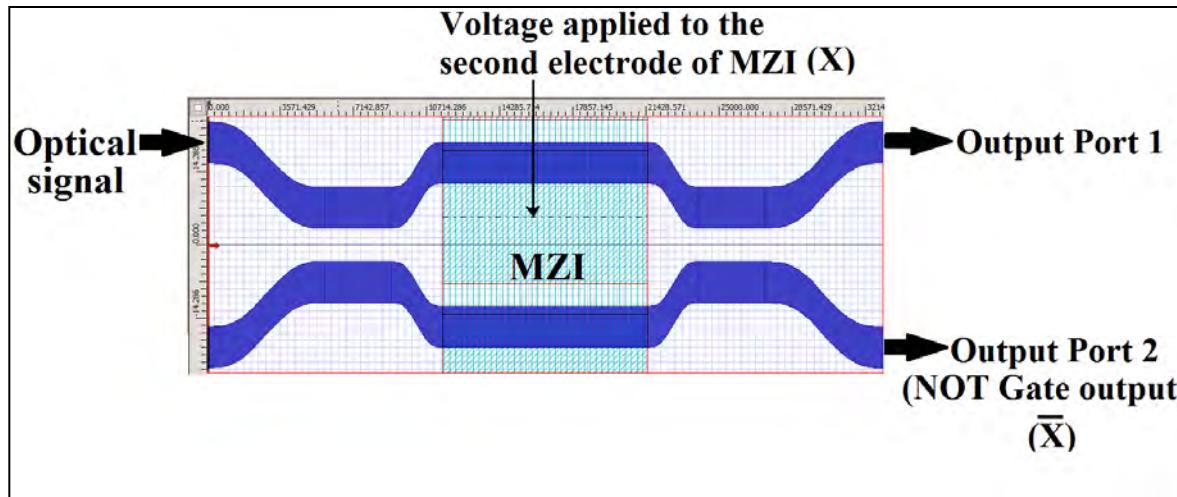


Figure: Design of NOT gate using Mach-Zehnder Interferometers.

$$\left| \frac{\text{OUT2}}{E_{\text{in}}} \right|^2 = \cos^2 \left(\frac{\Delta\varphi}{2} \right)$$

For calculation, it has been assumed that,

$$\varphi_0 = \frac{\varphi_1 + \varphi_2}{2} \quad \text{and} \quad \Delta\varphi = \varphi_1 - \varphi_2 = \frac{\pi}{V_\pi} X$$

φ_1 and φ_2 are the phase angle generated at the upper arm and the lower arm of MZI respectively.

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Table: Optical signal at the two ports due to different combination of control signal.

Control signals		Signal output at different ports	
X		Port 1	Port 2 (\bar{X})
0		0	1
1		1	0

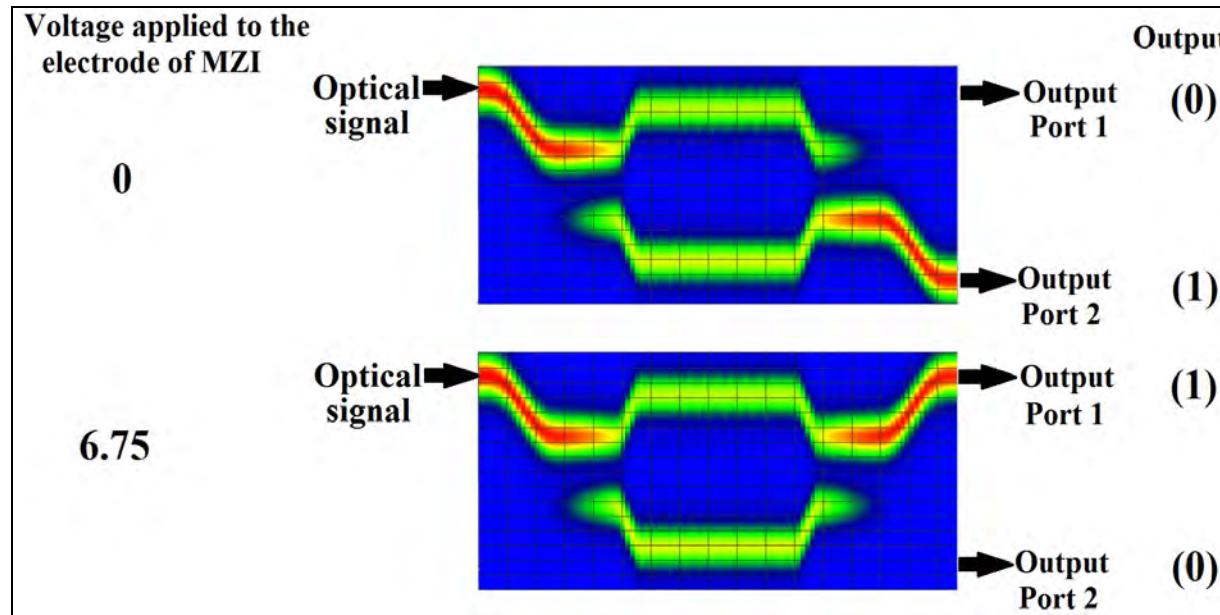
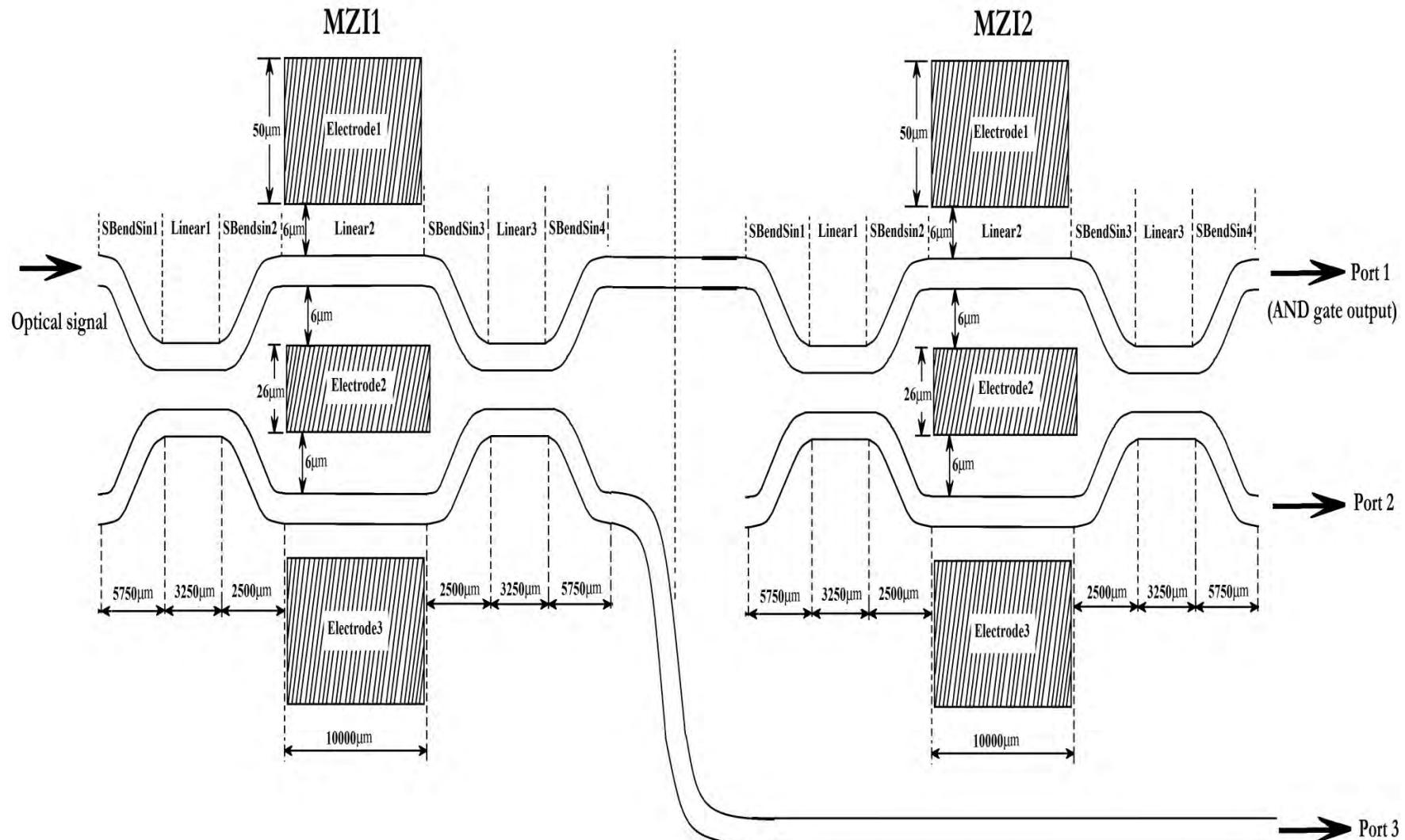


Figure: Simulation result of the NOT logic gate operation at different combination of the control signals.

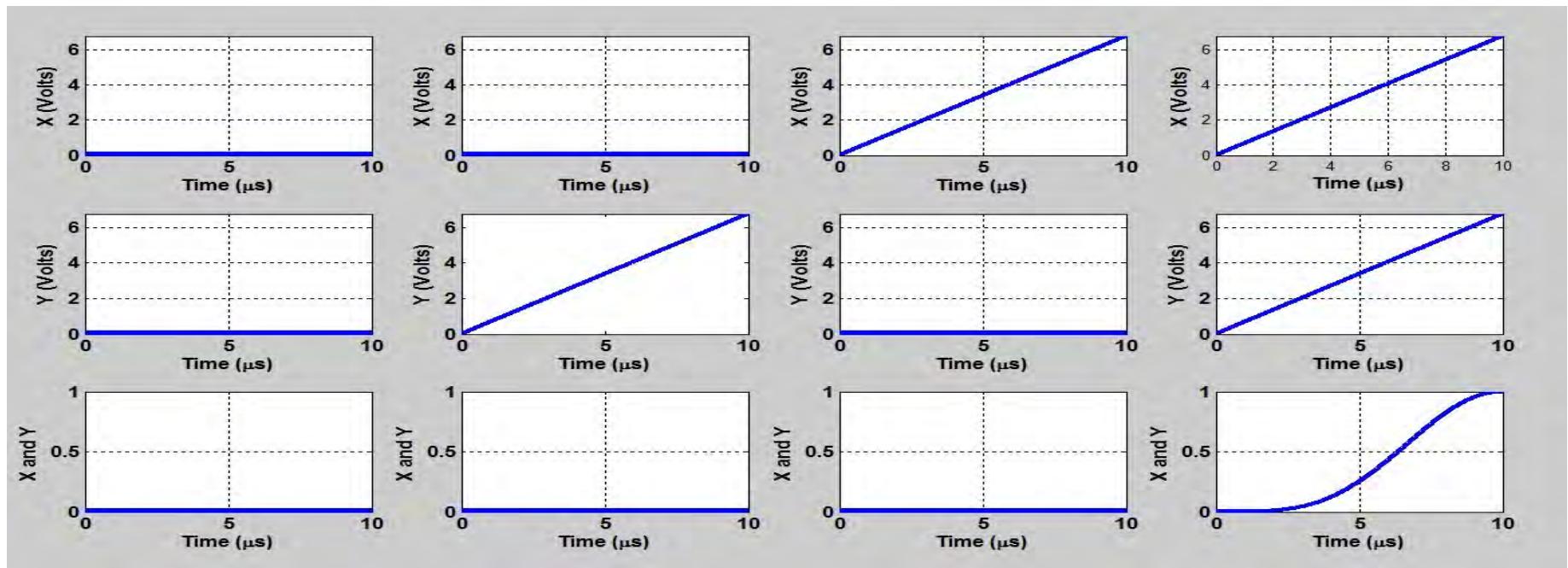
Design of AND Gate using MZIs

Santosh Kumar et. al., *Proc. SPIE 9131, Optical Modelling and Design III*, SPIE Photonics Europe 2014,
Brussels, **Belgium**, PP. 913120 (May 1, 2014).

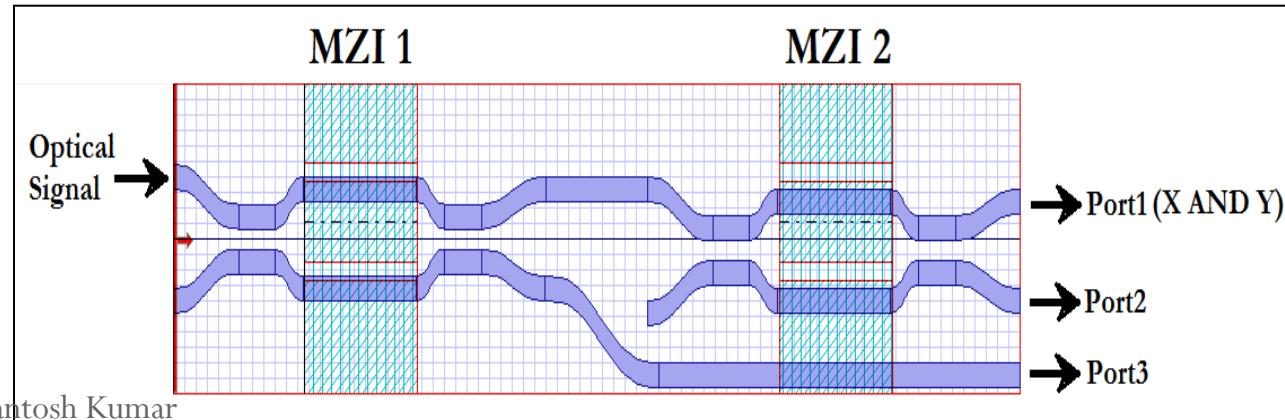
AND Gate



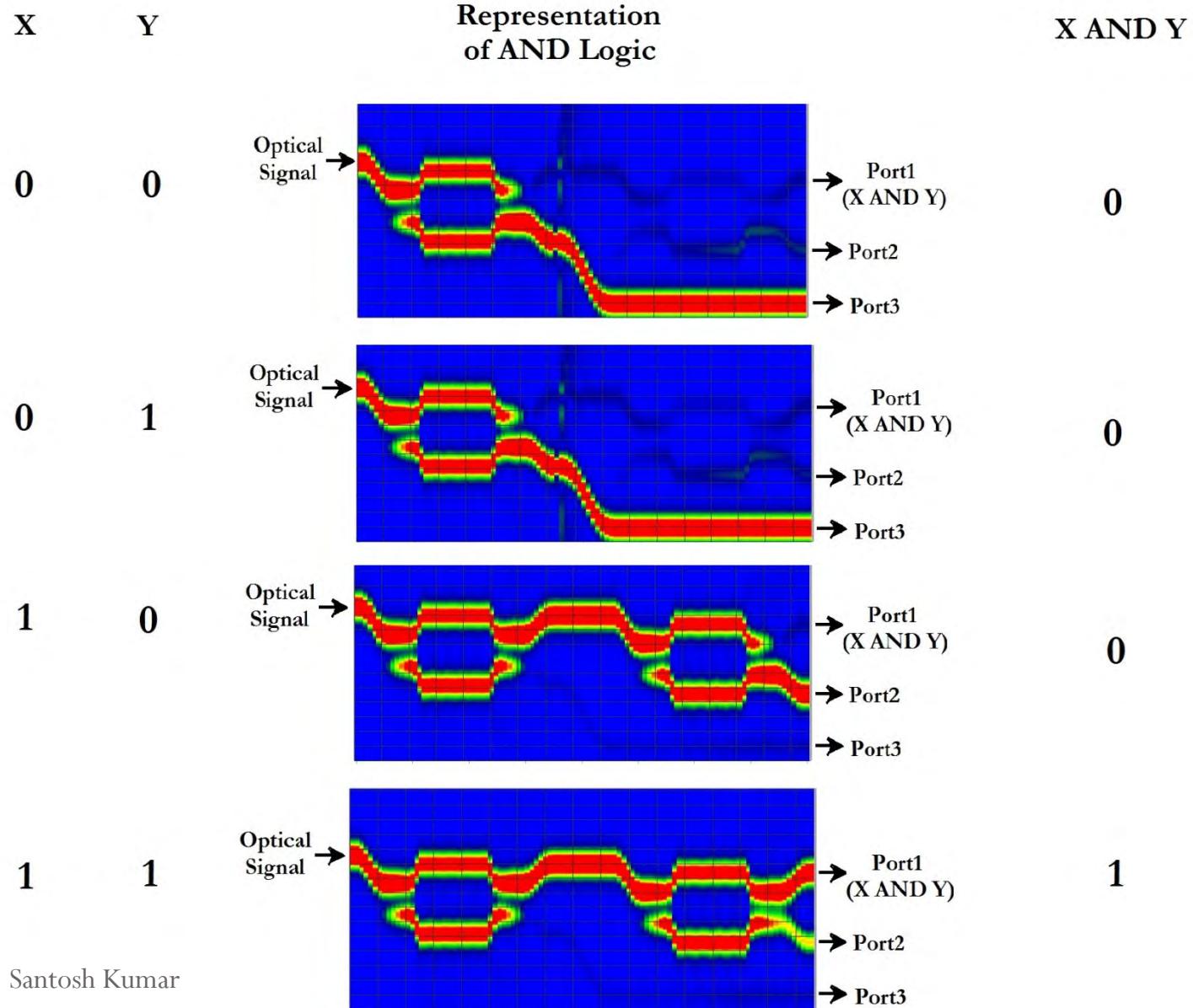
Matlab result of AND Gate



$$\left| \frac{\text{OUT1}_{\text{MZI}2}}{E_{\text{in}}} \right|^2 = \sin^2\left(\frac{\Delta\varphi_{\text{MZI}1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI}2}}{2}\right)$$



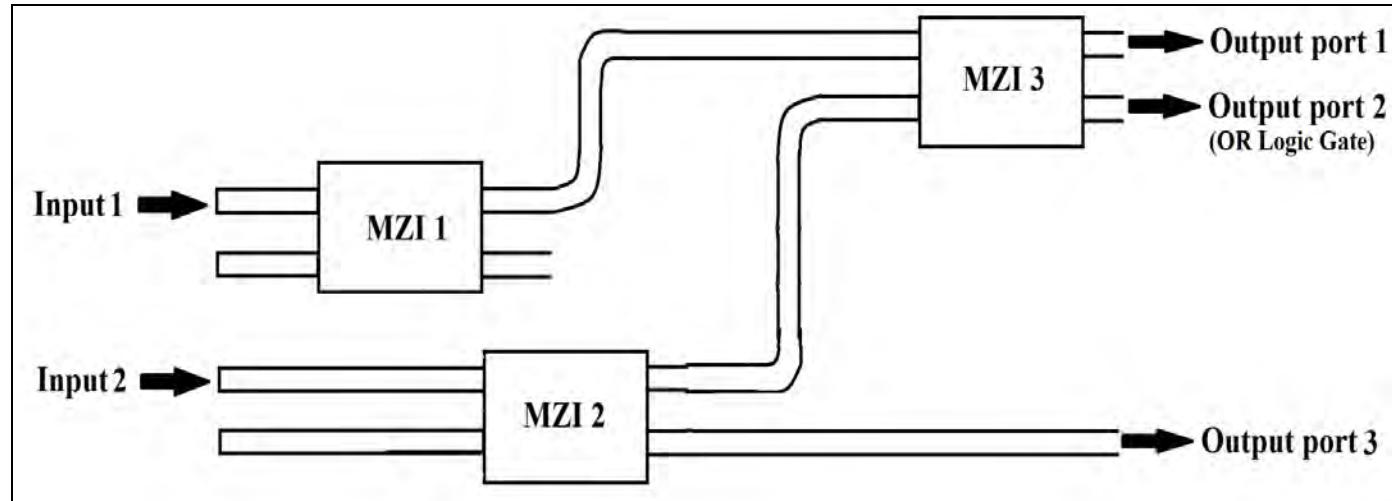
BPM result of AND Gate



Design of OR gate using MZIs

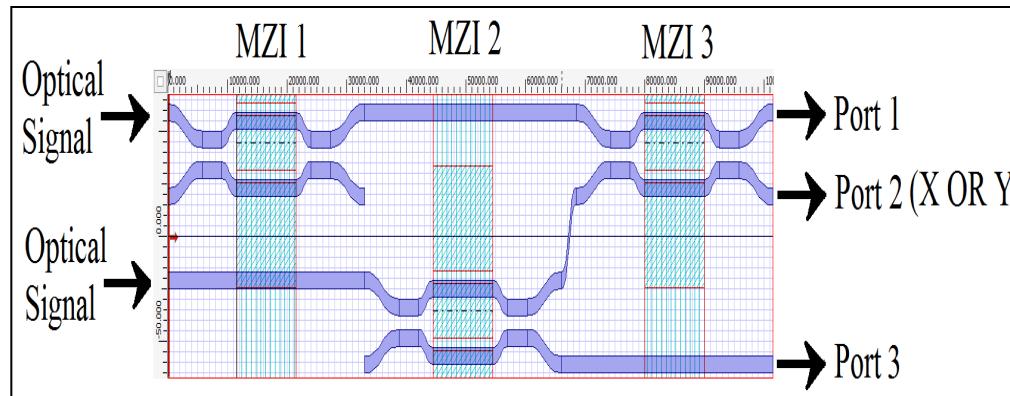
Santosh Kumar et. al., Journal of Optical Communications (Degruyter), Dec. 2016.

OR gate

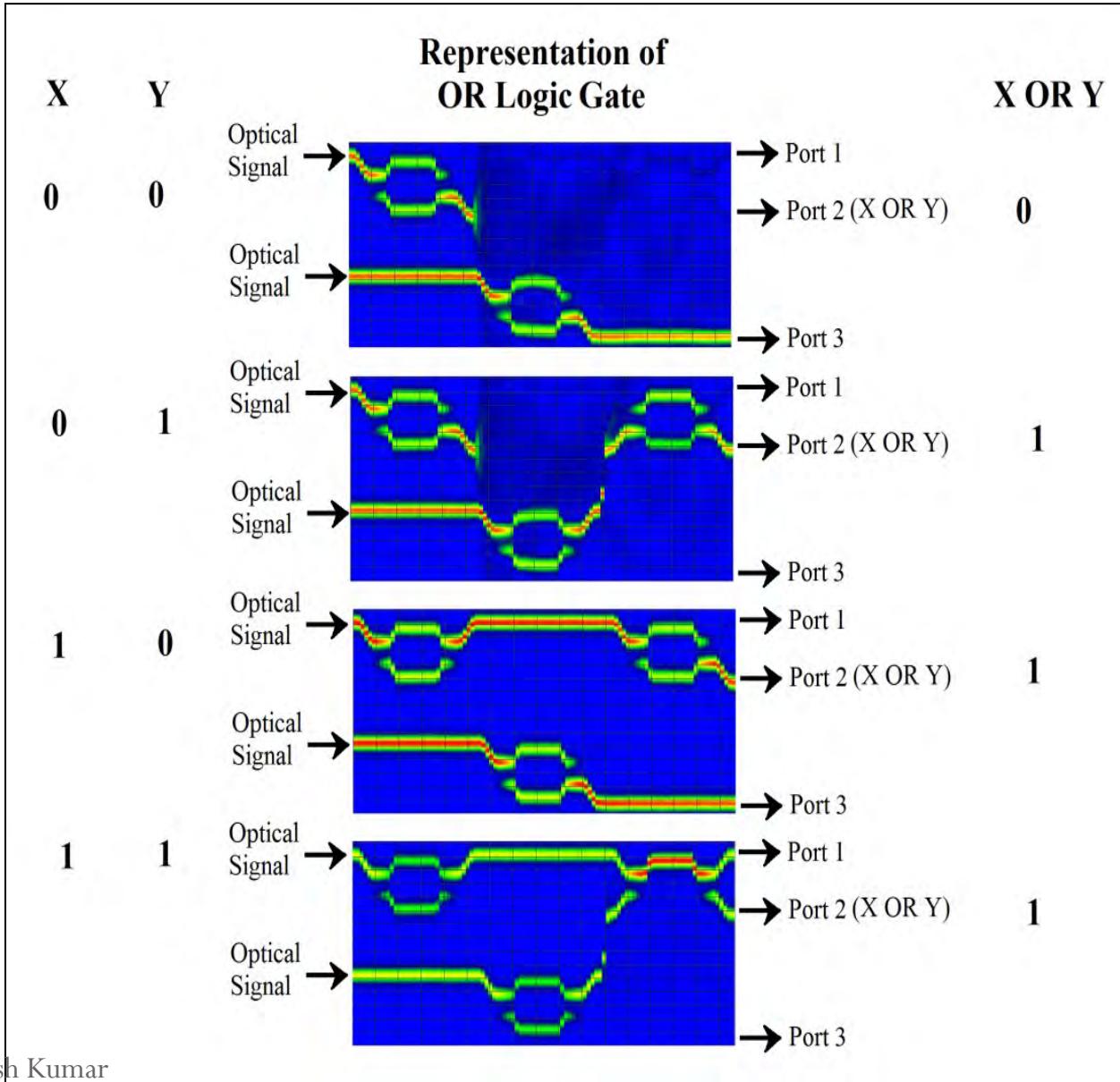


$$\text{Output port 2 (OR Logic Gate)} = m_1 + m_2 + m_3$$

$$= \cos^2\left(\frac{\Delta\varphi_{\text{MZI}1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI}2}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI}3}}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{\text{MZI}1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}2}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}3}}{2}\right) + \\ \sin^2\left(\frac{\Delta\varphi_{\text{MZI}1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI}2}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI}3}}{2}\right)$$



BPM result of OR Gate



Design of Universal Logic Gates using MZIs

Santosh Kumar et. al., Applied Optics (OSA), Vol. 54, Issue 28, pp. 8479-8484 (Sept. 30, 2015).

Design of universal logic gates

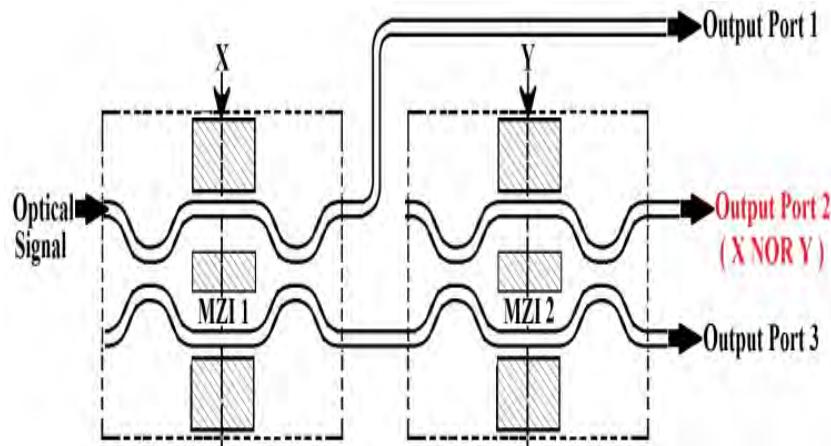


Figure: Schematic diagram of NOR gate using the MZIs.

Table: Optical signal at the different ports due to different combination of control signals.

Control signals		Signal output at different ports		
X	Y	Port 1	Port 2 (X NOR Y)	Port3
0	0	0	1	0
0	1	0	0	1
1	0	1	0	0
1	1	1	0	0

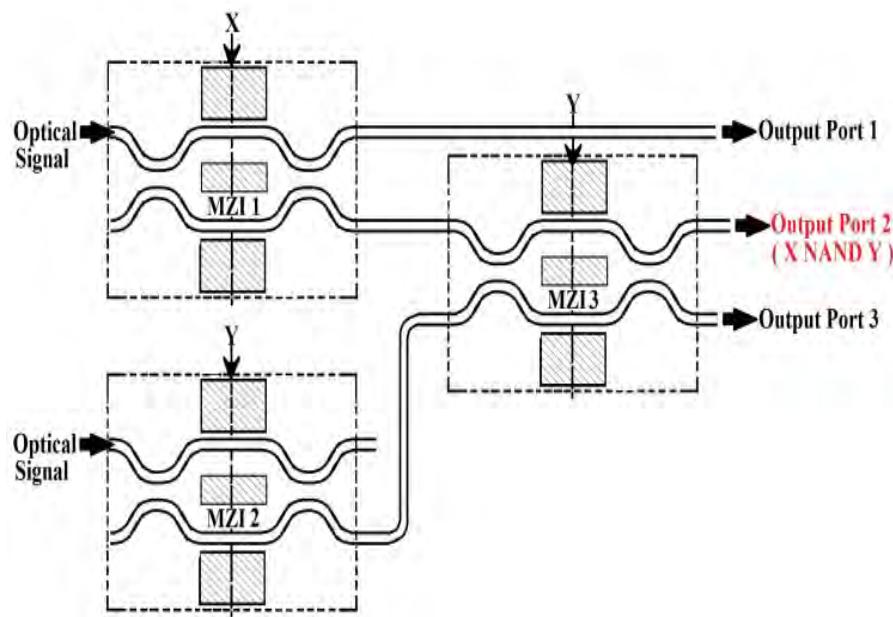


Figure: Schematic diagram of NAND gate using the MZIs.

Table: Optical signal at the different ports due to different combination of control signals.

Control signals		Signal output at different ports		
X	Y	Port 1	Port 2 (X NAND Y)	Port3
0	0	0	1	1
0	1	0	1	0
1	0	1	1	0
1	1	1	0	0

Cont ...

$$\text{Output port 2 (NOR logic gate)} = \left| \frac{\text{OUT1}_{\text{MZI}2}}{E_{in}} \right|^2$$
$$= \cos^2 \left(\frac{\Delta\varphi_{\text{MZI}1}}{2} \right) \cos^2 \left(\frac{\Delta\varphi_{\text{MZI}2}}{2} \right)$$

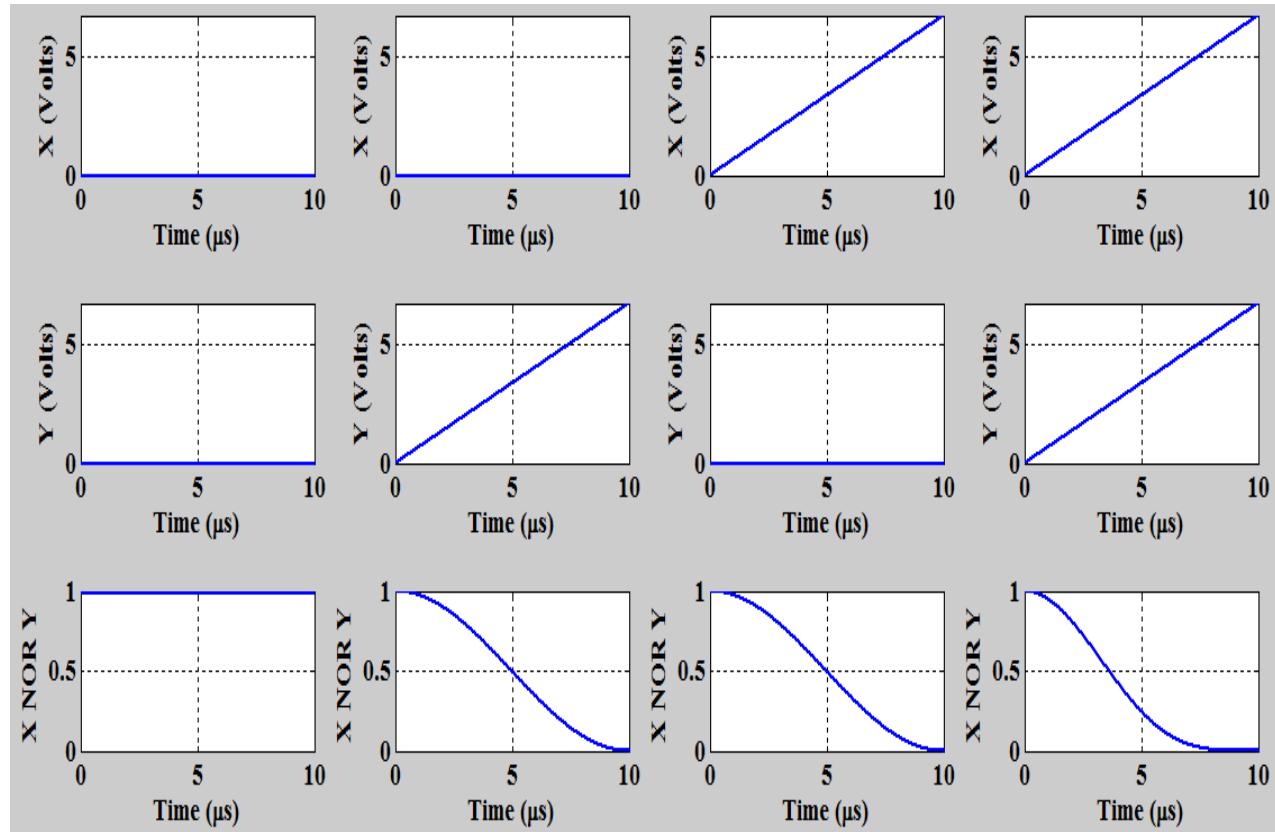


Figure: MATLAB simulation result of the NOR gate.

Cont ...

$$\begin{aligned}\text{Output port 2 (NAND Logic Gate)} &= \left| \frac{\text{OUT1}_{\text{MZI}3}}{E_{in}} \right|^2 = \\ &= \cos^2\left(\frac{\Delta\varphi_{\text{MZI}1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}2}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}3}}{2}\right) \\ &+ \cos^2\left(\frac{\Delta\varphi_{\text{MZI}1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI}2}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI}3}}{2}\right) \\ &+ \sin^2\left(\frac{\Delta\varphi_{\text{MZI}1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}2}}{2}\right)\end{aligned}$$

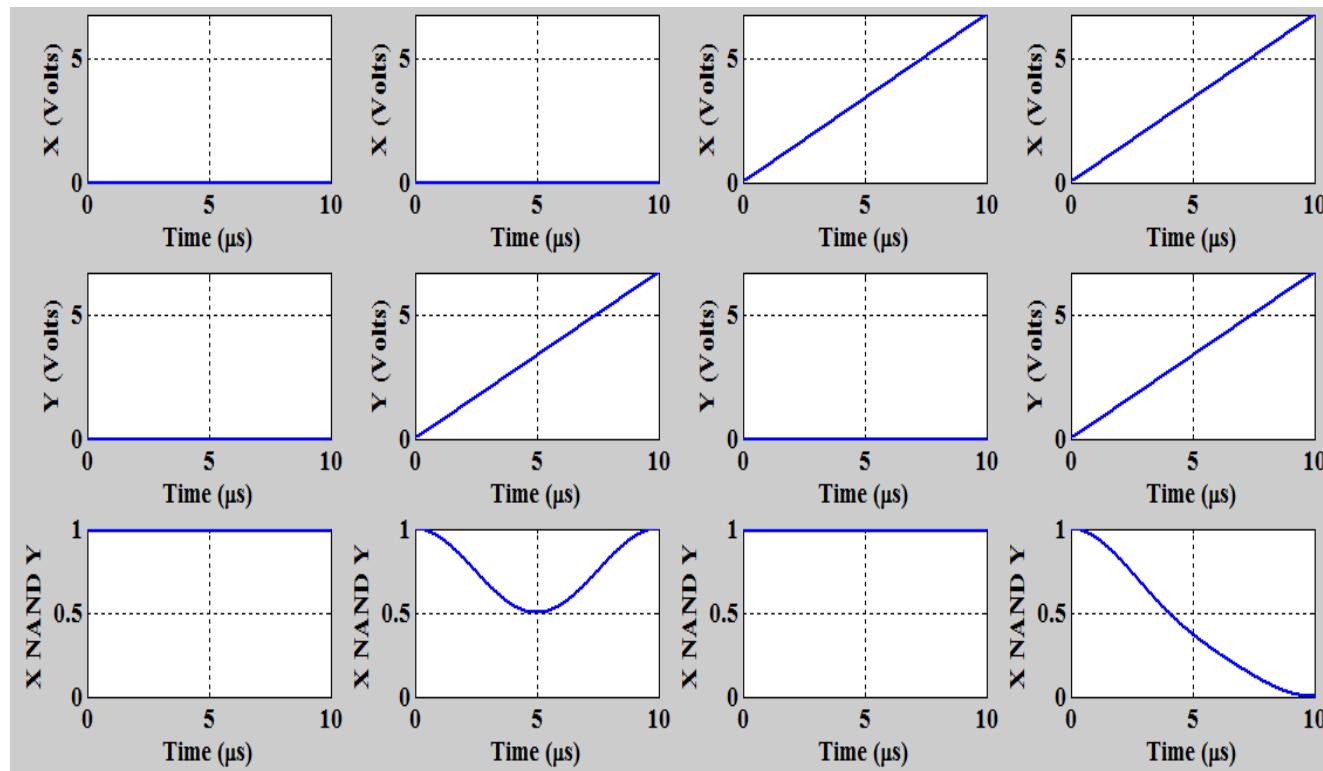


Figure: MATLAB simulation result of the NAND gate.

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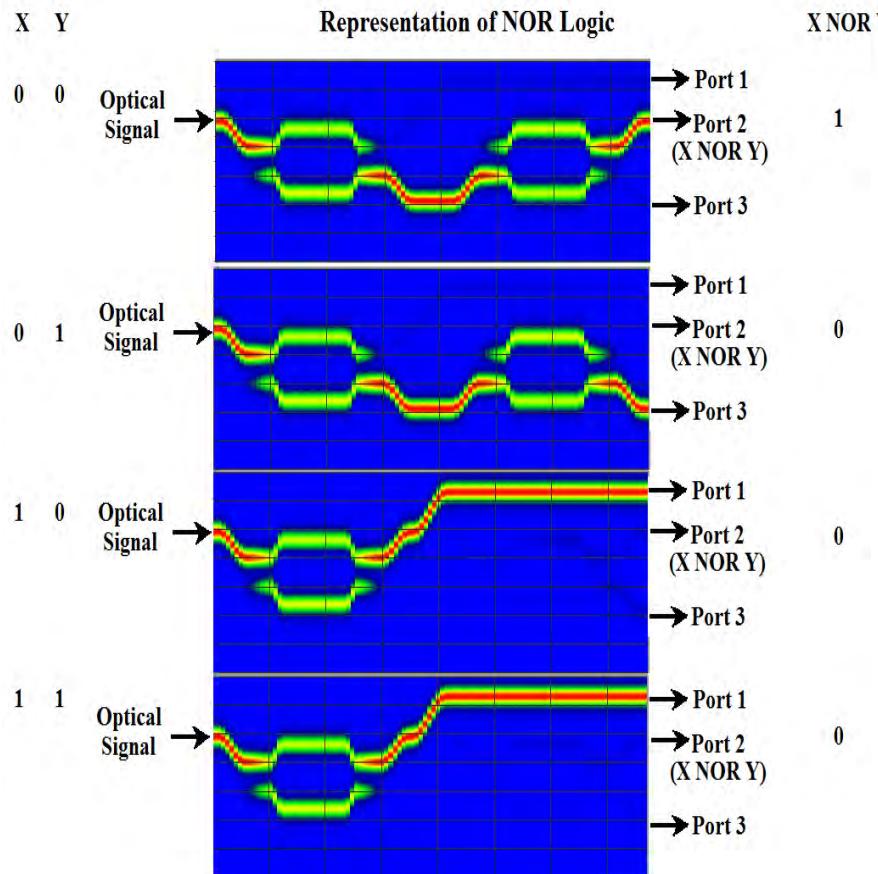


Figure: Results of NOR logic operation for different combination of control signals (X and Y) obtained through Beam propagation method.

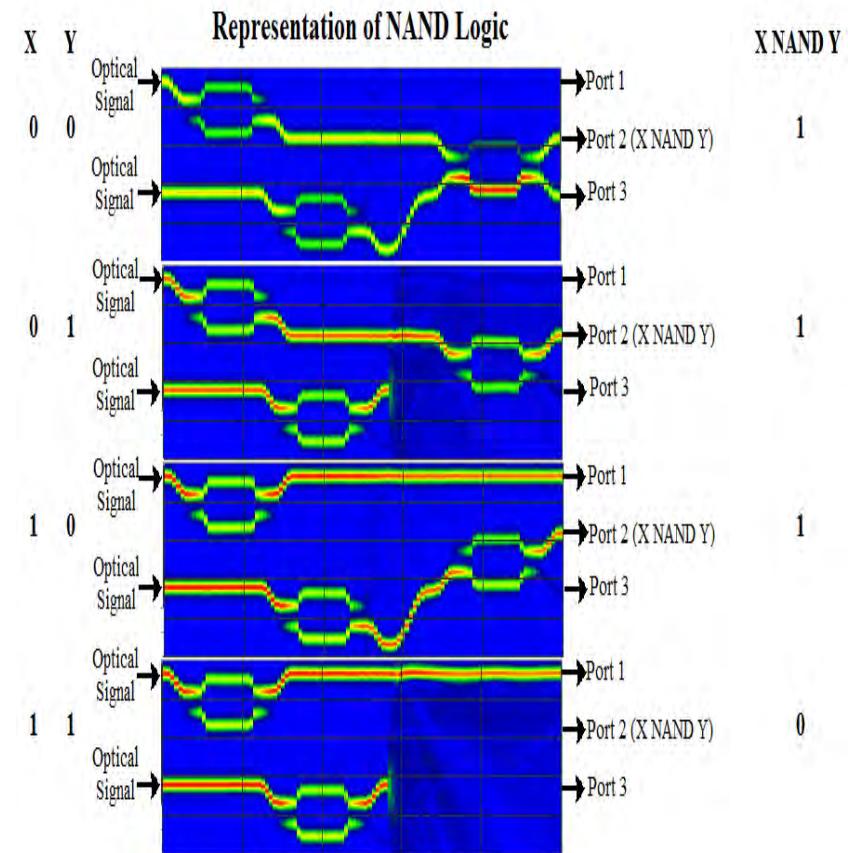
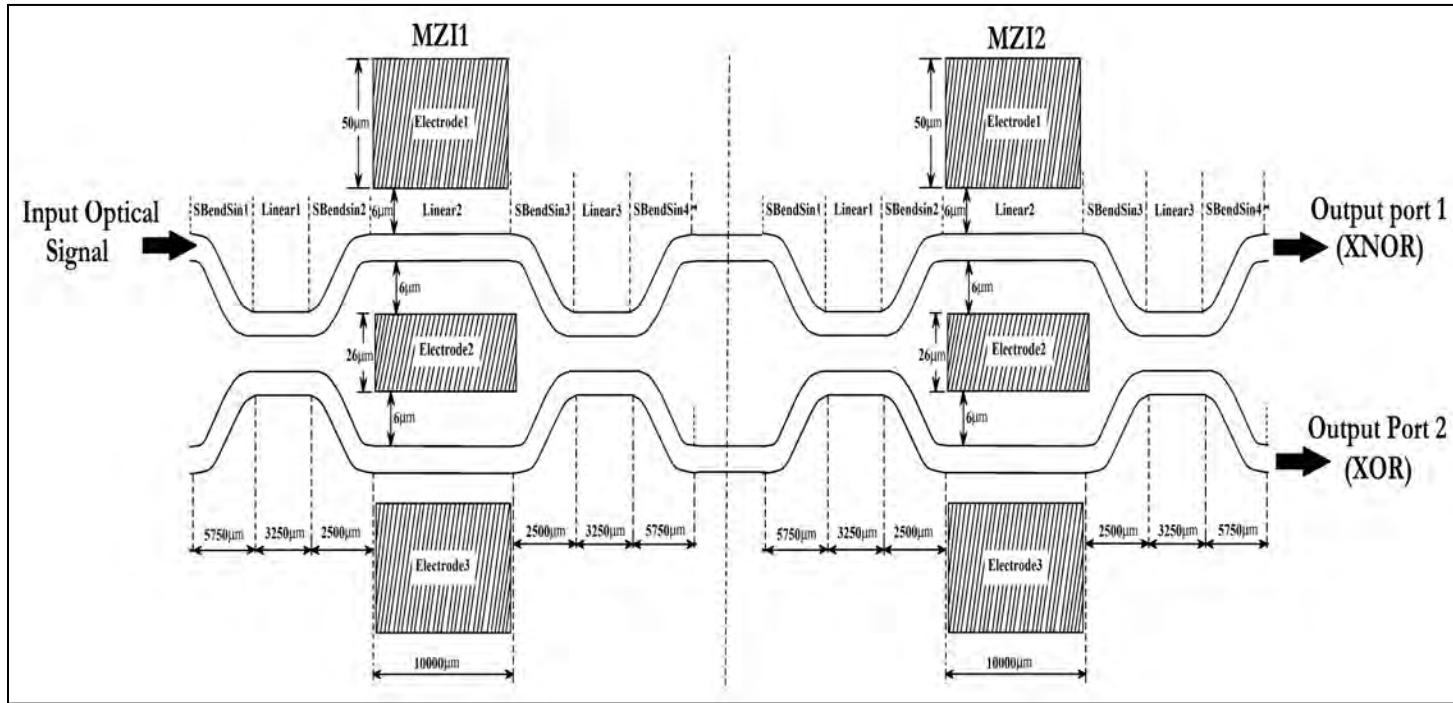


Figure: Results of NAND logic operation for different combination of control signals (X and Y) obtained through Beam propagation method.

Design of XOR/XNOR Gates using MZIs

Santosh Kumar et. al., Optik (Elsevier), Vol. 125, pp. 5764 - 5767 (August 27, 2014).

XOR/XNOR Gates



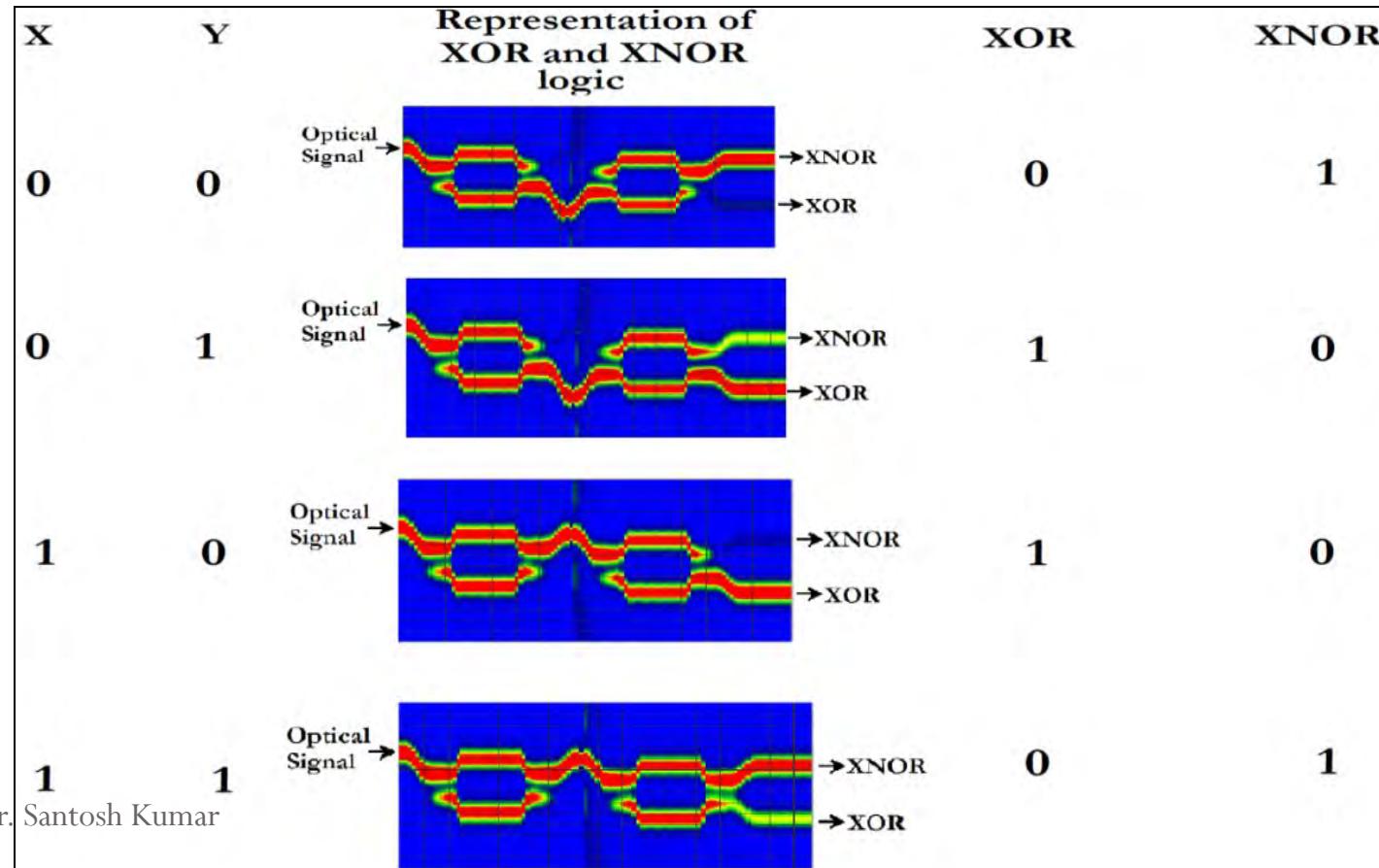
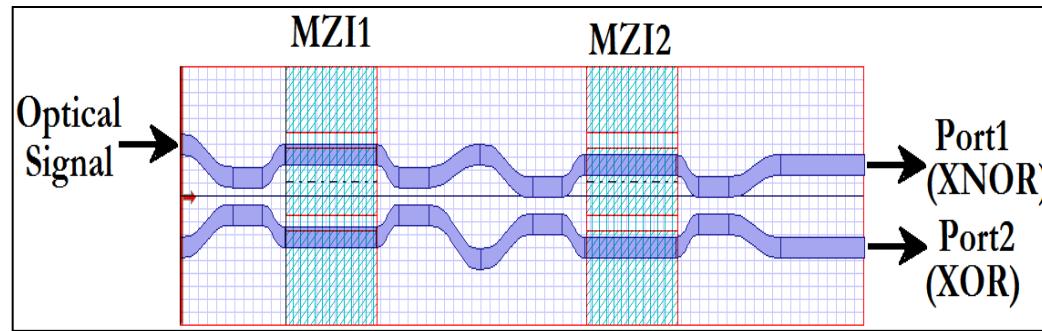
$$\text{Output port 2 (XOR Logic Gate)} = m_1 + m_2$$

$$= \cos^2\left(\frac{\Delta\varphi_{\text{MZI}1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI}2}}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{\text{MZI}1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}2}}{2}\right)$$

$$\text{Output port 1 (XNOR Logic Gate)} = m_3 + m_4$$

$$= \cos^2\left(\frac{\Delta\varphi_{\text{MZI}1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}2}}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{\text{MZI}1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI}2}}{2}\right)$$

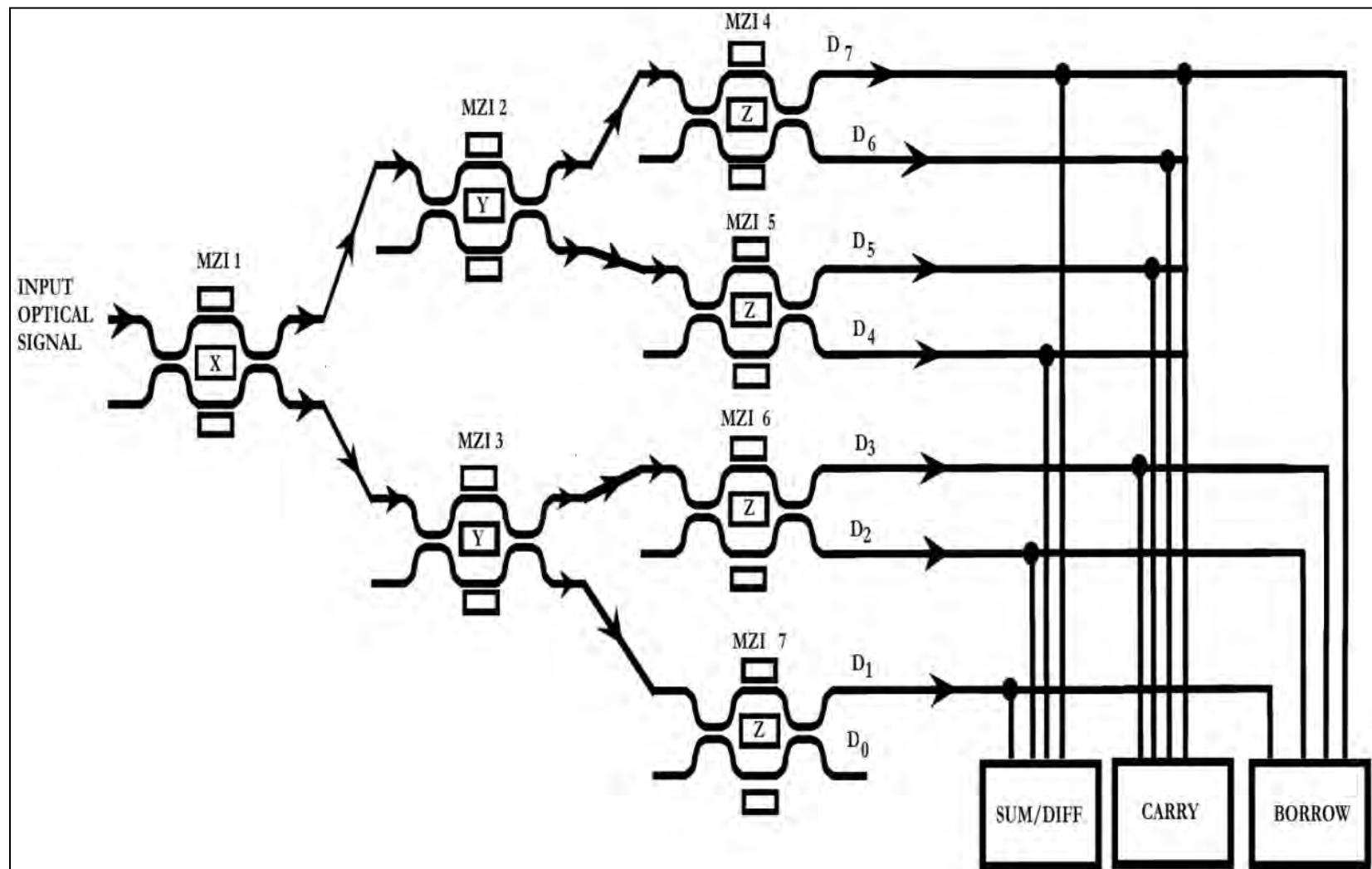
BPM layout and Results



Design of Full-Adder/Subtractor using the MZIs

Santosh Kumar et. al., Optics Communication (Elsevier), Vol. 324, PP. 93-107 (August 15, 2014).

Design of Full-Adder/Subtractor using the MZIs



Mathematical Expressions:

$$D_7 = \left| \frac{\text{OUT1}_{\text{MZI}4}}{E_{\text{in}}} \right|^2 = \sin^2\left(\frac{\Delta\varphi_{\text{MZI}1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI}2}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI}4}}{2}\right)$$

$$D_6 = \left| \frac{\text{OUT2}_{\text{MZI}4}}{E_{\text{in}}} \right|^2 = \sin^2\left(\frac{\Delta\varphi_{\text{MZI}1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI}2}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}4}}{2}\right)$$

$$D_5 = \left| \frac{\text{OUT1}_{\text{MZI}5}}{E_{\text{in}}} \right|^2 = \sin^2\left(\frac{\Delta\varphi_{\text{MZI}1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}2}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI}5}}{2}\right)$$

$$D_4 = \left| \frac{\text{OUT2}_{\text{MZI}5}}{E_{\text{in}}} \right|^2 = \sin^2\left(\frac{\Delta\varphi_{\text{MZI}1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}2}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}5}}{2}\right)$$

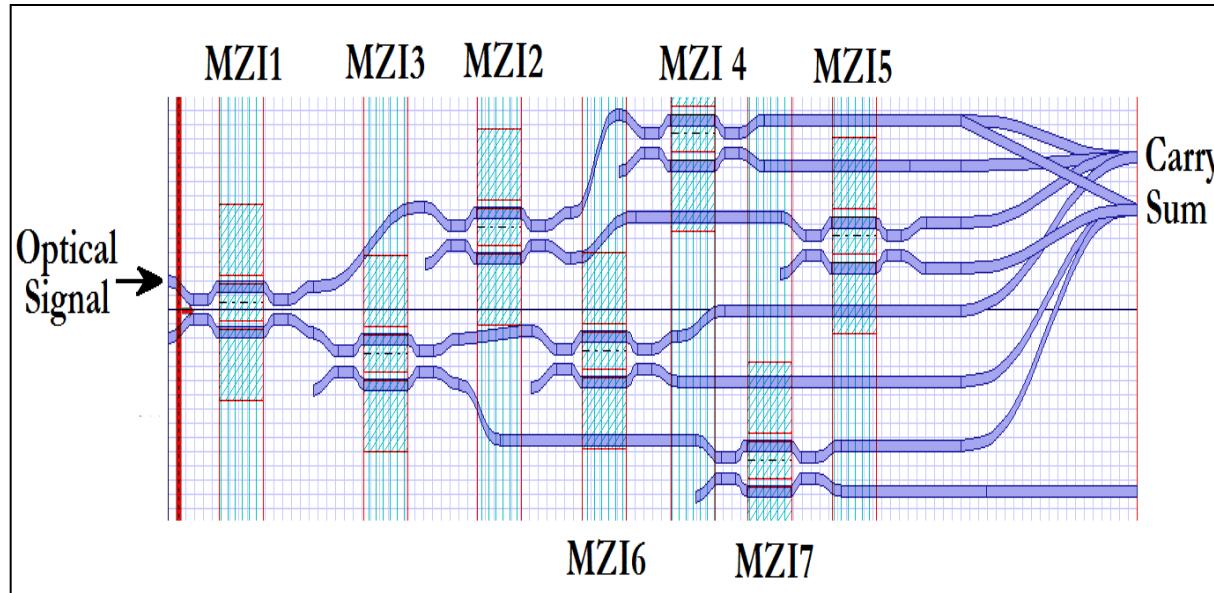
$$D_3 = \left| \frac{\text{OUT1}_{\text{MZI}6}}{E_{\text{in}}} \right|^2 = \cos^2\left(\frac{\Delta\varphi_{\text{MZI}1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI}3}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI}6}}{2}\right)$$

$$D_2 = \left| \frac{\text{OUT2}_{\text{MZI}6}}{E_{\text{in}}} \right|^2 = \cos^2\left(\frac{\Delta\varphi_{\text{MZI}1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI}3}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}6}}{2}\right)$$

$$D_1 = \left| \frac{\text{OUT1}_{\text{MZI}7}}{E_{\text{in}}} \right|^2 = \cos^2\left(\frac{\Delta\varphi_{\text{MZI}1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}3}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI}7}}{2}\right)$$

$$D_0 = \left| \frac{\text{OUT2}_{\text{MZI}7}}{E_{\text{in}}} \right|^2 = \cos^2\left(\frac{\Delta\varphi_{\text{MZI}1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}3}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}7}}{2}\right)$$

BPM Layout of Full Adder



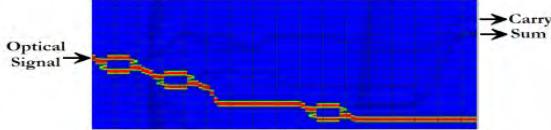
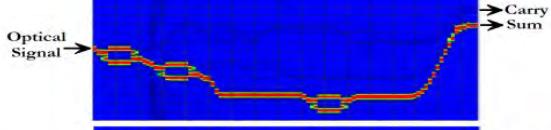
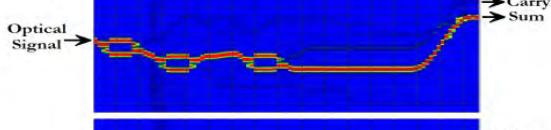
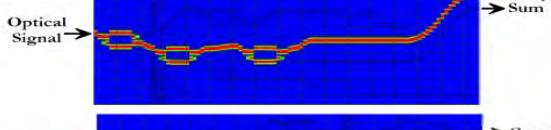
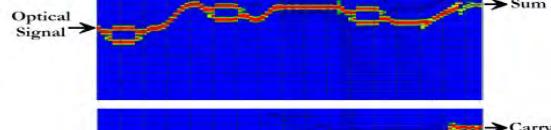
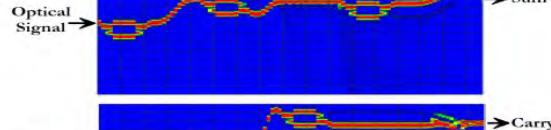
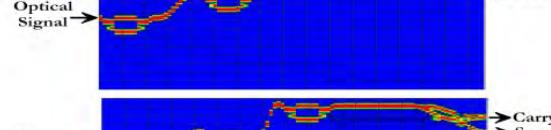
SUM

$$\begin{aligned}
 = & \cos^2\left(\frac{\Delta\varphi_{M Z I 1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{M Z I 3}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{M Z I 7}}{2}\right) + \cos^2\left(\frac{\Delta\varphi_{M Z I 1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{M Z I 3}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{M Z I 6}}{2}\right) \\
 & + \sin^2\left(\frac{\Delta\varphi_{M Z I 1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{M Z I 2}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{M Z I 5}}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{M Z I 1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{M Z I 2}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{M Z I 4}}{2}\right)
 \end{aligned}$$

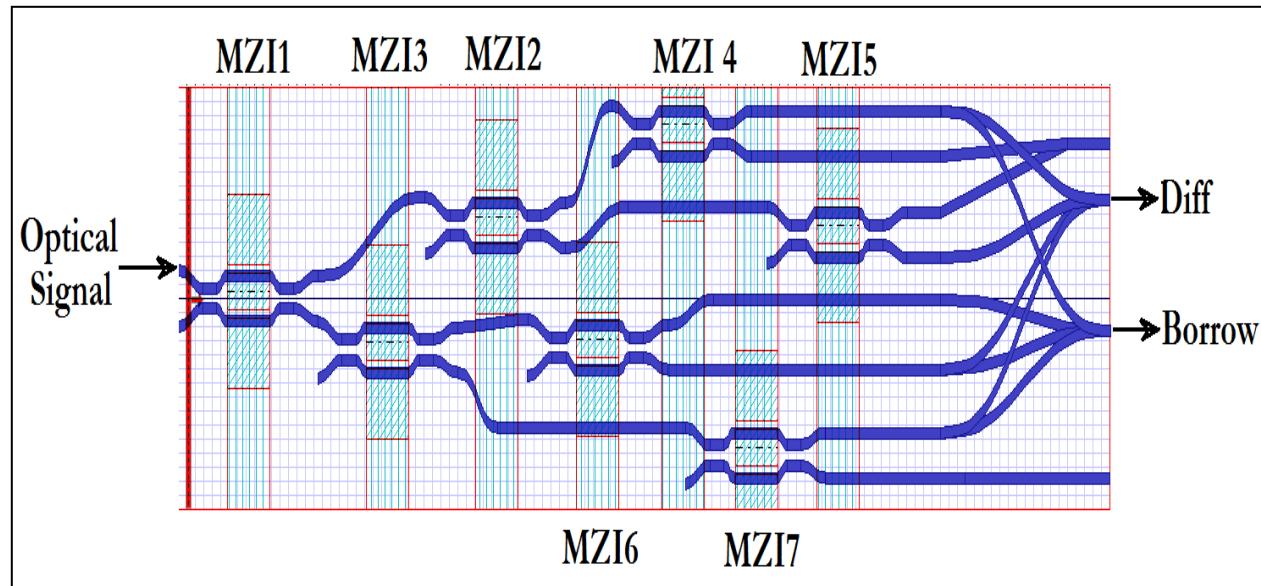
CARRY

$$\begin{aligned}
 = & \cos^2\left(\frac{\Delta\varphi_{M Z I 1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{M Z I 3}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{M Z I 6}}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{M Z I 1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{M Z I 2}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{M Z I 5}}{2}\right) \\
 & + \sin^2\left(\frac{\Delta\varphi_{M Z I 1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{M Z I 2}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{M Z I 4}}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{M Z I 1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{M Z I 2}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{M Z I 4}}{2}\right)
 \end{aligned}$$

BPM Results of Full Adder

X	Y	Z	Representation of Full-Adder logic	Sum	Carry
0	0	0		0	0
0	0	1		1	0
0	1	0		1	0
0	1	1		0	1
1	0	0		1	0
1	0	1		0	1
1	1	0		0	1
1	1	1		1	1

BPM Layout of Full Subtractor



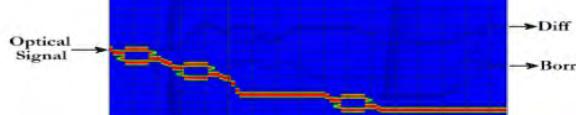
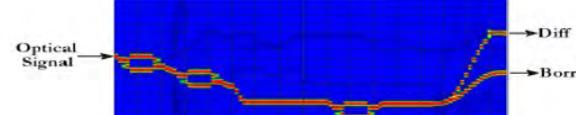
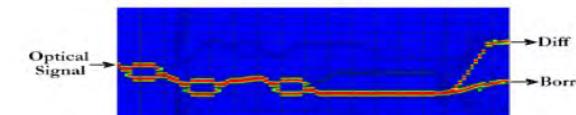
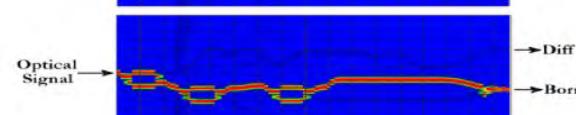
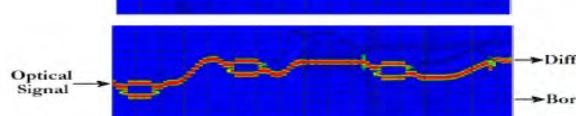
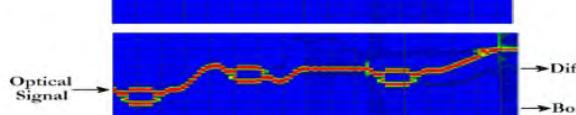
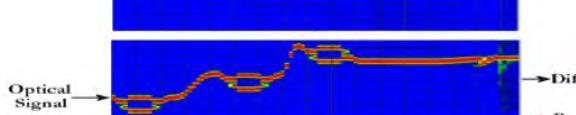
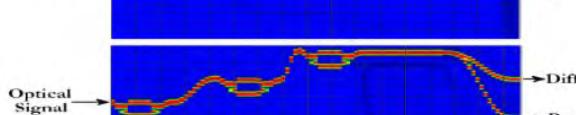
DIFFERENCE

$$\begin{aligned}
 &= \cos^2\left(\frac{\Delta\varphi_{MZI1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{MZI3}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{MZI7}}{2}\right) + \cos^2\left(\frac{\Delta\varphi_{MZI1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{MZI3}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{MZI6}}{2}\right) \\
 &+ \sin^2\left(\frac{\Delta\varphi_{MZI1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{MZI2}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{MZI5}}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{MZI1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{MZI2}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{MZI4}}{2}\right)
 \end{aligned}$$

BORROW

$$\begin{aligned}
 &= \cos^2\left(\frac{\Delta\varphi_{MZI1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{MZI3}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{MZI7}}{2}\right) + \cos^2\left(\frac{\Delta\varphi_{MZI1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{MZI3}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{MZI6}}{2}\right) \\
 &+ \cos^2\left(\frac{\Delta\varphi_{MZI1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{MZI3}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{MZI6}}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{MZI1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{MZI2}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{MZI4}}{2}\right)
 \end{aligned}$$

BPM Results of Full Subtractor

X	Y	Z	Representation of Full-Subtractor logic	Diff	Borrow
0	0	0		0	0
0	0	1		1	1
0	1	0		1	1
0	1	1		0	1
1	0	0		1	0
1	0	1		0	0
1	1	0		0	0
1	1	1		1	1

Design of an optical N-bit reversible ripple carry adder

Santosh Kumar et. al., IEEE Workshop on Recent Advances in Photonics, Indian Institute of Science, Bangalore, 2015.

Design of an optical N-bit reversible ripple carry adder

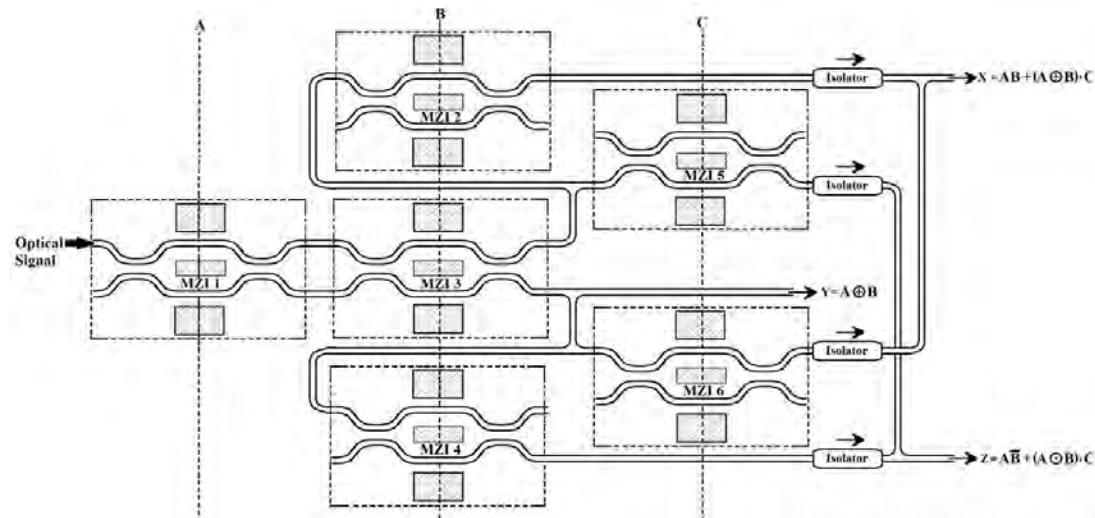


Fig. 23: Schematic diagram of optical reversible gate-I (ORG-I).

Table 6: State table for optical reversible gate-I (ORG-I)

S. No.	Control signal 'A' (V)	Control signal 'B' (V)	Control signal 'C' (V)	$AB + (A \oplus B)C$	$(A \oplus B)$	$A\bar{B} + (\bar{A} \oplus \bar{B})C$
1	0	0	0	0	0	0
2	0	0	6.75	0	0	1
3	0	6.75	0	0	1	0
4	0	6.75	6.75	1	1	0
5	6.75	0	0	0	1	1
6	6.75	0	6.75	1	1	1
7	6.75	6.75	0	1	0	0
8	6.75	6.75	6.75	1	0	1

Cont ...

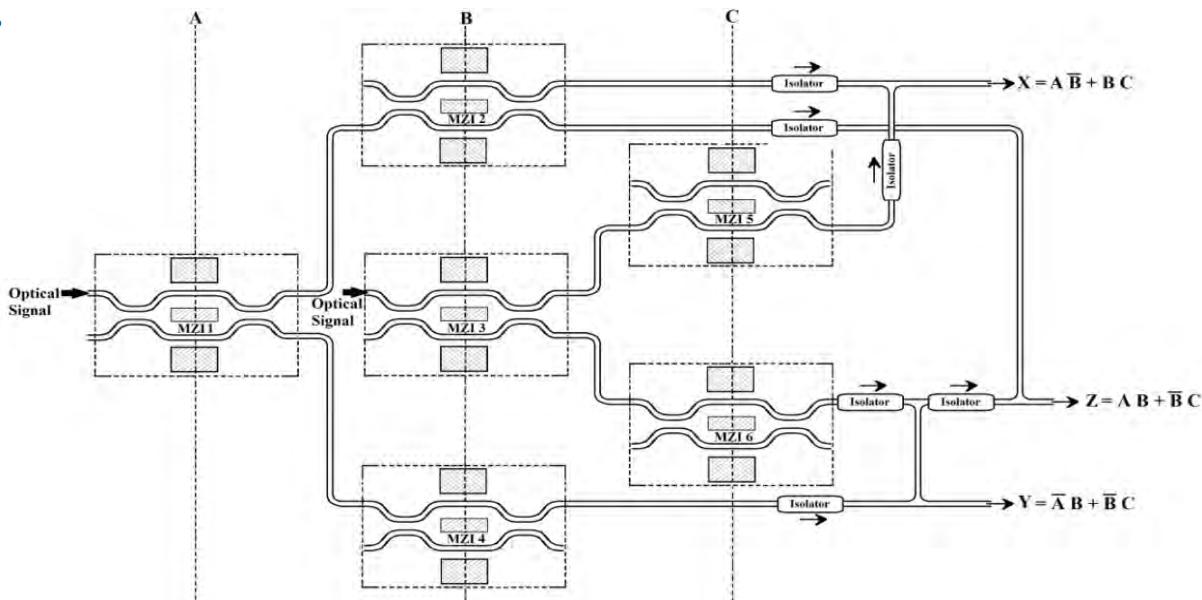


Fig. 24: Schematic diagram of optical reversible gate-I (ORG-I).

Table 7: State table for optical reversible gate-II (ORG-II)

S. No.	Control signal 'A' (V)	Control signal 'B' (V)	Control signal 'C' (V)	$X = A\bar{B} + BC$	$Y = \bar{B}C + \bar{A}B$	$Z = AB + \bar{B}C$
1	0	0	0	0	0	0
2	0	0	6.75	0	1	1
3	0	6.75	0	0	1	0
4	0	6.75	6.75	1	1	0
5	6.75	0	0	1	0	0
6	6.75	0	6.75	1	1	1
7	6.75	6.75	0	0	0	1
8	6.75	6.75	6.75	1	0	1

Cont ...

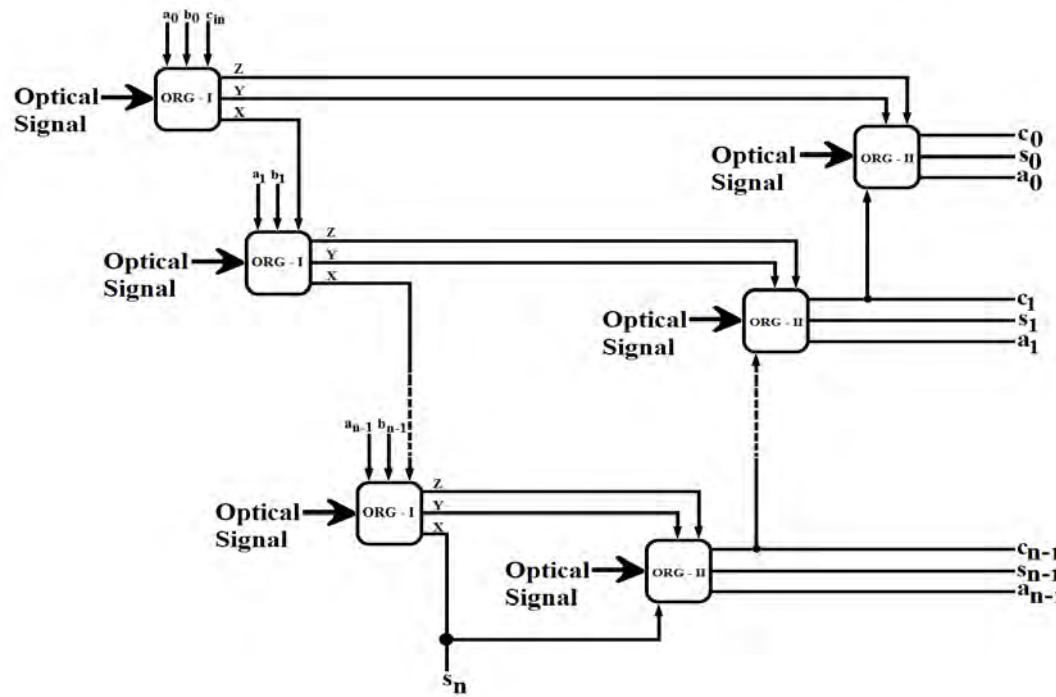


Figure: Schematic diagram of an n-bit reversible ripple carry adder using ORG-I and ORG-II.

Sum, ' s ' and carry C_j are given as

$$s_j = \begin{cases} a_j \oplus b_j \oplus c_j & \text{for } 0 \leq j \leq n-1 \\ c_n & \text{for } j = n \end{cases}$$

$$C_j = \begin{cases} C_0 & ; \quad j = 0 \\ a_{j-1}b_{j-1} + (a_{j-1} \oplus b_{j-1})C_{j-1} & ; \quad 1 \leq j \leq n \end{cases}$$

Cont ...

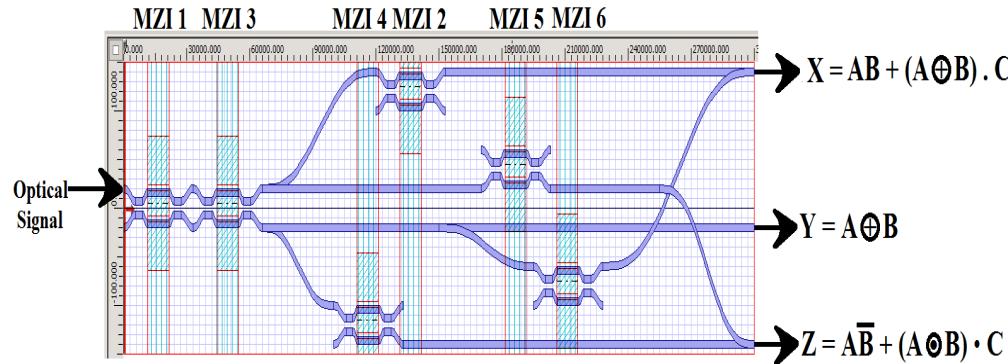


Figure OptiBPM layout for optical reversible gate-I (ORG-I).

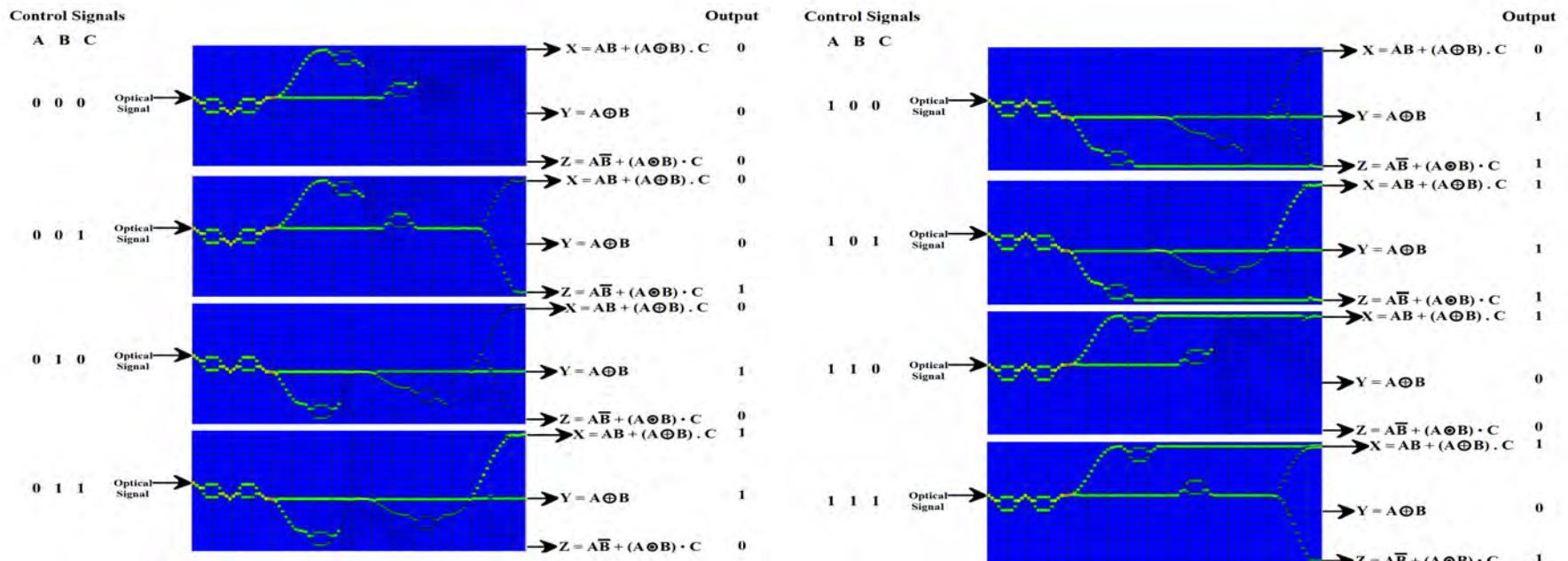


Figure: OptiBPM simulation results for ORG-I, when control signals A, B and C are varied from 000 to 011.

Figure: OptiBPM simulation results for ORG-I, when control signals A, B and C are varied from 100 to 111.

Cont ...

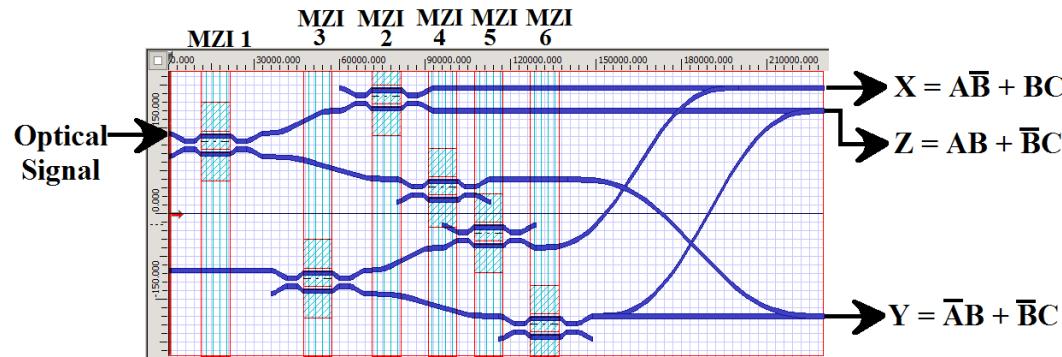


Fig.: OptiBPM layout for optical reversible gate-II (ORG-II).

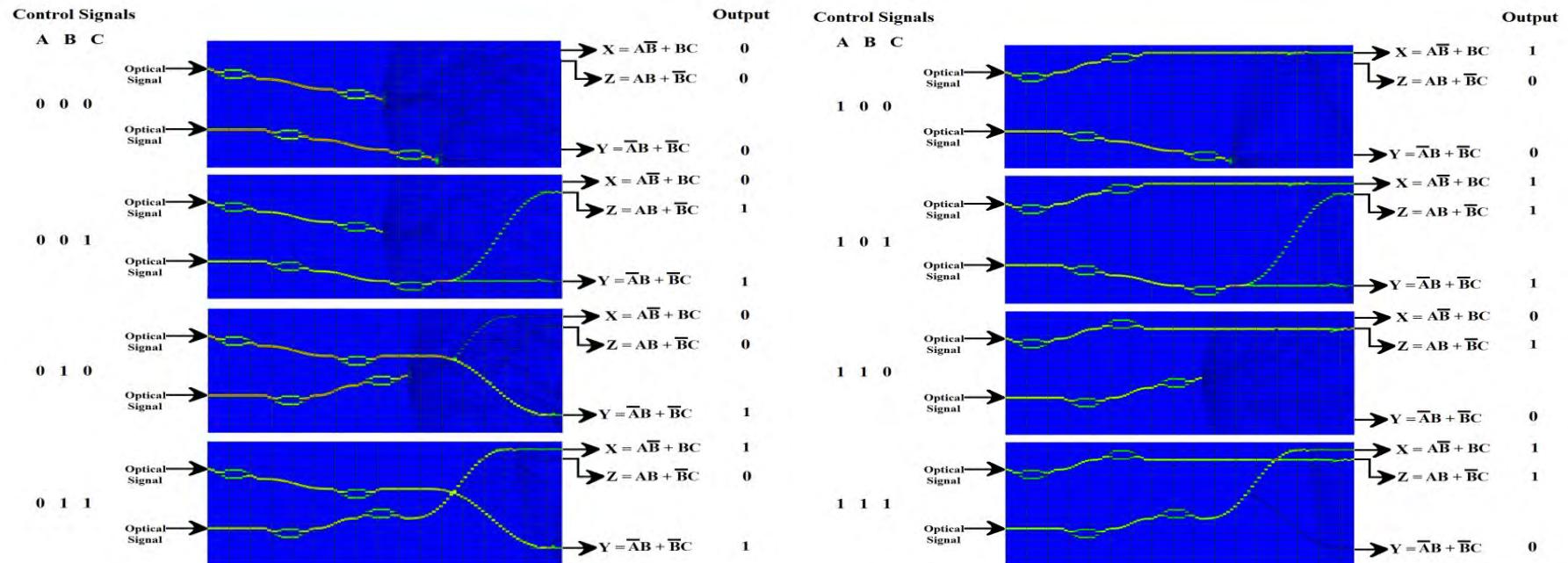


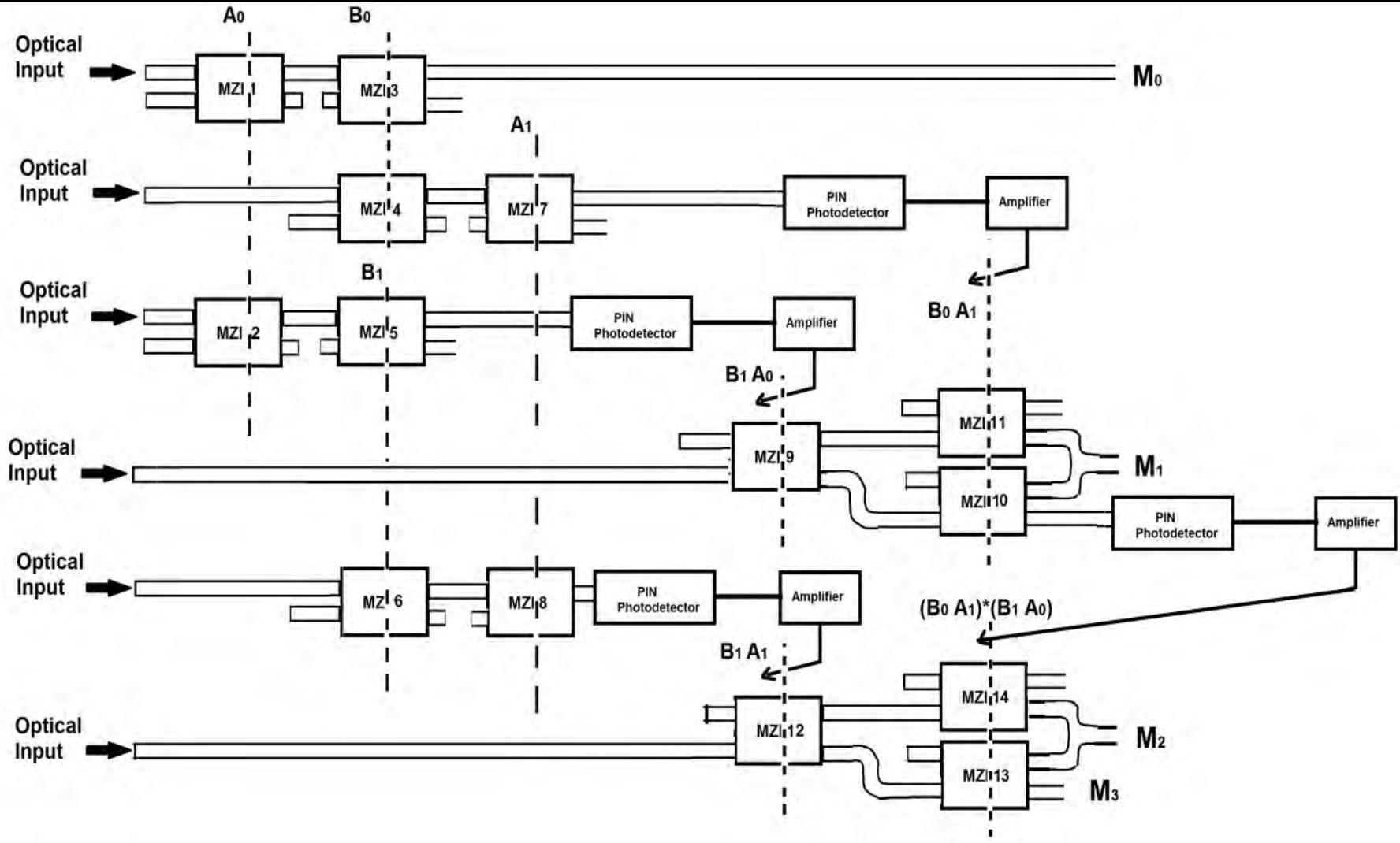
Fig.: OptiBPM simulation results for ORG-II, when control signals A, B and C are varied from 000 to 011.

Fig.: OptiBPM simulation results for ORG-II, when control signals A, B and C are varied from 100 to 111.

Design of 2-bit Multiplier using MZIs

Santosh Kumar et. al., Optical and Quantum Electronics (Springer), Vol. 47, Issue 12, pp 3667-3688 (August 20, 2015).

Design of 2-bit Multiplier using MZIs



Mathematical expression of 2-bit Multiplier

The normalized output power at different output ports can be represented by the following equations;

At Port M₀;

$$M_0 = \left| \frac{OUT1_{MZI3}}{E_{in}} \right|^2 = \left\{ \sin^2 \left(\frac{\Delta\varphi_{MZI1}}{2} \right) \sin^2 \left(\frac{\Delta\varphi_{MZI3}}{2} \right) \right\}$$

At Port M₁;

$$M_1 = \left\{ \sin^2 \left(\frac{\Delta\varphi_{MZI9}}{2} \right) \cos^2 \left(\frac{\Delta\varphi_{MZI10}}{2} \right) \right\} + \left\{ \cos^2 \left(\frac{\Delta\varphi_{MZI9}}{2} \right) \sin^2 \left(\frac{\Delta\varphi_{MZI11}}{2} \right) \right\}$$

At Port M₂;

$$M_2 = \left\{ \sin^2 \left(\frac{\Delta\varphi_{MZI12}}{2} \right) \cos^2 \left(\frac{\Delta\varphi_{MZI13}}{2} \right) \right\} + \left\{ \cos^2 \left(\frac{\Delta\varphi_{MZI12}}{2} \right) \sin^2 \left(\frac{\Delta\varphi_{MZI14}}{2} \right) \right\}$$

At Port M₃;

$$M_3 = \left| \frac{OUT1_{MZI3}}{E_{in}} \right|^2 = \left\{ \sin^2 \left(\frac{\Delta\varphi_{MZI12}}{2} \right) \sin^2 \left(\frac{\Delta\varphi_{MZI13}}{2} \right) \right\}$$

MATLAB Result of 2-bit Multiplier

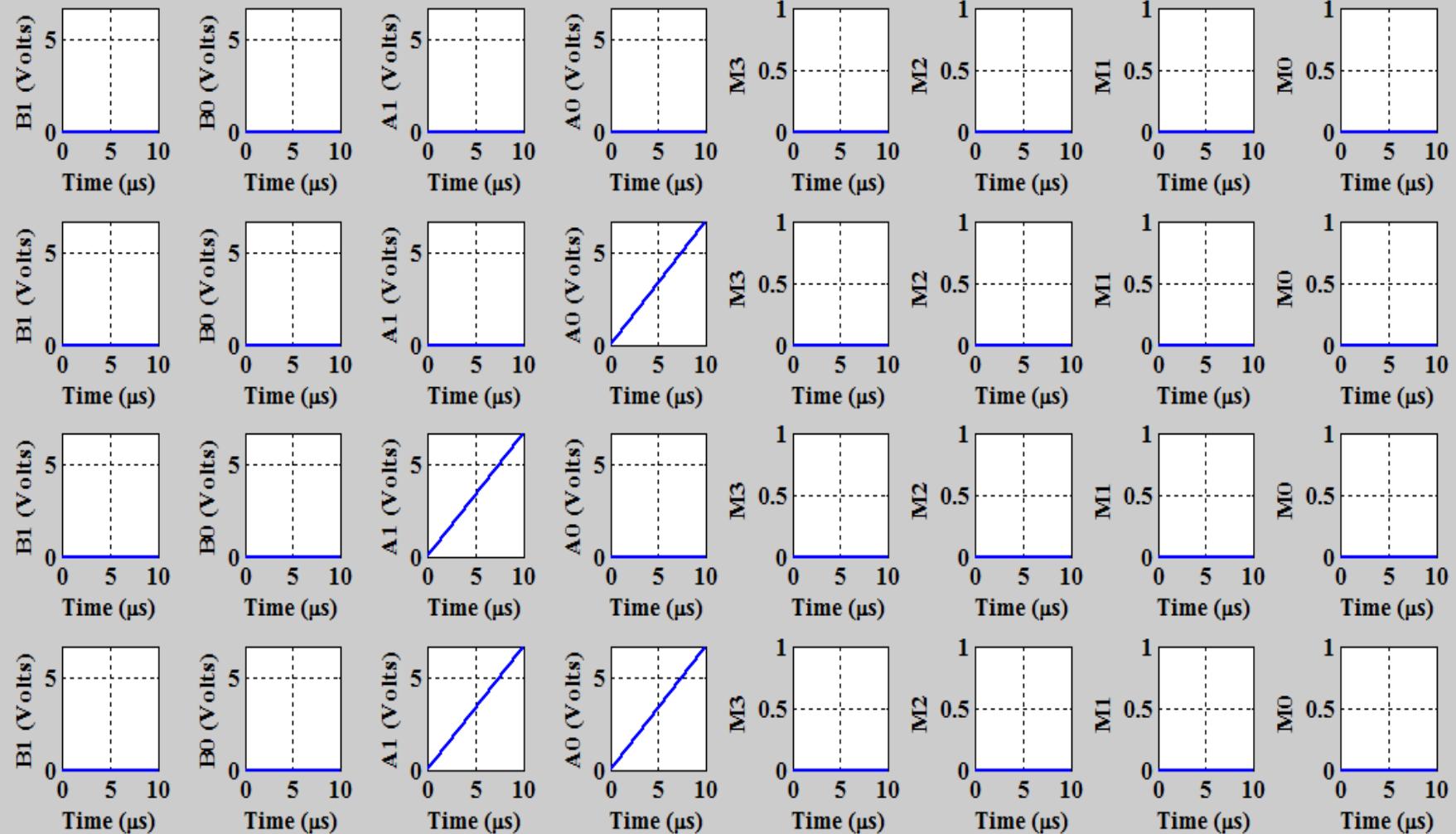


Figure: MATLAB simulation results of 2-bit multiplier, when the magnitude of B is 0 and magnitude of A changes from 0 to 3.

Cont ...

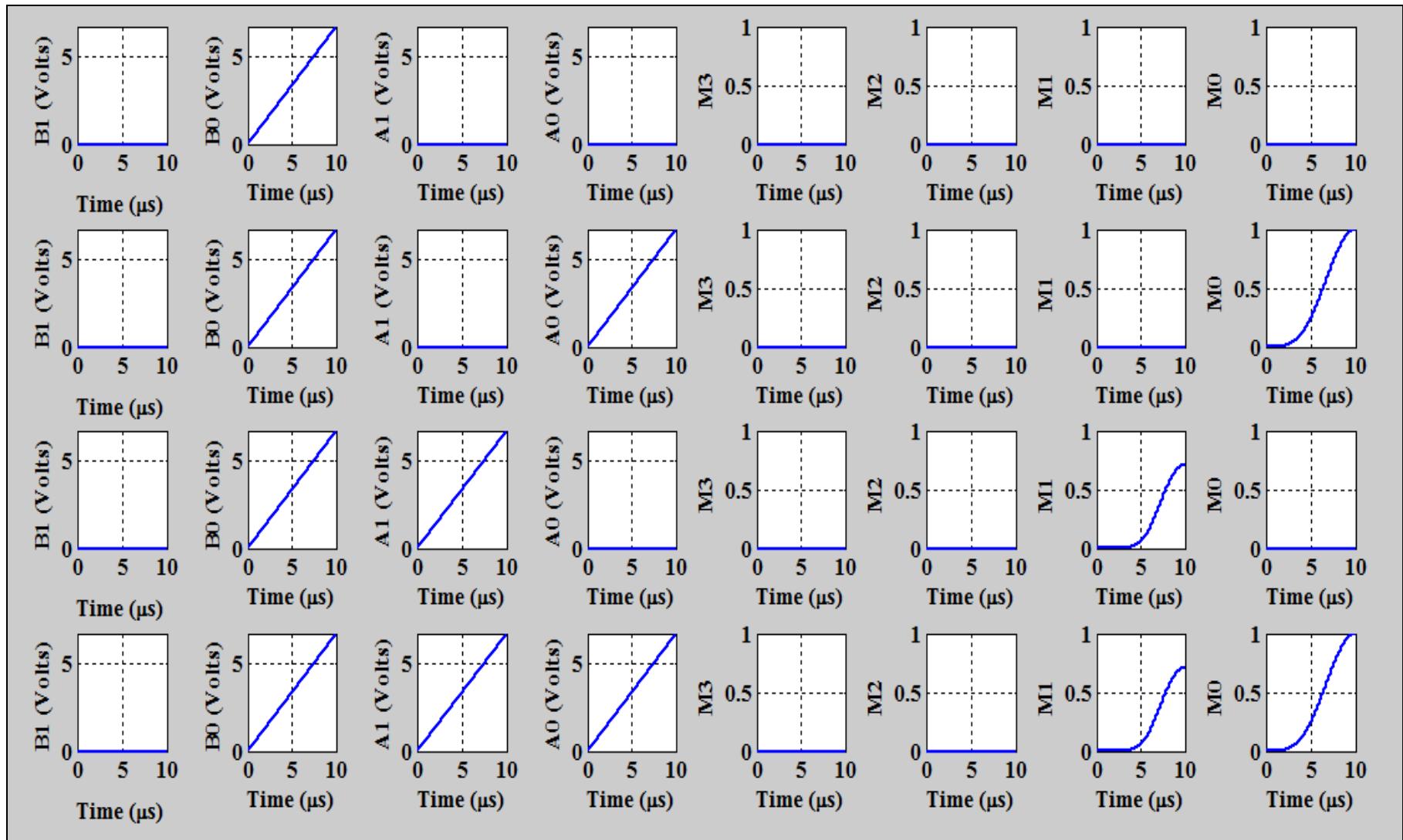


Figure: MATLAB simulation results of 2-bit multiplier, when magnitude of B is 1 and magnitude of A changes from 0 to 3.

Cont ...

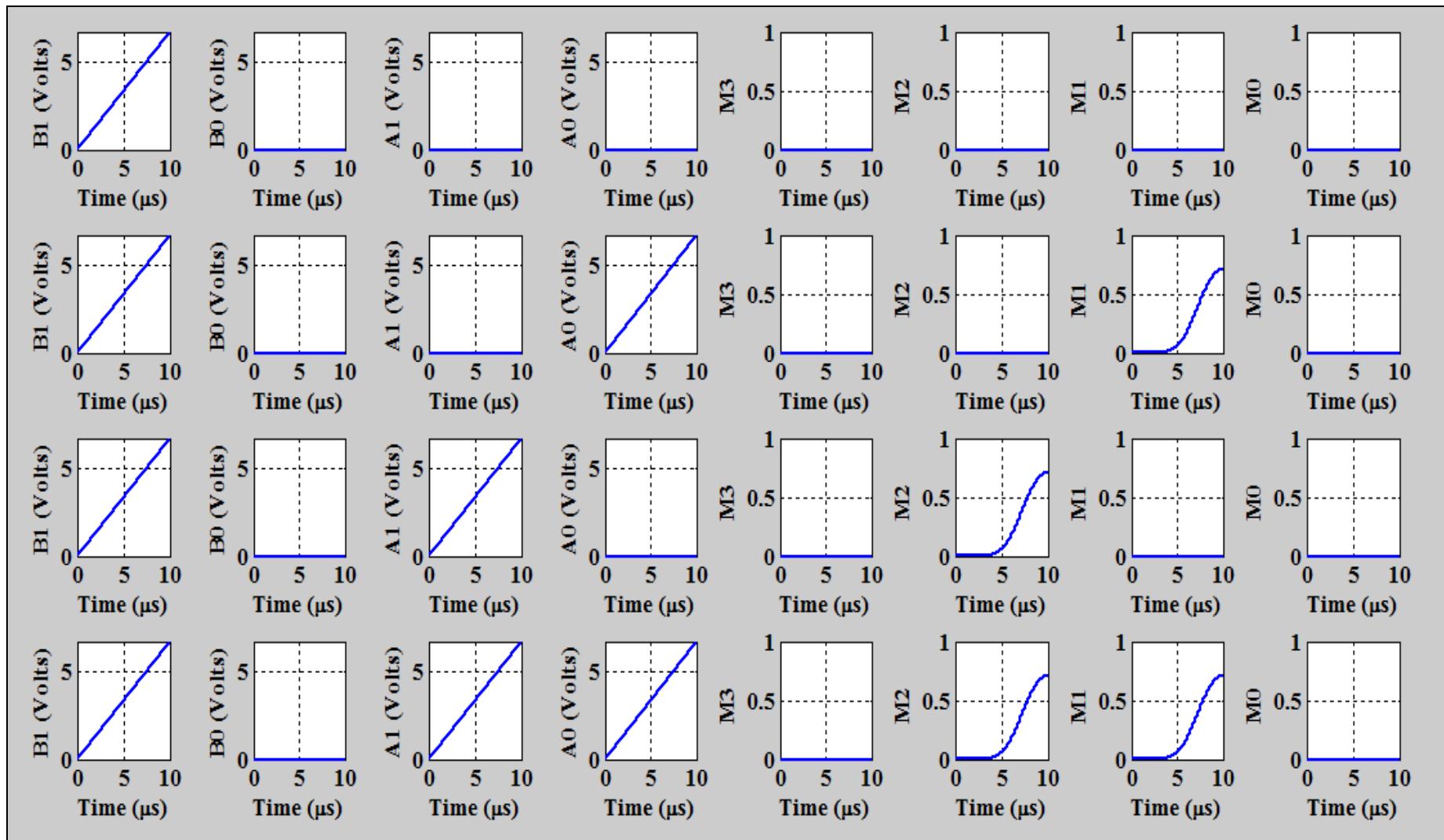


Figure: MATLAB simulation results of 2-bit multiplier, when magnitude of B is 2 and magnitude of A changes from 0 to 3.

Cont ...

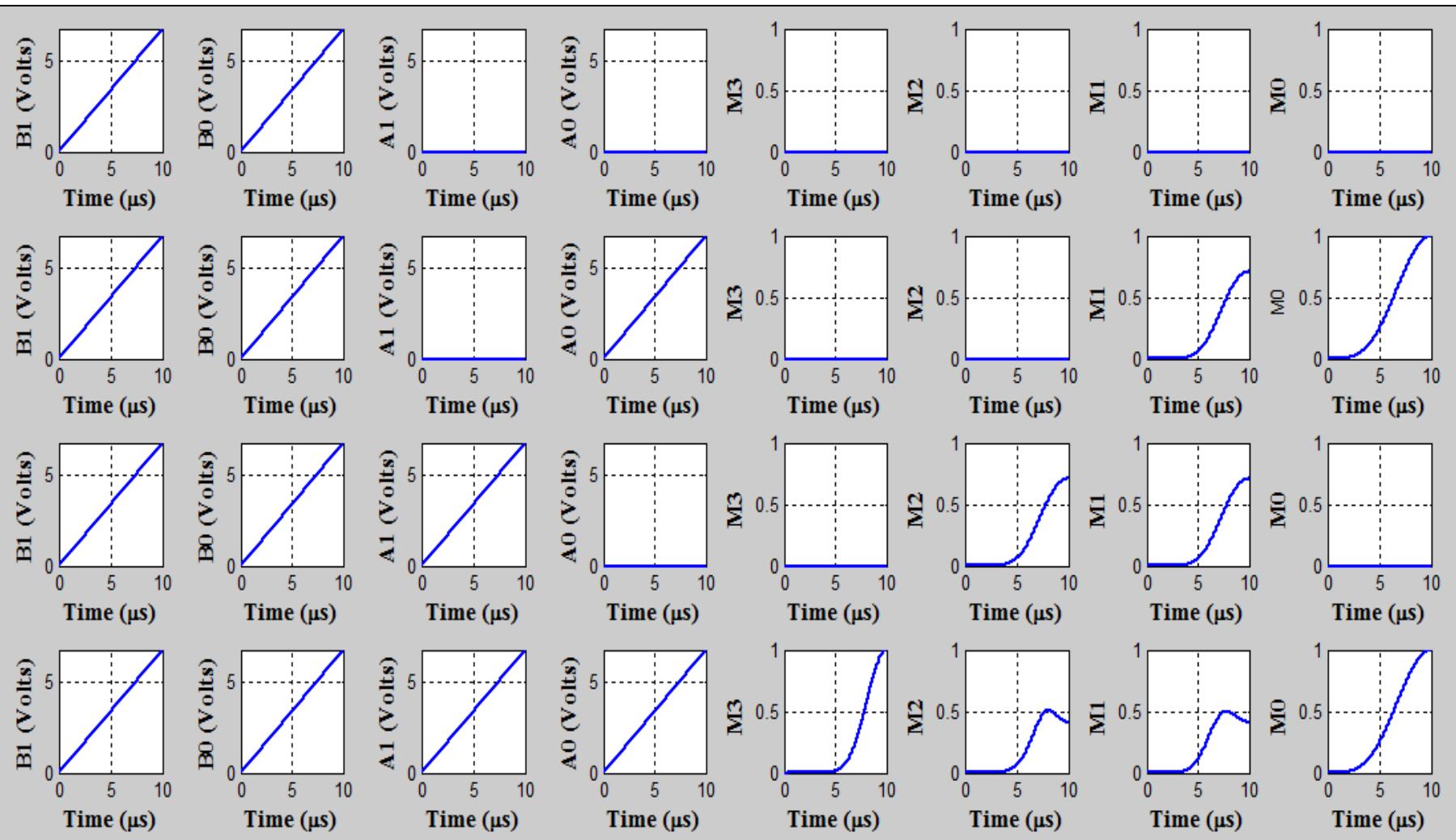


Figure: MATLAB simulation results of 2-bit multiplier, when the magnitude of B is 3 and magnitude of A changes from 0 to 3.

BPM Result of 2-bit Multiplier

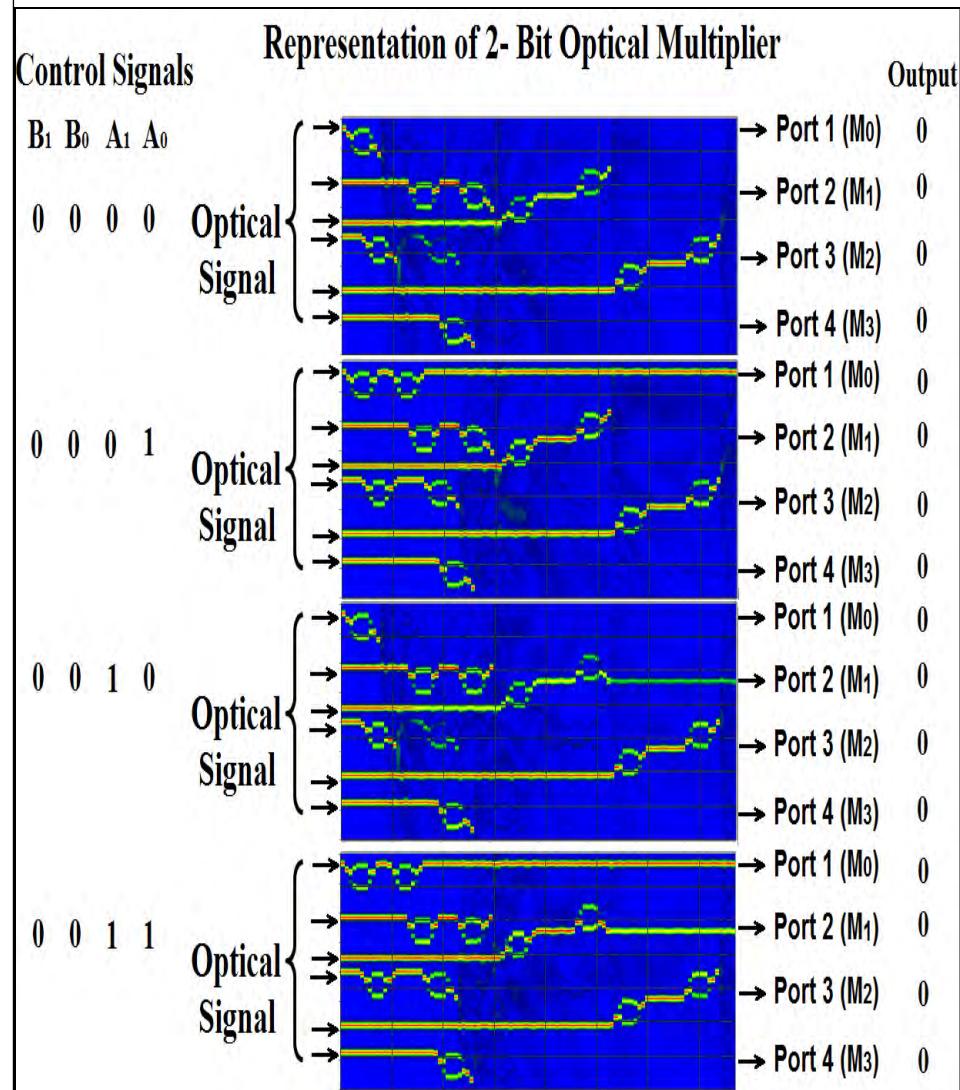


Figure: The results of 2-bit multiplier operation, when magnitude of B is 0 and magnitudes A changes from 0 to 3.

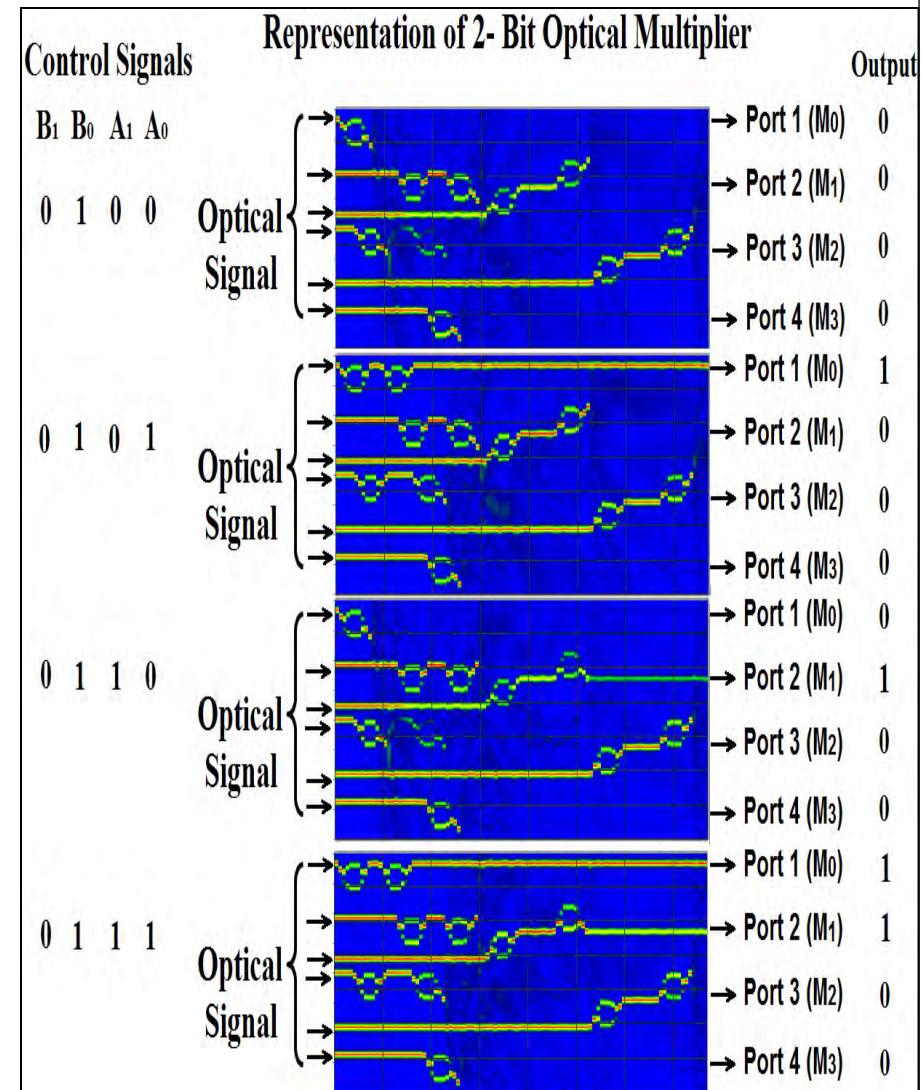


Figure: The results of 2-bit multiplier operation, when magnitude of B is 1 and magnitudes A changes from 0 to 3.

Cont ...

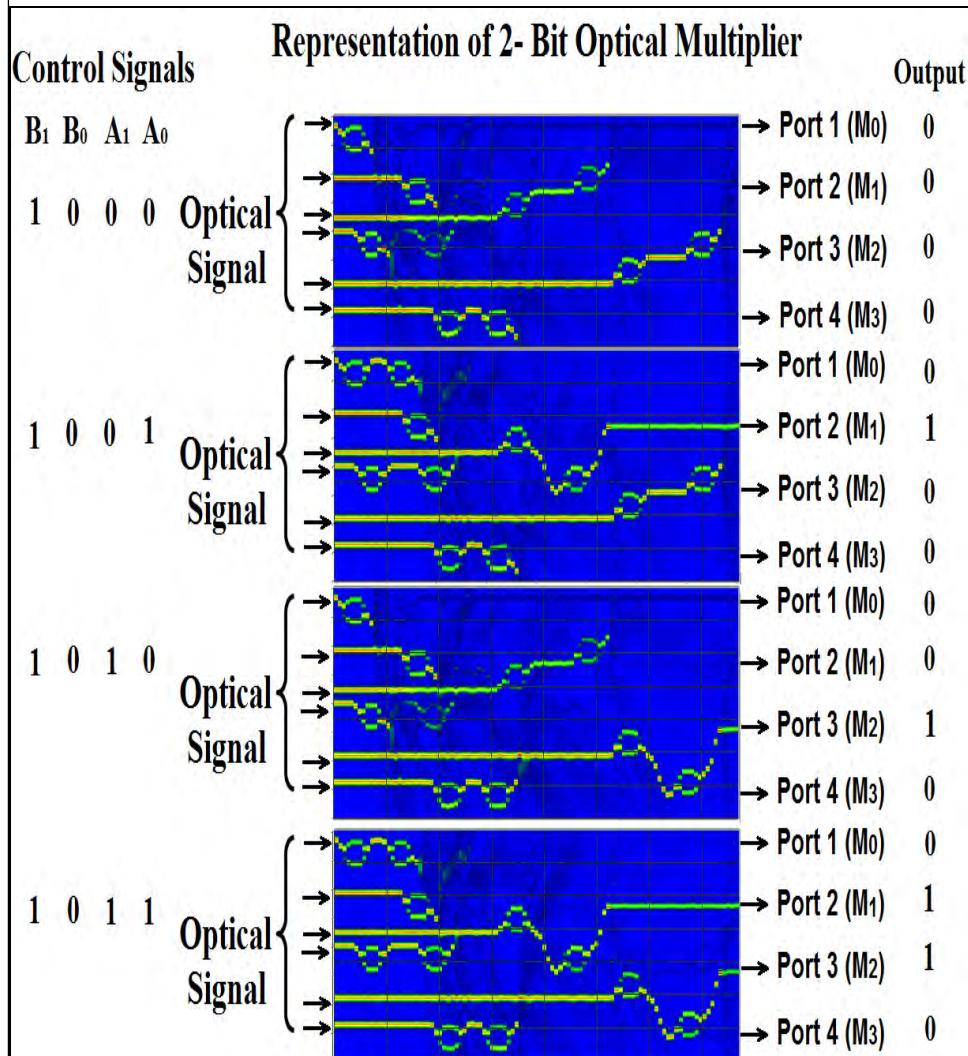


Figure: The results of 2-bit multiplier operation, when magnitude of B is 2 and magnitudes A changes from 0 to 3.

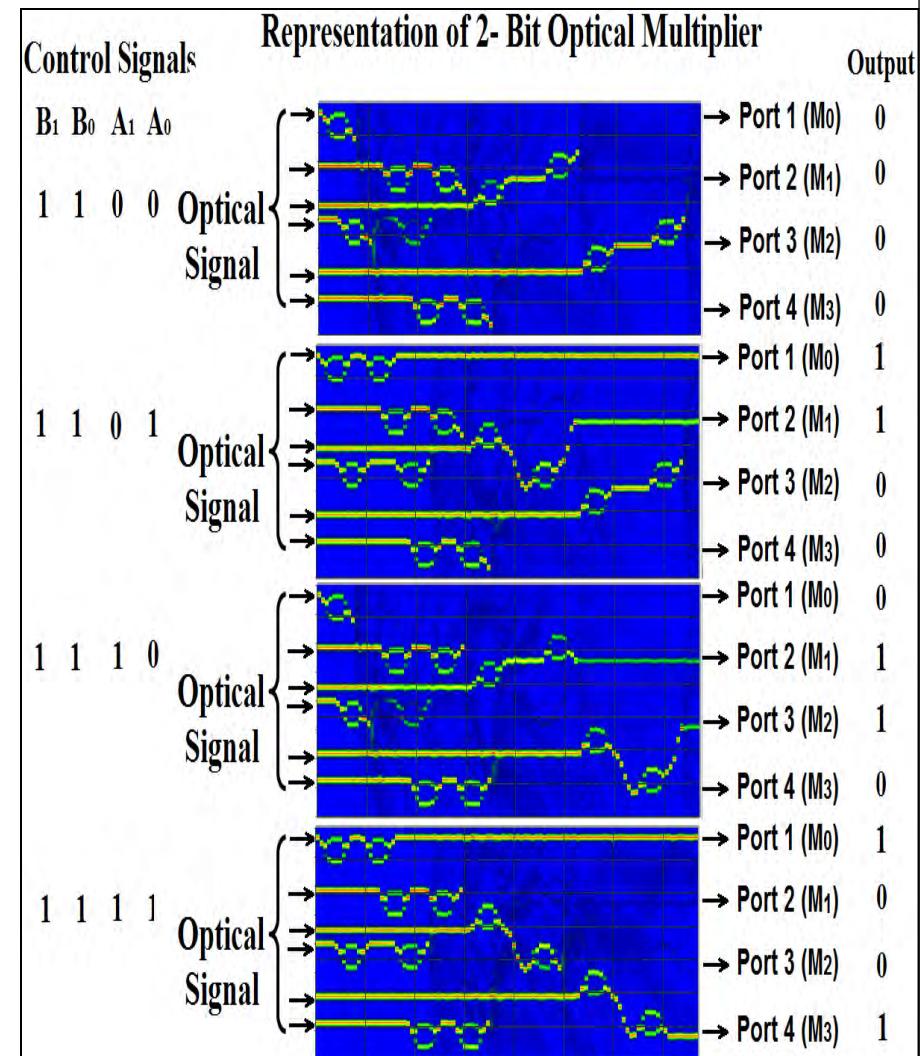


Figure: The results of 2-bit multiplier operation, when magnitude of B is 3 and magnitudes A changes from 0 to 3.

Design of 1-bit and 2-bit magnitude comparators

Santosh Kumar et. al., Optics Communications (Elsevier), Vol. 357, PP. 127-147 (Sept. 09, 2015).

Design of 1-bit and 2-bit magnitude comparators

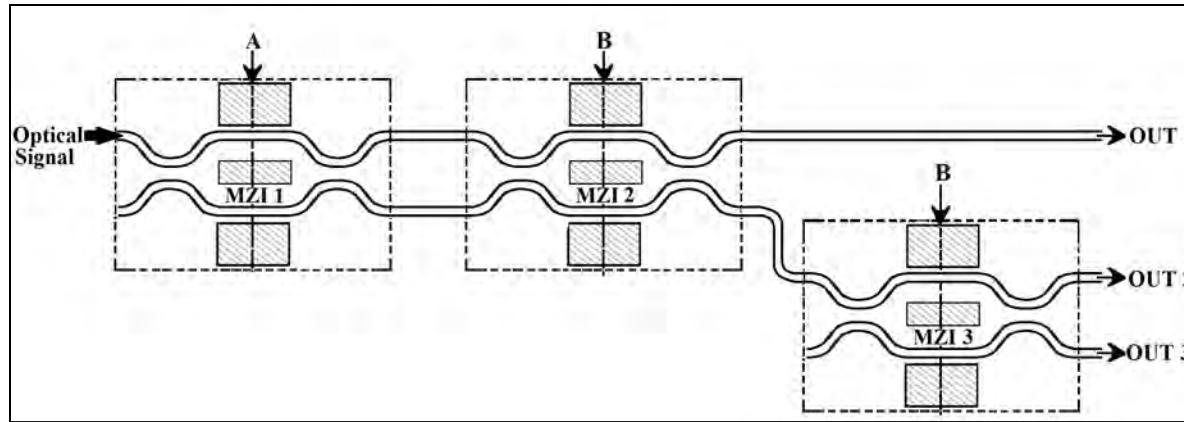
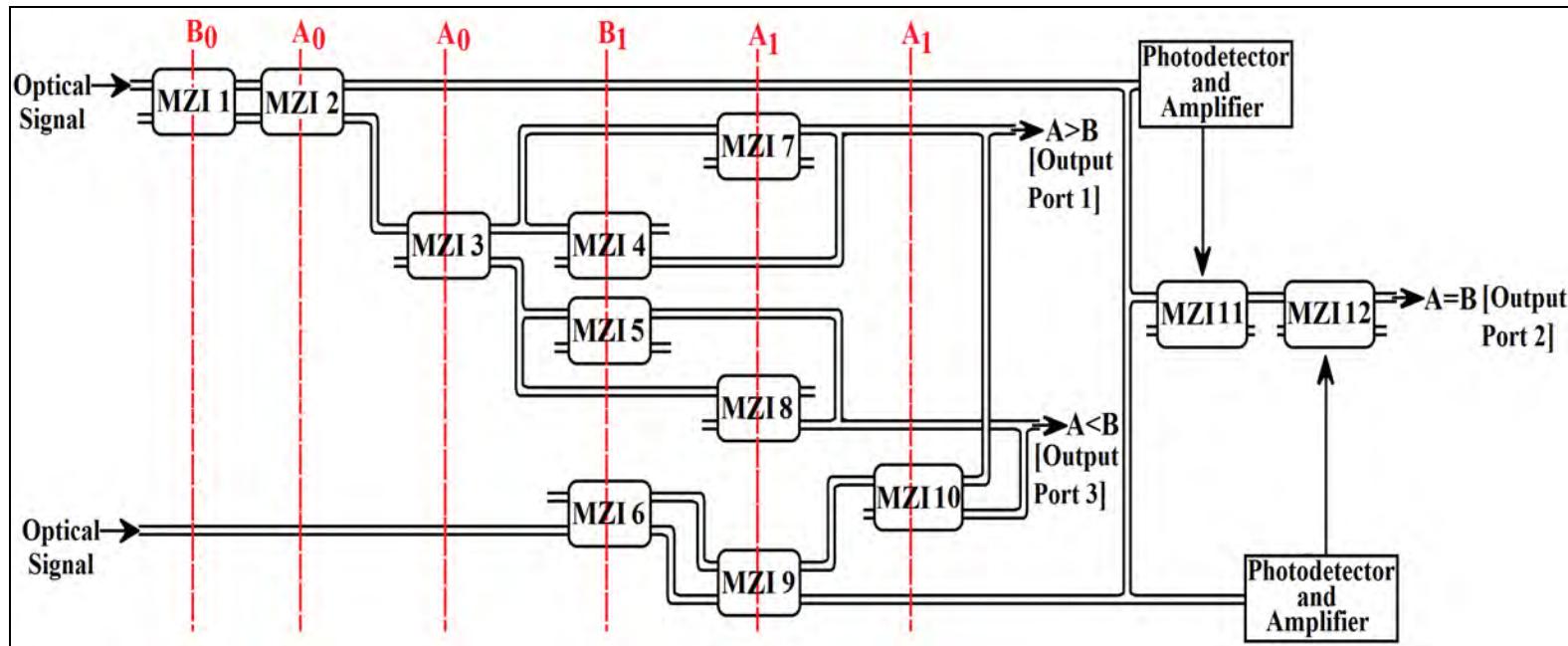


Figure: Schematic diagram of 1-bit comparator using the MZIs.



Cont . . .

For case 1 ($A = B$);

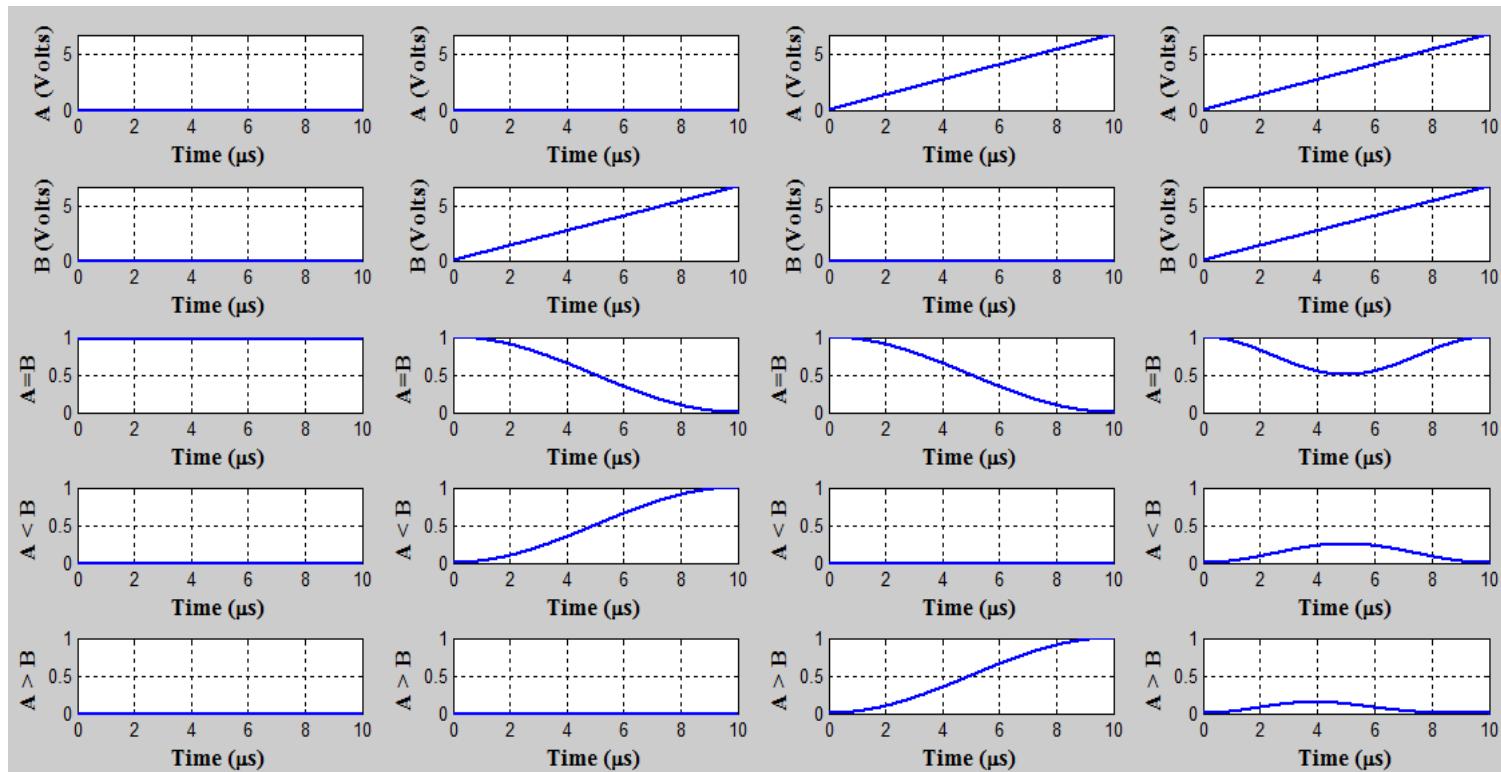
$$\text{OUT1} = \left| \frac{\text{OUT1}_{\text{MZI}2}}{E_{\text{in}}} \right|^2 = \left\{ \cos^2 \left(\frac{\Delta\varphi_{\text{MZI}1}}{2} \right) \cos^2 \left(\frac{\Delta\varphi_{\text{MZI}2}}{2} \right) \right\} + \left\{ \sin^2 \left(\frac{\Delta\varphi_{\text{MZI}1}}{2} \right) \sin^2 \left(\frac{\Delta\varphi_{\text{MZI}2}}{2} \right) \right\}$$

For case 2 ($A < B$);

$$\text{OUT2} = \left| \frac{\text{OUT1}_{\text{MZI}3}}{E_{\text{in}}} \right|^2 = \cos^2 \left(\frac{\Delta\varphi_{\text{MZI}1}}{2} \right) \sin^2 \left(\frac{\Delta\varphi_{\text{MZI}2}}{2} \right) \sin^2 \left(\frac{\Delta\varphi_{\text{MZI}3}}{2} \right)$$

For case 3 ($A > B$);

$$\text{OUT3} = \left| \frac{\text{OUT2}_{\text{MZI}3}}{E_{\text{in}}} \right|^2 = \cos^2 \left(\frac{\Delta\varphi_{\text{MZI}1}}{2} \right) \sin^2 \left(\frac{\Delta\varphi_{\text{MZI}2}}{2} \right) \cos^2 \left(\frac{\Delta\varphi_{\text{MZI}3}}{2} \right)$$



Cont ...

For Case 1 ($A = B$):

$$\begin{aligned} \text{OUT1} &= \left| \frac{\text{OUT1}_{\text{MZI}12}}{E_{\text{in}}} \right|^2 \\ &= \left\{ \cos^2\left(\frac{\Delta\varphi_{\text{MZI}1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}2}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}6}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}9}}{2}\right) \right\} + \left\{ \cos^2\left(\frac{\Delta\varphi_{\text{MZI}6}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}9}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI}1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI}2}}{2}\right) \right\} \\ &\quad + \left\{ \cos^2\left(\frac{\Delta\varphi_{\text{MZI}1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}2}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI}6}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI}9}}{2}\right) \right\} \\ &\quad + \left\{ \sin^2\left(\frac{\Delta\varphi_{\text{MZI}6}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI}9}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI}1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI}2}}{2}\right) \right\} \end{aligned}$$

For Case 2 ($A < B$):

$$\begin{aligned} \text{OUT2} &= \left| \frac{\text{OUT2}_{\text{MZI}10}}{E_{\text{in}}} \right|^2 \\ &= \sin^2\left(\frac{\Delta\varphi_{\text{MZI}1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}2}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}3}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}8}}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{\text{MZI}6}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}9}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}10}}{2}\right) \\ &\quad + \sin^2\left(\frac{\Delta\varphi_{\text{MZI}1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI}5}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}2}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}3}}{2}\right) \\ &\quad + \sin^2\left(\frac{\Delta\varphi_{\text{MZI}1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}8}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}2}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}3}}{2}\right) \end{aligned}$$

For Case 3 ($A > B$):

$$\begin{aligned} \text{OUT3} &= \left| \frac{\text{OUT1}_{\text{MZI}7}}{E_{\text{in}}} \right|^2 \\ &= \sin^2\left(\frac{\Delta\varphi_{\text{MZI}2}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI}3}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}4}}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{\text{MZI}9}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI}10}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}6}}{2}\right) \\ &\quad + \sin^2\left(\frac{\Delta\varphi_{\text{MZI}2}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI}3}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}4}}{2}\right) \\ &\quad + \sin^2\left(\frac{\Delta\varphi_{\text{MZI}2}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI}3}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI}1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI}7}}{2}\right) \end{aligned}$$

Cont ...

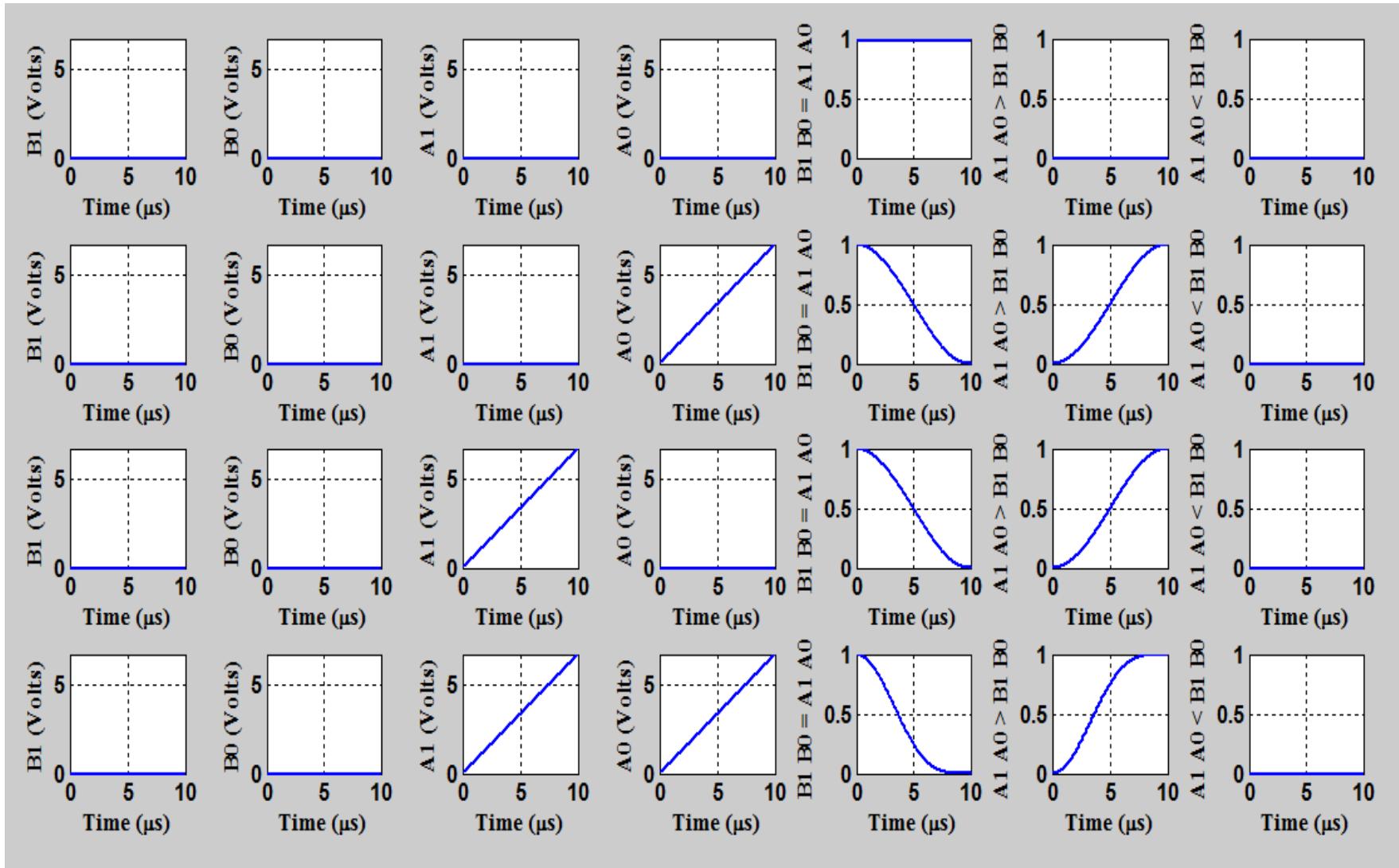


Figure: Simulation result of 1-bit magnitude comparator.

Design of 1-bit and 2-bit magnitude comparators

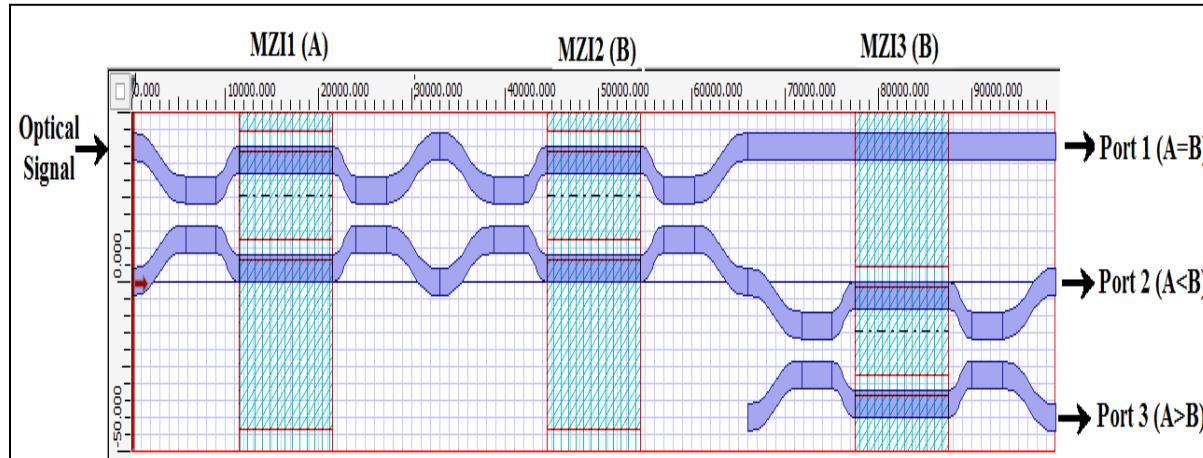


Figure: Layout of 1-bit comparator using the MZIs.

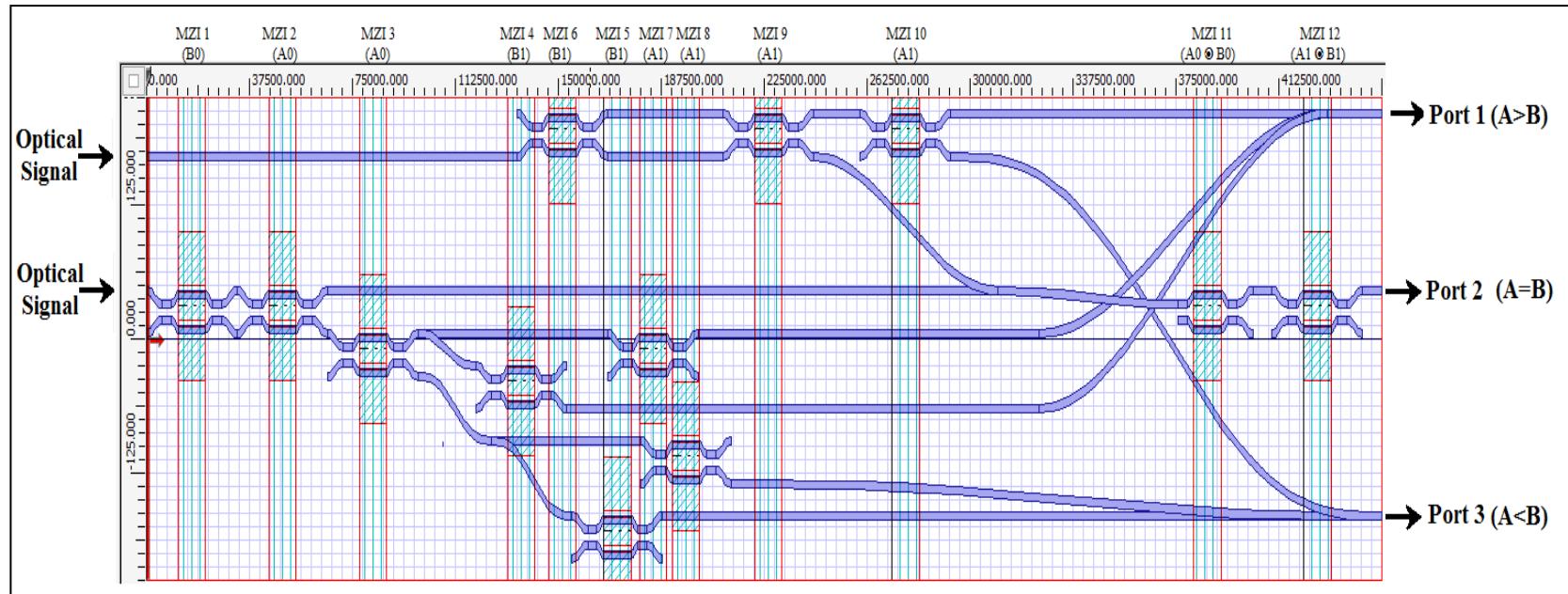


Figure: Layout of 2-bit comparator using the MZIs.

Cont ...

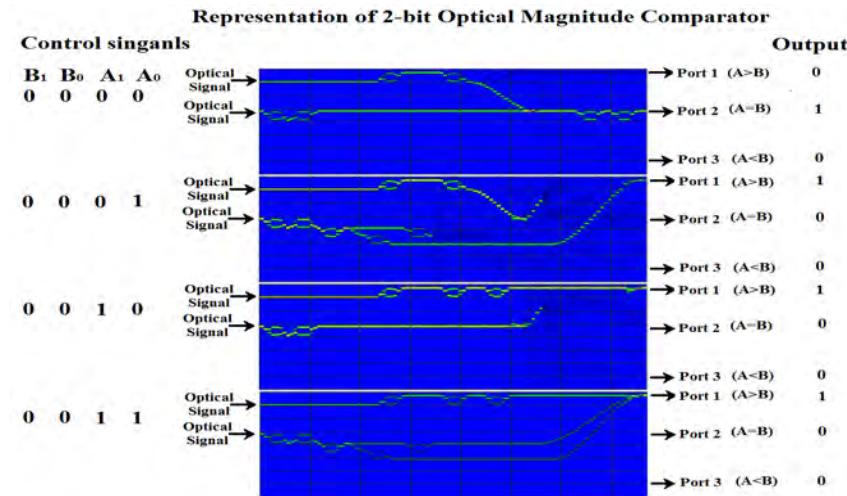
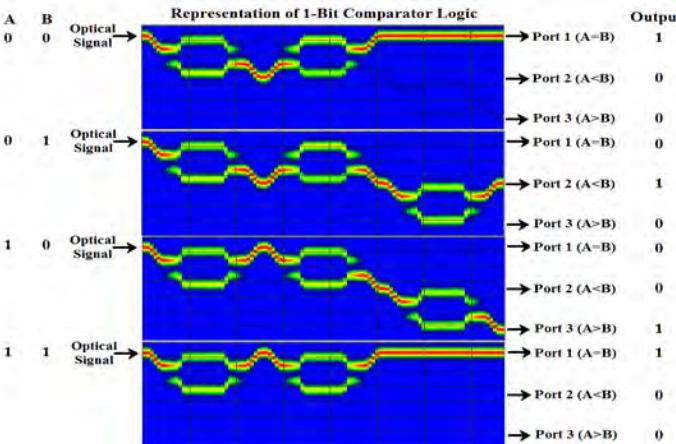
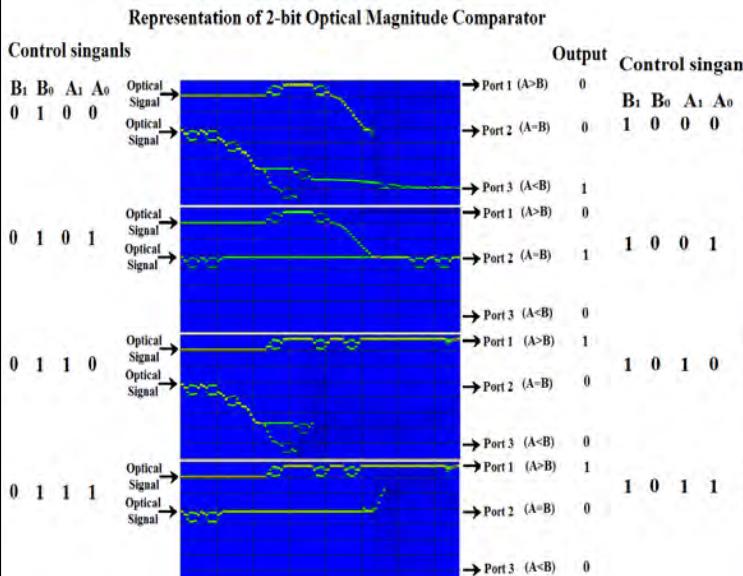
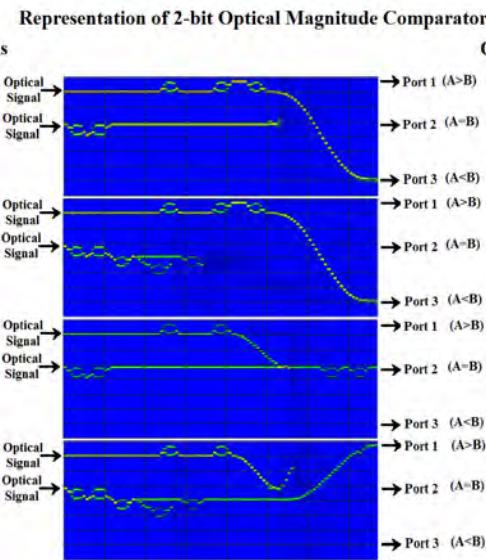


Fig.: Results of 1-bit comparator.

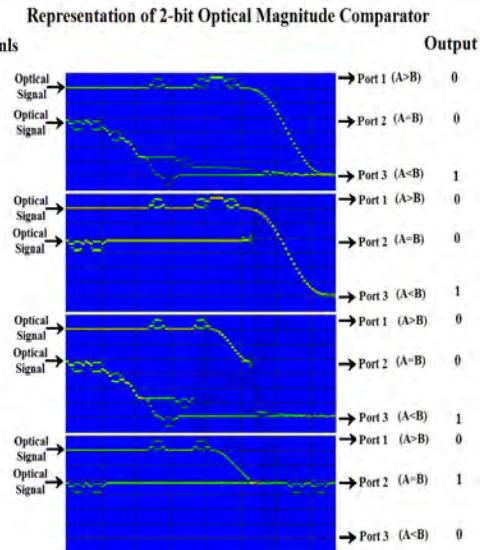
(a)



(b)



(c)



(d)

Dr. Santosh Kumar

Figure: Results of the 2-bit magnitude comparator, when magnitude of B is (a) 0, (b) 1 (c) 2 and (d) 3 and magnitude of A changes from 0 to 3.

Design of Parity Generator and Checker Circuit

Santosh Kumar et. al., Optics Communications (Elsevier), Vol. 364, PP. 195–224 (Dec. 07, 2015).

Even Parity Generator

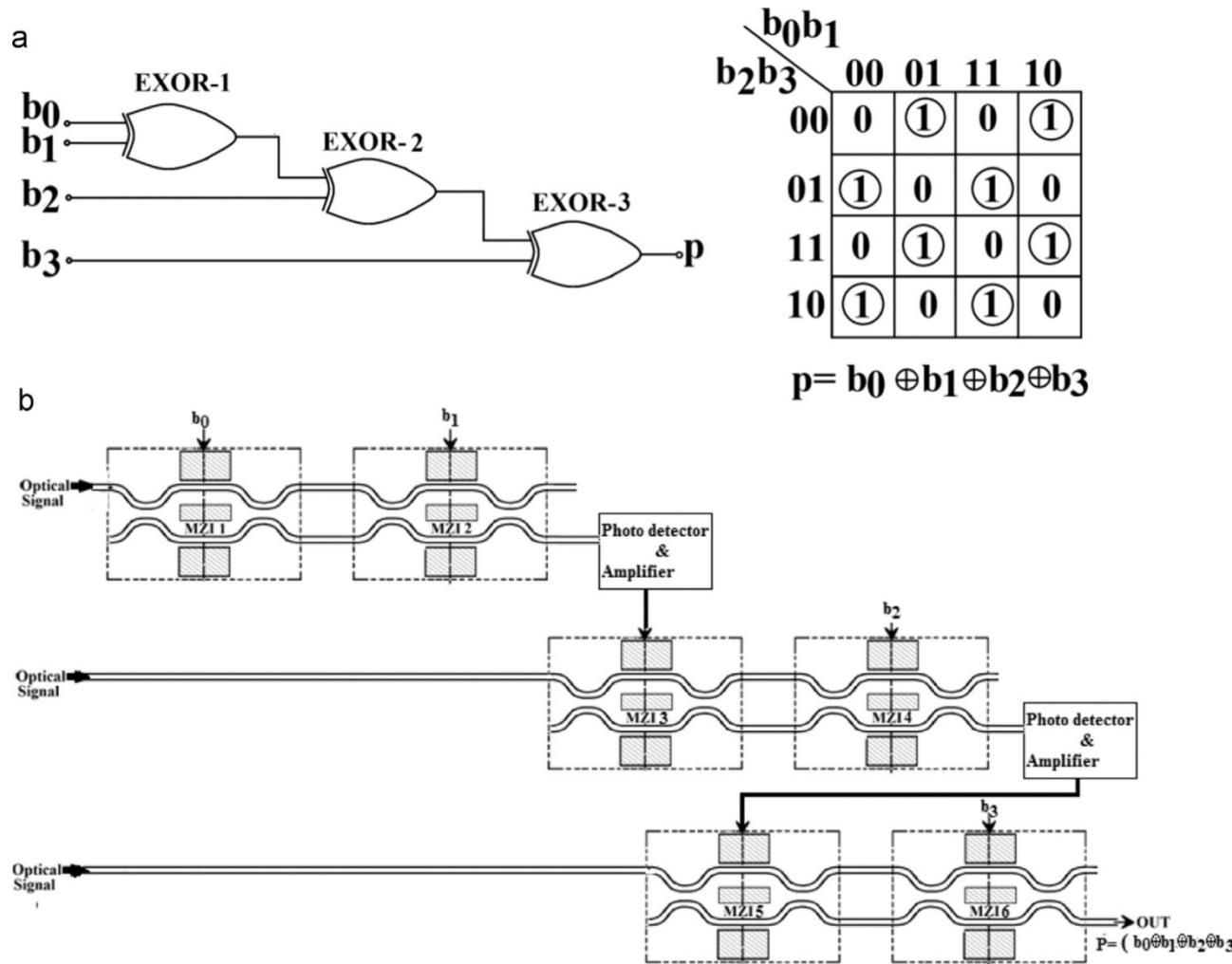


Figure: (a) Digital circuit and K-map of even parity generator. (b) Schematic diagram of even parity generator using MZIs
Dr. Santosh Kumar

Mathematical Expression for Even Parity

For Even Parity:

$$\begin{aligned} p = & \left[\sin^2\left(\frac{\Delta\phi_1}{2}\right) \cos^2\left(\frac{\Delta\phi_2}{2}\right) + \cos^2\left(\frac{\Delta\phi_1}{2}\right) \sin^2\left(\frac{\Delta\phi_2}{2}\right) \right] \\ & + \left[\sin^2\left(\frac{\Delta\phi_3}{2}\right) \cos^2\left(\frac{\Delta\phi_4}{2}\right) + \cos^2\left(\frac{\Delta\phi_3}{2}\right) \sin^2\left(\frac{\Delta\phi_4}{2}\right) \right] \\ & + \left[\sin^2\left(\frac{\Delta\phi_5}{2}\right) \cos^2\left(\frac{\Delta\phi_6}{2}\right) + \cos^2\left(\frac{\Delta\phi_5}{2}\right) \sin^2\left(\frac{\Delta\phi_6}{2}\right) \right] \end{aligned}$$

MATLAB Results (Even Parity Generator)

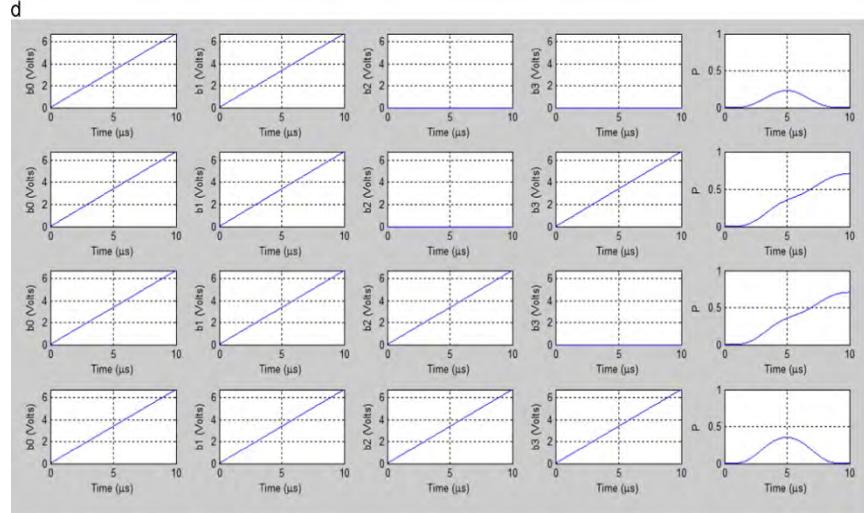
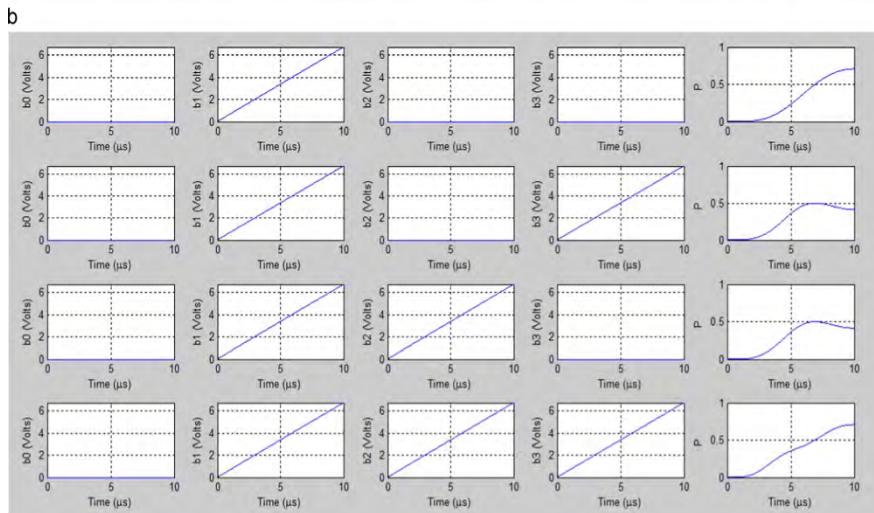
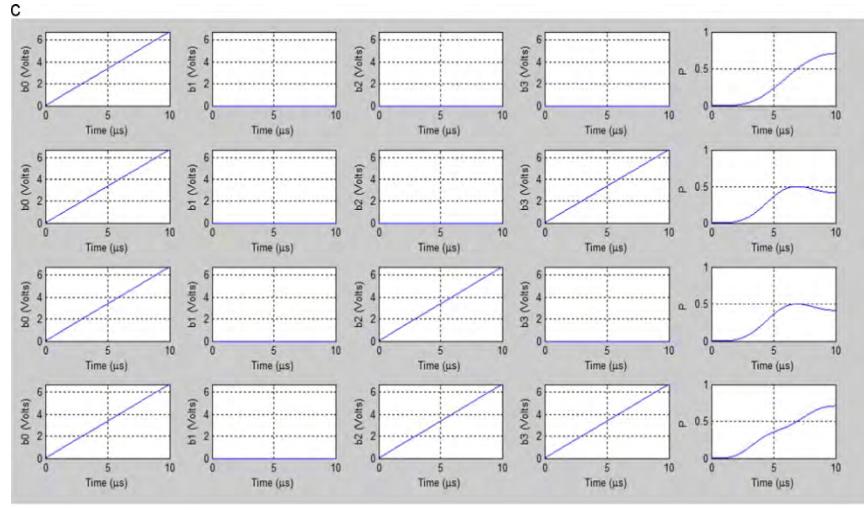
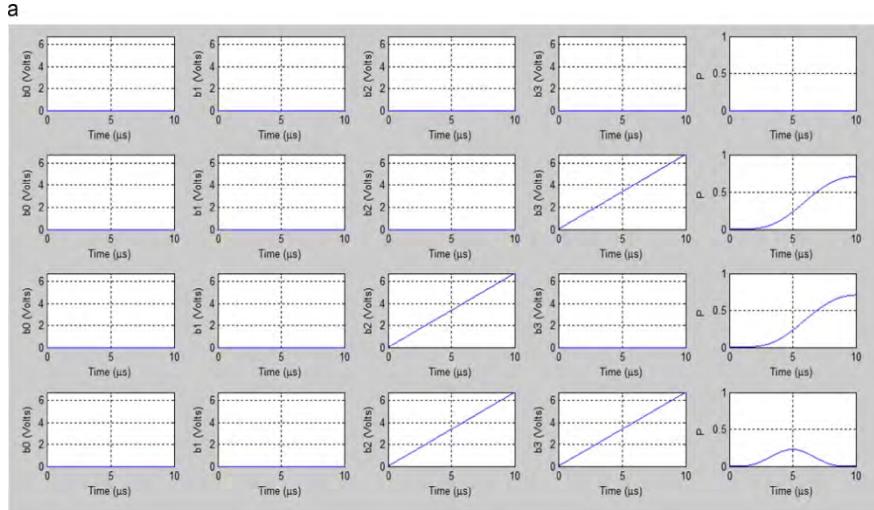


Figure: MATLAB simulation result of Even Parity generator where $B_3 B_2 B_1 B_0$ varies from 0000 to 1111

BPM Layout of Even Parity Generator

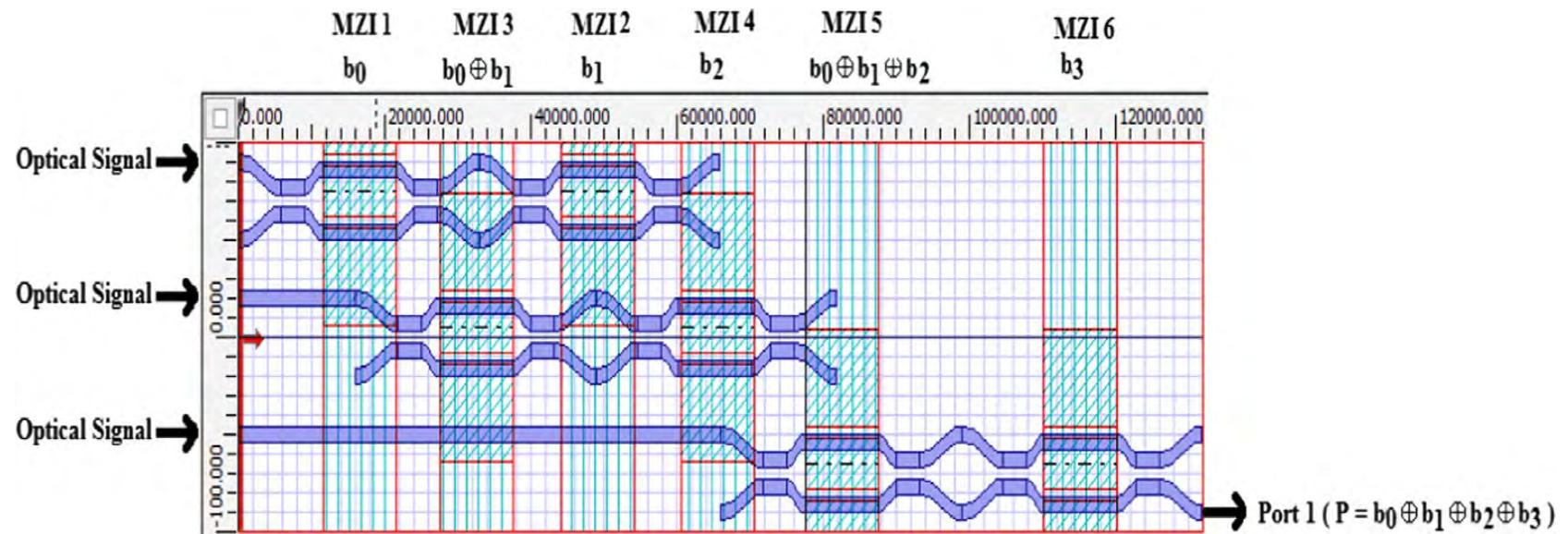


Figure: BPM layout of even parity generator.

Simulation Result from BPM (Even Parity Generator)

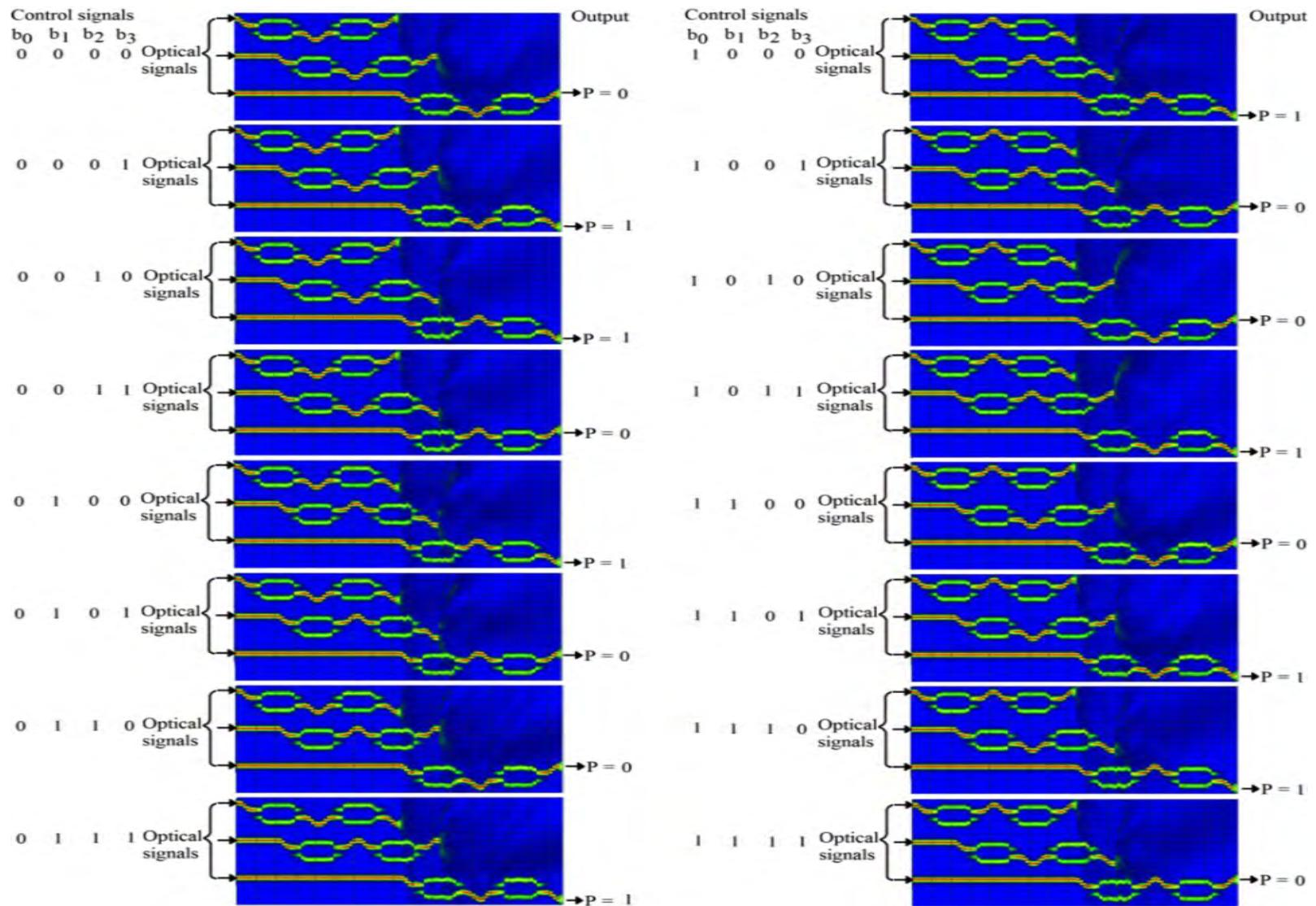


Figure: BPM result to even parity generator where $b_0\ b_1\ b_2\ b_3$ varies from 0000 to 1111 .

Odd Parity Generator

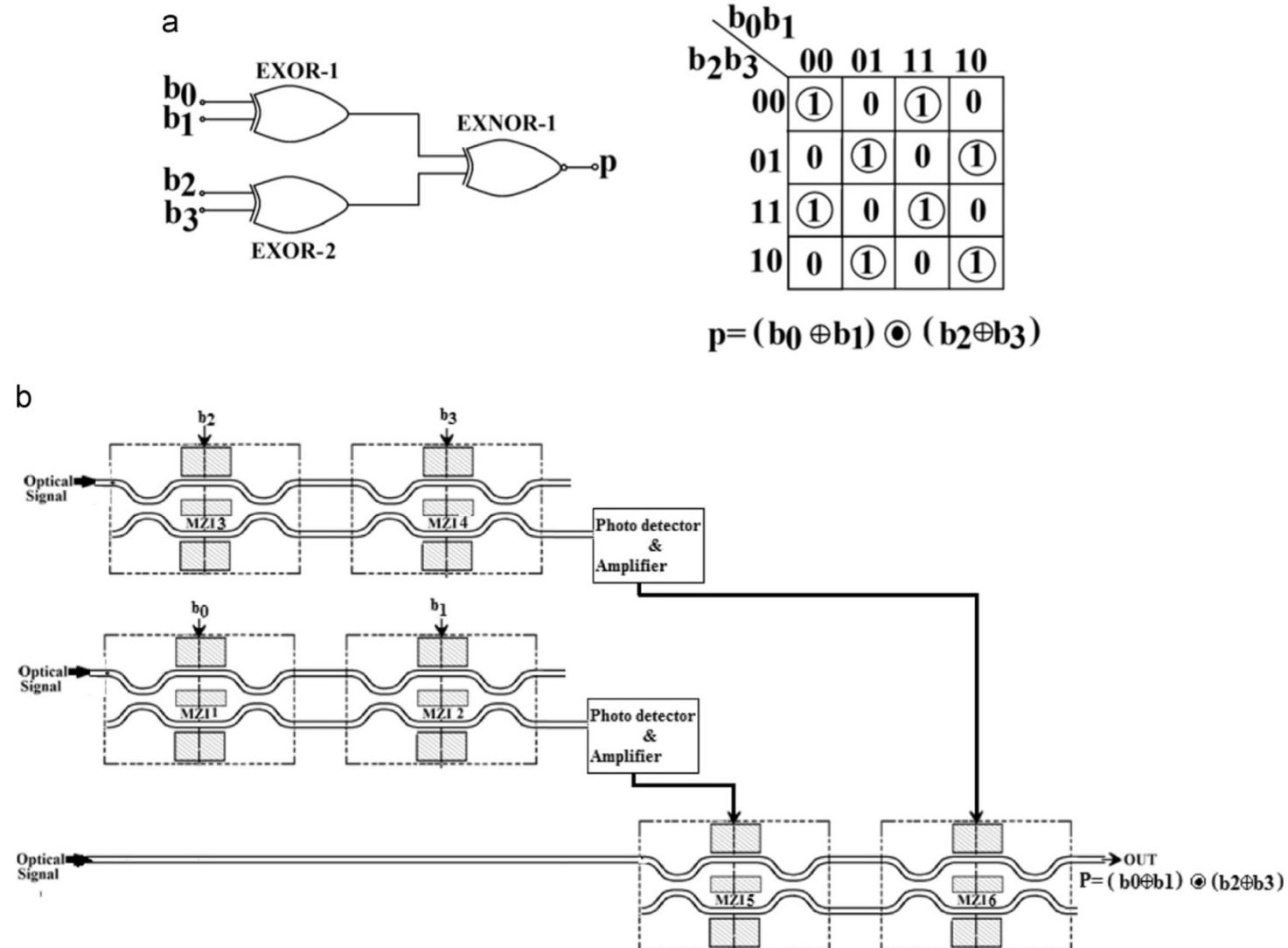


Figure: (a) Digital circuit and K-map of odd parity generator. (b) Schematic diagram of odd parity generator using MZIs.

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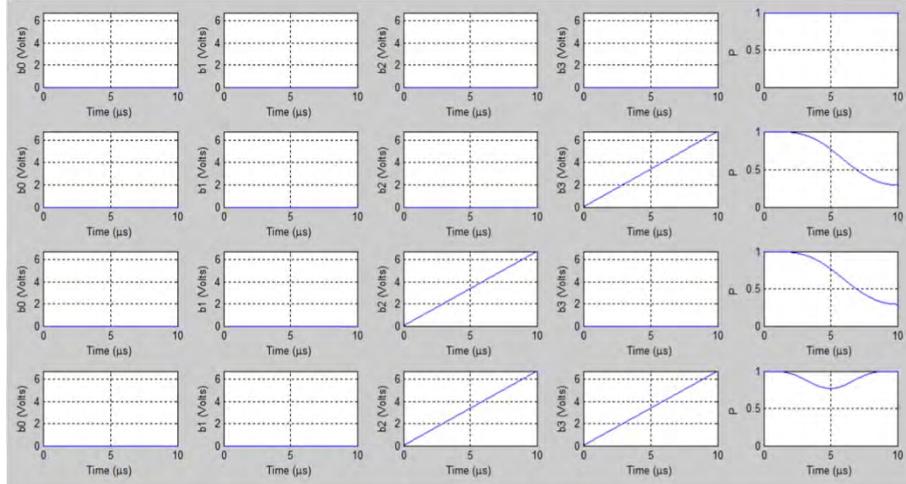
Mathematical Expression for Odd Parity Generator

For Odd Parity:

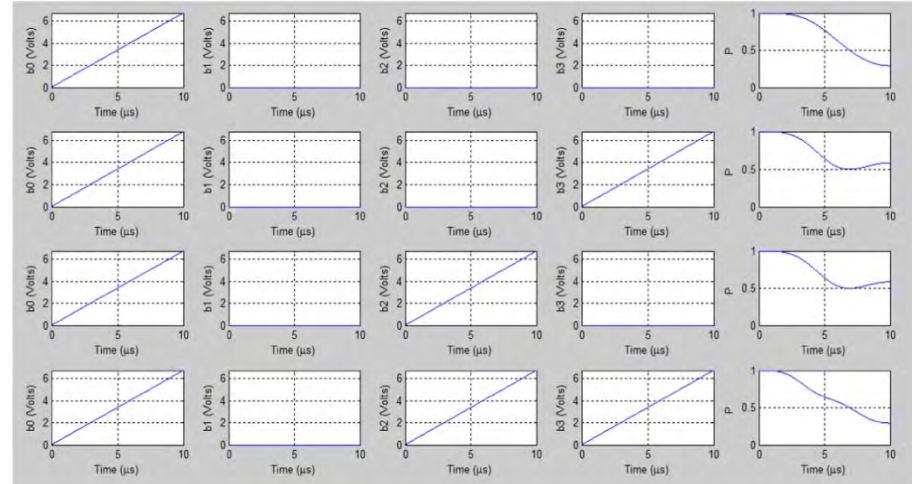
$$\begin{aligned} p = & \left[\sin^2\left(\frac{\Delta\phi_1}{2}\right) \cos^2\left(\frac{\Delta\phi_2}{2}\right) + \cos^2\left(\frac{\Delta\phi_1}{2}\right) \sin^2\left(\frac{\Delta\phi_2}{2}\right) \right] \\ & + \left[\sin^2\left(\frac{\Delta\phi_3}{2}\right) \cos^2\left(\frac{\Delta\phi_4}{2}\right) + \cos^2\left(\frac{\Delta\phi_3}{2}\right) \sin^2\left(\frac{\Delta\phi_4}{2}\right) \right] \\ & + \left[\sin^2\left(\frac{\Delta\phi_5}{2}\right) \sin^2\left(\frac{\Delta\phi_6}{2}\right) + \cos^2\left(\frac{\Delta\phi_5}{2}\right) \cos^2\left(\frac{\Delta\phi_6}{2}\right) \right] \end{aligned}$$

MATLAB Results (Odd Parity Generator)

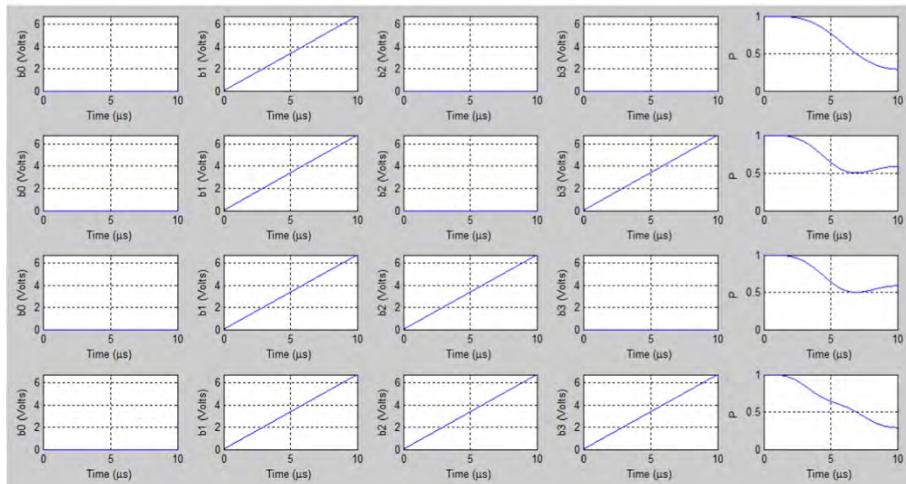
a



c



b



d

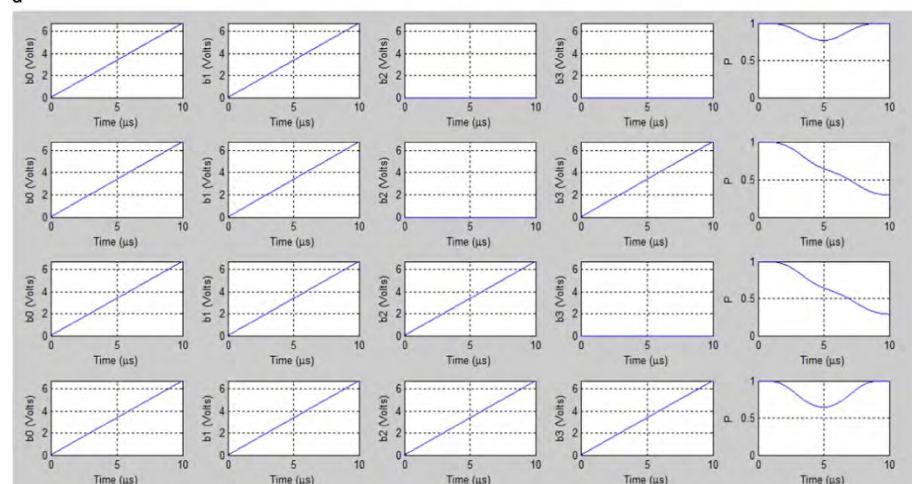


Figure: MATLAB simulation result of odd Parity generator where $B_3\ B_2\ B_1\ B_0$ varies from 0000 to 1111

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BPM Layout of Odd Parity Generator

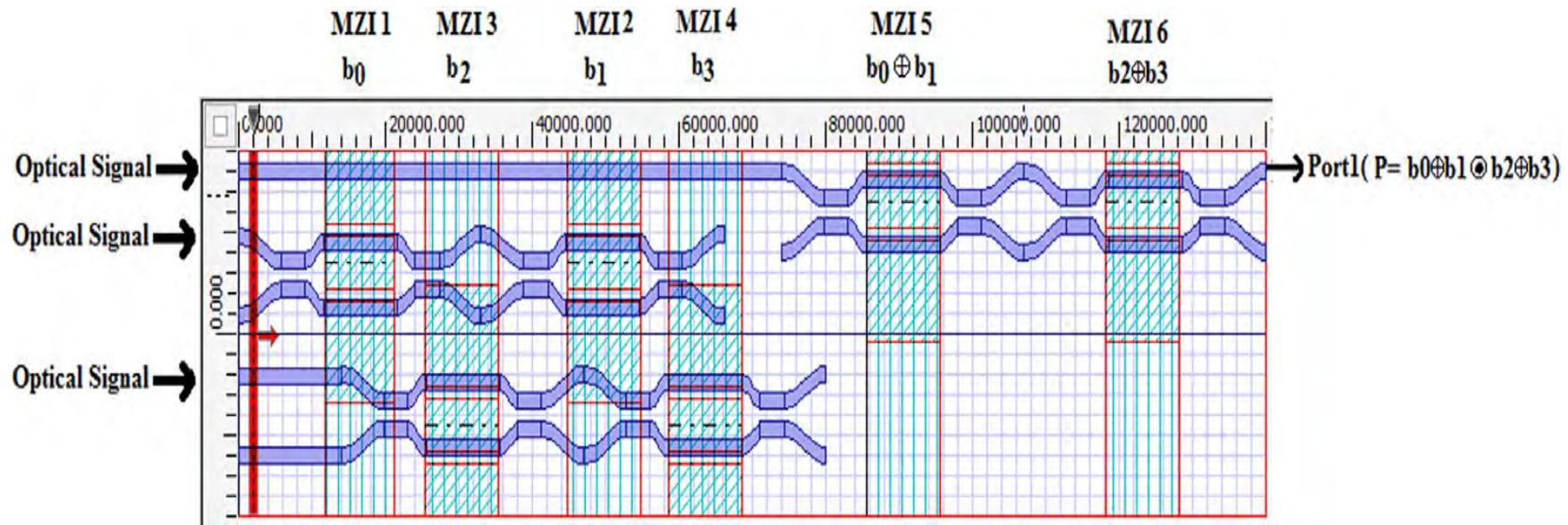


Figure: BPM layout of odd parity generator.

Simulation Result from BPM (Odd Parity Generator)

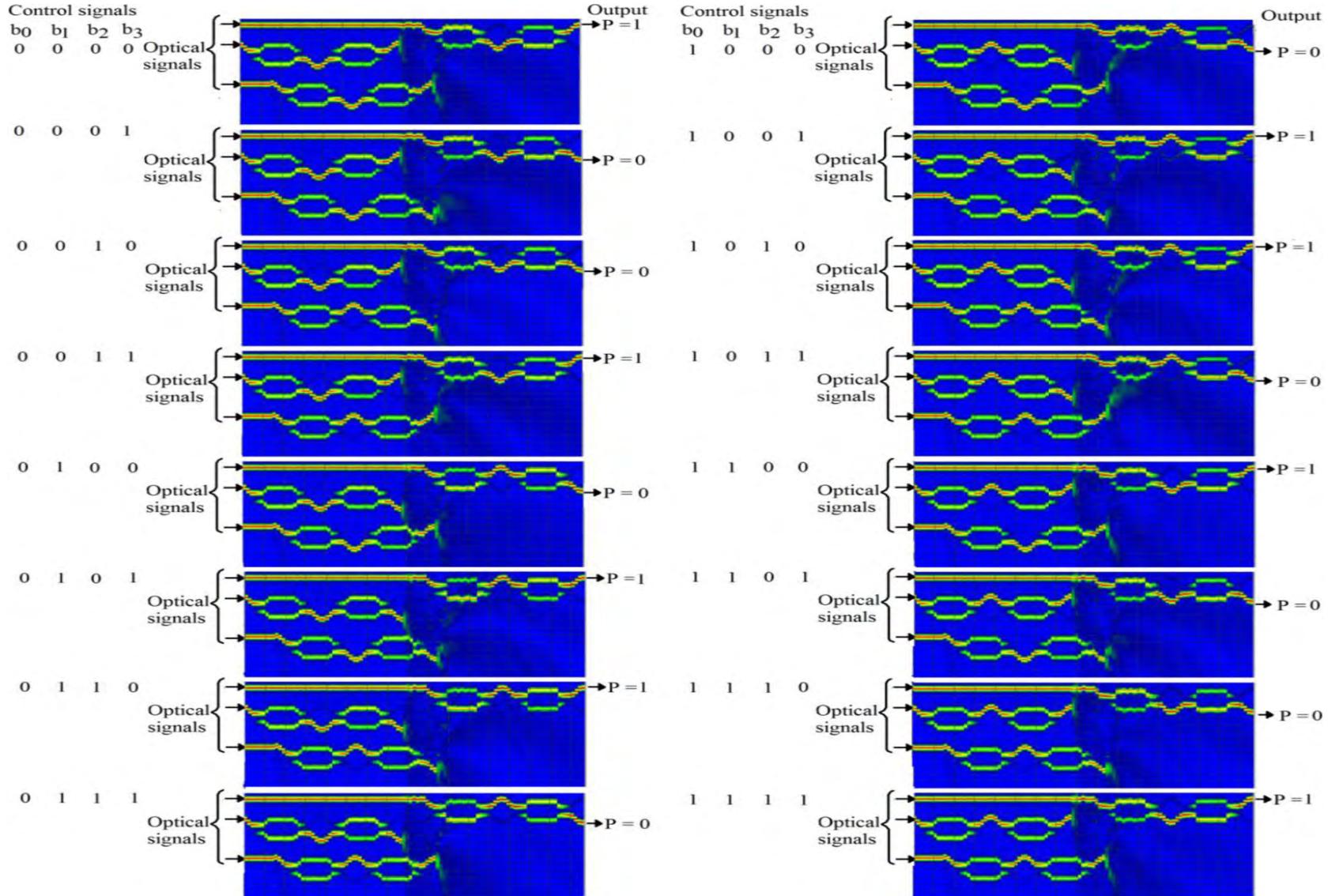


Figure: BPM result to even parity generator where $b_0 b_1 b_2 b_3$ varies from 0000 to1111 .

Even Parity Checker

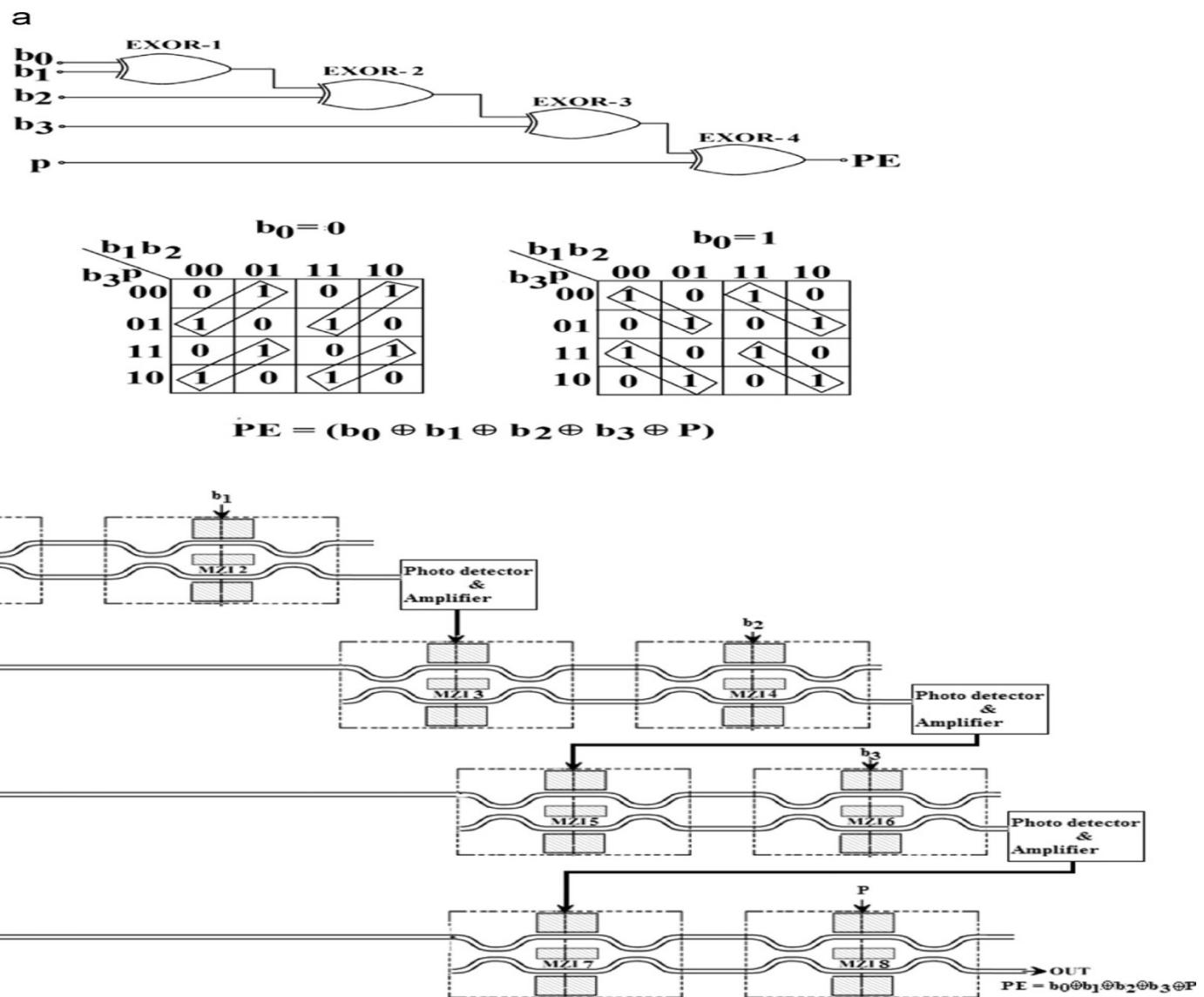


Figure: (a) Digital circuit and K-map of even parity checker (b) Schematic diagram of even parity checker using MZIs
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Mathematical Expression for Even Parity Checker

For Even Parity:

$$\begin{aligned} p = & \left[\sin^2\left(\frac{\Delta\phi_1}{2}\right) \cos^2\left(\frac{\Delta\phi_2}{2}\right) + \cos^2\left(\frac{\Delta\phi_1}{2}\right) \sin^2\left(\frac{\Delta\phi_2}{2}\right) \right] \\ & + \left[\sin^2\left(\frac{\Delta\phi_3}{2}\right) \cos^2\left(\frac{\Delta\phi_4}{2}\right) + \cos^2\left(\frac{\Delta\phi_3}{2}\right) \sin^2\left(\frac{\Delta\phi_4}{2}\right) \right] \\ & + \left[\sin^2\left(\frac{\Delta\phi_5}{2}\right) \sin^2\left(\frac{\Delta\phi_6}{2}\right) + \cos^2\left(\frac{\Delta\phi_5}{2}\right) \cos^2\left(\frac{\Delta\phi_6}{2}\right) \right] \\ & + \left[\sin^2\left(\frac{\Delta\phi_7}{2}\right) \cos^2\left(\frac{\Delta\phi_8}{2}\right) + \cos^2\left(\frac{\Delta\phi_7}{2}\right) \sin^2\left(\frac{\Delta\phi_8}{2}\right) \right] \end{aligned}$$

MATLAB Results (Even Parity Checker)

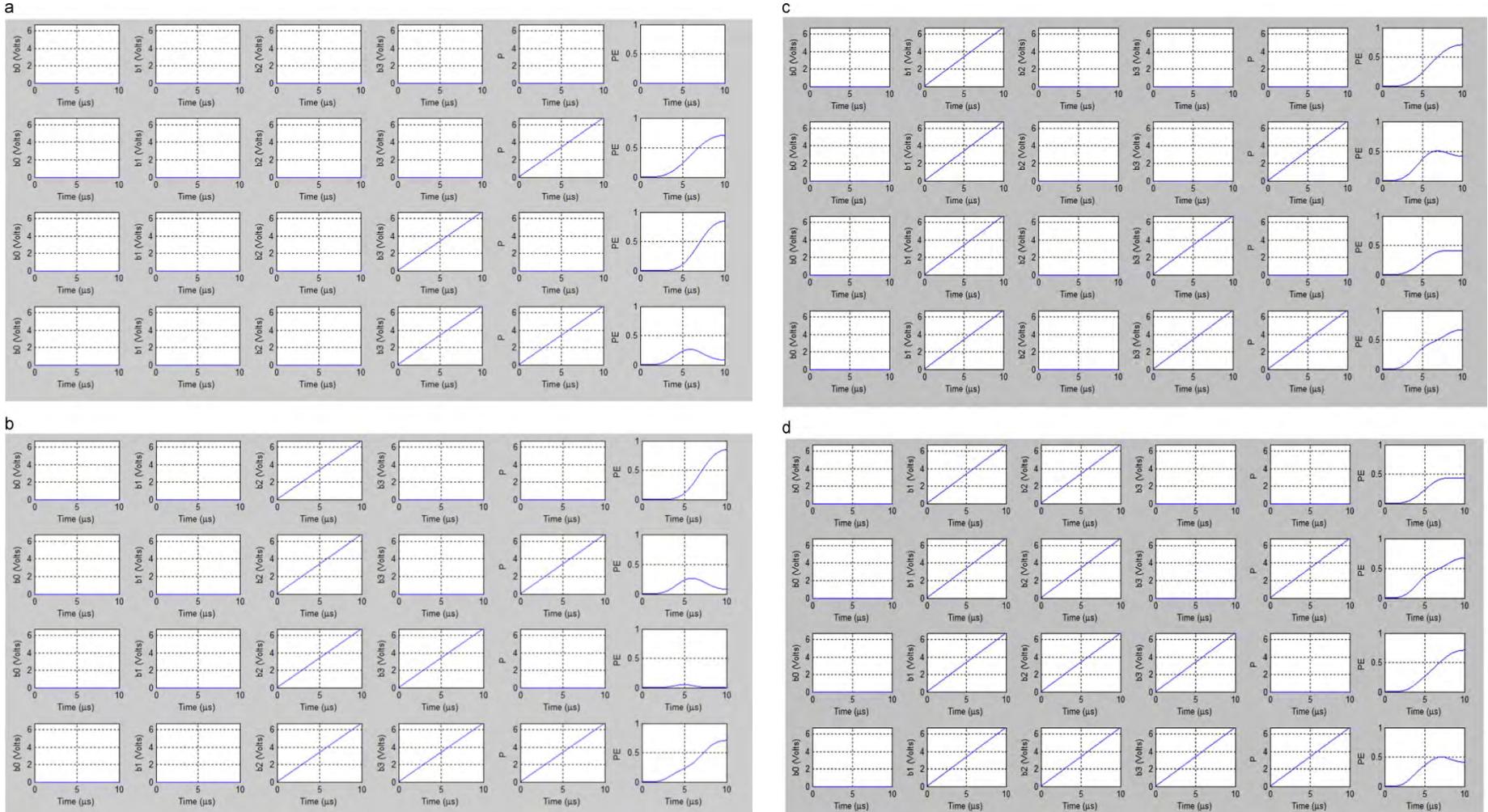


Figure: MATLAB simulation result of Even Parity Checker where $B_3\ B_2\ B_1\ B_0\ P$ varies from 00000 to 01111

Contd..

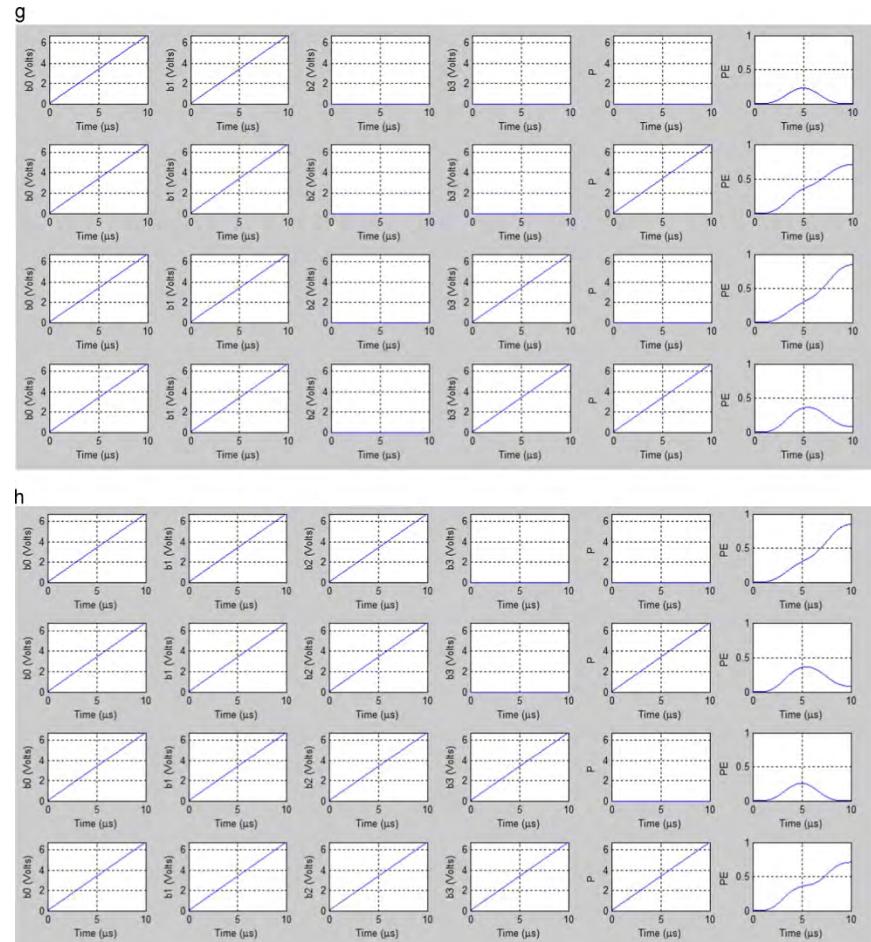
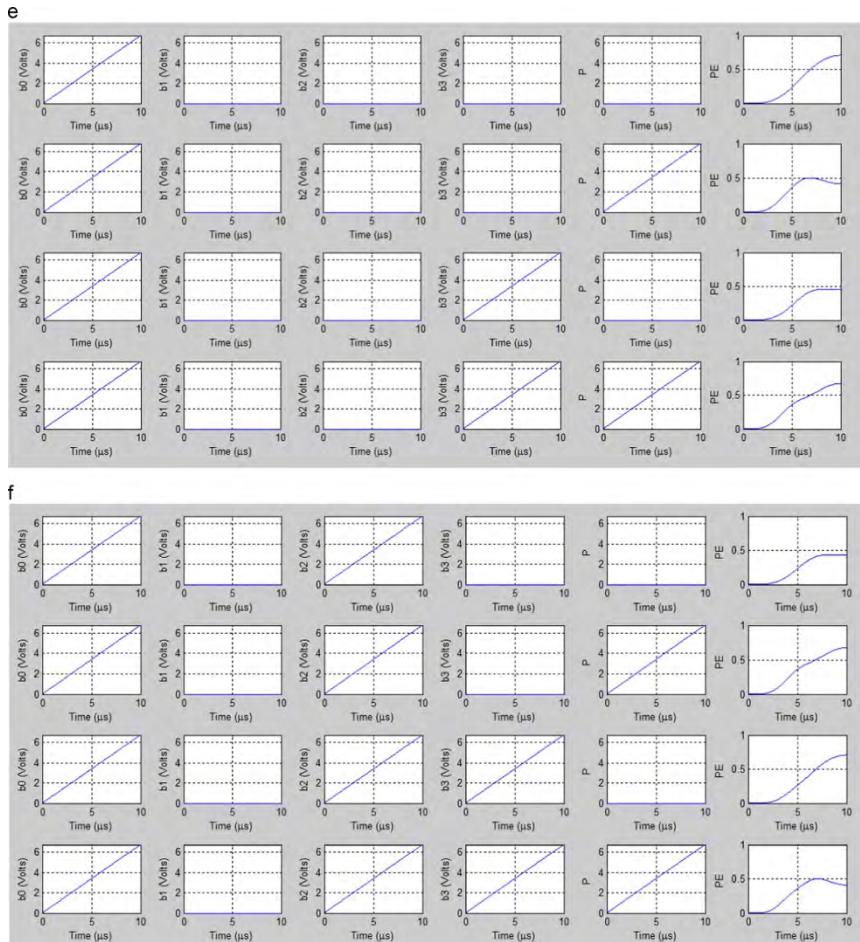


Figure: MATLAB simulation result of Even Parity Checker where $B_3\ B_2\ B_1\ B_0\ P$ varies from 10000 to 11111

BPM Layout of Even Parity Checker

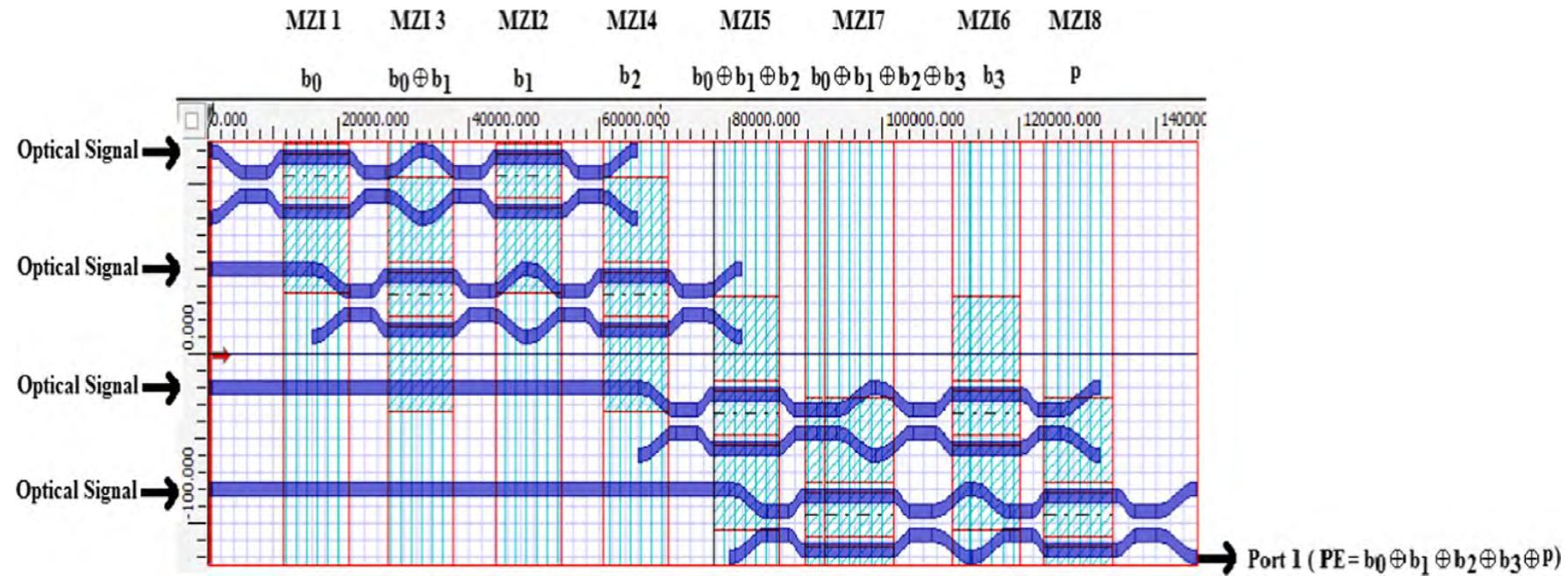
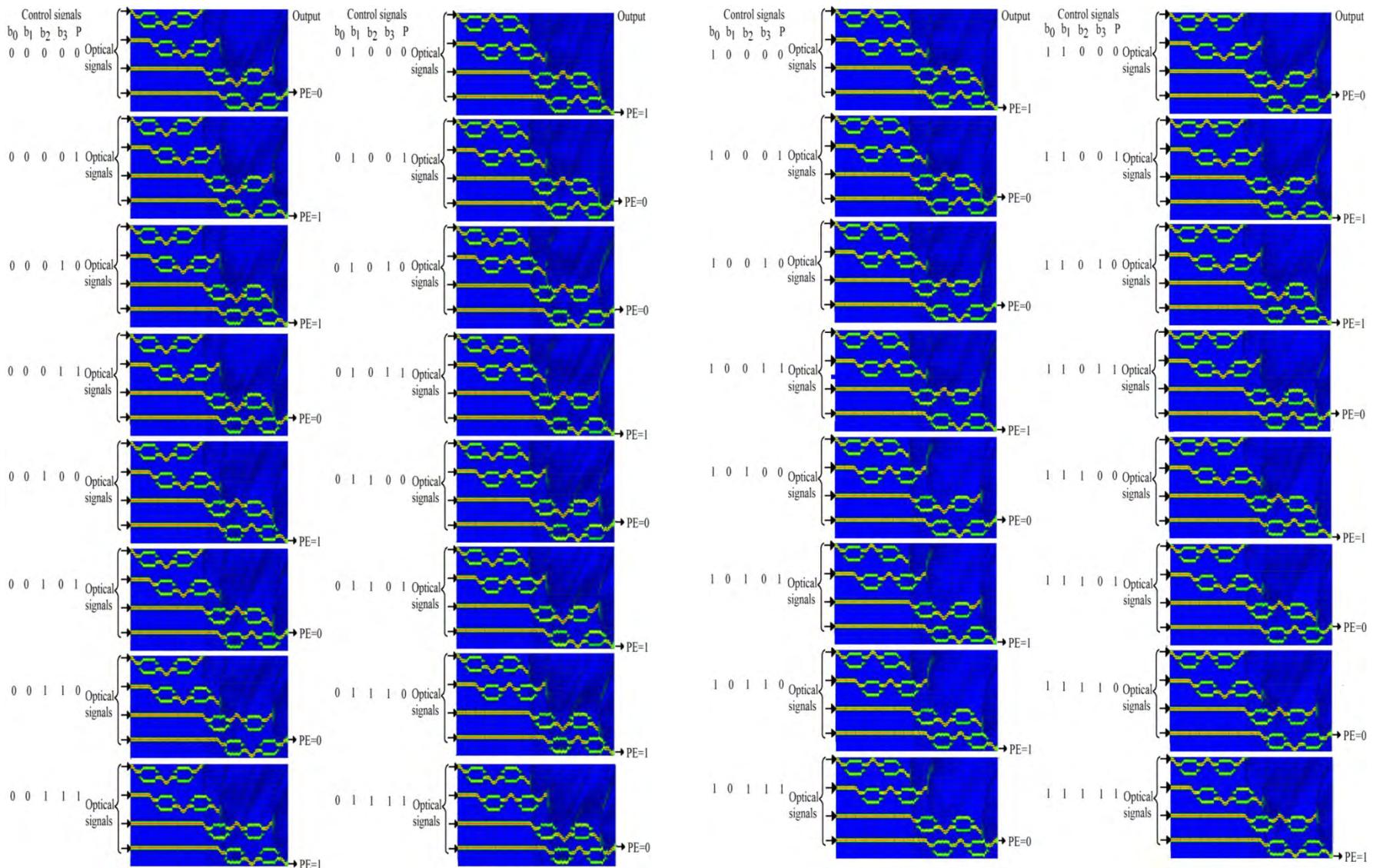


Figure: BPM layout of even parity checker.

Simulation Result from BPM (Even Parity Checker)



Odd Parity Checker

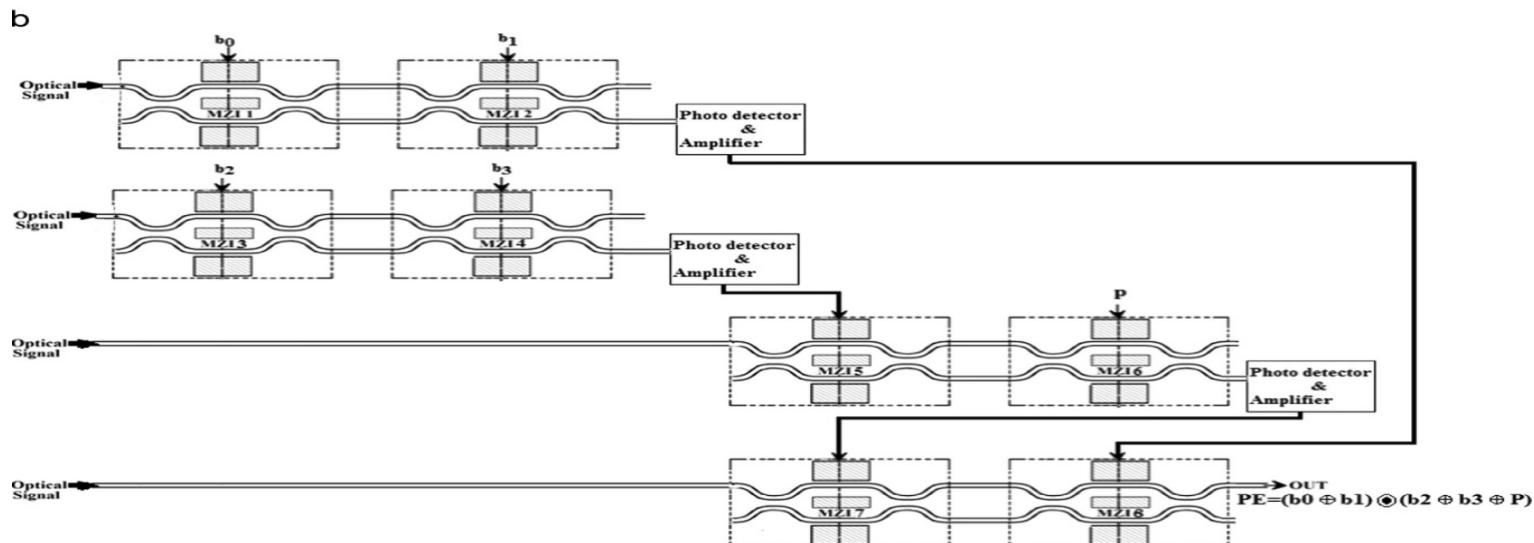
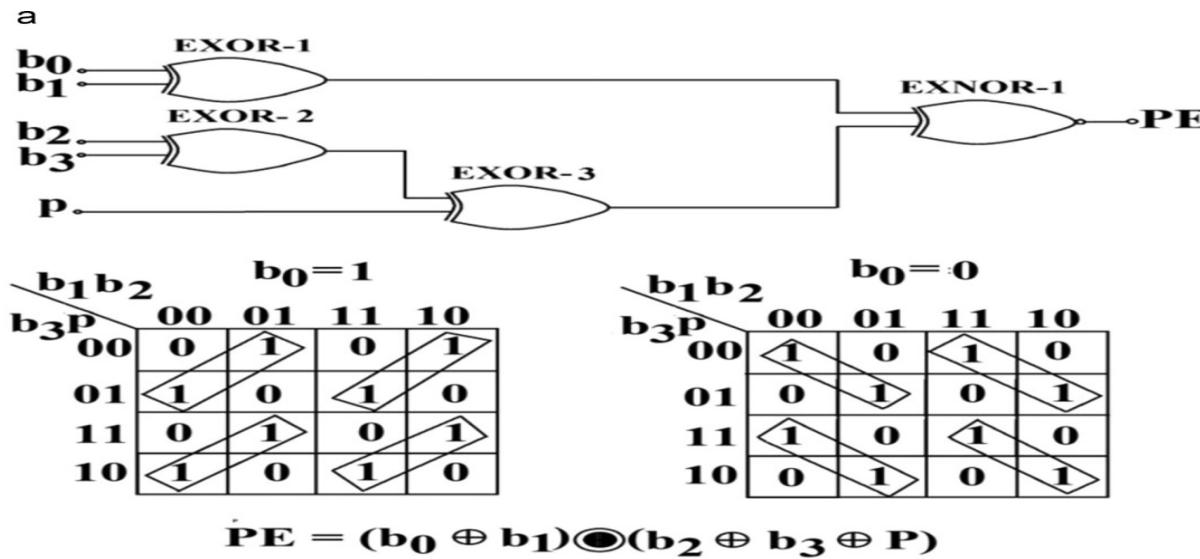


Figure: (a) Digital circuit and K-map of odd parity checker (b) Schematic diagram of odd parity checker using MZIs

Mathematical Expression for Odd parity Checker

For Odd Parity:

$$\begin{aligned} p = & \left[\sin^2\left(\frac{\Delta\phi_1}{2}\right) \cos^2\left(\frac{\Delta\phi_2}{2}\right) + \cos^2\left(\frac{\Delta\phi_1}{2}\right) \sin^2\left(\frac{\Delta\phi_2}{2}\right) \right] \\ & + \left[\sin^2\left(\frac{\Delta\phi_3}{2}\right) \cos^2\left(\frac{\Delta\phi_4}{2}\right) + \cos^2\left(\frac{\Delta\phi_3}{2}\right) \sin^2\left(\frac{\Delta\phi_4}{2}\right) \right] \\ & + \left[\sin^2\left(\frac{\Delta\phi_5}{2}\right) \cos^2\left(\frac{\Delta\phi_6}{2}\right) + \cos^2\left(\frac{\Delta\phi_5}{2}\right) \sin^2\left(\frac{\Delta\phi_6}{2}\right) \right] \\ & + \left[\sin^2\left(\frac{\Delta\phi_7}{2}\right) \sin^2\left(\frac{\Delta\phi_8}{2}\right) + \cos^2\left(\frac{\Delta\phi_7}{2}\right) \cos^2\left(\frac{\Delta\phi_8}{2}\right) \right] \end{aligned}$$

MATLAB Results (Odd Parity Checker)

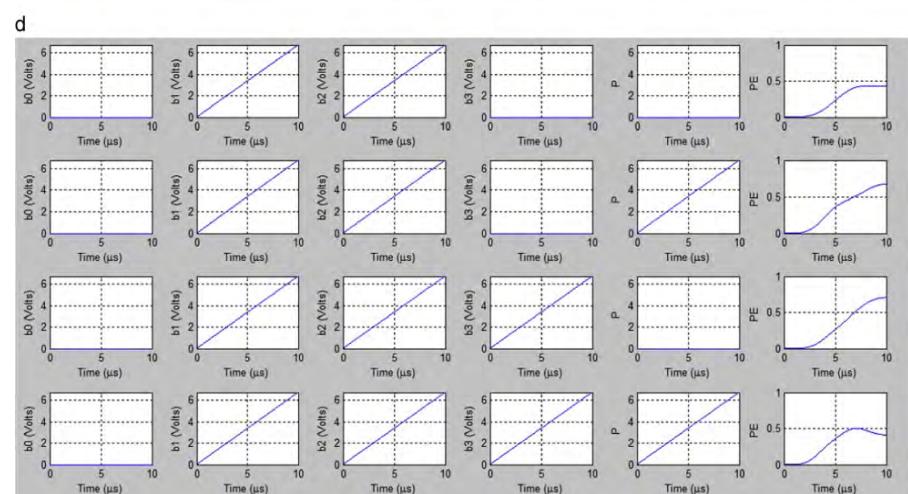
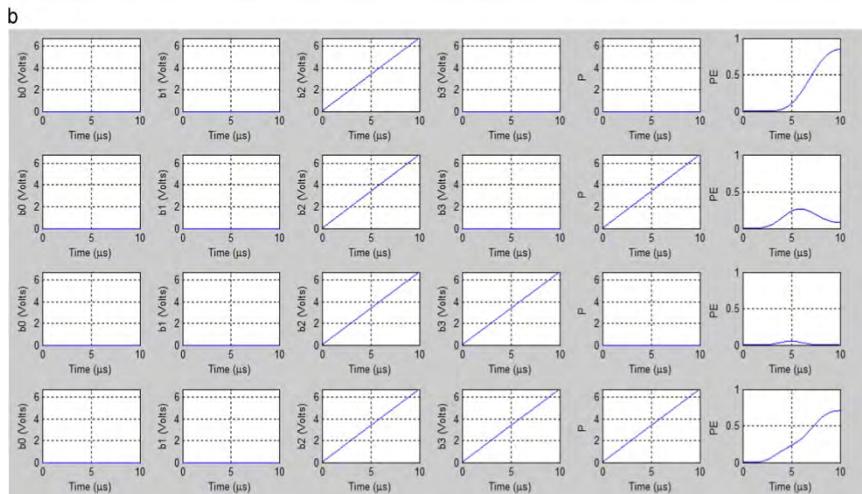
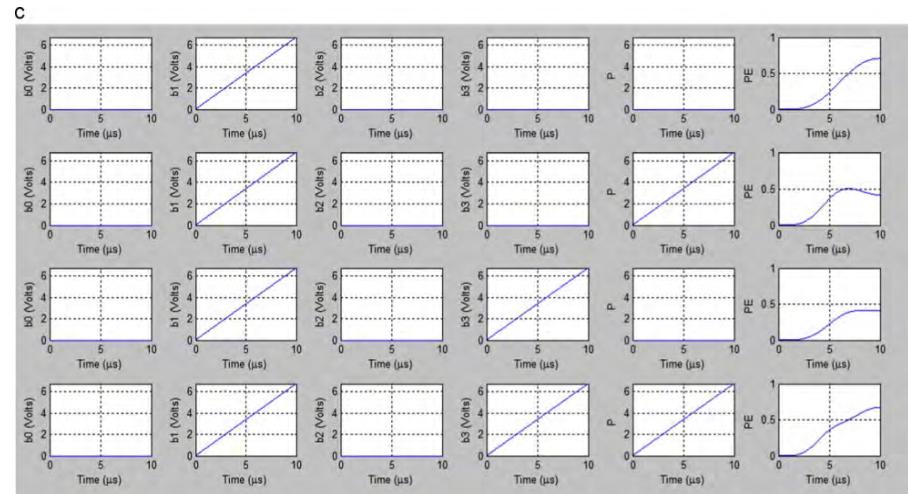
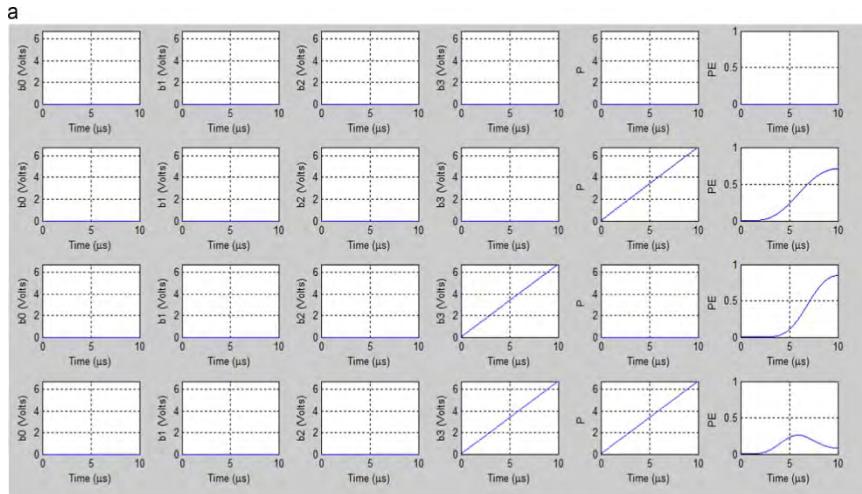
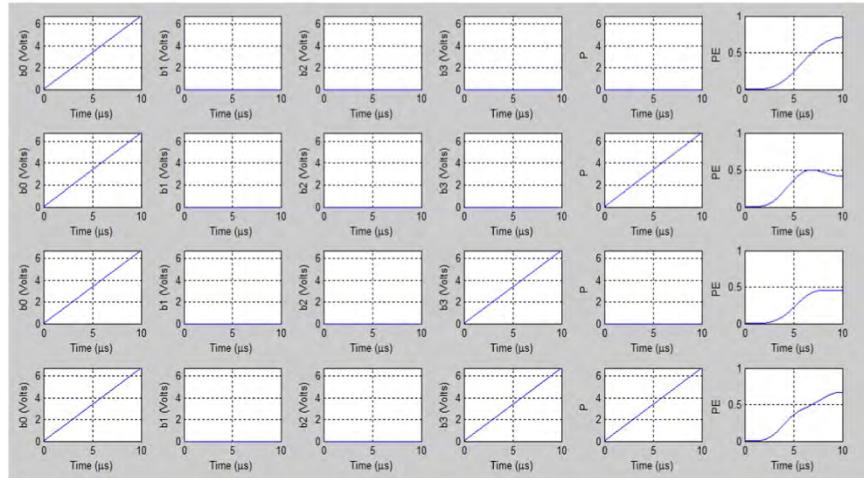


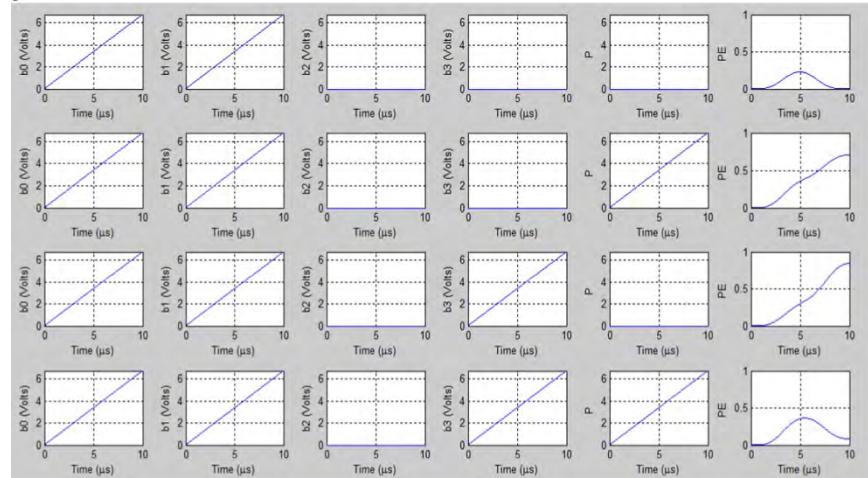
Figure: MATLAB simulation result of Odd Parity Checker where $B_3\ B_2\ B_1\ B_0\ P$ varies from 00000 to 01111

Contd..

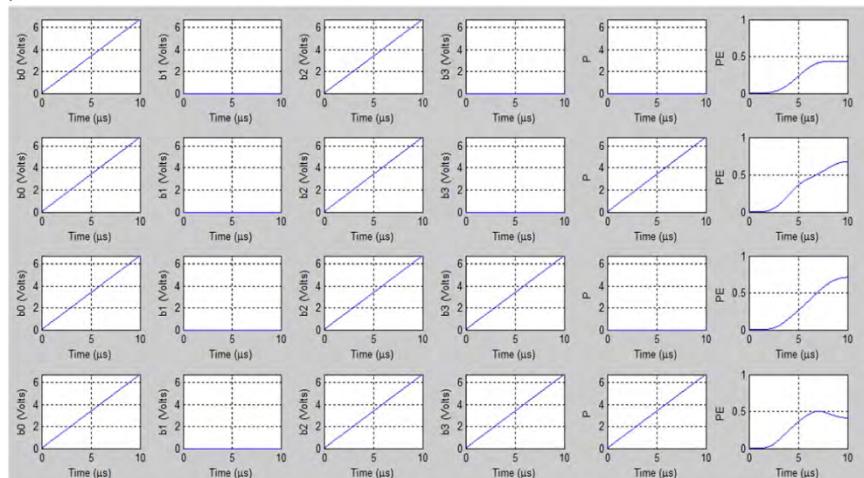
e



g



f



h

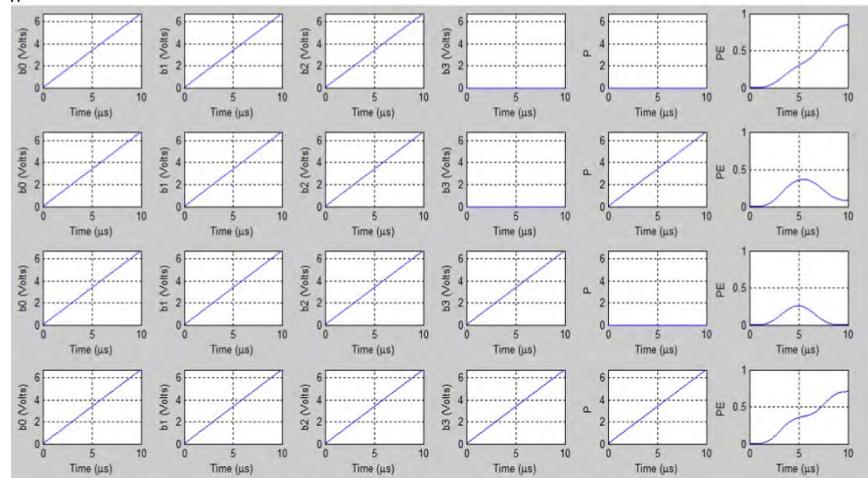


Figure: MATLAB simulation result of Odd Parity Checker where $B_3 B_2 B_1 B_0 P$ varies from 10000 to 11111

BPM Layout of Odd Parity Checker

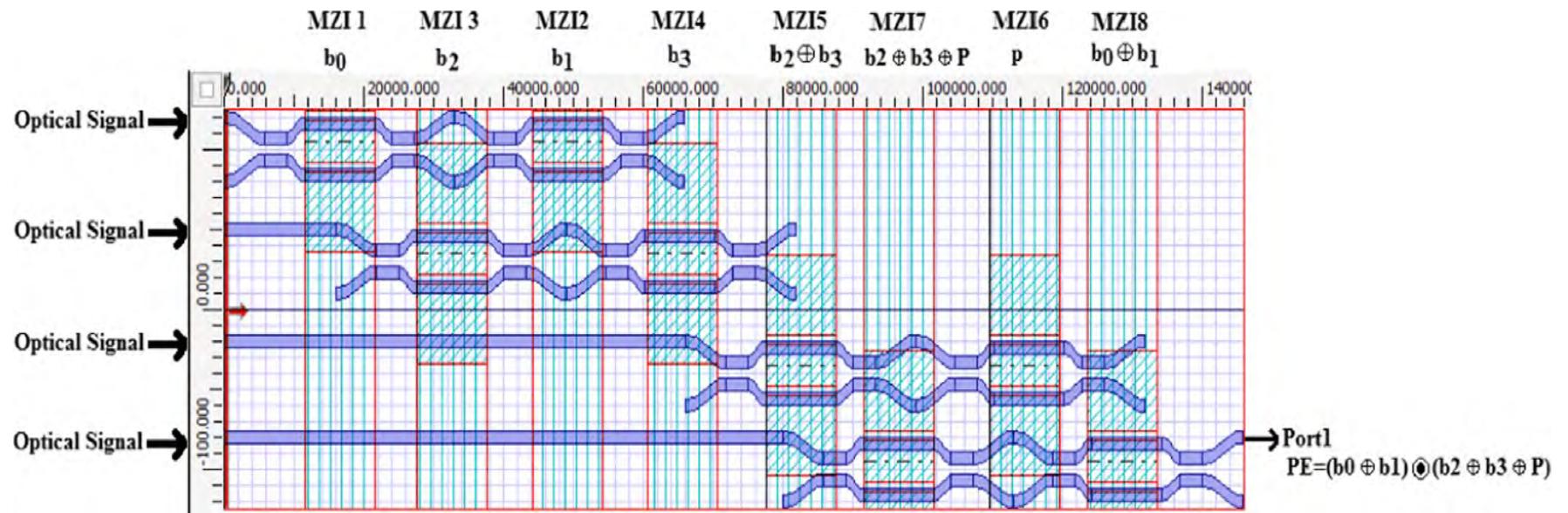


Figure: BPM layout of odd parity checker.

Simulation Result from BPM (Odd Parity Checker)

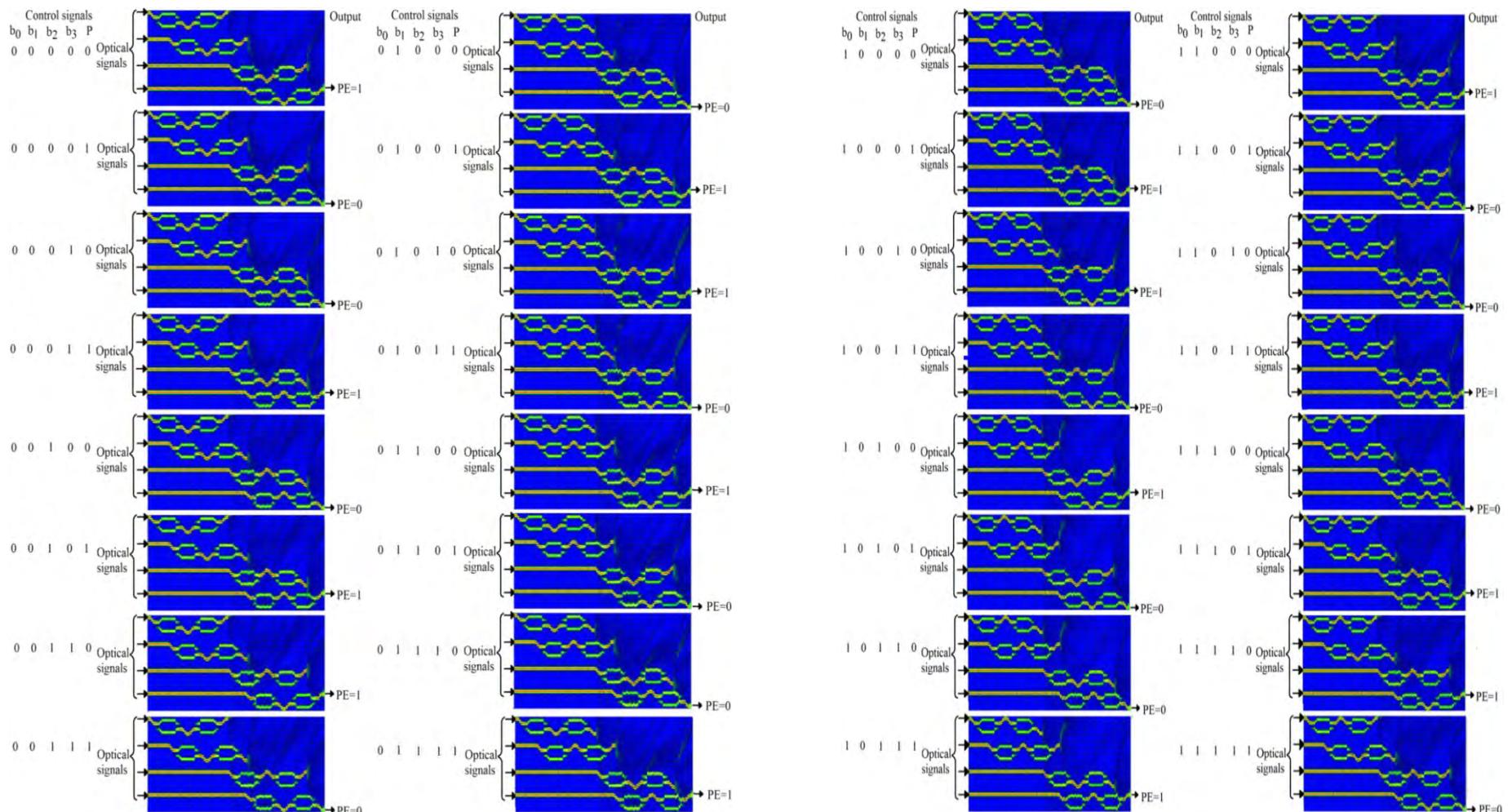


Figure: MATLAB simulation result of Odd Parity Checker where $B_3\ B_2\ B_1\ B_0\ P$ varies from 10000 to 11111

Design of BCD to Excess-3 code converter

Santosh Kumar et. al., Frontier in Optics/Laser sources (FiO/LS-2016), paper JW4A.33,
Rochester, New York, United States, 17-21 October 2016.

BCD to Excess-3 code converter

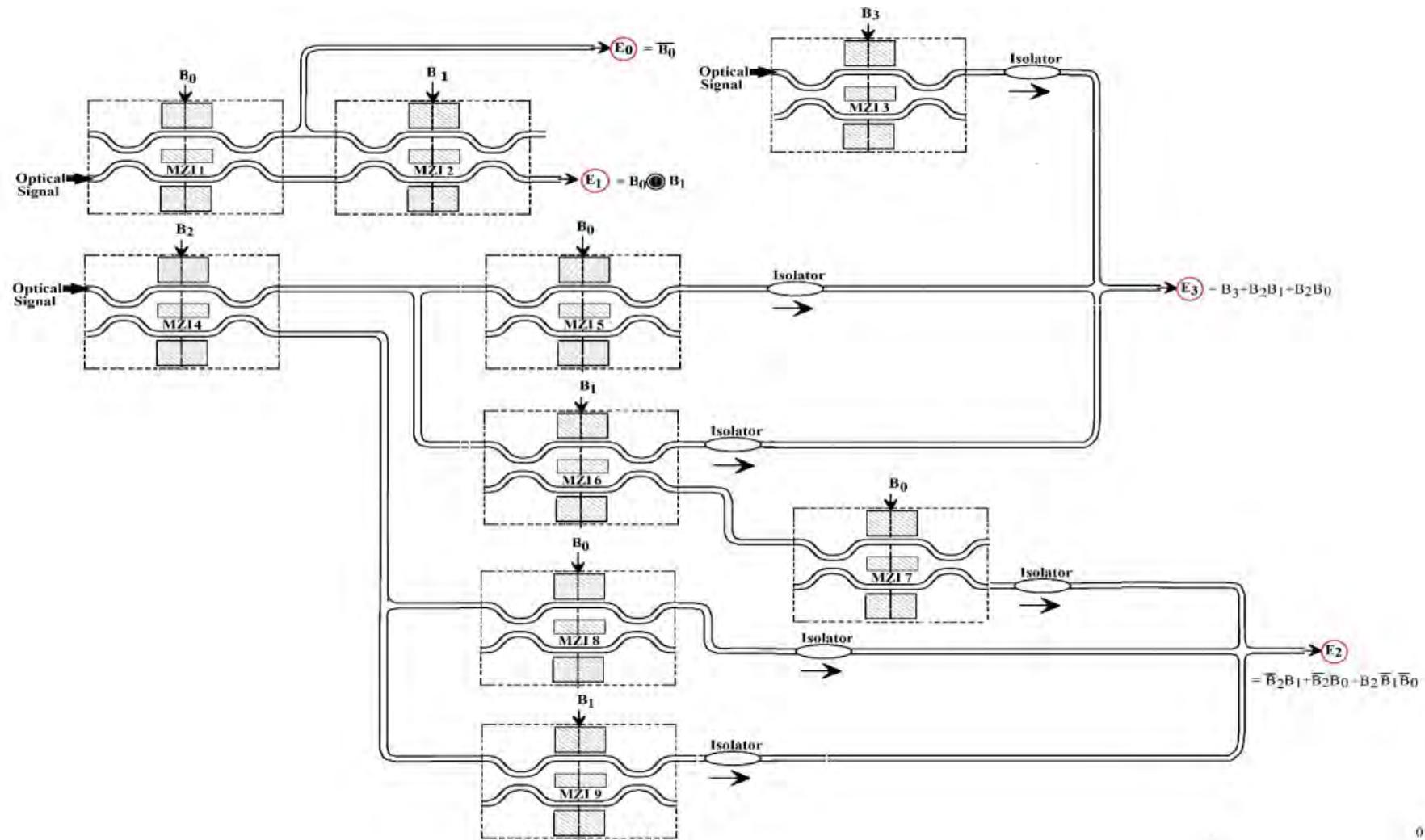


Figure: Schematic diagram of BCD to excess 3 code converter

MATLAB Results for BCD to Excess 3 code converter

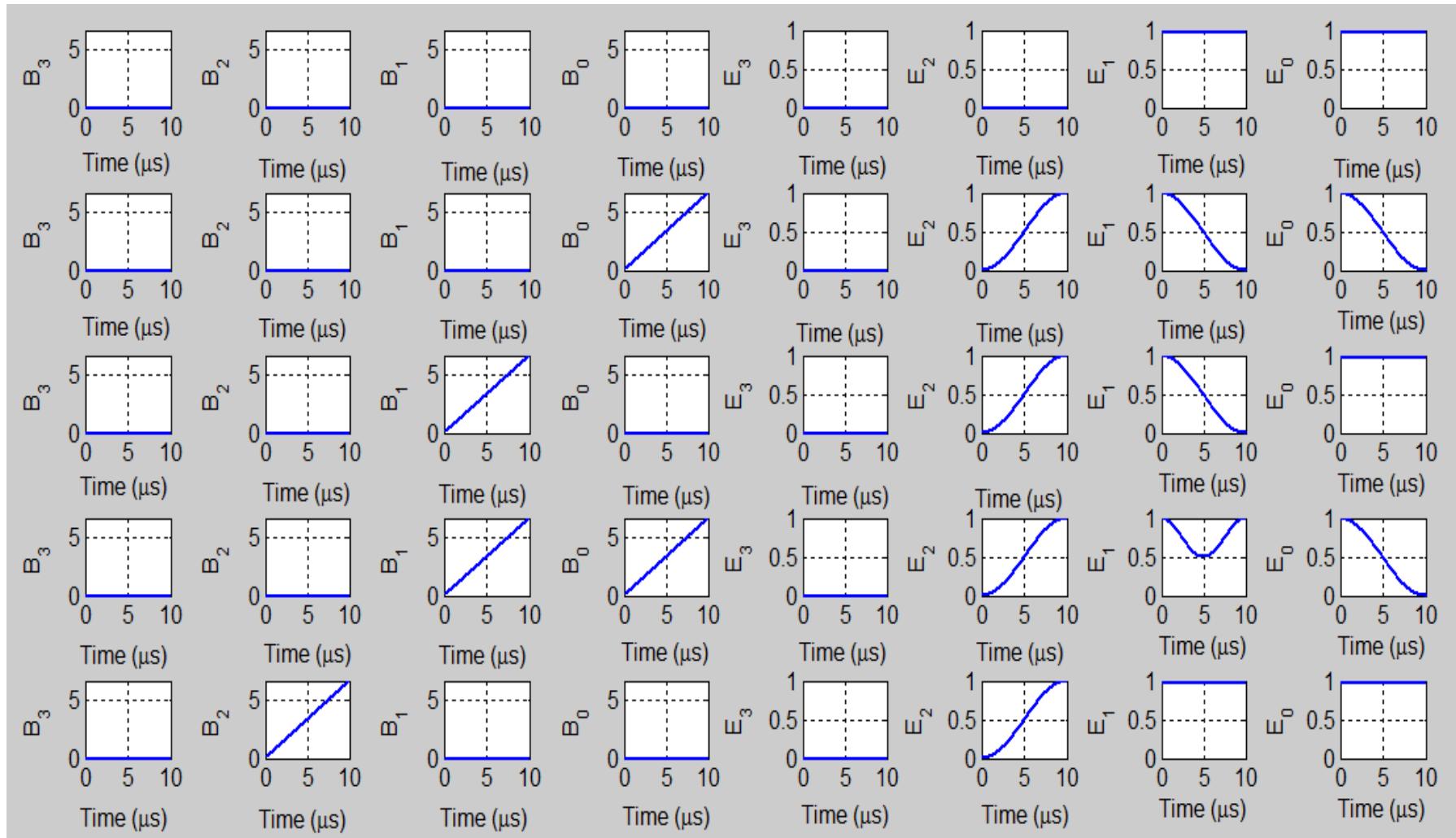


Figure: MATLAB simulation result of BCD to Excess-3 code converter where $B_3 B_2 B_1 B_0$ varies from 0000 to 0100

BPM Simulation Result

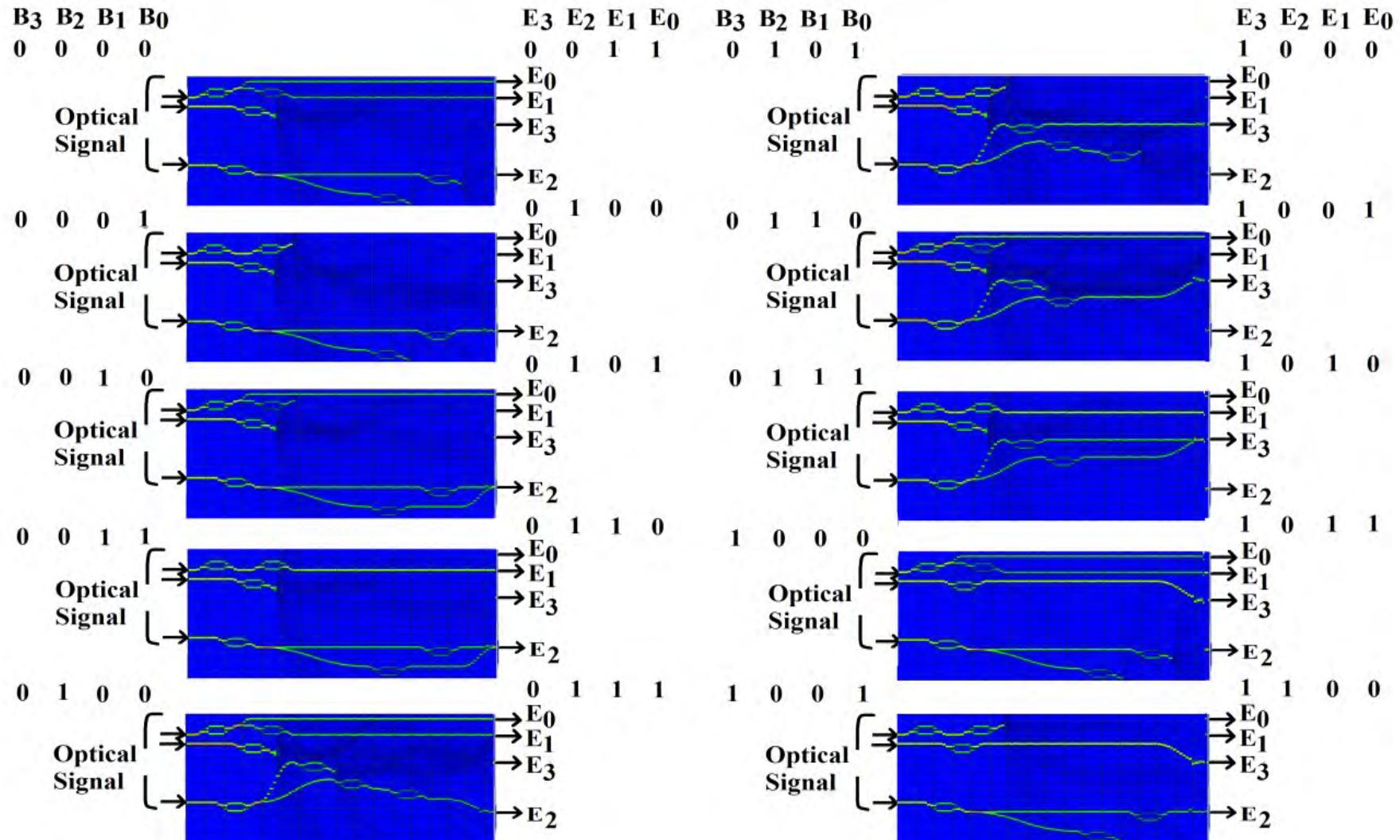
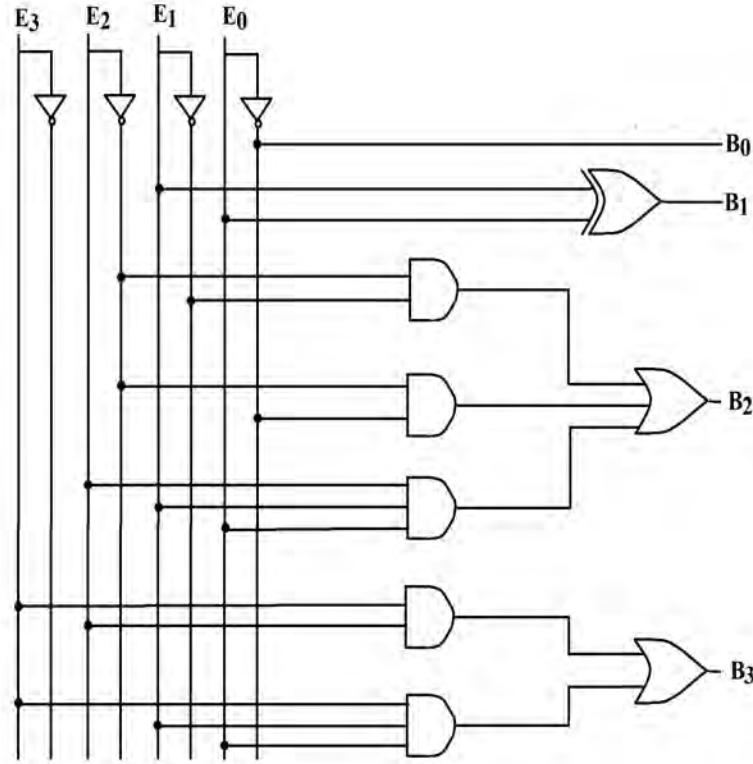


Figure: BPM result of BCD to Excess-3 code converter where $B_3 B_2 B_1 B_0$ varies from 0000 to 1001

Design of Excess 3 to BCD code converter

Santosh Kumar et. al., Proc. SPIE 9889, Optical Modelling and Design IV, SPIE Photonics Europe 2016, Brussels, Belgium, PP. 98890E (April 4-7, 2016).

Excess-3 to BCD code converter



E ₃	E ₂	E ₁	E ₀	B ₀	B ₁	B ₂	B ₃
0	0	0	0	1	1	X	1
0	0	0	1	0	0	X	0
0	0	1	0	0	0	X	X
0	0	1	1	1	1	X	X
1	0	0	0	X	X	X	X
1	0	0	1	X	1	X	1
1	0	1	0	X	1	X	1
1	0	1	1	X	X	X	X

E ₃	E ₂	E ₁	E ₀	B ₀	B ₁	B ₂	B ₃
0	0	0	0	X	0	0	1
0	0	0	1	X	0	X	1
0	0	1	0	0	1	X	0
0	0	1	1	1	X	X	1
1	0	0	0	X	X	X	X
1	0	0	1	X	1	X	1
1	0	1	0	X	1	X	1
1	0	1	1	X	X	X	X

$$B_2 = \overline{E_2} \overline{E_1} + \overline{E_2} \overline{E_0} + E_2 E_1 E_0$$

E ₃	E ₂	E ₁	E ₀	B ₀	B ₁	B ₂	B ₃
0	0	0	0	X	0	1	0
0	0	0	1	X	0	X	0
0	0	1	0	0	1	X	0
0	0	1	1	1	X	X	1
1	0	0	0	X	X	X	X
1	0	0	1	X	1	X	1
1	0	1	0	X	1	X	1
1	0	1	1	X	X	X	X

$$B_3 = E_3 E_2 + E_3 E_1 E_0$$

Figure: Digital circuits and Schematic diagram of K-map of excess 3 to BCD code converter.

Excess-3 to BCD code converter

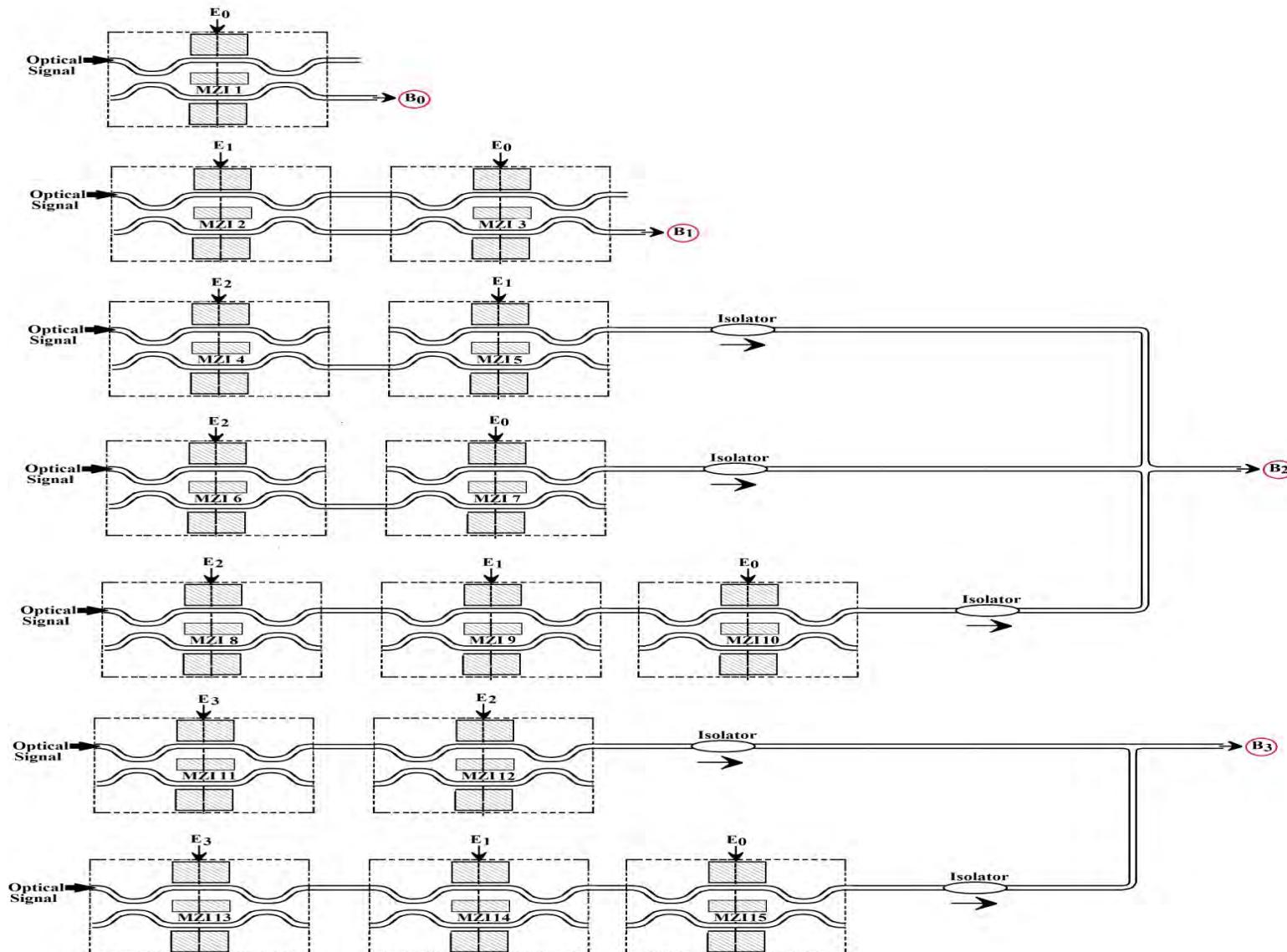


Figure: Schematic diagram of excess 3 to BCD code converter using MZIs

Dr. Santosh Kumar

Mathematical Expression for Excess 3 to BCD code converter

P_0, P_1, P_2, P_3 is output power calculated for B_0, B_1, B_2, B_3 respectively.

$$P_0 = \cos^2\left(\frac{\Delta\phi_{MZI1}}{2}\right)$$

$$P_1 = \sin^2\left(\frac{\Delta\phi_{MZI2}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) + \cos^2\left(\frac{\Delta\phi_{MZI2}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI3}}{2}\right)$$

$$\begin{aligned} P_2 = & \cos^2\left(\frac{\Delta\phi_{MZI4}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI5}}{2}\right) + \cos^2\left(\frac{\Delta\phi_{MZI6}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI7}}{2}\right) \\ & + \sin^2\left(\frac{\Delta\phi_{MZI8}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI9}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI10}}{2}\right) \end{aligned}$$

$$\begin{aligned} P_3 = & \sin^2\left(\frac{\Delta\phi_{MZI11}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI12}}{2}\right) \\ & + \sin^2\left(\frac{\Delta\phi_{MZI13}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI14}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI15}}{2}\right) \end{aligned}$$

MATLAB Results for Excess 3 to BCD code converter

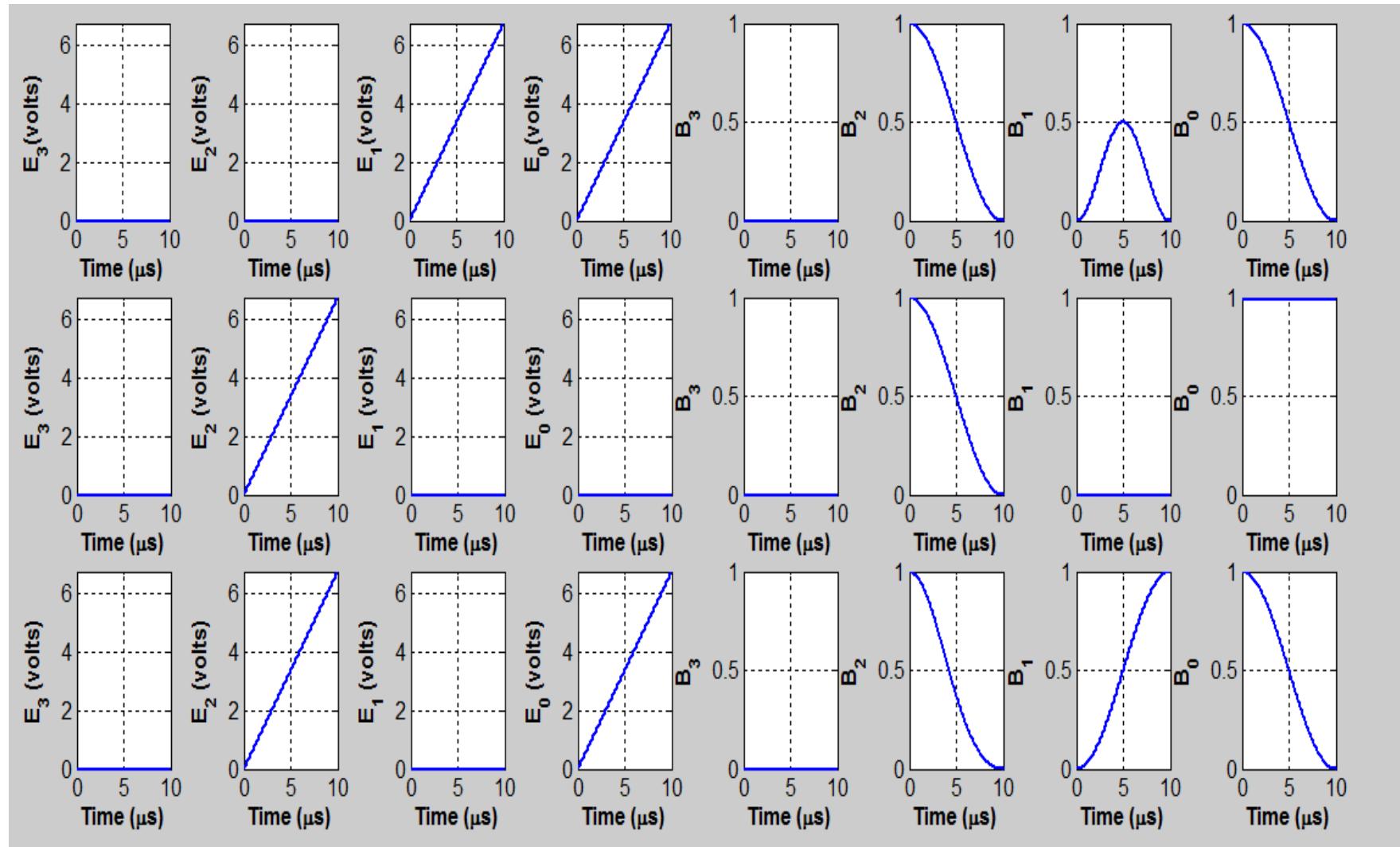


Figure: MATLAB simulation result of Excess 3 to BCD code converter where $E_3 E_2 E_1 E_0$ varies from 0011 to 0101

Contd..

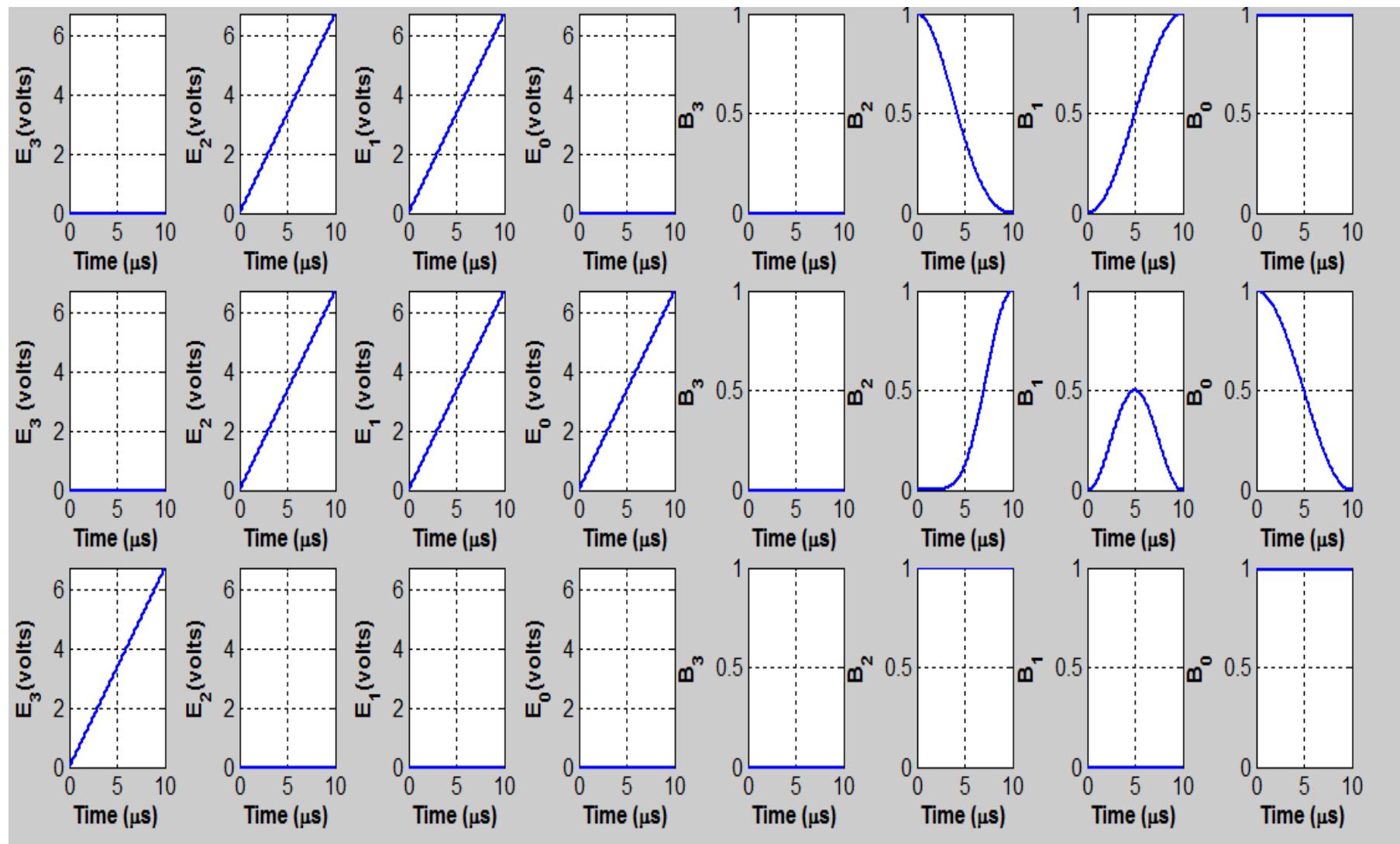


Figure: MATLAB simulation result of Excess 3 to BCD code converter where $E_3 E_2 E_1 E_0$ varies from 0110 to 1000

Contd..

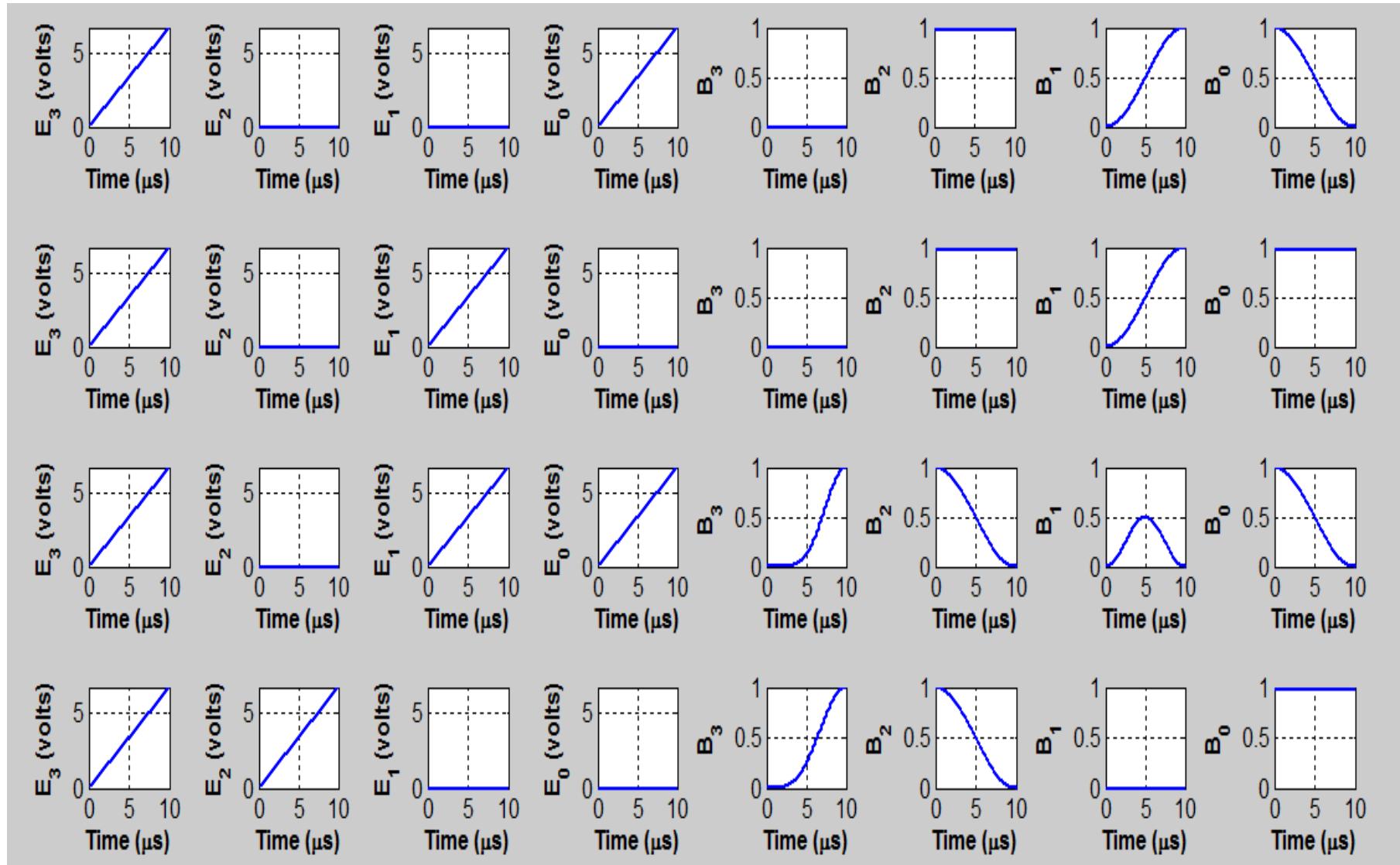


Figure: MATLAB simulation result of Excess 3 to BCD code converter where $E_3 E_2 E_1 E_0$ varies from 1001 to 1100

BPM Layout of Excess 3 to code converter

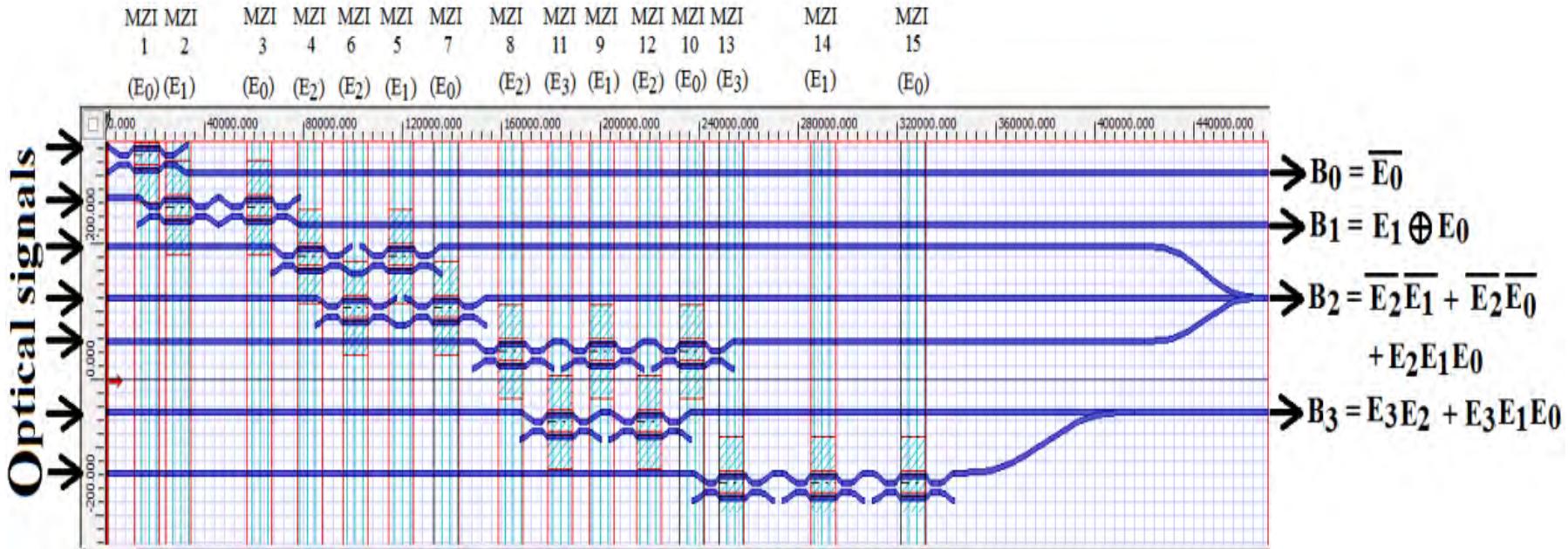


Figure: BPM layout of Excess-3 to BCD code converter

BPM Simulation Result

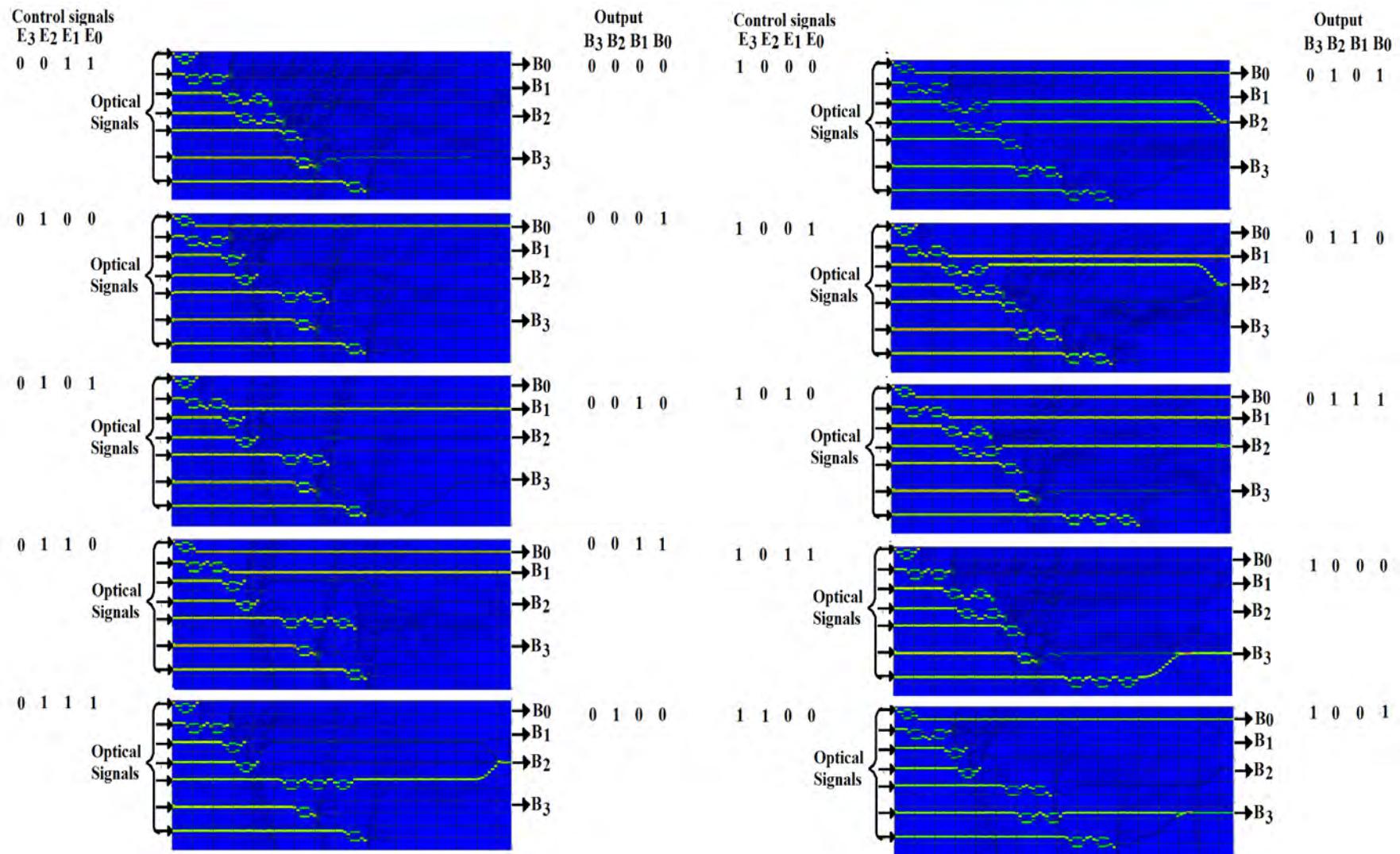


Figure: BPM result of Excess 3 to BCD code converter where $E_3 E_2 E_1 E_0$ varies from 0011 to 1100

Design of Transmission gate

Santosh Kumar et. al., Photonic Network communications (Springer), Vol. 33, PP. 1-9, (Mar. 24, 2017).

Transmission gate

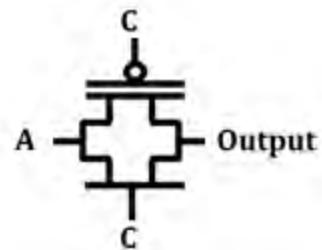
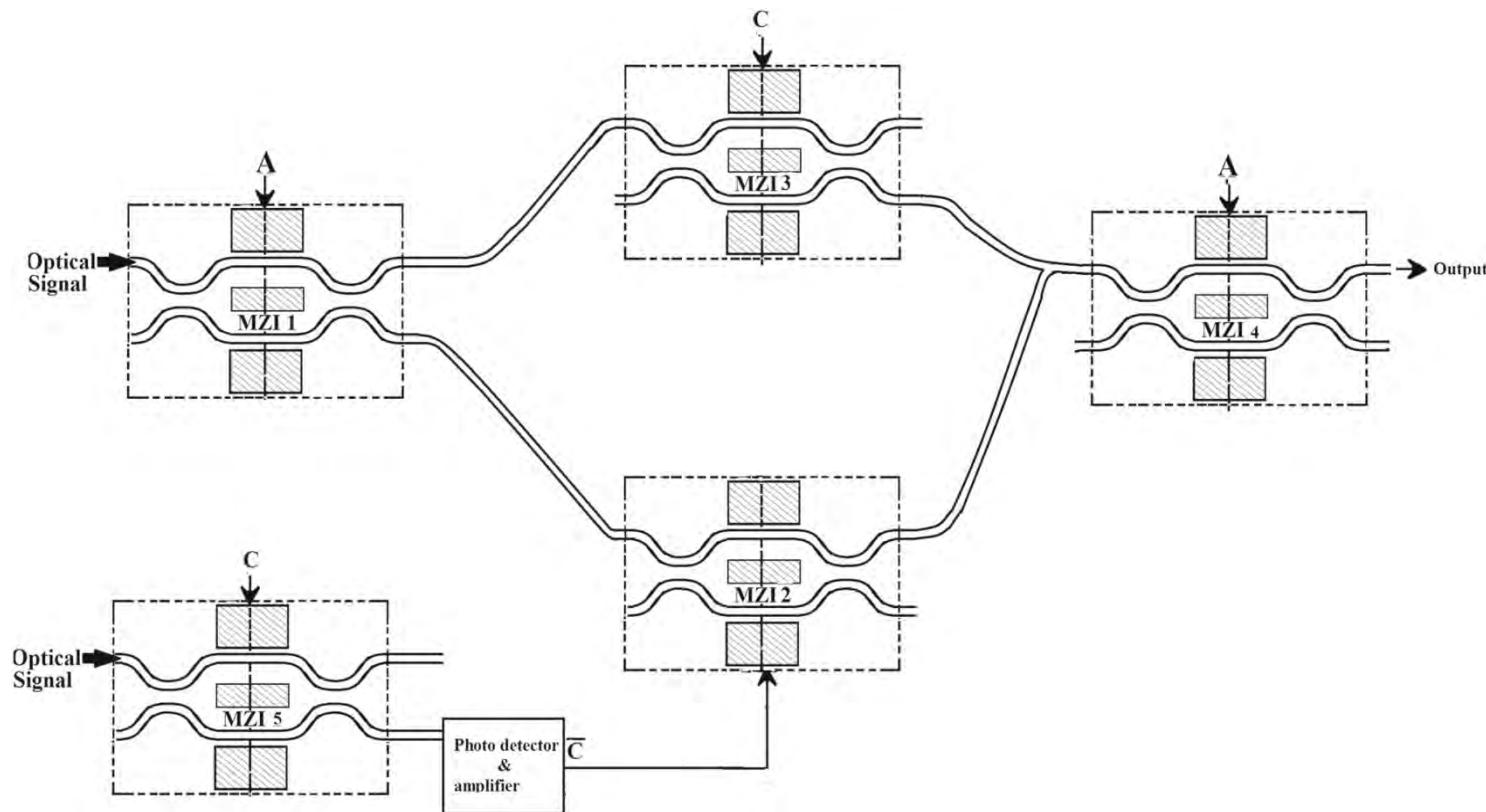


Figure: Digital circuit of transmission gate



Truth table and mathematical expression for Transmission gate

$$\text{output} = \left[\sin^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) + \cos^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI2}}{2}\right) \right] \sin^2\left(\frac{\Delta\phi_{MZI4}}{2}\right)$$

Control Signal	Input signal	Output Signal
\bar{C}	A	Output
0	0	0
0	1	0
1	0	0
1	1	1

MATLAB Simulation Results

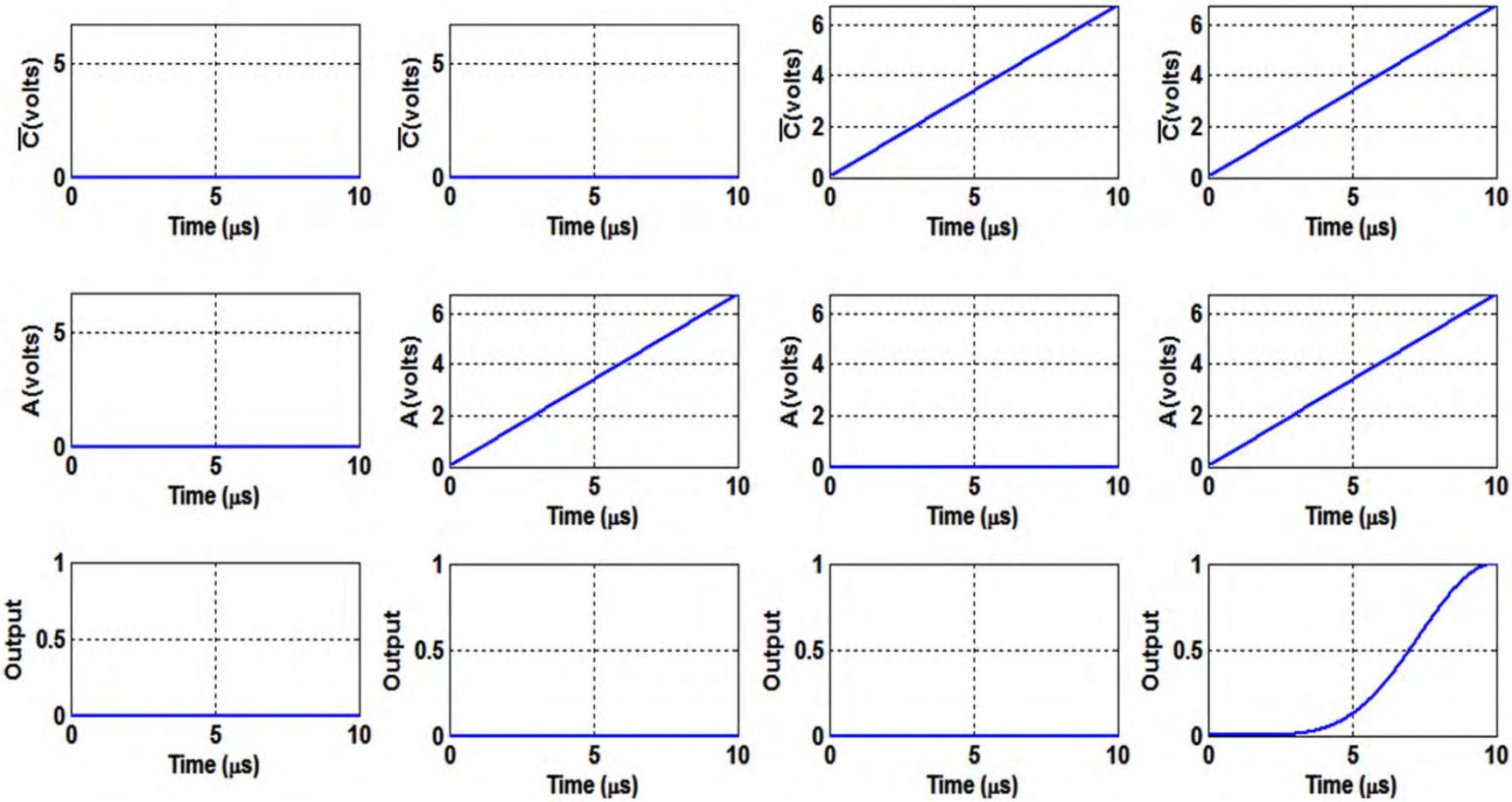


Figure: MATLAB simulation result of transmission gate where C, A varies from 00 to 11

2x1 multiplexer using Transmission gate

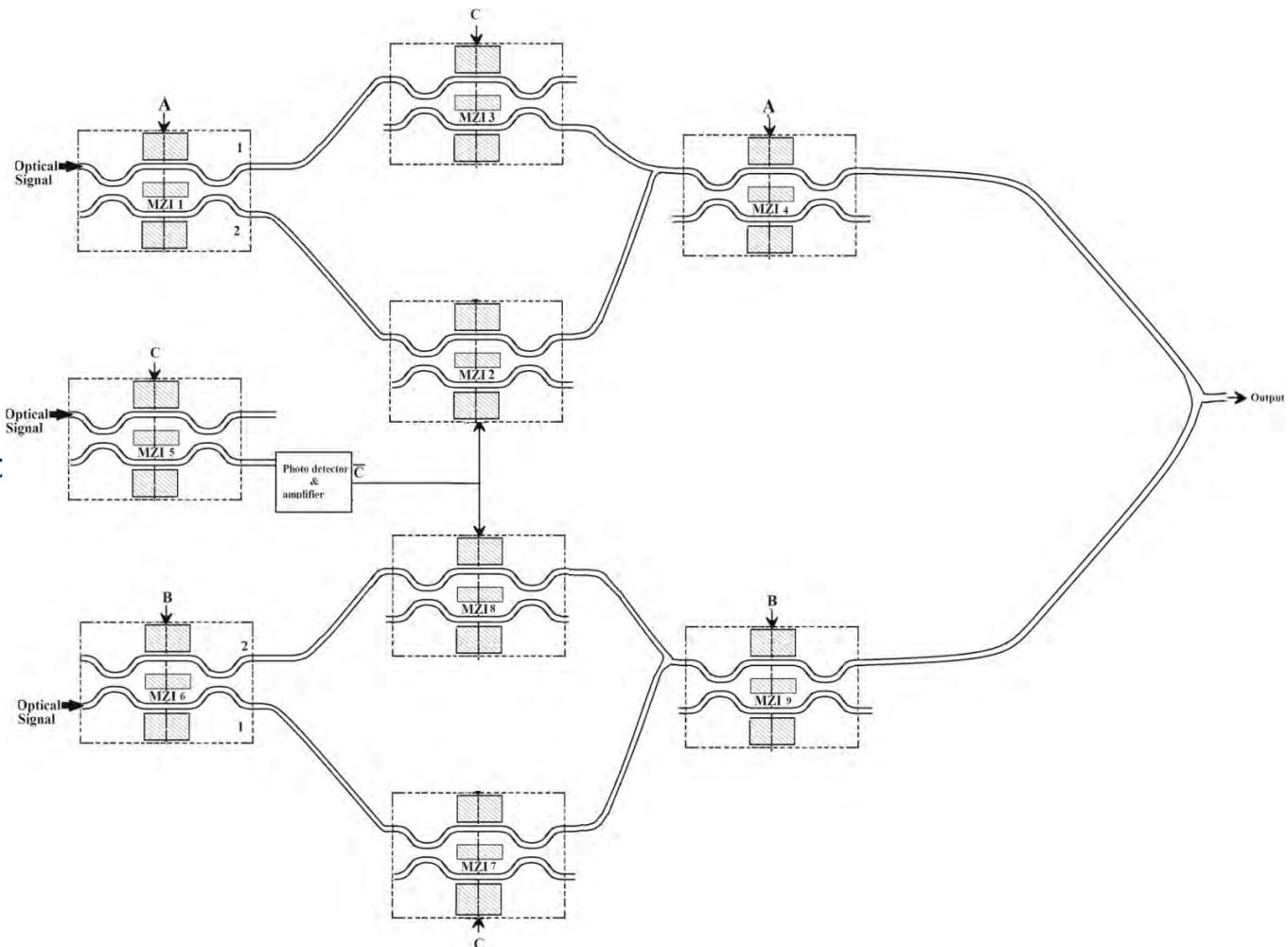
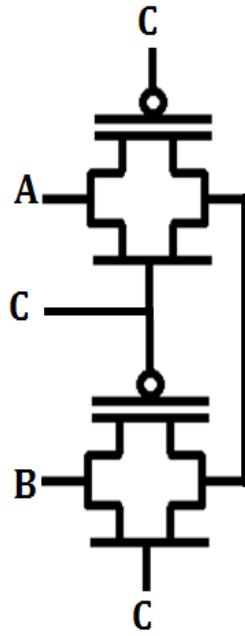


Figure: Digital circuit
of 2x1 multiplexer
using transmission
gate.

Figure: Schematic diagram of 2 x 1 multiplexer using
transmission gate

Truth table and mathematical expression for 2x1 multiplexer using Transmission gate

$$\text{output} = \left[\sin^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) + \cos^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI2}}{2}\right) \right] \sin^2\left(\frac{\Delta\phi_{MZI4}}{2}\right) \\ + \left[\sin^2\left(\frac{\Delta\phi_{MZI6}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI7}}{2}\right) + \cos^2\left(\frac{\Delta\phi_{MZI6}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI8}}{2}\right) \right] \sin^2\left(\frac{\Delta\phi_{MZI9}}{2}\right)$$

Control signal	Input signal		Output signal
\bar{C}	B	A	Output
0	0	0	0
0	0	1	1
0	1	0	0
0	1	1	1
1	0	0	0
1	0	1	0
1	1	0	1
1	1	1	1

MATLAB Simulation Results of 2x1 multiplexer

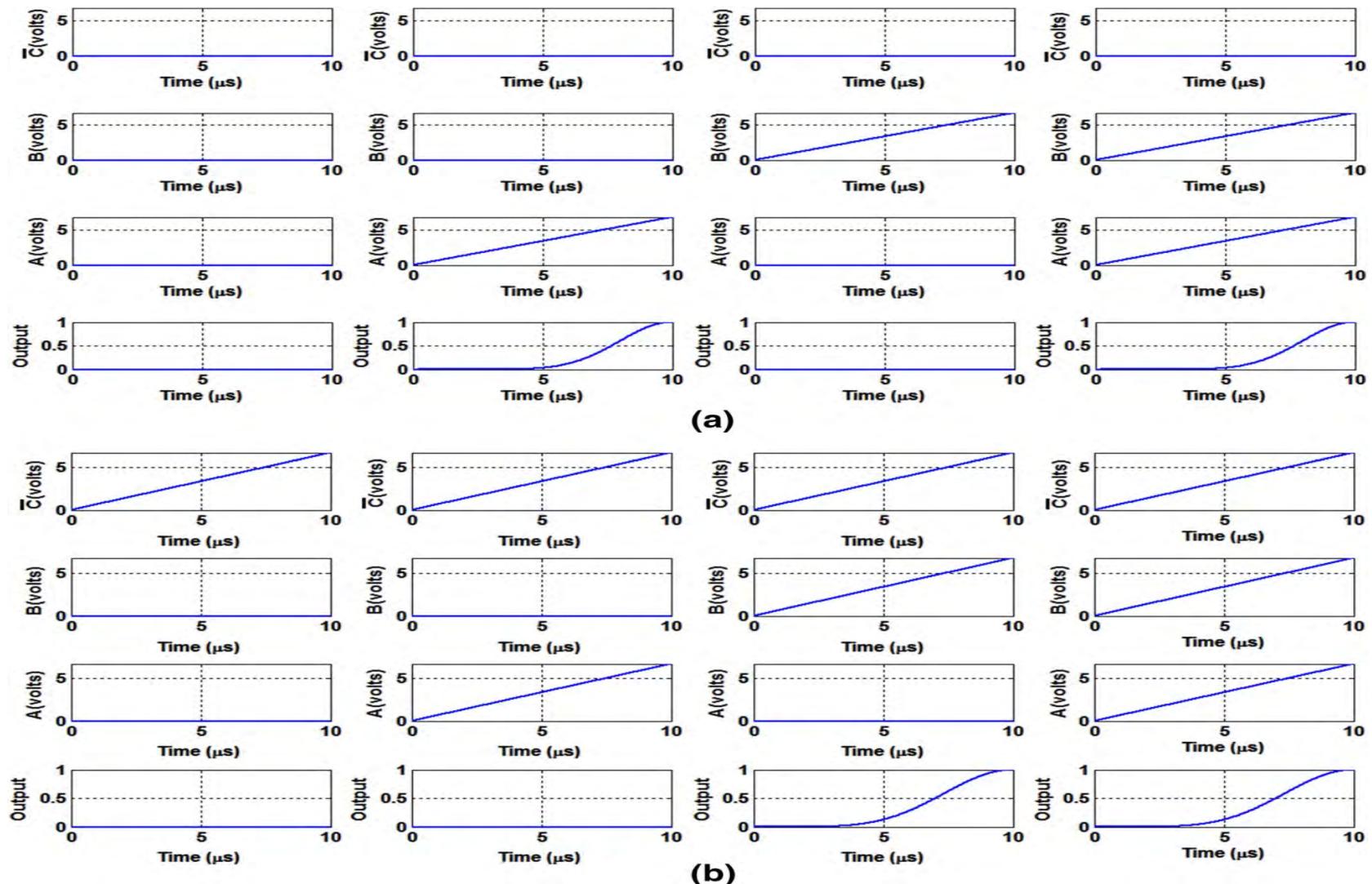


Figure: MATLAB simulation result of 2×1 multiplexer using transmission gate where
C , B, A varies from a 000 to 01. b 100 to 111

BPM layout of transmission gate

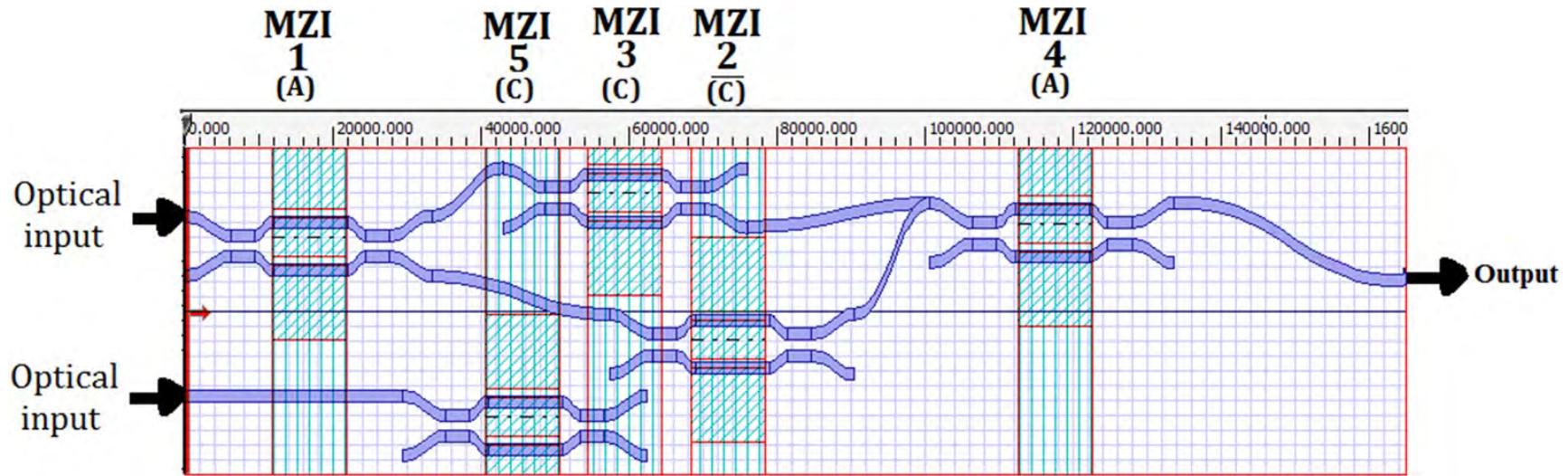


Figure: BPM layout of transmission gate using MZI

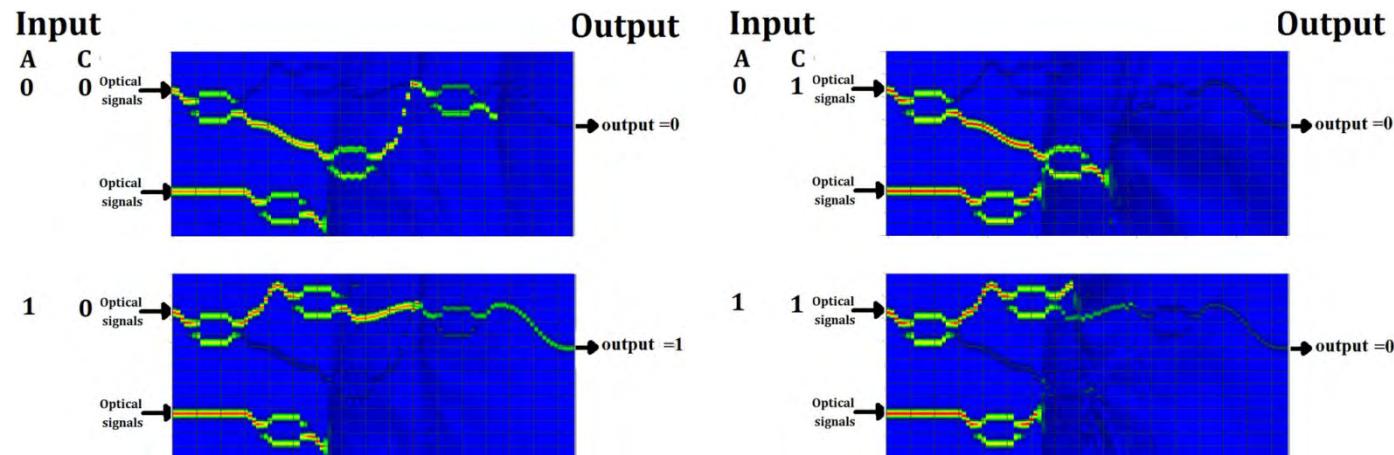


Figure: Simulation results of transmission gate where C, A varies from 00 to 11 obtained through beam propagation method.

BPM layout of 2x1 multiplexer using transmission gate

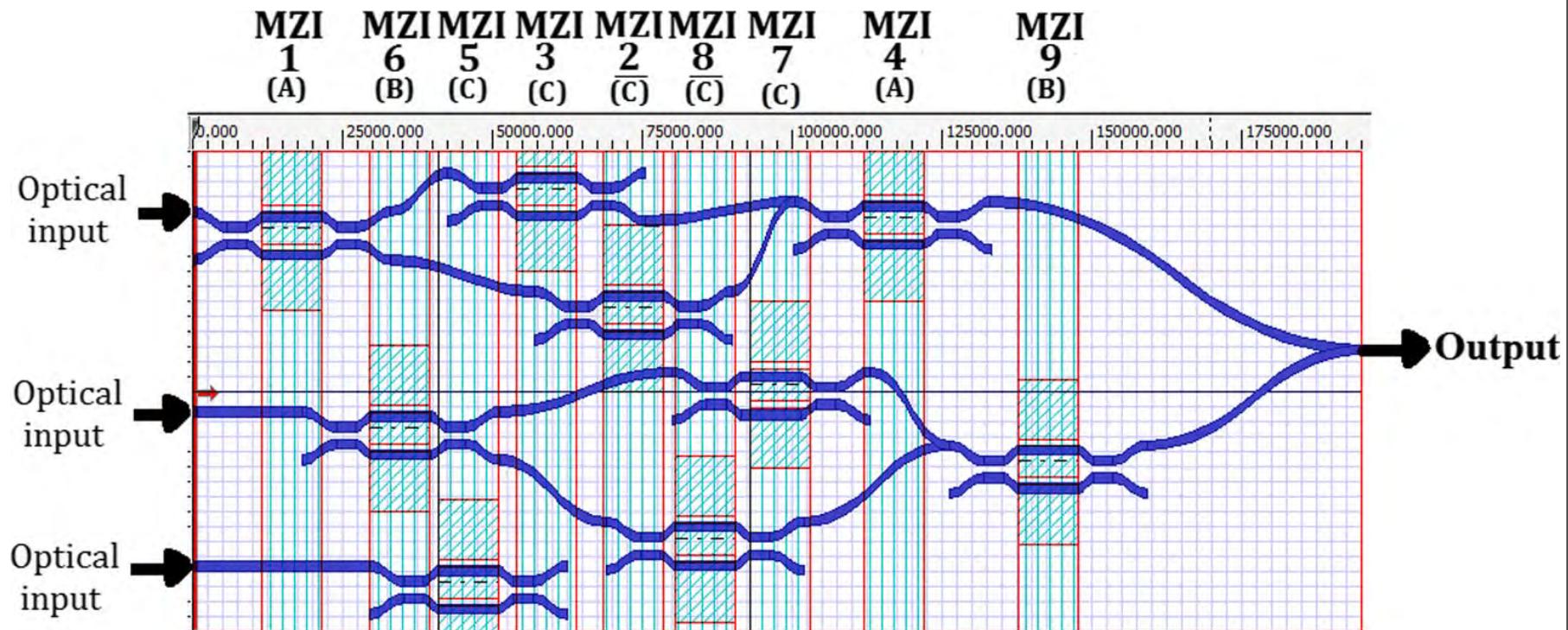


Figure: BPM layout of 2×1 multiplexer using MZI

Simulation Result of 2x1 multiplexer

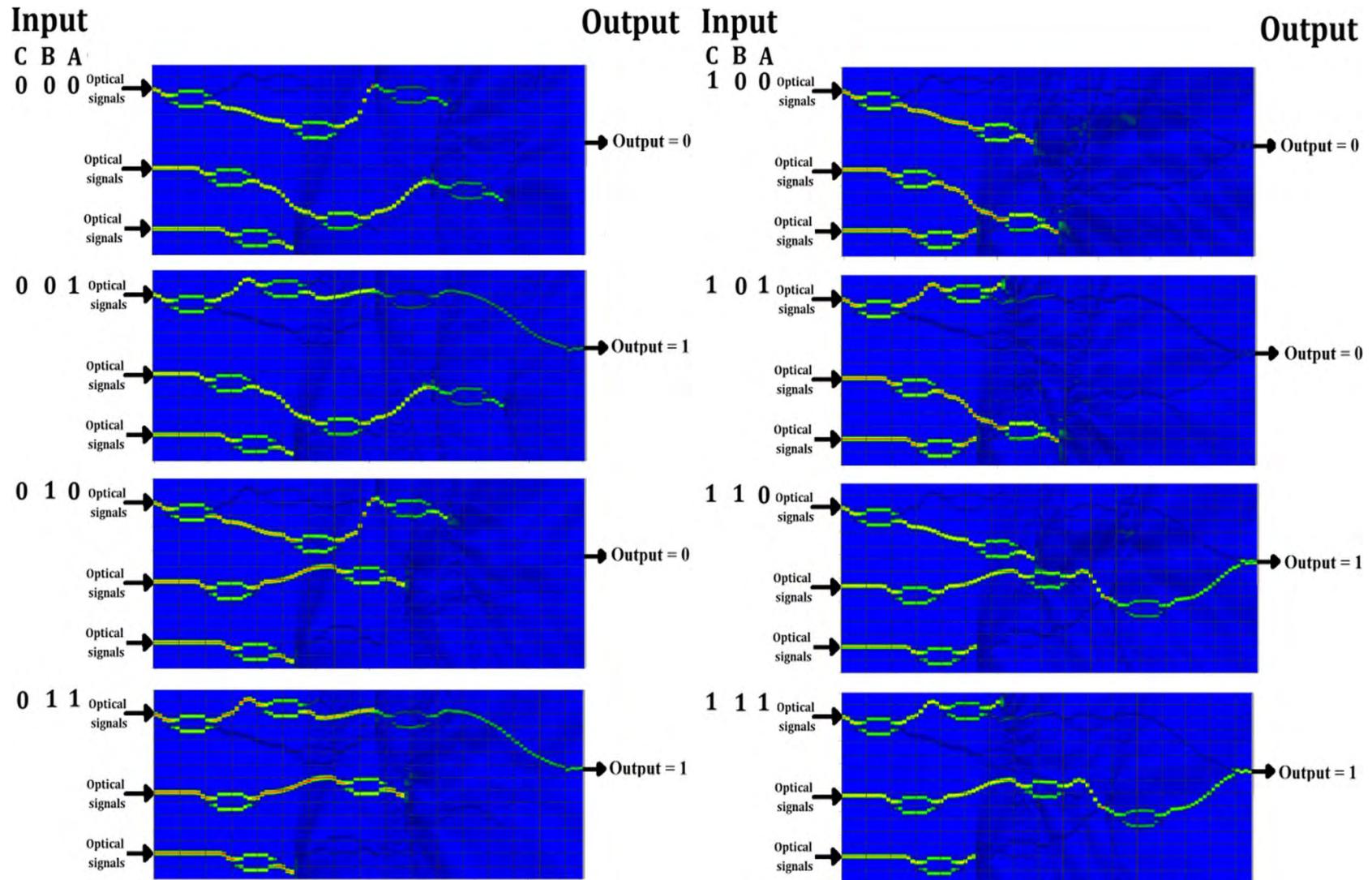


Figure: Simulation result of transmission gate where C, B, A varies from 000 to 111
obtained through beam propagation method

Design of binary to octal and octal to binary code converter

Santosh Kumar et al., Journal of Optical Communications (DeGruyter), DOI: 10.1515/joc-2016-N055, August 2016.

Design of binary to octal and octal to binary code converter

- Binary to octal and octal to binary code converter is a device that allows placing digital information from many inputs to many outputs.
- Binary to octal code converter accepts three binary inputs (A, B and C) and produces eight octal outputs ($O_0, O_1, O_2, O_3, O_4, O_5, O_6$, and O_7).
- Octal to binary code converter accepts eight inputs ($I_0, I_1, I_2, I_3, I_4, I_5, I_6$, and I_7) and produces three binary outputs (B_0, B_1 and B_2).

Cont....

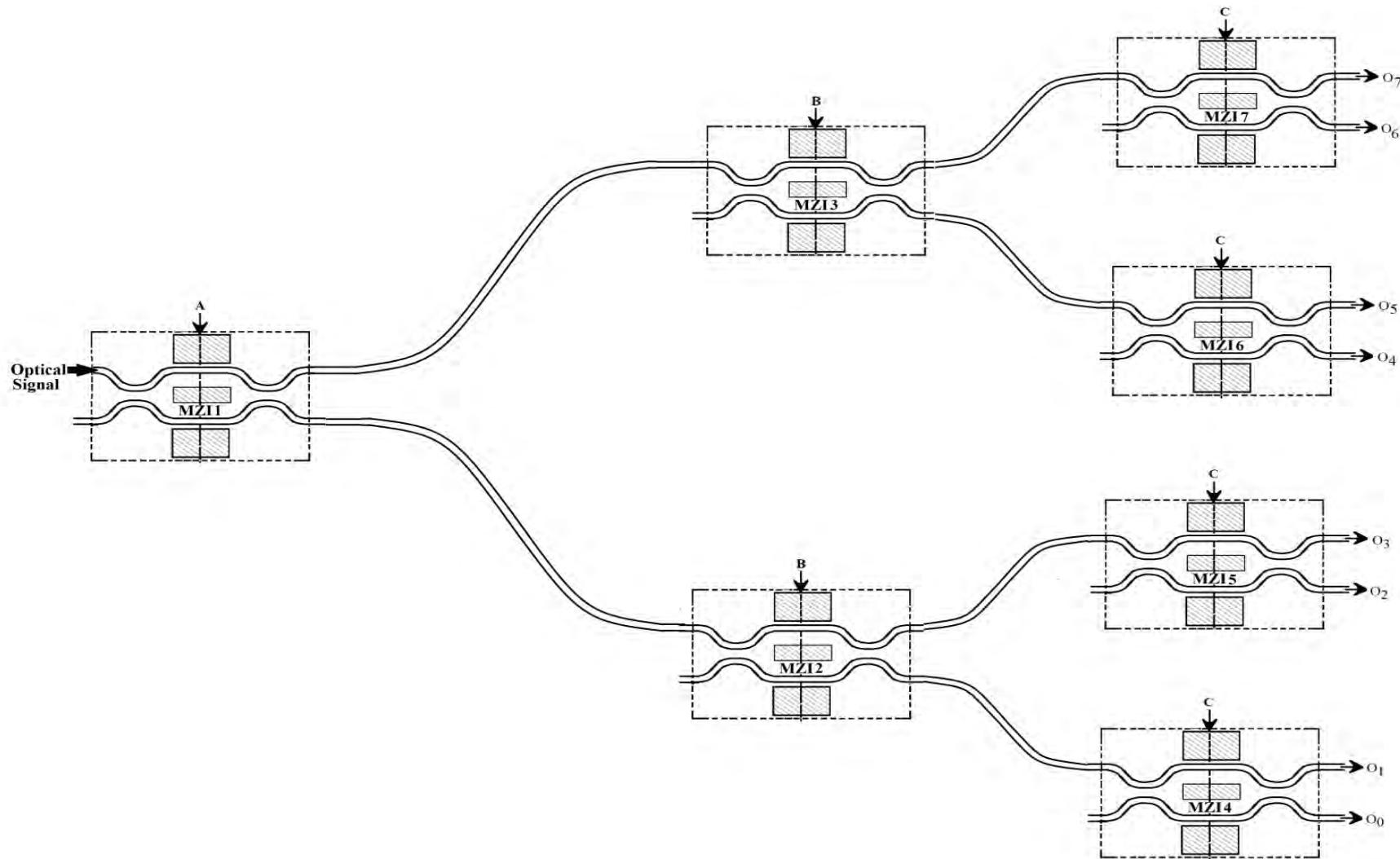


Figure: Schematic diagram of binary to octal code converter using MZIs

Mathematical Expression for binary to octal code converter

Normalized power at the output ports

($O_0, O_1, O_2, O_3, O_4, O_5, O_6$, and O_7) are calculated using the mathematical expression as:

The output O_0 at second output port of MZI4 as

$$O_0 = \cos^2\left(\frac{\Delta\varphi_{MZI1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{MZI2}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{MZI4}}{2}\right)$$

The output O_1 at first output port of MZI4 as;

$$O_1 = \cos^2\left(\frac{\Delta\varphi_{MZI1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{MZI2}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{MZI4}}{2}\right)$$

The output O_2 at second output port of MZI5 as;

$$O_2 = \cos^2\left(\frac{\Delta\varphi_{MZI1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{MZI2}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{MZI5}}{2}\right)$$

Cont....

The output O_3 at first output port of MZI5 as;

$$O_3 = \cos^2\left(\frac{\Delta\varphi_{MZI1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{MZI2}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{MZI5}}{2}\right)$$

The output O_4 at second output port of MZI6 as;

$$O_4 = \sin^2\left(\frac{\Delta\varphi_{MZI1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{MZI3}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{MZI6}}{2}\right)$$

The output O_5 at first output port of MZI6 as;

$$O_5 = \sin^2\left(\frac{\Delta\varphi_{MZI1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{MZI3}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{MZI6}}{2}\right)$$

The output O_6 at second output port of MZI7 as;

$$O_6 = \sin^2\left(\frac{\Delta\varphi_{MZI1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{MZI3}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{MZI7}}{2}\right)$$

The output O_7 at first output port of MZI7 as;

$$O_7 = \sin^2\left(\frac{\Delta\varphi_{MZI1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{MZI3}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{MZI7}}{2}\right)$$

MATLAB simulation Results of binary to octal code converter

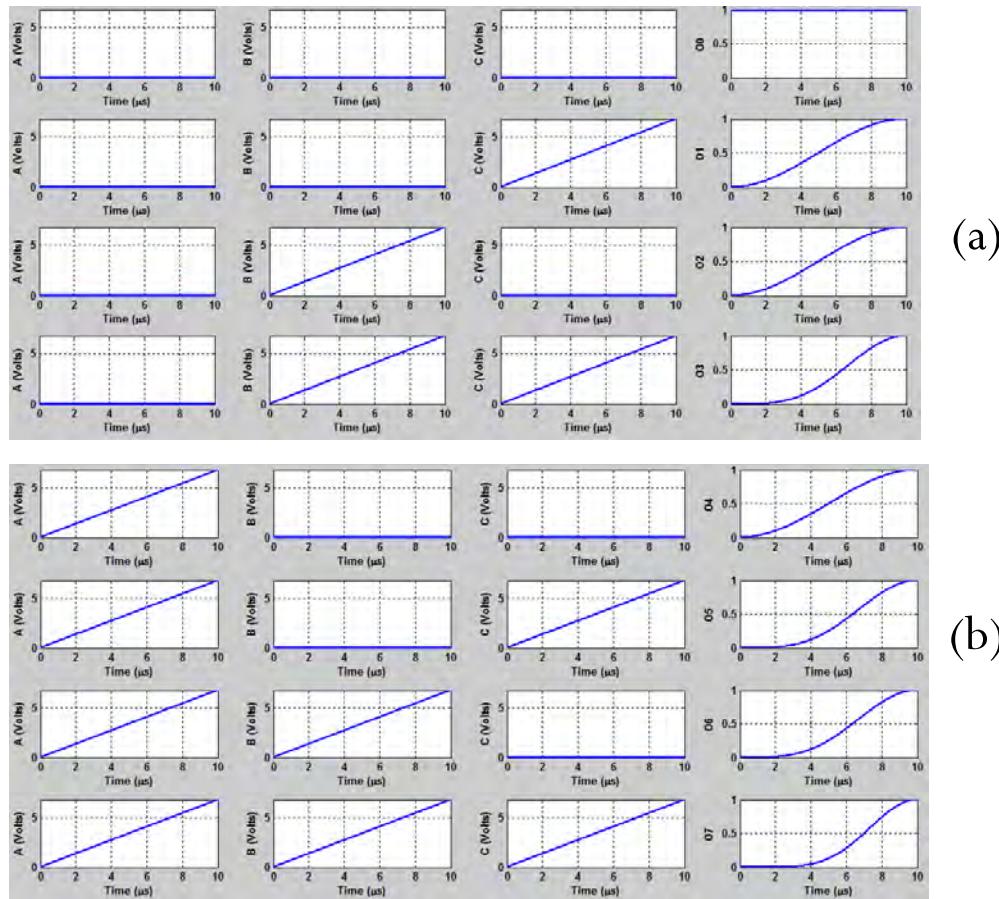


Figure: MATLAB simulation result for
(a) ABC=000 to 011 of B-O code converter
(b) ABC=100 to 111 of B-O code converter

Cont....

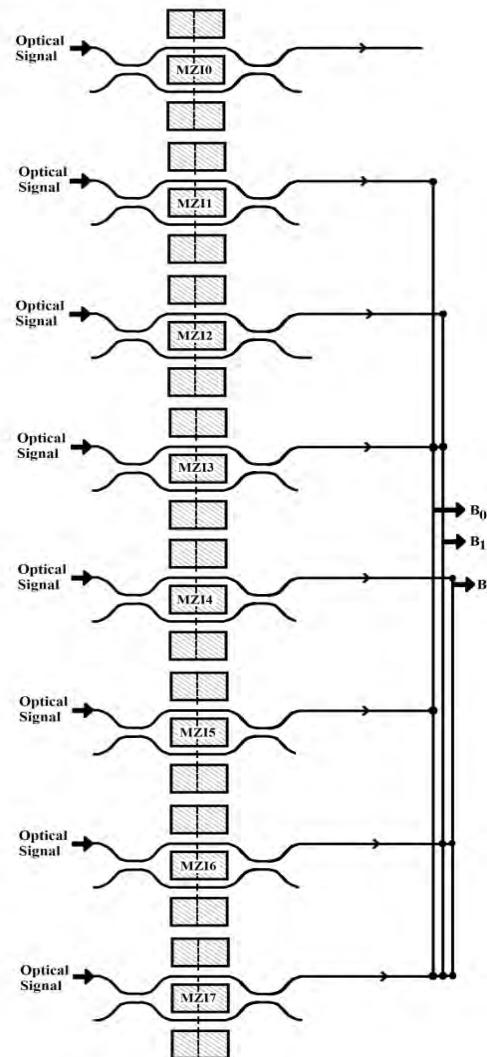


Figure: Schematic diagram of
Octal to binary code converter

Table: Truth table of binary to octal code converter

A	B	C	Octal Output							
			O_0	O_1	O_2	O_3	O_4	O_5	O_6	O_7
0	0	0	1	0	0	0	0	0	0	0
0	0	1	0	1	0	0	0	0	0	0
0	1	0	0	0	1	0	0	0	0	0
0	1	1	0	0	0	1	0	0	0	0
1	0	0	0	0	0	0	1	0	0	0
1	0	1	0	0	0	0	0	1	0	0
1	1	0	0	0	0	0	0	0	1	0
1	1	1	0	0	0	0	0	0	0	1

Table: Truth table of octal to binary code converter

Octal Input								Binary output		
I_0	I_1	I_2	I_3	I_4	I_5	I_6	I_7	B_2	B_1	B_0
1	0	0	0	0	0	0	0	0	0	0
0	1	0	0	0	0	0	0	0	0	1
0	0	1	0	0	0	0	0	0	1	0
0	0	0	1	0	0	0	0	0	1	1
0	0	0	0	1	0	0	0	1	0	0
0	0	0	0	0	1	0	0	1	0	1
0	0	0	0	0	0	1	0	1	1	0
0	0	0	0	0	0	0	1	1	1	1

Mathematical Expression for octal to binary code converter

Normalized power at output ports are computed using the mathematical expression as:

$$B_0 = \sin^2\left(\frac{\Delta\varphi_{MZI1}}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{MZI3}}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{MZI5}}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{MZI7}}{2}\right)$$

$$B_1 = \sin^2\left(\frac{\Delta\varphi_{MZI2}}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{MZI3}}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{MZI6}}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{MZI7}}{2}\right)$$

$$B_2 = \sin^2\left(\frac{\Delta\varphi_{MZI4}}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{MZI5}}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{MZI6}}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{MZI7}}{2}\right)$$

Cont....

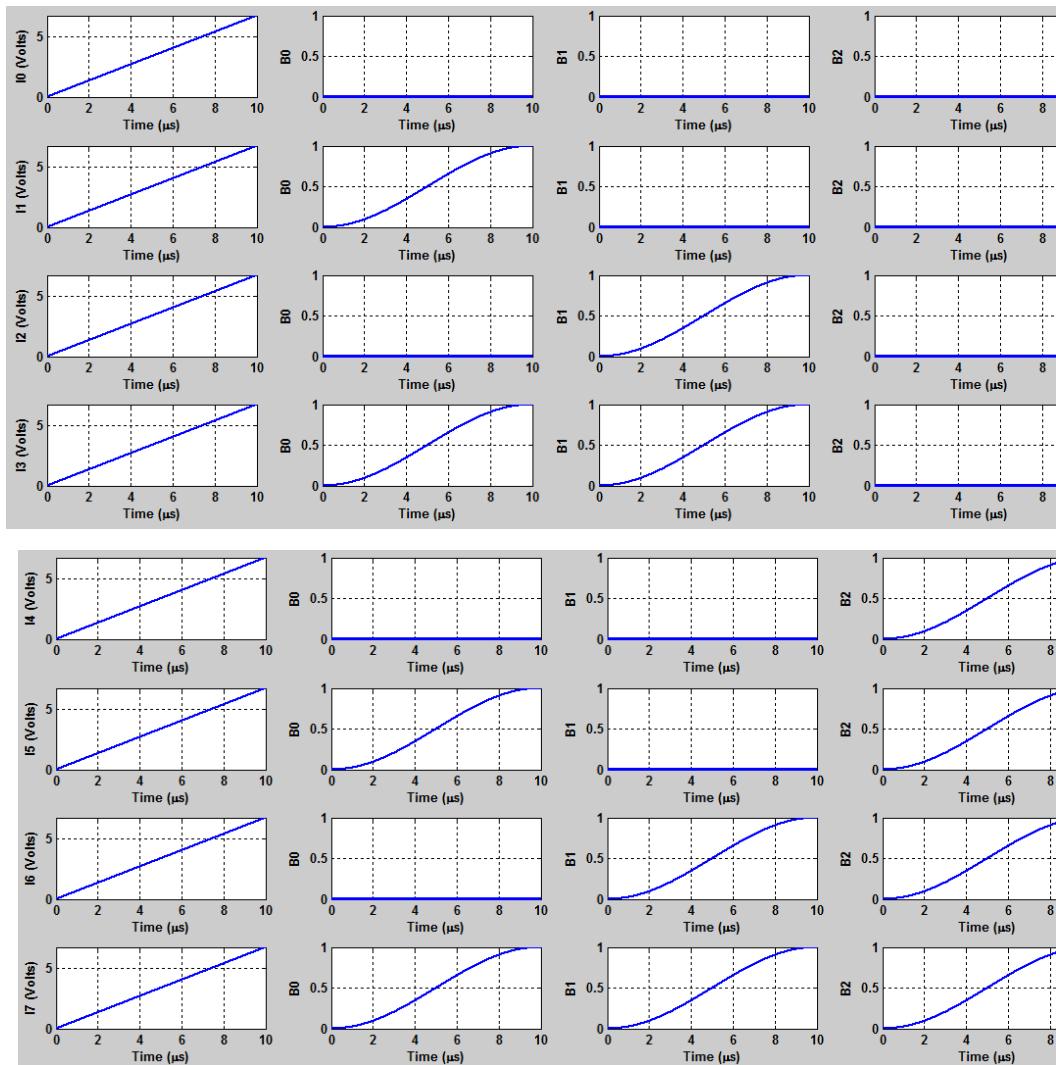
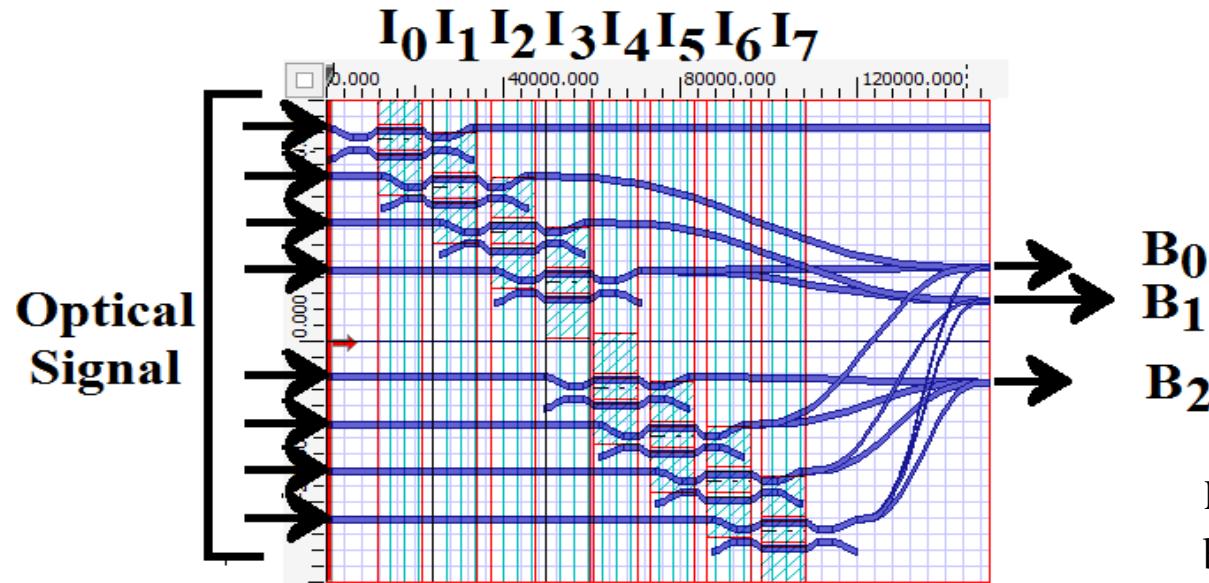
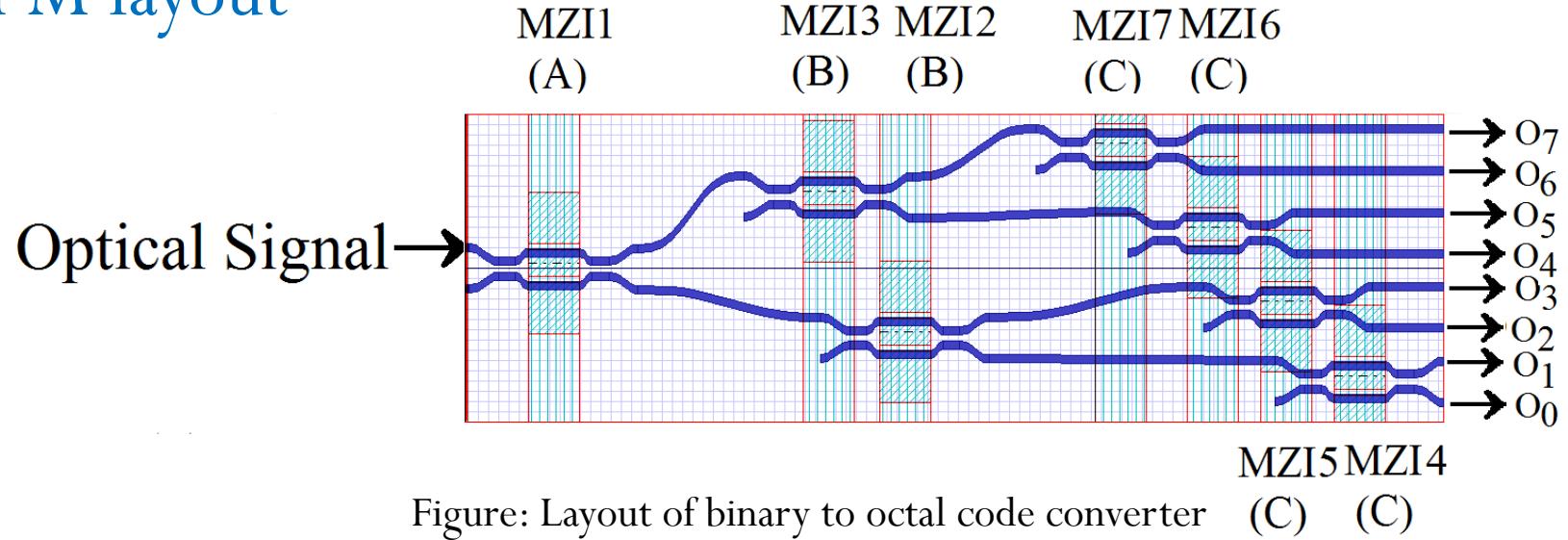


Figure: MATLAB simulation result for (a) input I_0 to I_3 (b) input I_4 to I_7

BPM layout



BPM results of binary to octal code converter

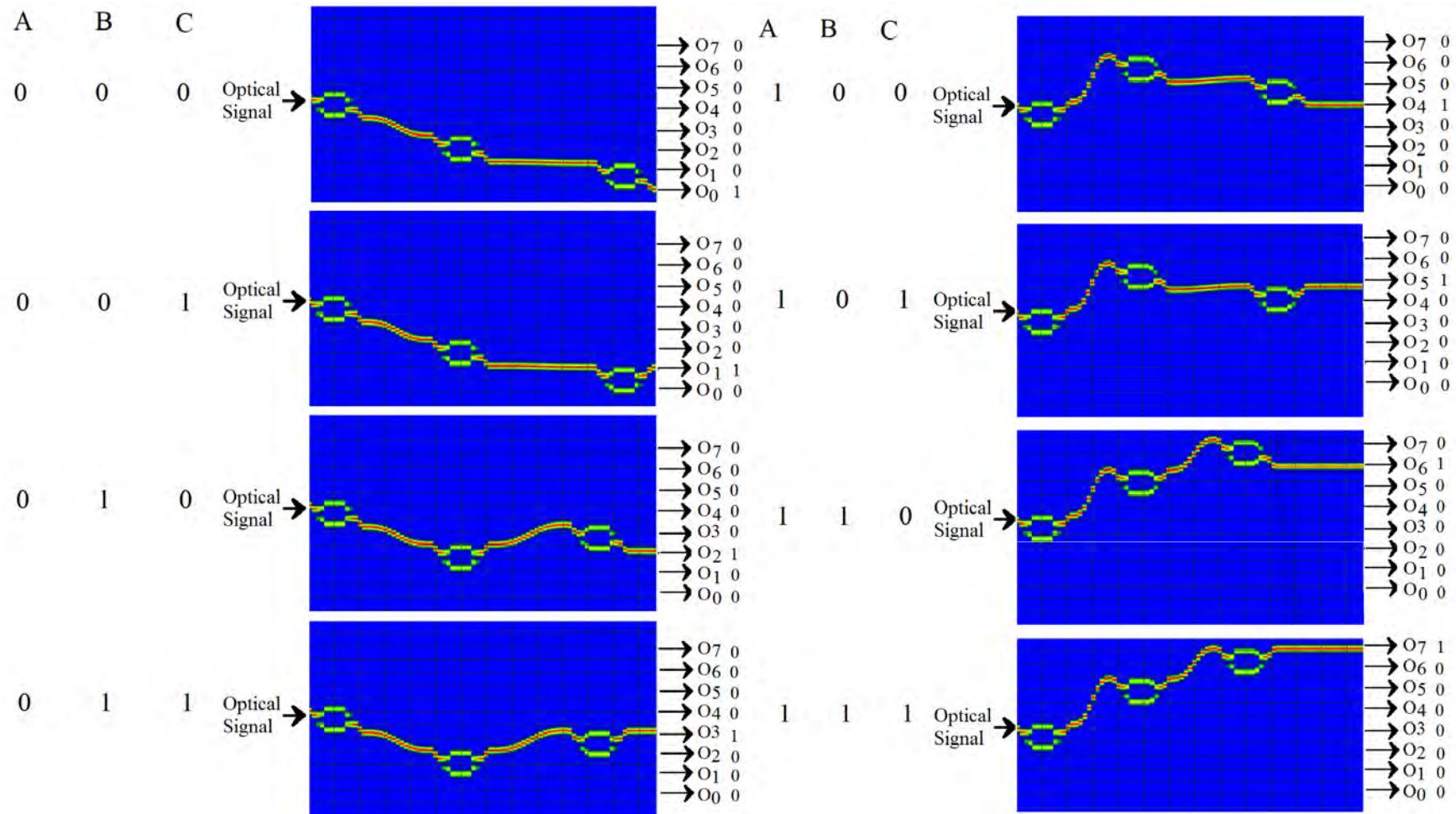


Figure: Results of binary to octal code converter for different combinations of control signals obtained through beam propagation method

BPM results of octal to binary code converter

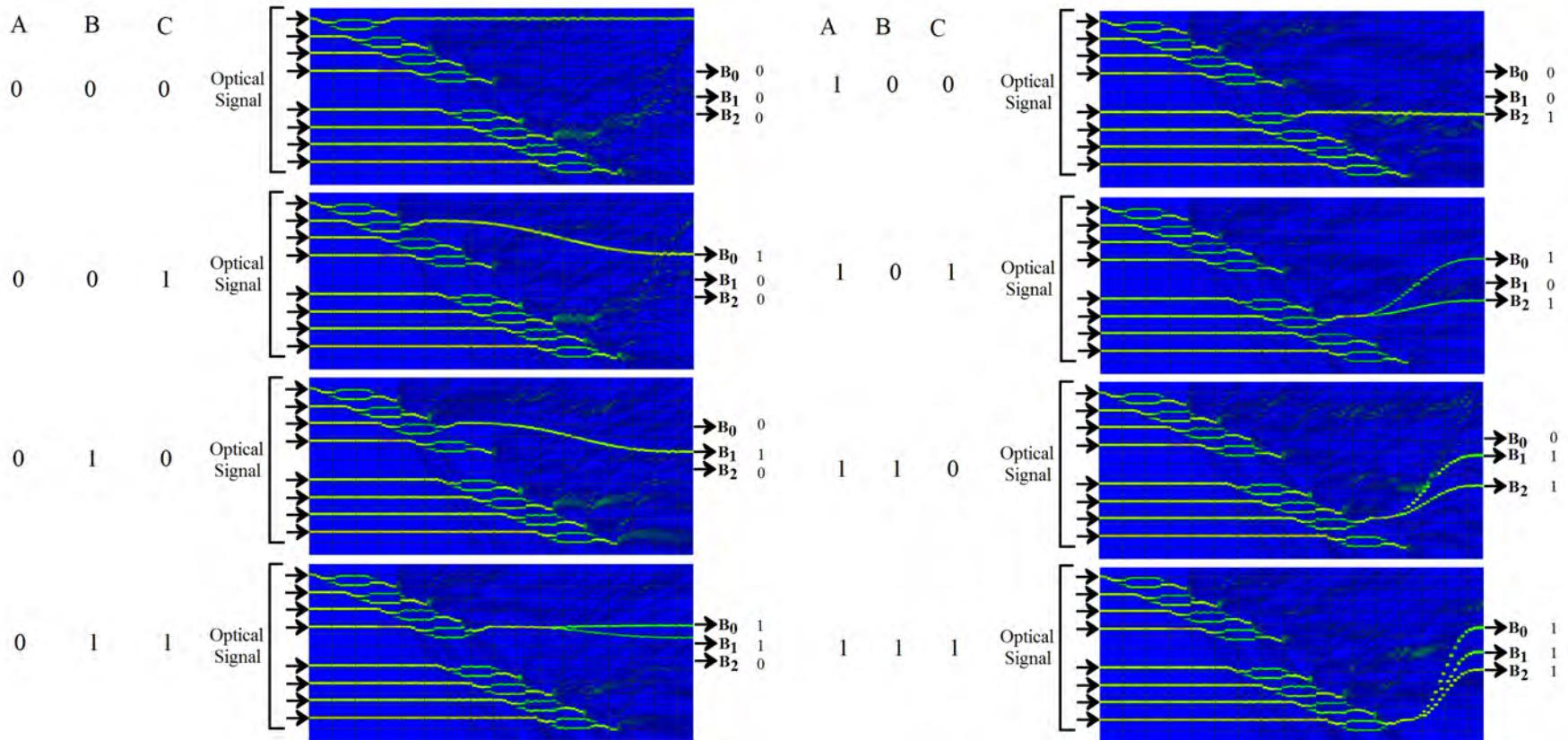


Figure: BPM simulation results for octal to binary code conversion from I_0 to I_7

Design of Optical Boolean function generator

Santosh Kumar et. al., Journal of Optical Communications (DeGruyter), DOI: 10.1515/joc-2016-0080, July 2016.

Design of optical Boolean function generator

- Optical Boolean function generator unit can generates multiple logical operations.
- This design have two parts: one part is decoder circuit and other part is logic selection unit.
- A continuous wave (CW) optical signal is applied at second input port of MZI1.

Cont...

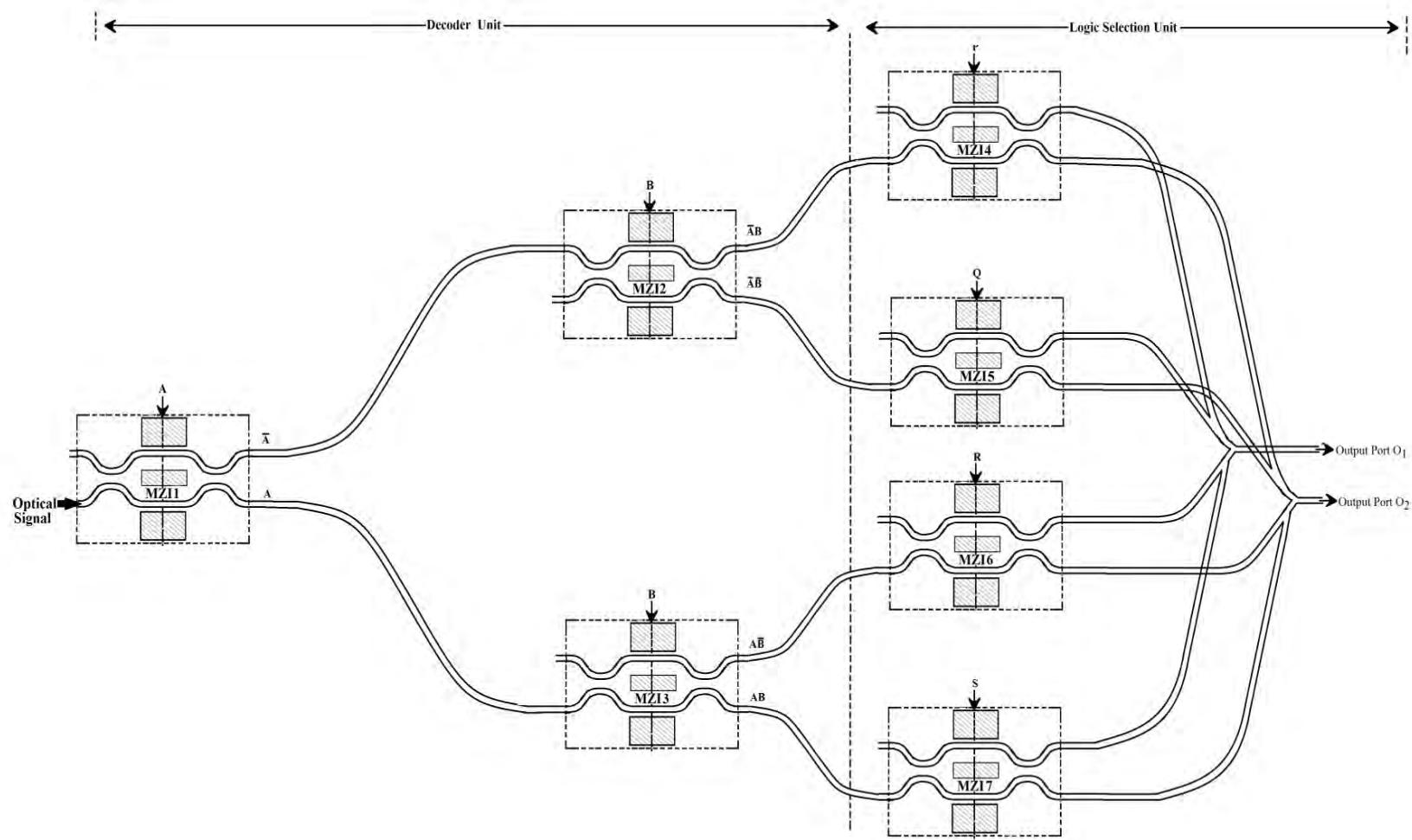


Figure: Schematic diagram of Boolean function generator unit

Cont...

Table: Generation of Boolean logical operation using generator unit for different control signal (P, Q, R , and S)

No.	Select Control Signal				Output of the function generator unit	
	P	Q	R	S	O_1	O_2
1	0	0	0	0	1 (High Logic)	0 (Low Logic)
2	0	0	0	1	$(\bar{A}\bar{B} + \bar{A}B + A\bar{B}) = \bar{A} + \bar{B}$	AB
3	0	0	1	0	$(\bar{A}\bar{B} + \bar{A}B + AB) = \bar{A} + B$	$A\bar{B}$
4	0	0	1	1	$(\bar{A}\bar{B} + \bar{A}B) = \bar{A}$	$(A\bar{B} + AB) = A$
5	0	1	0	0	$(\bar{A}B + A\bar{B} + AB) = A + B$	$\bar{A}\bar{B}$
6	0	1	0	1	$(\bar{A}B + A\bar{B}) = A \oplus B$	$(\bar{A}\bar{B} + AB) = A \odot B$
7	0	1	1	0	$(\bar{A}B + AB) = B$	$(\bar{A}\bar{B} + A\bar{B}) = \bar{B}$
8	0	1	1	1	$\bar{A}\bar{B}$	$(\bar{A}\bar{B} + A\bar{B} + AB) = A + \bar{B}$
9	1	0	0	0	$(\bar{A}\bar{B} + A\bar{B} + AB) = A + \bar{B}$	$\bar{A}\bar{B}$
10	1	0	0	1	$(\bar{A}\bar{B} + A\bar{B}) = \bar{B}$	$(\bar{A}B + AB) = B$
11	1	0	1	0	$(\bar{A}\bar{B} + AB) = A \odot B$	$(\bar{A}\bar{B} + A\bar{B}) = A \oplus B$
12	1	0	1	1	$\bar{A}\bar{B}$	$(\bar{A}\bar{B} + A\bar{B} + AB) = A + B$
13	1	1	0	0	$(A\bar{B} + AB) = A$	$(\bar{A}\bar{B} + \bar{A}B) = \bar{A}$
14	1	1	0	1	$A\bar{B}$	$(\bar{A}\bar{B} + \bar{A}B + AB) = \bar{A} + B$
15	1	1	1	0	AB	$(\bar{A}\bar{B} + \bar{A}B + A\bar{B}) = \bar{A} + \bar{B}$
16	1	1	1	1	0 (Low Logic)	1 (High Logic)

Mathematical Expression for optical Boolean function generator

Using output at single stage MZI, we can write the mathematical expression to obtain optical signal at the output ports O_1, O_2

$$O_1 = \left[\begin{array}{l} \cos^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI2}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI4}}{2}\right) \\ + \cos^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI2}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI5}}{2}\right) \\ + \sin^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI6}}{2}\right) \\ + \sin^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI7}}{2}\right) \end{array} \right]$$

Cont...

$$O_2 = \left[\begin{array}{l} \cos^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI2}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI4}}{2}\right) \\ + \cos^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI2}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI5}}{2}\right) \\ + \sin^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI6}}{2}\right) \\ + \sin^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI7}}{2}\right) \end{array} \right]$$

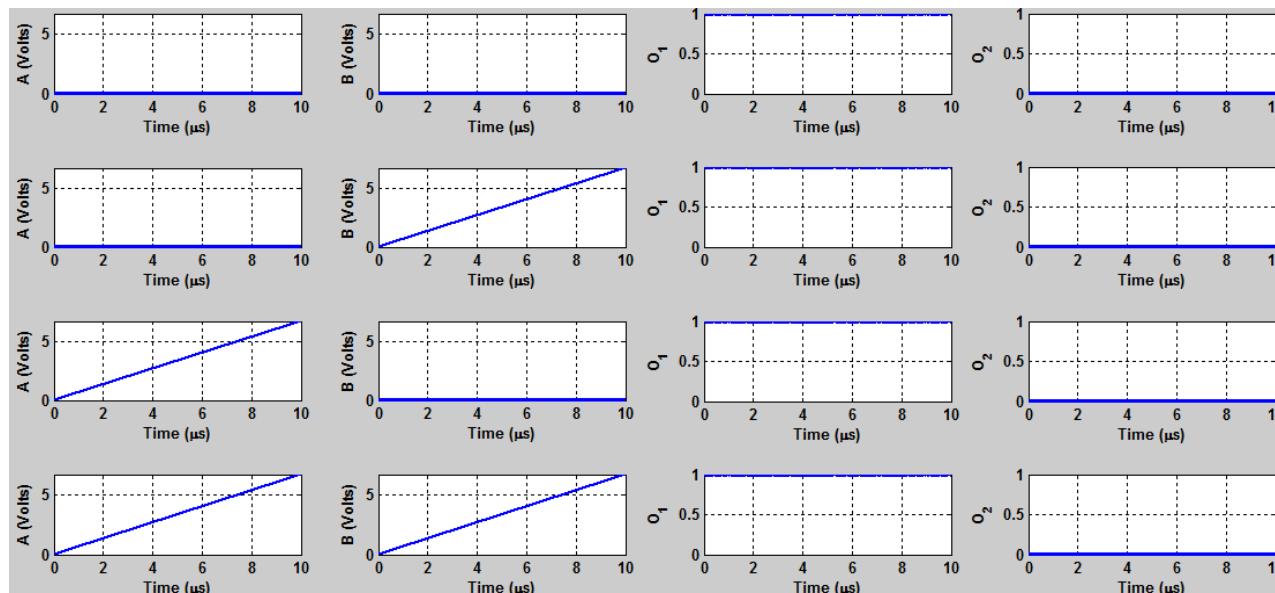


Figure: MATLAB simulation results for different combinations of AB at PQRS=0000

Dr. Santosh Kumar

BPM Layout and simulation result

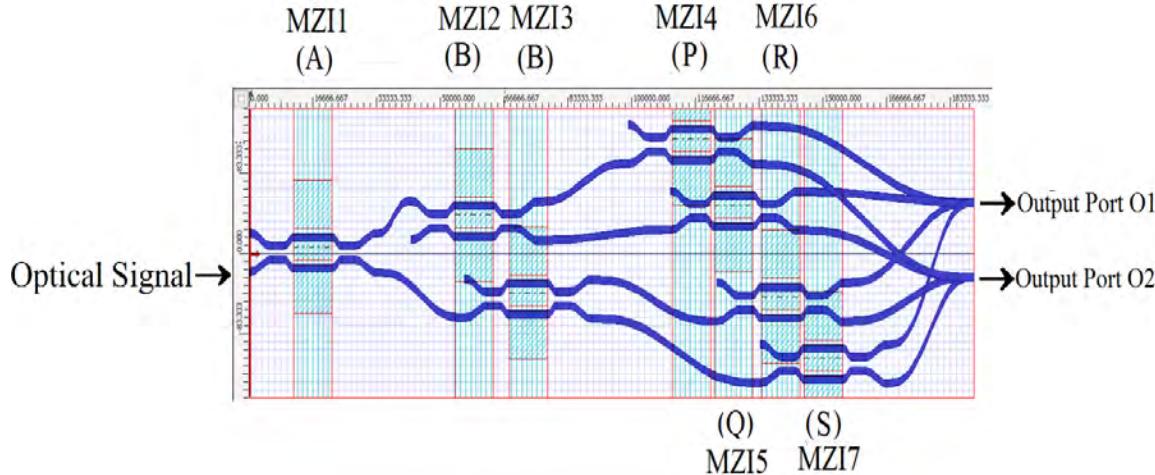


Figure: BPM layout of Boolean function generator unit

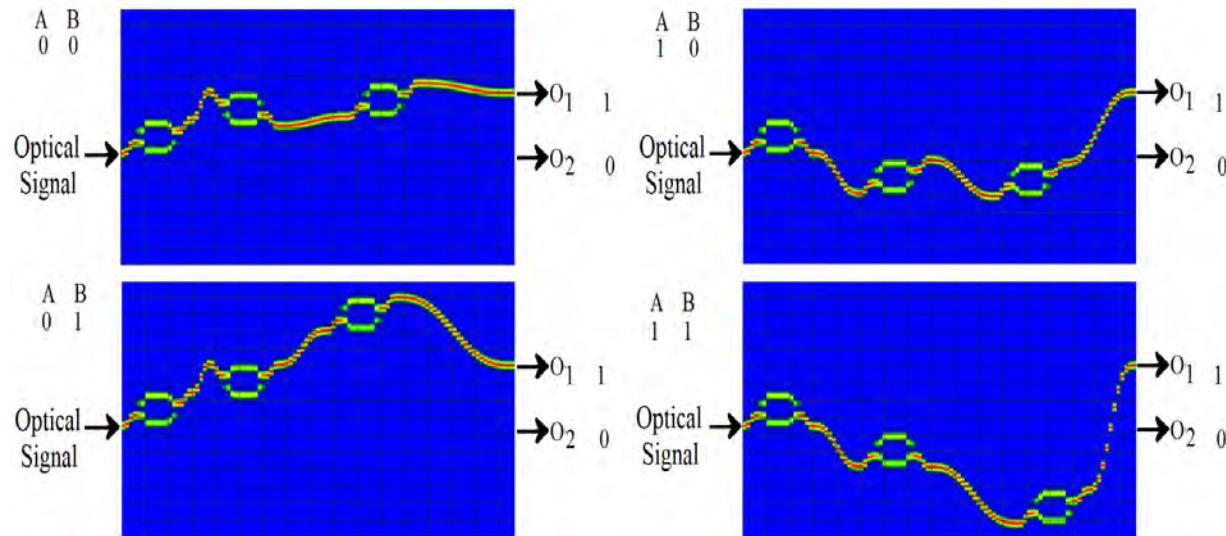


Figure: Optical field propagation for different combinations of decoder unit (AB) and fixed logical unit (PQRS=0000)

Design of 1's and 2's complement device

Santosh Kumar et. al., Optical Engineering (SPIE), Vol. 55, Issue 12, pp. 125104 (Dec 20, 2016).

Optical 1's and 2's complement device

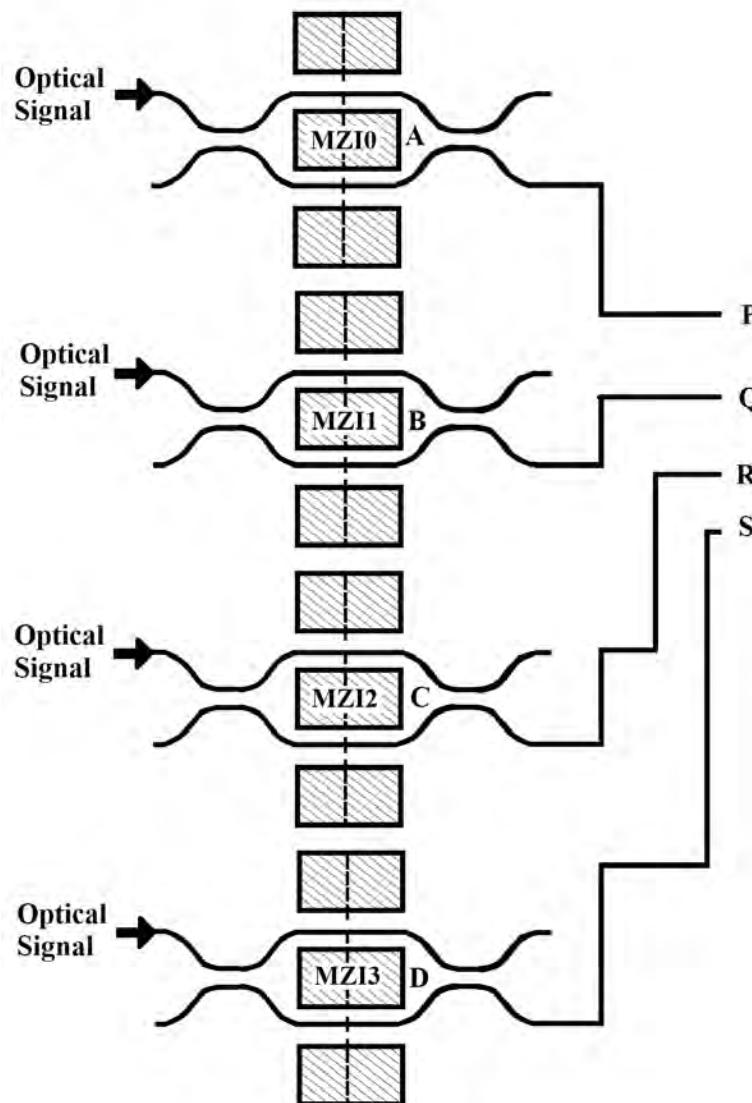


Table: Truth table of 1's complement device

Binary input (4 bit number)				1's complement			
A	B	C	D	P	Q	R	S
0	0	0	0	1	1	1	1
0	0	0	1	1	1	1	0
0	0	1	0	1	1	0	1
0	0	1	1	1	1	0	0
0	1	0	0	1	0	1	1
0	1	0	1	1	0	1	0
0	1	1	0	1	0	0	1
0	1	1	1	1	0	0	0
1	0	0	0	0	1	1	1
1	0	0	1	0	1	1	0
1	0	1	0	0	1	0	1
1	0	1	1	0	1	0	0
1	1	0	0	0	0	1	1
1	1	0	1	0	0	1	0
1	1	1	0	0	0	0	1
1	1	1	1	0	0	0	0

Mathematical Expression for 1's complement device

Normalized power at second output port of MZI1 is written as;

$$P = \cos^2\left(\frac{\Delta\varphi_{MZI1}}{2}\right)$$

Normalized power at second output port of MZI2

$$Q = \cos^2\left(\frac{\Delta\varphi_{MZI2}}{2}\right)$$

Normalized power at second output port of MZI3

$$R = \cos^2\left(\frac{\Delta\varphi_{MZI3}}{2}\right)$$

Normalized power at second output port of MZI4

$$S = \cos^2\left(\frac{\Delta\varphi_{MZI4}}{2}\right)$$

MATLAB simulation Results of 1's complement device

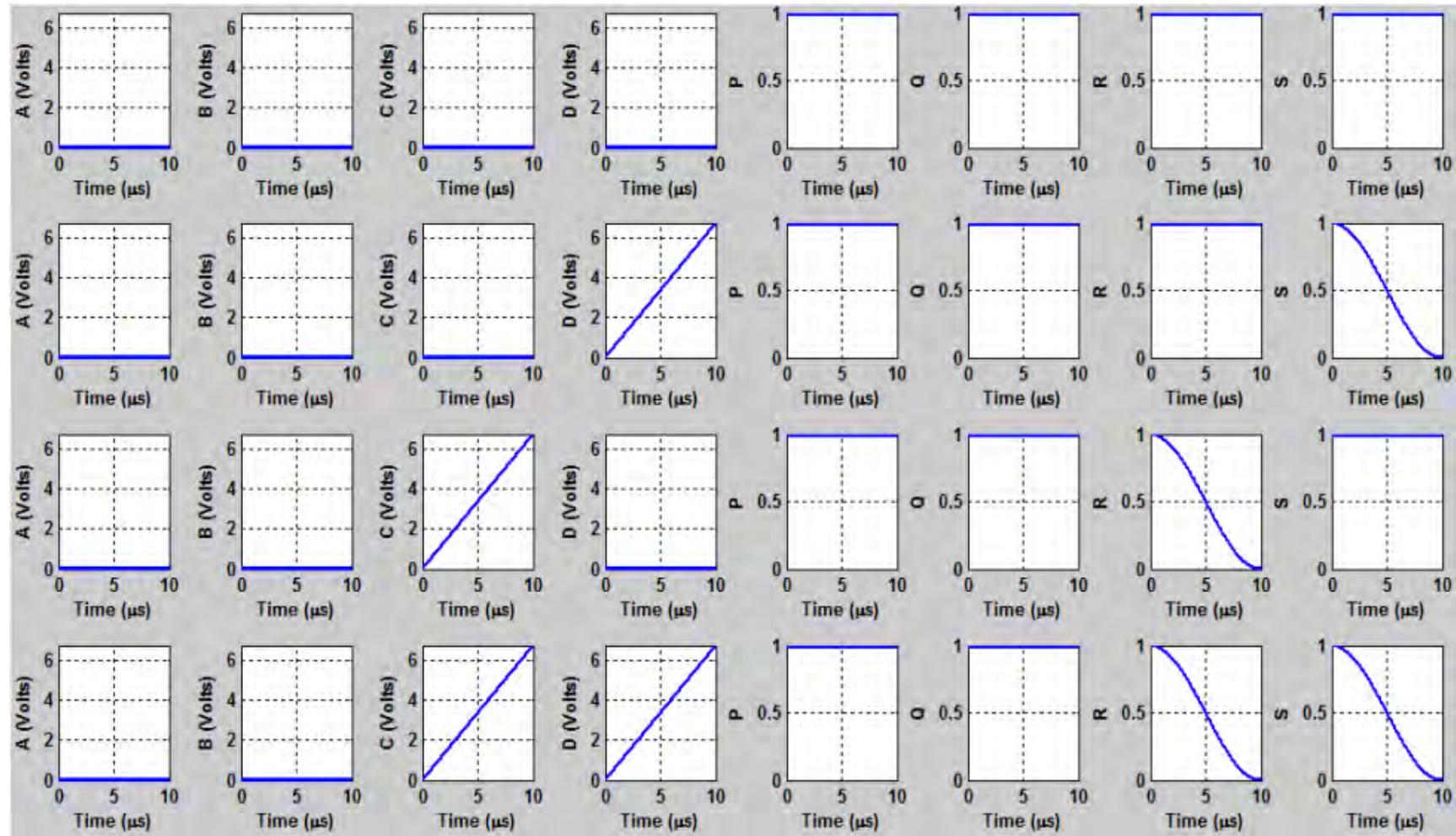


Figure: MATLAB simulation result of 1's complement for different $ABCD$ (0000 – 0011)

BPM Layout of 1's complement device

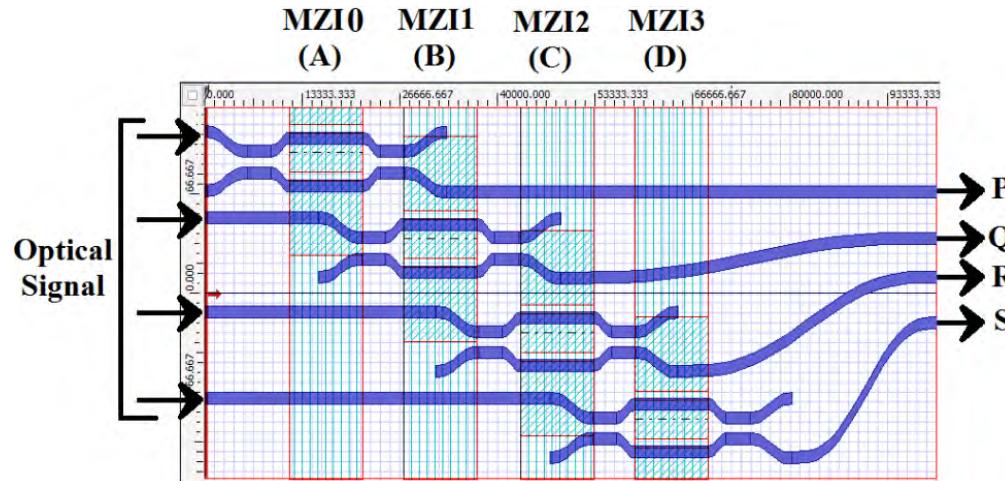


Figure: BPM layout of 1's complement device

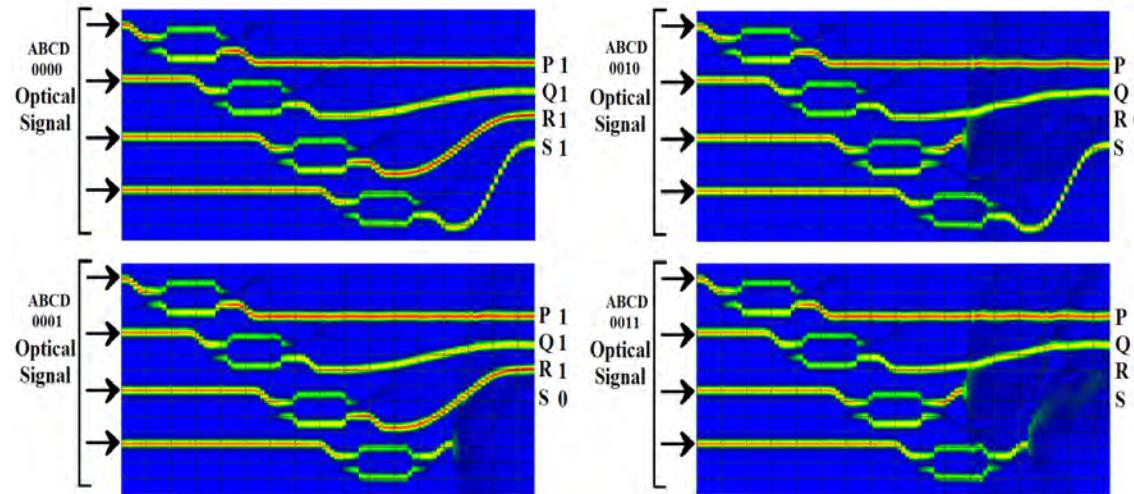


Figure: BPM simulation result of 1's complement device for different control signal
 $ABCD$ (0000 – 0011)

2's complement device

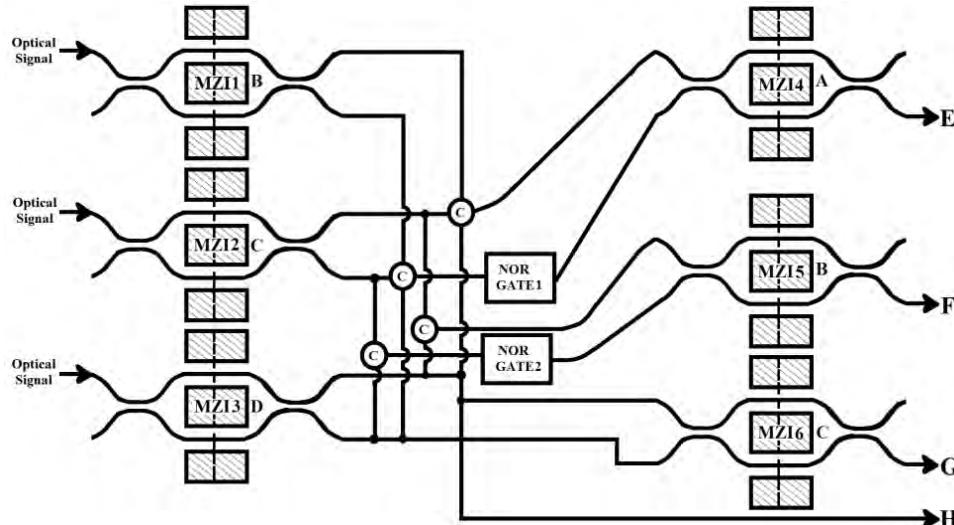


Figure: Schematic layout of 2's complement device

Table: Truth table of 2's complement device

Binary input (4 bit number)				2's complement			
A	B	C	D	E	F	G	H
0	0	0	0	0	0	0	0
0	0	0	1	1	1	1	1
0	0	1	0	1	1	1	0
0	0	1	1	1	1	0	1
0	1	0	0	1	1	0	0
0	1	0	1	1	0	1	1
0	1	1	0	1	0	1	0
0	1	1	1	1	0	0	1
1	0	0	0	1	0	0	0
1	0	0	1	0	1	1	1
1	0	1	0	0	1	1	0
1	0	1	1	0	1	0	1
1	1	0	0	0	1	0	0
1	1	0	1	0	0	1	1
1	1	1	0	0	0	1	0
1	1	1	1	0	0	0	1

Mathematical Expression for 2's complement device

Normalized power at second output port of MZI4 is given as

$$E = \left[\begin{array}{l} \left\{ \sin^2 \left(\frac{\Delta\varphi_{MZI1}}{2} \right) + \sin^2 \left(\frac{\Delta\varphi_{MZI2}}{2} \right) + \sin^2 \left(\frac{\Delta\varphi_{MZI3}}{2} \right) \right\} \cos^2 \left(\frac{\Delta\varphi_{MZI4}}{2} \right) + \\ \quad \left\{ \cos^2 \left(\frac{\Delta\varphi_{MZI1}}{2} \right) + \cos^2 \left(\frac{\Delta\varphi_{MZI2}}{2} \right) + \cos^2 \left(\frac{\Delta\varphi_{MZI3}}{2} \right) \right\} \\ \quad \left\{ \cos^2 \left(\frac{\Delta\varphi_{MZI1}}{2} \right) \cos^2 \left(\frac{\Delta\varphi_{MZI2}}{2} \right) \cos^2 \left(\frac{\Delta\varphi_{MZI3}}{2} \right) \right\} \sin^2 \left(\frac{\Delta\varphi_{MZI4}}{2} \right) \end{array} \right]$$

Cont....

Normalized power at second output port of MZI5 is given as

$$F = \begin{bmatrix} \left\{ \sin^2 \left(\frac{\Delta\varphi_{MZI2}}{2} \right) + \sin^2 \left(\frac{\Delta\varphi_{MZI3}}{2} \right) \right\} \cos^2 \left(\frac{\Delta\varphi_{MZI5}}{2} \right) + \\ \left\{ \cos^2 \left(\frac{\Delta\varphi_{MZI2}}{2} \right) + \cos^2 \left(\frac{\Delta\varphi_{MZI3}}{2} \right) \right\} \\ \left\{ \cos^2 \left(\frac{\Delta\varphi_{MZI2}}{2} \right) \cos^2 \left(\frac{\Delta\varphi_{MZI3}}{2} \right) \right\} \sin^2 \left(\frac{\Delta\varphi_{MZI5}}{2} \right) \end{bmatrix}$$

Normalized power at second output port of MZI6 is given as

$$G = \begin{bmatrix} \left\{ \sin^2 \left(\frac{\Delta\varphi_{MZI3}}{2} \right) \right\} \cos^2 \left(\frac{\Delta\varphi_{MZI6}}{2} \right) + \\ \left\{ \cos^2 \left(\frac{\Delta\varphi_{MZI3}}{2} \right) \right\} \sin^2 \left(\frac{\Delta\varphi_{MZI6}}{2} \right) \end{bmatrix}$$

Normalized power at first output port of MZI7 is given as

$$H = \sin^2 \left(\frac{\Delta\varphi_{MZI3}}{2} \right)$$

MATLAB simulation Results of 2's complement device

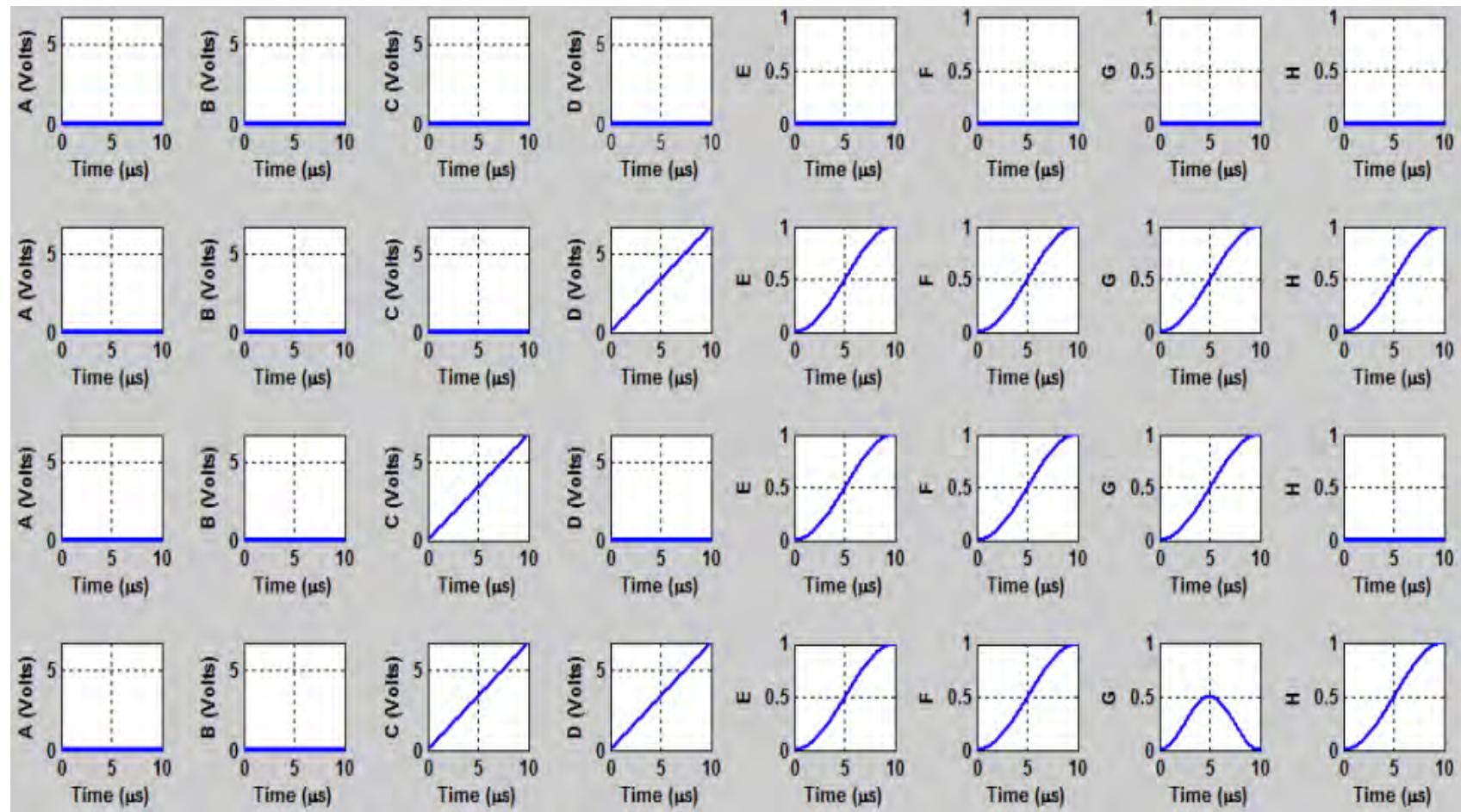


Figure: MATLAB simulation result of 2's complement for different ABCD (0000 – 0011)

BPM Layout of 2's complement device

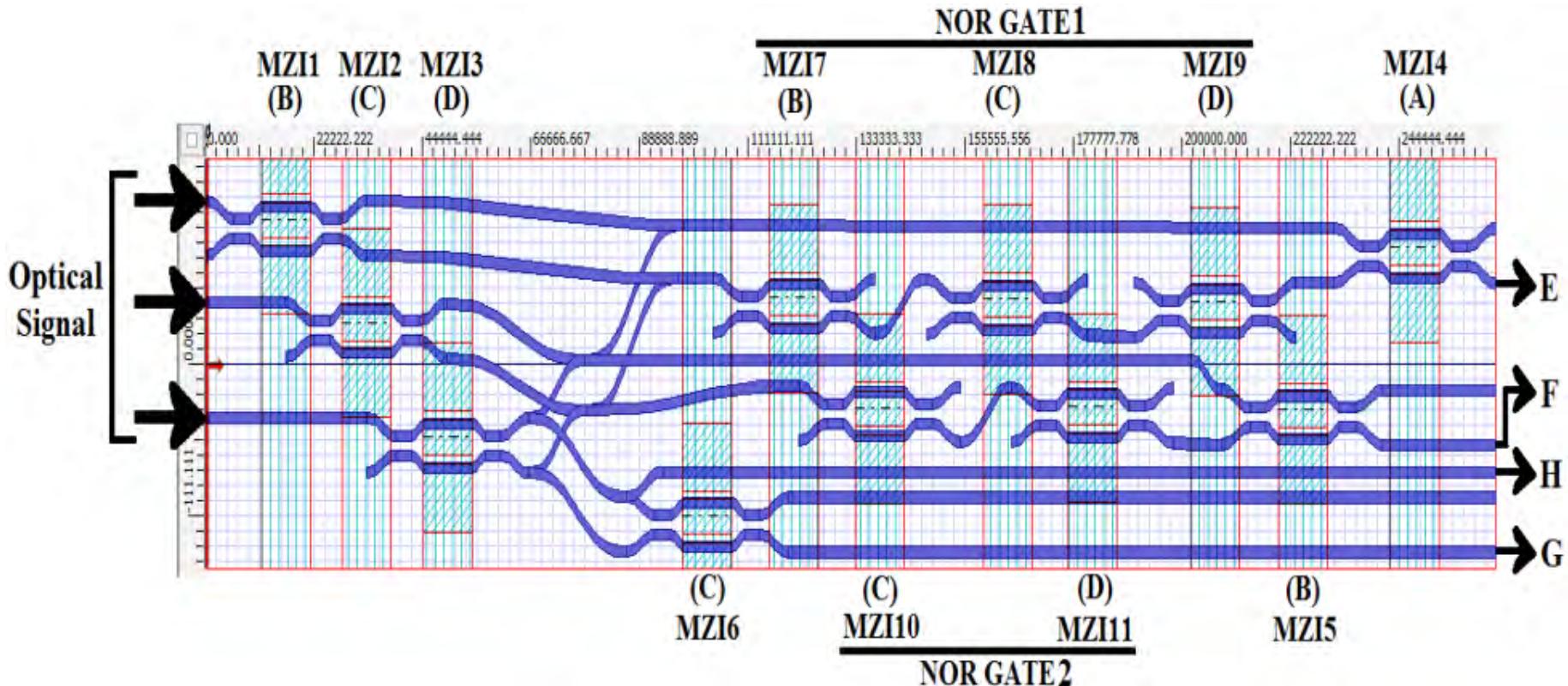


Figure 33: BPM layout of 2's complement device

BPM results of 2's complement device

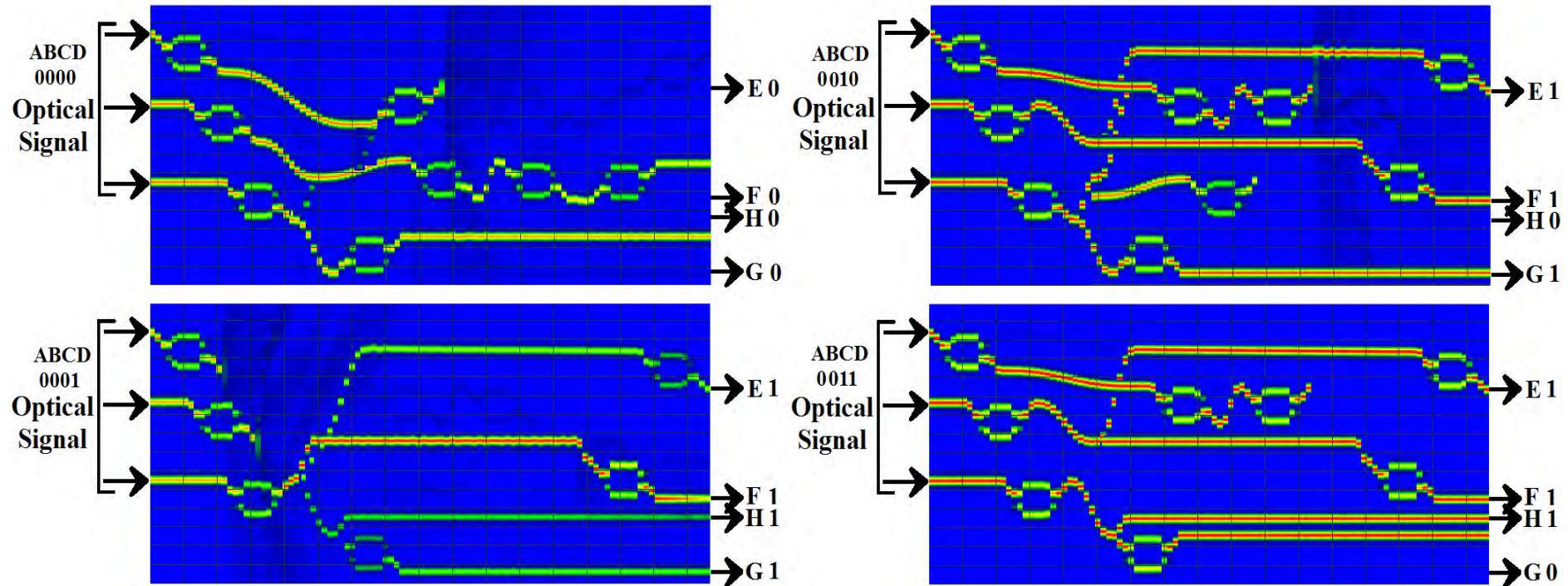


Figure 34: BPM simulation result of 2's complement device for different control signal
 $ABCD$ (0000 – 0011)

Design of Decoder and Encoder Device

Santosh Kumar et. al., Photonics Network Communication (Springer), (2017) DOI:
[10.1007/s11107-017-0718-8](https://doi.org/10.1007/s11107-017-0718-8)

Design of 2 to 4 line Decoder

- Decoder is a device that allows placing digital information from many inputs to many outputs.
- Any application of combinational logic circuit can be implemented by using decoder and external gates.

Cont....

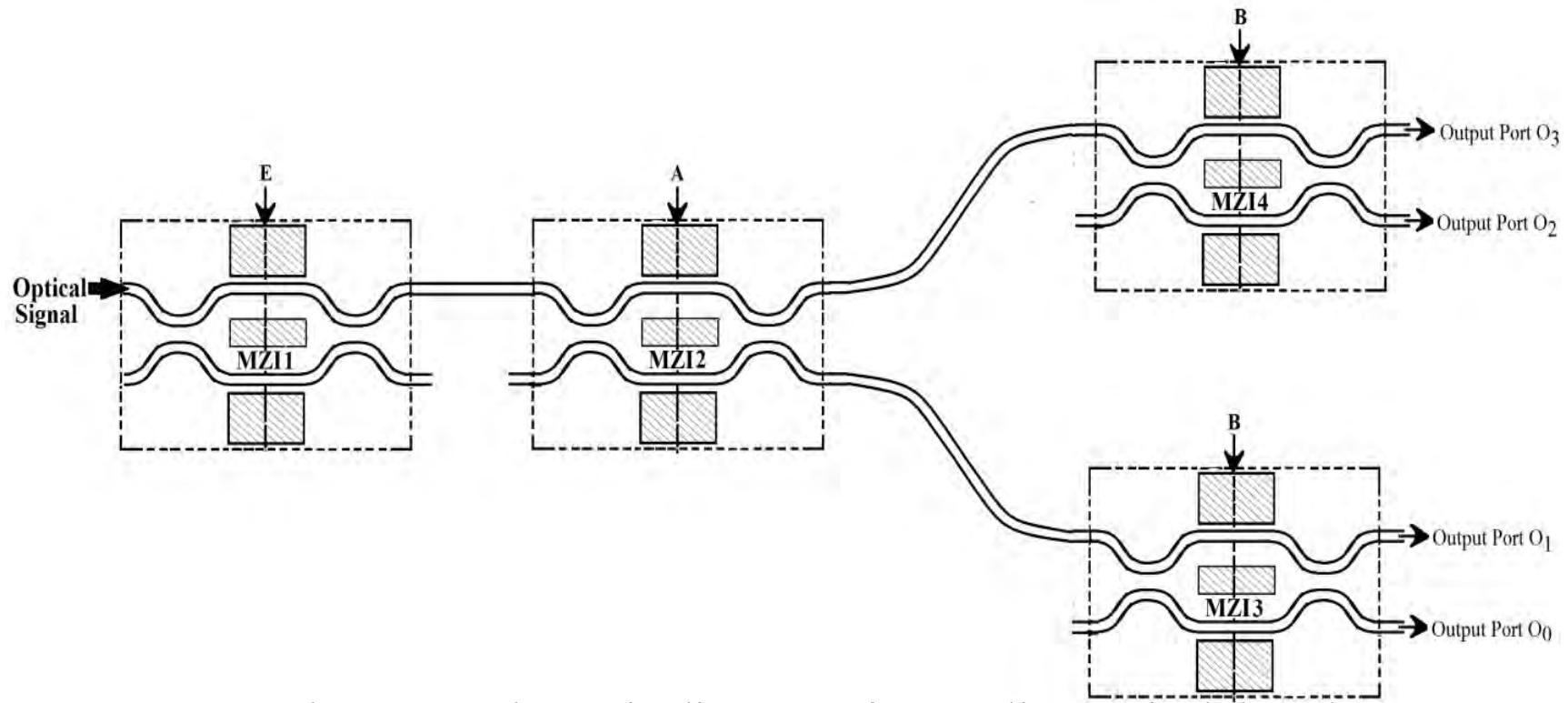


Figure 5: Schematic diagram of 2 to 4 line optical decoder

Table 2: Truth table of 2 to 4 line decoder

Control Signals			Optical propagation at output ports			
E	A	B	Output O ₀	Output O ₁	Output O ₂	Output O ₃
0	X	X	0	0	0	0
1	0	0	1	0	0	0
1	0	1	0	1	0	0
1	1	0	0	0	1	0
1	1	1	0	0	0	1

Mathematical Expression for 2 to 4 line decoder

We can write the output O_0 at second output port of MZI3 as;

$$O_0 = \left| \frac{O_{0\text{MZI}3}}{E_{\text{in}}} \right|^2 = \sin^2 \left(\frac{\Delta\phi_{\text{MZI}1}}{2} \right) \cos^2 \left(\frac{\Delta\phi_{\text{MZI}2}}{2} \right) \cos^2 \left(\frac{\Delta\phi_{\text{MZI}3}}{2} \right) \quad (8)$$

$$O_1 = \left| \frac{O_{1\text{MZI}3}}{E_{\text{in}}} \right|^2 = \sin^2 \left(\frac{\Delta\phi_{\text{MZI}1}}{2} \right) \cos^2 \left(\frac{\Delta\phi_{\text{MZI}2}}{2} \right) \sin^2 \left(\frac{\Delta\phi_{\text{MZI}3}}{2} \right) \quad (9)$$

$$O_2 = \left| \frac{O_{2\text{MZI}4}}{E_{\text{in}}} \right|^2 = \sin^2 \left(\frac{\Delta\phi_{\text{MZI}1}}{2} \right) \sin^2 \left(\frac{\Delta\phi_{\text{MZI}2}}{2} \right) \cos^2 \left(\frac{\Delta\phi_{\text{MZI}4}}{2} \right) \quad (10)$$

$$O_3 = \left| \frac{O_{3\text{MZI}4}}{E_{\text{in}}} \right|^2 = \sin^2 \left(\frac{\Delta\phi_{\text{MZI}1}}{2} \right) \sin^2 \left(\frac{\Delta\phi_{\text{MZI}2}}{2} \right) \sin^2 \left(\frac{\Delta\phi_{\text{MZI}4}}{2} \right) \quad (11)$$

MATLAB simulation Results of 2 to 4 line decoder

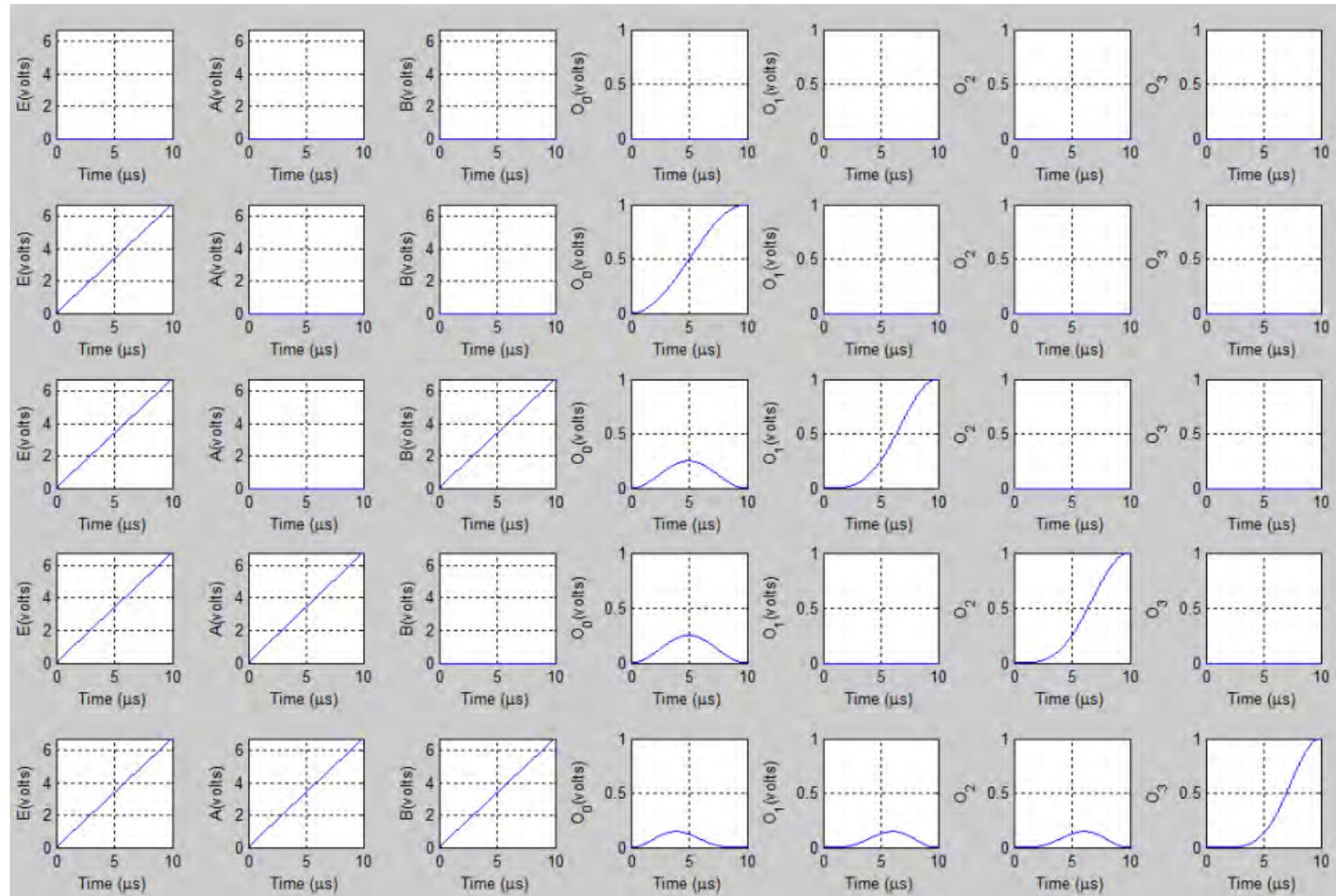


Figure 6: MATLAB simulation result of 2 to 4 line decoder

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BPM Layout of 2 to 4 line decoder

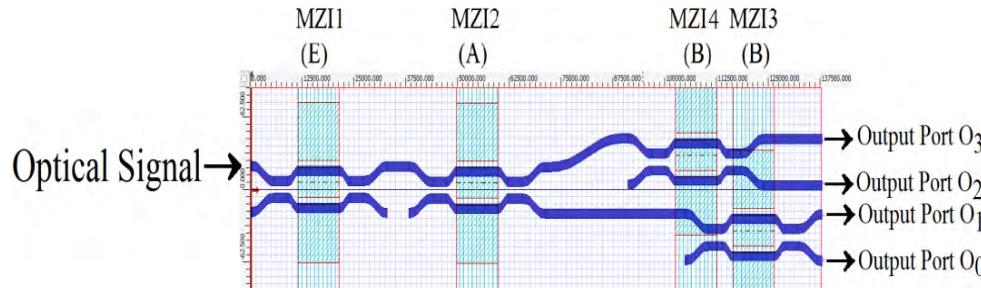


Figure 7: Layout of 2 to 4 line decoder

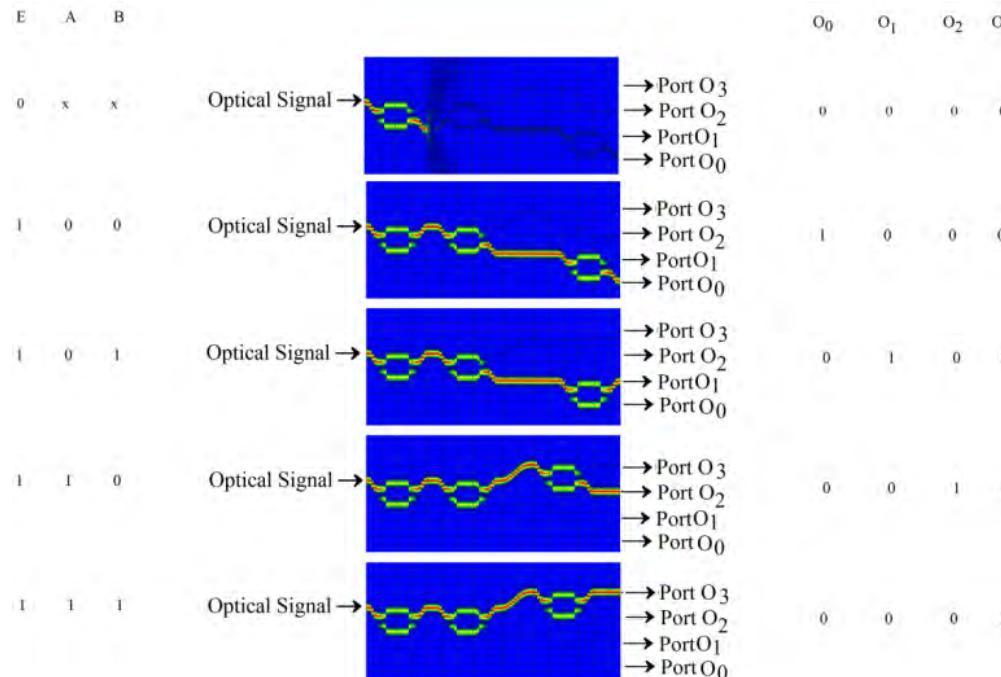


Figure 8: Results of 2 to 4 line decoder for different combinations of control signals (E, A and B)

Design of 3 to 8 line decoder

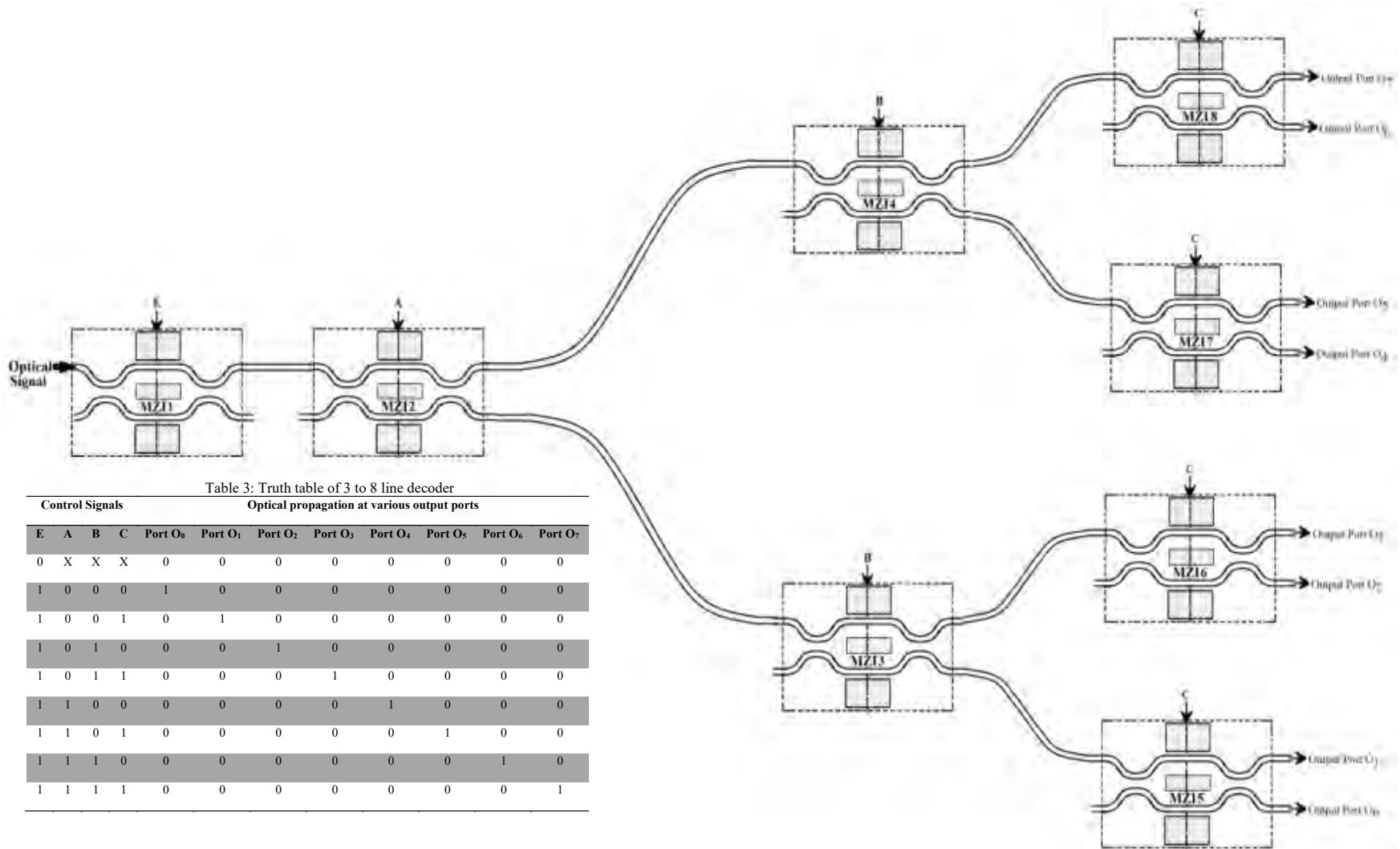


Figure 9: Schematic diagram of 3 to 8 lineoptical decoder

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Mathematical Expression for 3 to 8 Line Decoder

The output O_0 at second output port of MZI5 as;

$$O_0 = \left| \frac{O_{0\text{ MZI}5}}{E_{\text{in}}} \right|^2 = \sin^2 \left(\frac{\Delta\phi_{\text{MZI}1}}{2} \right) \cos^2 \left(\frac{\Delta\phi_{\text{MZI}2}}{2} \right) \cos^2 \left(\frac{\Delta\phi_{\text{MZI}3}}{2} \right) \cos^2 \left(\frac{\Delta\phi_{\text{MZI}5}}{2} \right) \quad (12)$$

The output O_1 at first output port of MZI5 as;

$$O_1 = \left| \frac{O_{1\text{ MZI}5}}{E_{\text{in}}} \right|^2 = \sin^2 \left(\frac{\Delta\phi_{\text{MZI}1}}{2} \right) \cos^2 \left(\frac{\Delta\phi_{\text{MZI}2}}{2} \right) \cos^2 \left(\frac{\Delta\phi_{\text{MZI}3}}{2} \right) \sin^2 \left(\frac{\Delta\phi_{\text{MZI}5}}{2} \right) \quad (13)$$

The output O_2 at second output port of MZI6 as;

$$O_2 = \left| \frac{O_{2\text{ MZI}6}}{E_{\text{in}}} \right|^2 = \sin^2 \left(\frac{\Delta\phi_{\text{MZI}1}}{2} \right) \cos^2 \left(\frac{\Delta\phi_{\text{MZI}2}}{2} \right) \sin^2 \left(\frac{\Delta\phi_{\text{MZI}3}}{2} \right) \cos^2 \left(\frac{\Delta\phi_{\text{MZI}6}}{2} \right) \quad (14)$$

The output O_3 at first output port of MZI6 as;

$$O_3 = \left| \frac{O_{3\text{ MZI}6}}{E_{\text{in}}} \right|^2 = \sin^2 \left(\frac{\Delta\phi_{\text{MZI}1}}{2} \right) \cos^2 \left(\frac{\Delta\phi_{\text{MZI}2}}{2} \right) \sin^2 \left(\frac{\Delta\phi_{\text{MZI}3}}{2} \right) \sin^2 \left(\frac{\Delta\phi_{\text{MZI}6}}{2} \right) \quad (15)$$

Cont....

The output O_4 at second output port of MZI7 as

$$O_4 = \left| \frac{O_{4\text{MZI}7}}{E_{\text{in}}} \right|^2 = \sin^2\left(\frac{\Delta\phi_{\text{MZI}1}}{2}\right) \sin^2\left(\frac{\Delta\phi_{\text{MZI}2}}{2}\right) \cos^2\left(\frac{\Delta\phi_{\text{MZI}4}}{2}\right) \cos^2\left(\frac{\Delta\phi_{\text{MZI}7}}{2}\right) \quad (16)$$

The output O_5 at first output port of MZI7 as

$$O_5 = \left| \frac{O_{5\text{MZI}7}}{E_{\text{in}}} \right|^2 = \sin^2\left(\frac{\Delta\phi_{\text{MZI}1}}{2}\right) \sin^2\left(\frac{\Delta\phi_{\text{MZI}2}}{2}\right) \cos^2\left(\frac{\Delta\phi_{\text{MZI}4}}{2}\right) \sin\left(\frac{\Delta\phi_{\text{MZI}7}}{2}\right) \quad (17)$$

The output O_6 at second output port of MZI8 as

$$O_6 = \left| \frac{O_{6\text{MZI}8}}{E_{\text{in}}} \right|^2 = \sin^2\left(\frac{\Delta\phi_{\text{MZI}1}}{2}\right) \sin^2\left(\frac{\Delta\phi_{\text{MZI}2}}{2}\right) \sin^2\left(\frac{\Delta\phi_{\text{MZI}4}}{2}\right) \cos^2\left(\frac{\Delta\phi_{\text{MZI}8}}{2}\right) \quad (18)$$

The output O_7 at first output port of MZI8 as

$$O_7 = \left| \frac{O_{7\text{MZI}8}}{E_{\text{in}}} \right|^2 = \sin^2\left(\frac{\Delta\phi_{\text{MZI}1}}{2}\right) \sin^2\left(\frac{\Delta\phi_{\text{MZI}2}}{2}\right) \sin^2\left(\frac{\Delta\phi_{\text{MZI}4}}{2}\right) \sin^2\left(\frac{\Delta\phi_{\text{MZI}8}}{2}\right) \quad (19)$$

BPM Layout of 3 to 8 Line Decoder

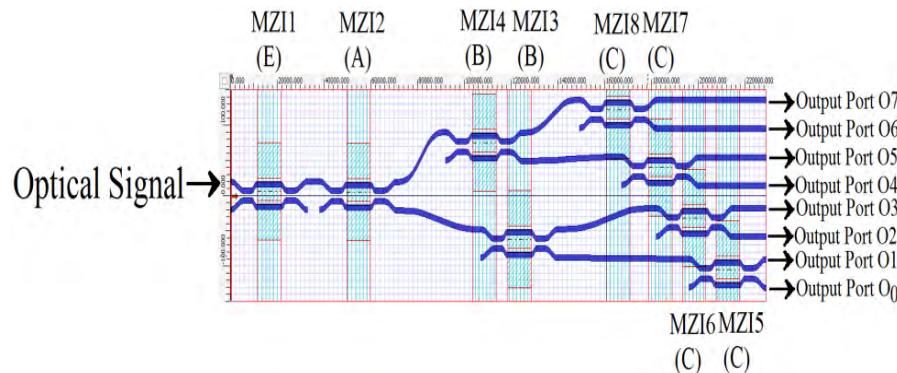


Figure 10: Layout diagram of 3 to 8 line decoder

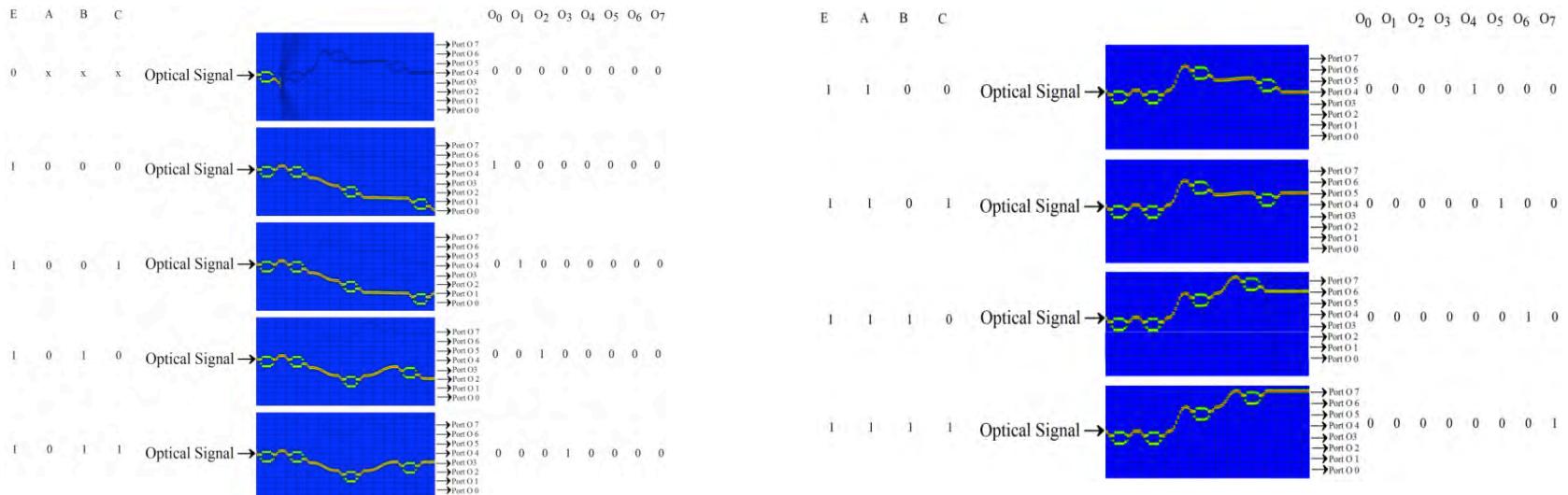


Figure 11 (a): Simulation results of 3 to 8 line decoder for control signals E, A, B and $C = 1000$ to Figure 11 (b): Simulation results of 3 to 8 line decoder for control signals E, A, B and $C = 1100$ to

Dr. Senthil Kumar obtained through beam propagation method

Design of 4 to 2 line Encoder

Santosh Kumar et. al., Proc. SPIE 9889, Optical Modelling and Design IV, 98890H Brussels, Belgium 2016.

Design of 4 to 2 line Encoder

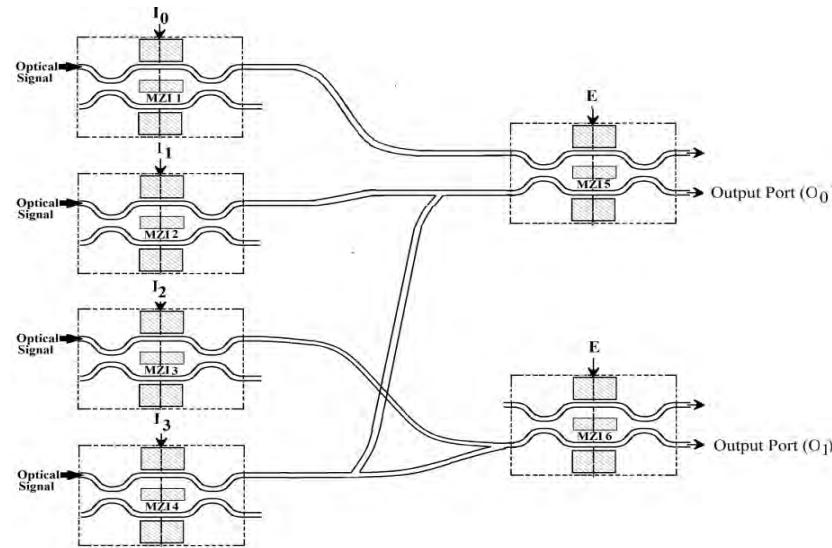


Figure 12: Schematic diagram of 4 to 2 Line Encoder using MZIs

Table 4: Truth table of 4 to 2 line Encoder

Control Signals					Output at different Ports	
E	I_0	I_1	I_2	I_3	Output (O_1)	Output (O_0)
1	1	0	0	0	0	0
1	0	1	0	0	0	1
1	0	0	1	0	1	0
1	0	0	0	1	1	1

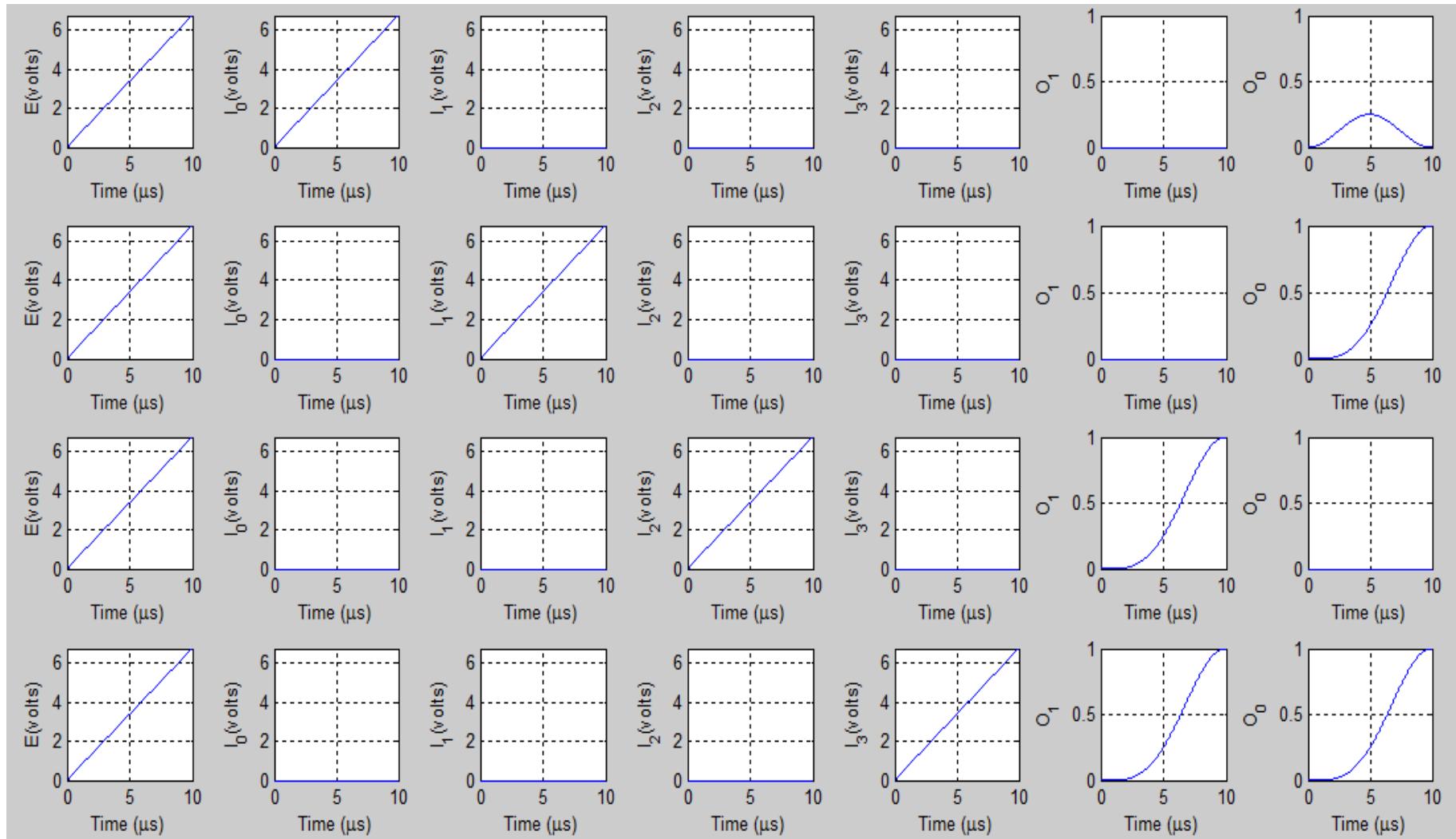
Mathematical Expression for 4 to 2 Line Encoder

To operate 4 to 2 line encoder, the power appears at second output port of MZI5 and MZI6. So the normalized power at the second output port is computed as follows:

$$O_0 = \sin^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI5}}{2}\right) + \sin^2\left(\frac{\Delta\phi_{MZI2}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI5}}{2}\right) + \sin^2\left(\frac{\Delta\phi_{MZI4}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI5}}{2}\right) \quad (20)$$

$$O_1 = \sin^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI6}}{2}\right) + \sin^2\left(\frac{\Delta\phi_{MZI4}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI6}}{2}\right) \quad (21)$$

MATLAB simulation Results of 4 to 2 Line Encoder



Dr. Santosh Kumar Figure 13: MATLAB simulation result of 4 to 2 Line Encoder

BPM layout and results of 4 to 2 Line Encoder

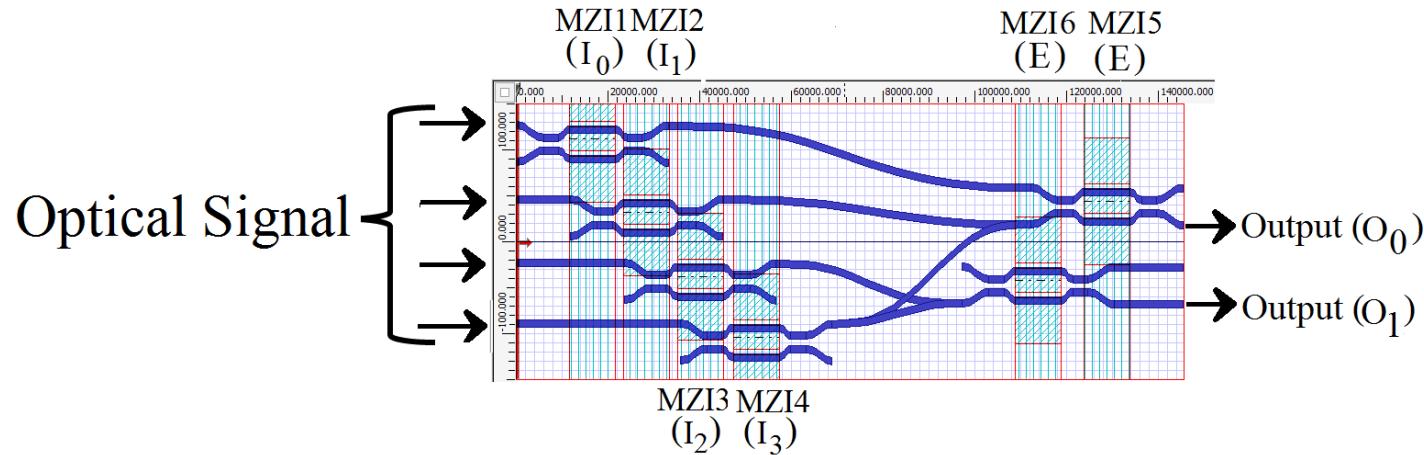


Figure 14 (a): OptiBPM layout diagram of 4 to 2 Line Encoder

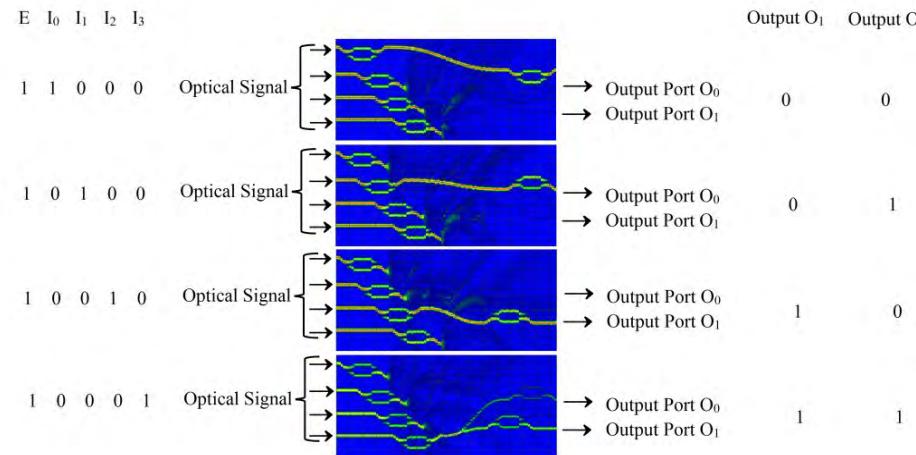


Figure 14 (b): OptiBPM simulation results for 4 to 2 Line Encoder

Design of Four-Bit Priority Encoder using MZIs

Santosh Kumar, et. al., IEEE/Workshop on Recent Advances in Photonics 2015, Indian Institute of Science, Bangalore, India, 16-17 Dec., 2015 (IEEE Xplore).

Design of Four-Bit Priority Encoder using MZIs

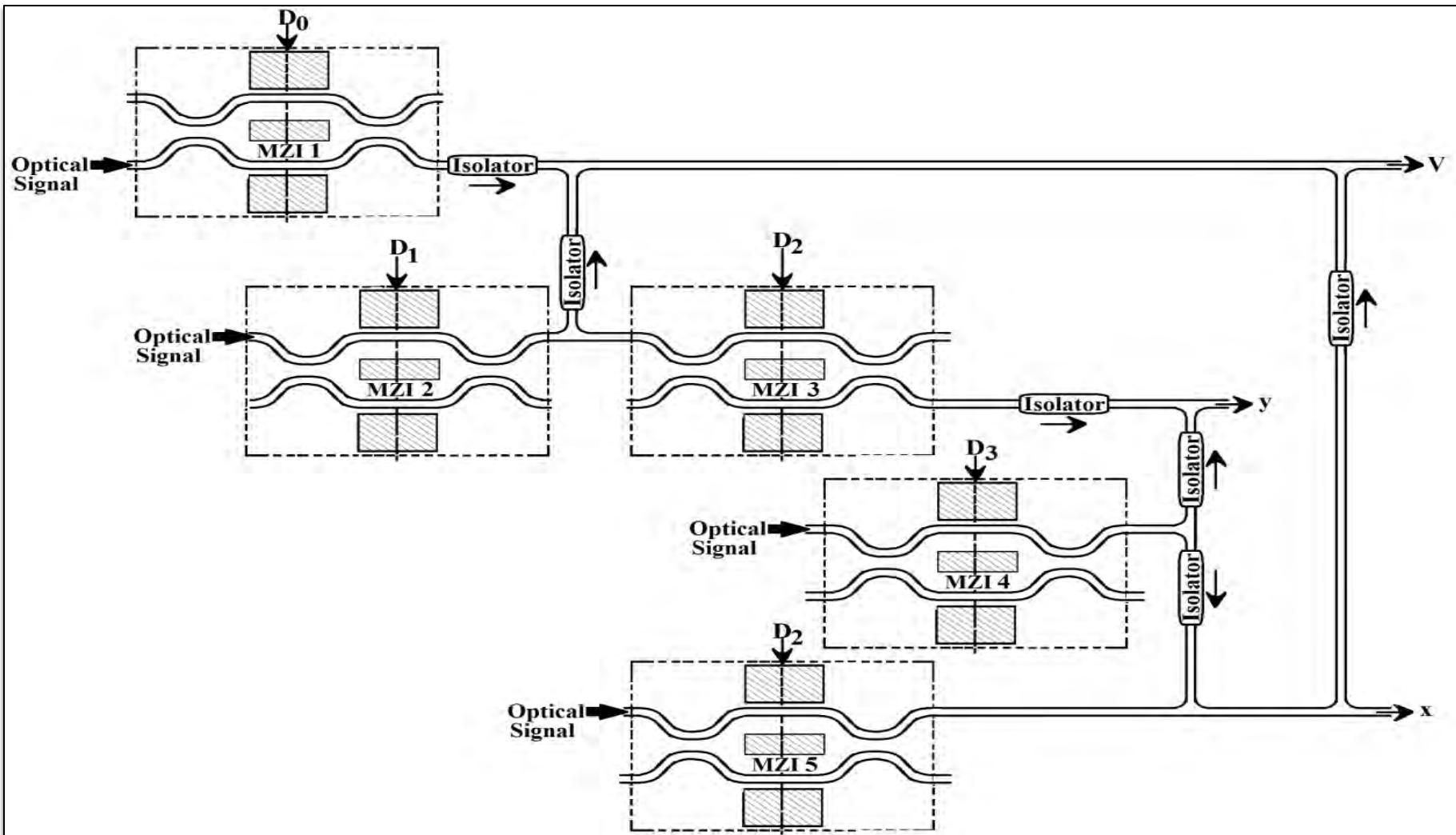


Figure 22: Schematic diagram of 4-bit priority encoder using MZIs

Mathematical expression of Four-Bit Priority Encoder

The proper combination of minterms provides the expression for the output of the priority encoder. The expression for valid-bit (V) can be written as

$$V = \sin^2\left(\frac{\Delta\varphi_{MZI} 1}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{MZI} 2}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{MZI} 4}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{MZI} 5}{2}\right) \quad (30)$$

Similarly x and y can be represented as

$$x = \sin^2\left(\frac{\Delta\varphi_{MZI} 4}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{MZI} 5}{2}\right) \quad (31)$$

$$y = \sin^2\left(\frac{\Delta\varphi_{MZI} 4}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{MZI} 2}{2}\right) \cos^2\left(\frac{\Delta\varphi_{MZI} 3}{2}\right) \quad (32)$$

Where,

$$\left. \begin{array}{l} \varphi_{0MZI} 1 = \frac{\varphi_{1MZI} 1 + \varphi_{2MZI} 1}{2} \\ \varphi_{0MZI} 2 = \frac{\varphi_{1MZI} 2 + \varphi_{2MZI} 2}{2} \\ \varphi_{0MZI} 3 = \frac{\varphi_{1MZI} 3 + \varphi_{2MZI} 3}{2} \\ \varphi_{0MZI} 4 = \frac{\varphi_{1MZI} 4 + \varphi_{2MZI} 4}{2} \\ \varphi_{0MZI} 5 = \frac{\varphi_{1MZI} 5 + \varphi_{2MZI} 5}{2} \end{array} \right\} \quad \left. \begin{array}{l} \Delta\varphi_{MZI} 1 = \varphi_{1MZI} 1 - \varphi_{2MZI} 1 = \frac{\pi}{V_\pi} D_0 \\ \Delta\varphi_{MZI} 2 = \varphi_{1MZI} 2 - \varphi_{2MZI} 2 = \frac{\pi}{V_\pi} D_1 \\ \Delta\varphi_{MZI} 3 = \varphi_{1MZI} 3 - \varphi_{2MZI} 3 = \frac{\pi}{V_\pi} D_2 \\ \Delta\varphi_{MZI} 4 = \varphi_{1MZI} 4 - \varphi_{2MZI} 4 = \frac{\pi}{V_\pi} D_3 \\ \Delta\varphi_{MZI} 5 = \varphi_{1MZI} 5 - \varphi_{2MZI} 5 = \frac{\pi}{V_\pi} D_2 \end{array} \right\}$$

MATLAB Result of Four-Bit Priority Encoder

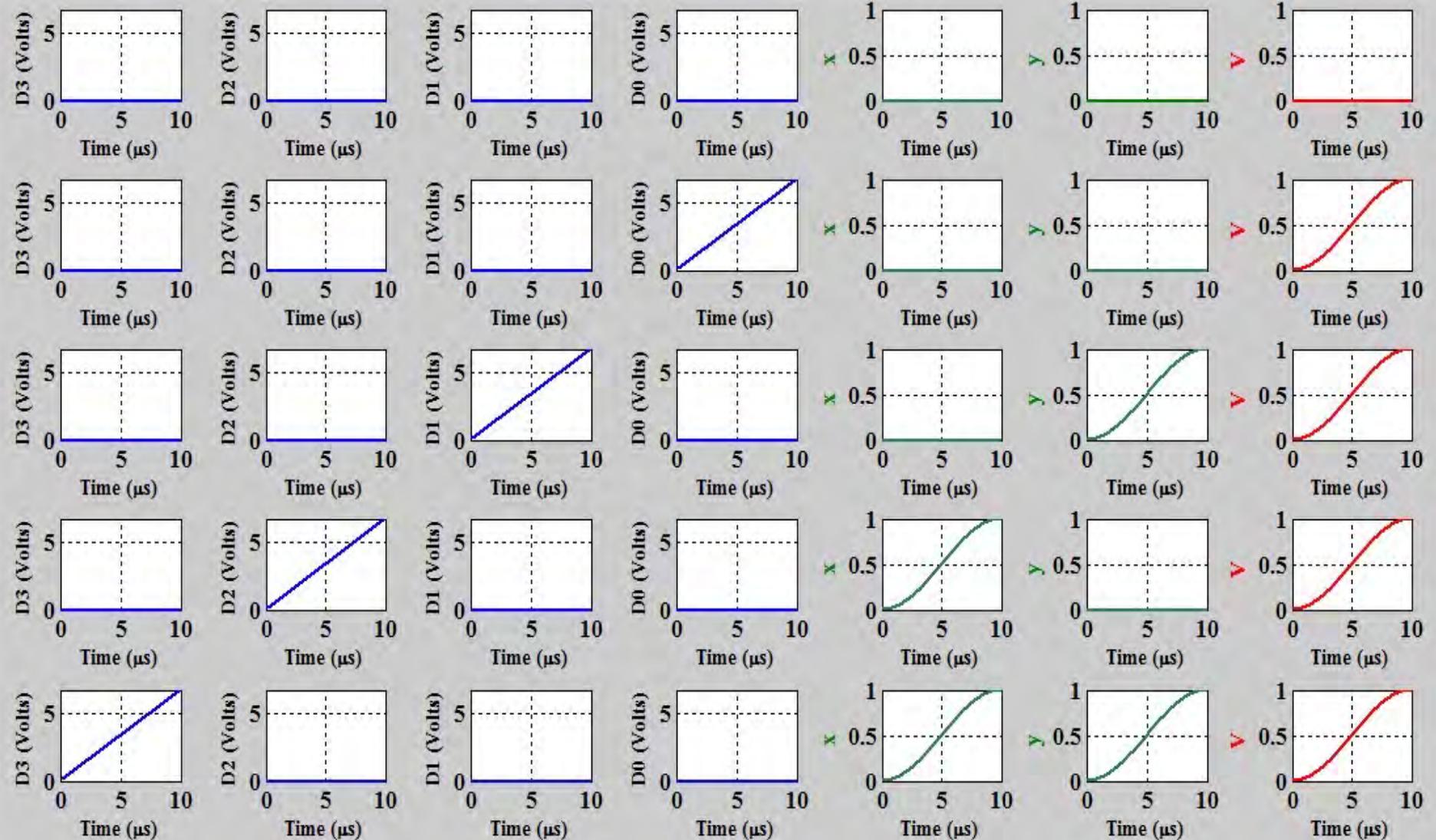
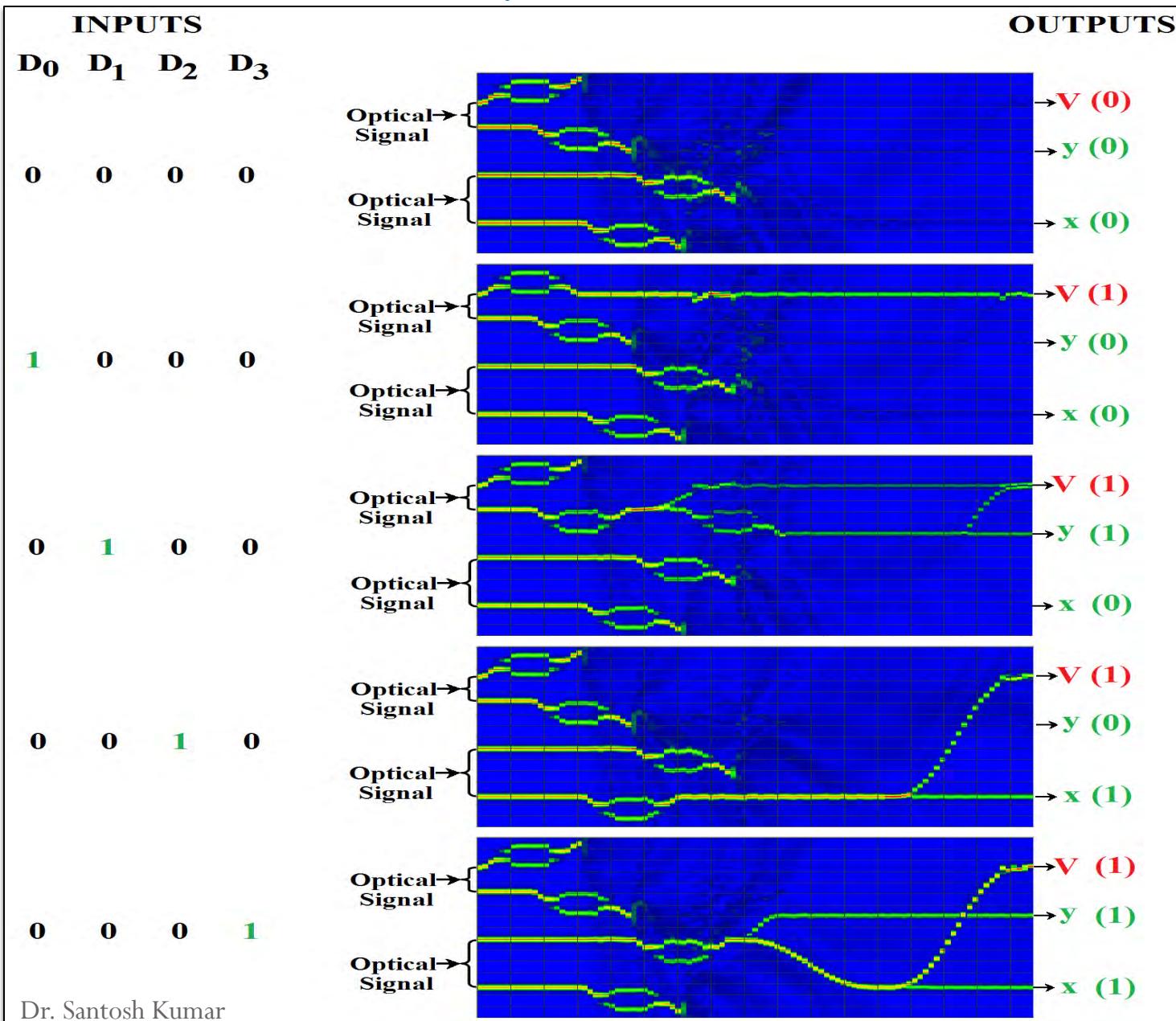


Figure 23: MATLAB Simulation results of four-bit priority encoder for different combinations of data signals.

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BPM Result of Four-Bit Priority Encoder



Design of Optical seven segment decoder

Santosh Kumar et. al., Optical Engineering (SPIE), Vol. 56, Issue 1, pp. 017103 (Jan 06, 2017).

Design of Seven Segment Decoder

- Seven segment decoder is a device that allows placing digital information from many inputs to many outputs optically.
- Conventional seven segment decoder having seven LED for showing the decimal digit 0 to 9. Each LED require around 20mA current for their operation, so one seven segment decoder requires 140mA current.

Cont....

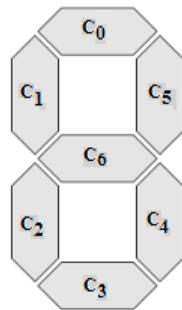


Figure 35: structure of seven segment display

Table 10: Truth table for seven segment decoder

A	B	C	D	C_0	C_1	C_2	C_3	C_4	C_5	C_6
0	0	0	0	1	1	1	1	1	1	0
0	0	0	1	0	1	1	0	0	0	0
0	0	1	0	1	1	0	1	1	0	1
0	0	1	1	1	1	1	1	0	0	1
0	1	0	0	0	1	1	0	0	1	1
0	1	0	1	1	0	1	1	0	1	1
0	1	1	0	1	0	1	1	1	1	1
0	1	1	1	1	1	1	0	0	0	0
1	0	0	0	1	1	1	1	1	1	1
1	0	0	1	1	1	1	1	0	1	1

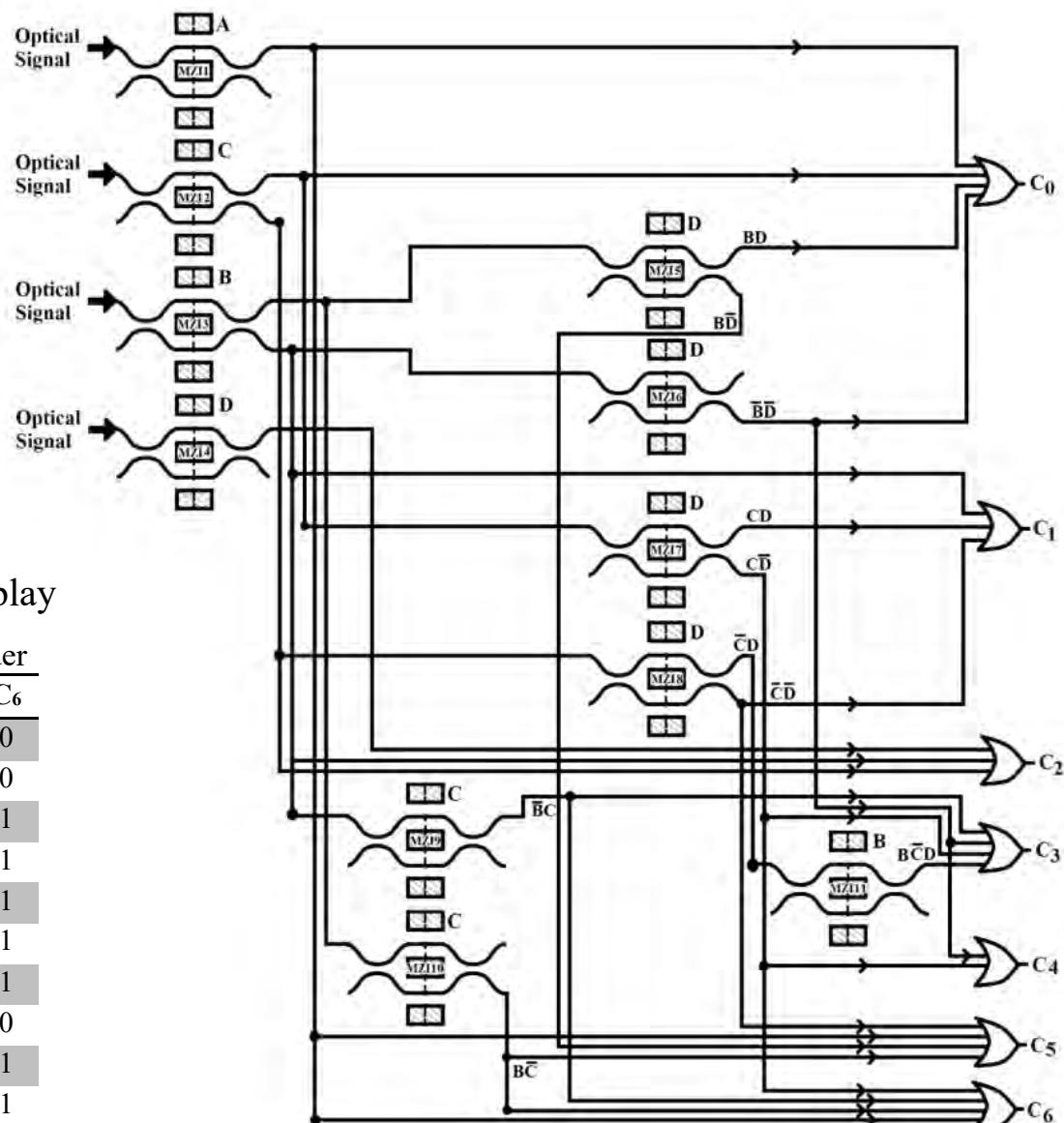


Figure 36: Schematic layout diagram of seven segment decoder

Cont....

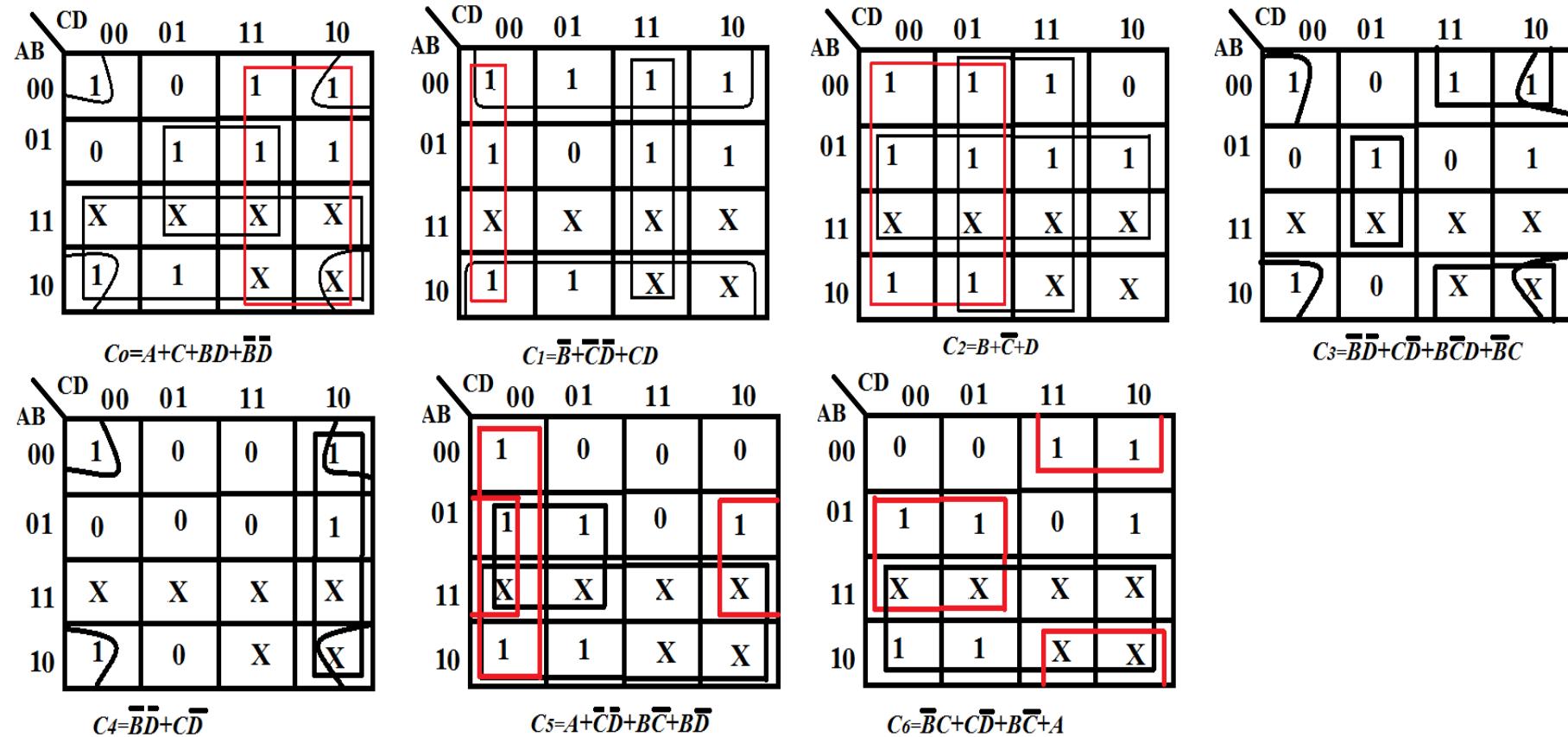


Figure 37: K Map for seven segment decoder

Mathematical Expression for Seven Segment Device

Normalized power at output port C_0 can be given as:

$$C_0 = \sin^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) + \sin^2\left(\frac{\Delta\phi_{MZI2}}{2}\right) + \sin^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) \times \sin^2\left(\frac{\Delta\phi_{MZI5}}{2}\right) + \cos^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) \\ \times \cos^2\left(\frac{\Delta\phi_{MZI6}}{2}\right) \quad (43)$$

Normalized power at output port C_1 is given as

$$C_1 = \cos^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) + \sin^2\left(\frac{\Delta\phi_{MZI2}}{2}\right) \times \sin^2\left(\frac{\Delta\phi_{MZI7}}{2}\right) + \cos^2\left(\frac{\Delta\phi_{MZI2}}{2}\right) \\ \times \cos^2\left(\frac{\Delta\phi_{MZI8}}{2}\right) \quad (44)$$

Normalized power at output port C_2 is given as

$$C_2 = \cos^2\left(\frac{\Delta\phi_{MZI2}}{2}\right) + \cos^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) + \sin^2\left(\frac{\Delta\phi_{MZI4}}{2}\right) \quad (45)$$

Cont....

Normalized power at output port C_3 is given as

$$C_3 = \cos^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) \times \sin^2\left(\frac{\Delta\phi_{MZI9}}{2}\right) + \sin^2\left(\frac{\Delta\phi_{MZI2}}{2}\right) \times \cos^2\left(\frac{\Delta\phi_{MZI7}}{2}\right) + \cos^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) \\ \times \cos^2\left(\frac{\Delta\phi_{MZI6}}{2}\right) + \cos^2\left(\frac{\Delta\phi_{MZI2}}{2}\right) \times \sin^2\left(\frac{\Delta\phi_{MZI8}}{2}\right) \quad (46)$$

Normalized power at output port C_4 is given as

$$C_4 = \sin^2\left(\frac{\Delta\phi_{MZI2}}{2}\right) \times \cos^2\left(\frac{\Delta\phi_{MZI7}}{2}\right) + \cos^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) \times \cos^2\left(\frac{\Delta\phi_{MZI6}}{2}\right) \quad (47)$$

Normalized power at output port C_5 is given as

$$C_5 = \sin^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) + \cos^2\left(\frac{\Delta\phi_{MZI2}}{2}\right) \times \cos^2\left(\frac{\Delta\phi_{MZI8}}{2}\right) + \sin^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) \times \cos^2\left(\frac{\Delta\phi_{MZI5}}{2}\right) \\ + \cos^2\left(\frac{\Delta\phi_{MZI10}}{2}\right) \times \sin^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) \quad (48)$$

Normalized power at output port C_6 is given as

$$C_6 = \sin^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) + \cos^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) \times \sin^2\left(\frac{\Delta\phi_{MZI9}}{2}\right) + \sin^2\left(\frac{\Delta\phi_{MZI2}}{2}\right) \times \cos^2\left(\frac{\Delta\phi_{MZI7}}{2}\right) \\ + \cos^2\left(\frac{\Delta\phi_{MZI10}}{2}\right) \times \sin^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) \quad (49)$$

BPM layout of Seven Segment device

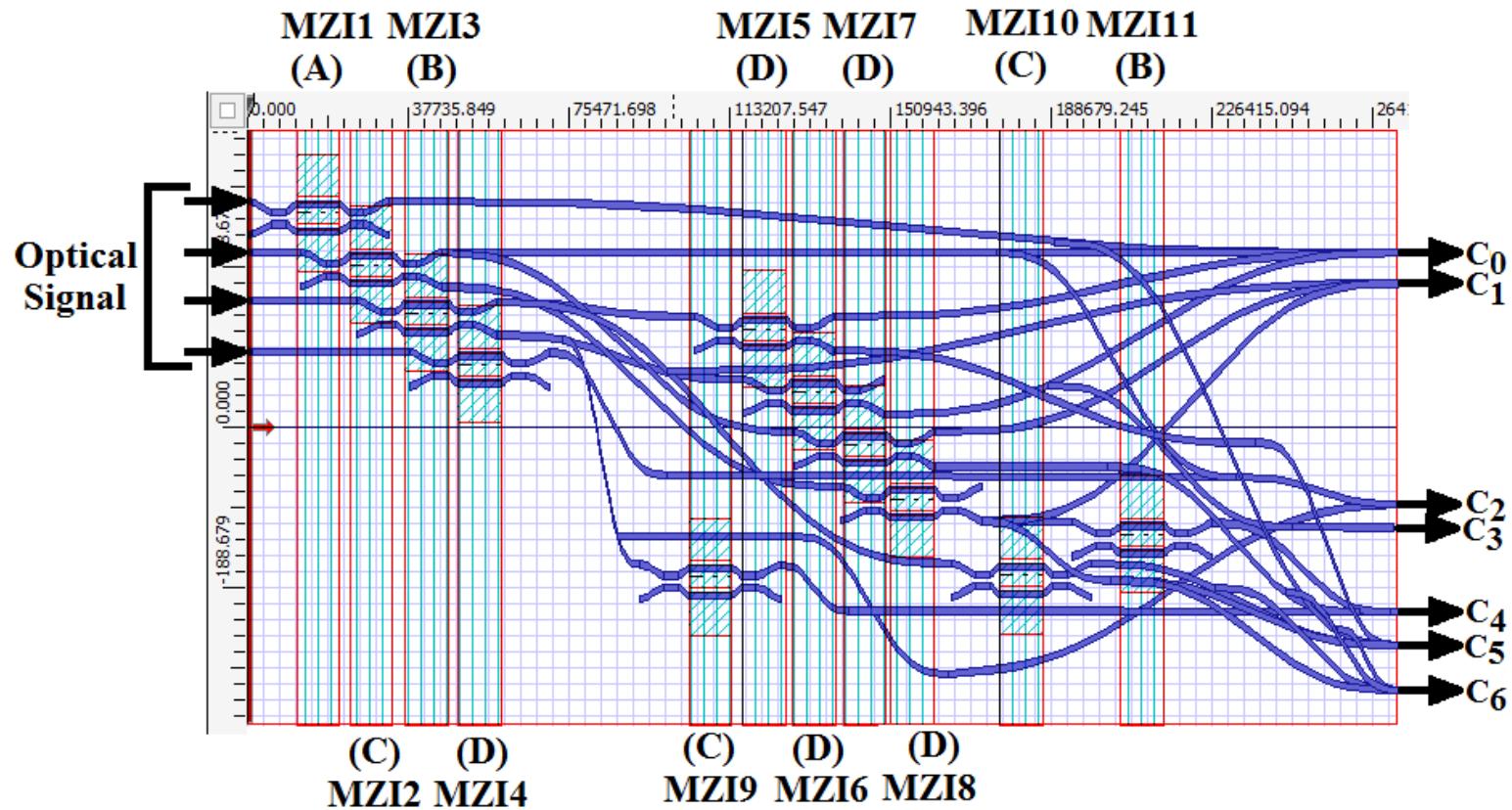


Figure 38: BPM layout of seven segment decoder

BPM results of Seven Segment Device

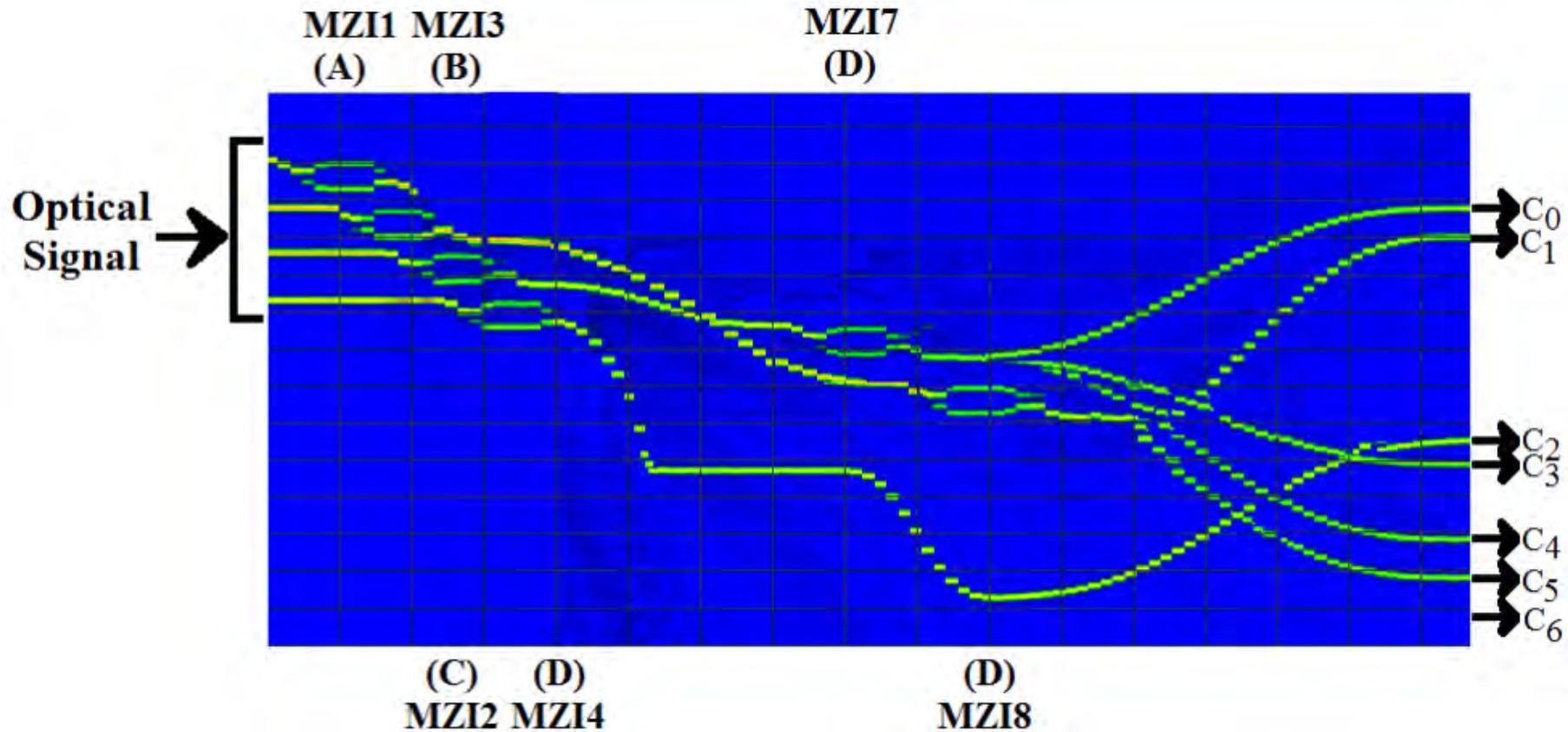


Figure 39: Results of seven segment decoder for different combinations of control signals ($ABCD = 0000$) obtained through beam propagation method

Design of Optical SR latch and flip flop

Santosh Kumar et. al., Journal of Optical Communications (2017).

Design of SR Latch and Flip-Flop

- SR latch or flip flop can maintain a binary state indefinitely until directed by an input signal to switch state.
- Any application of sequential logic circuit can be implemented by using SR flip flop and external gates. Flip flop have two stable states.
- It is also called binary or one bit storage memory element.

Cont....

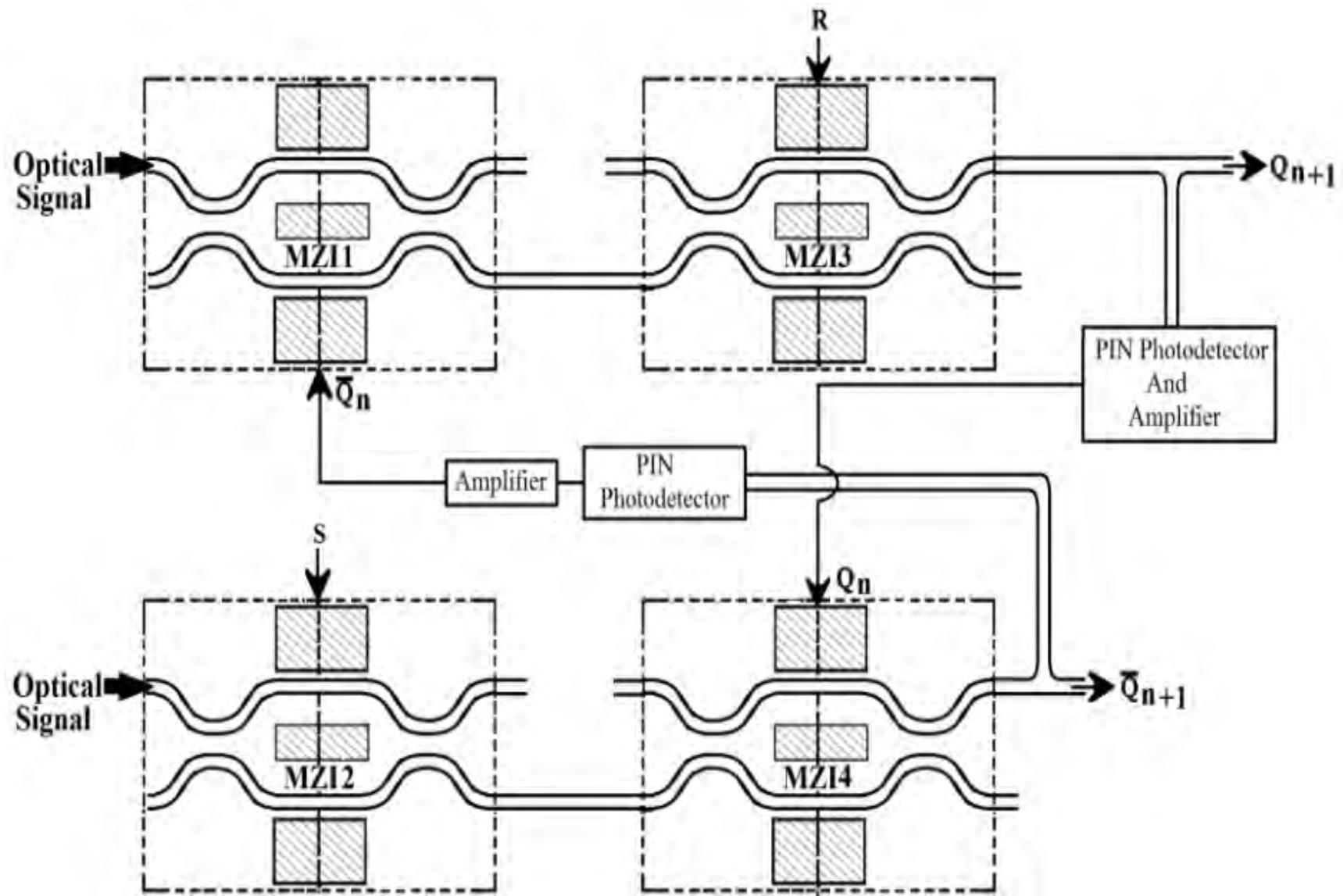


Figure 40: Schematic diagram of SR latch

Cont....

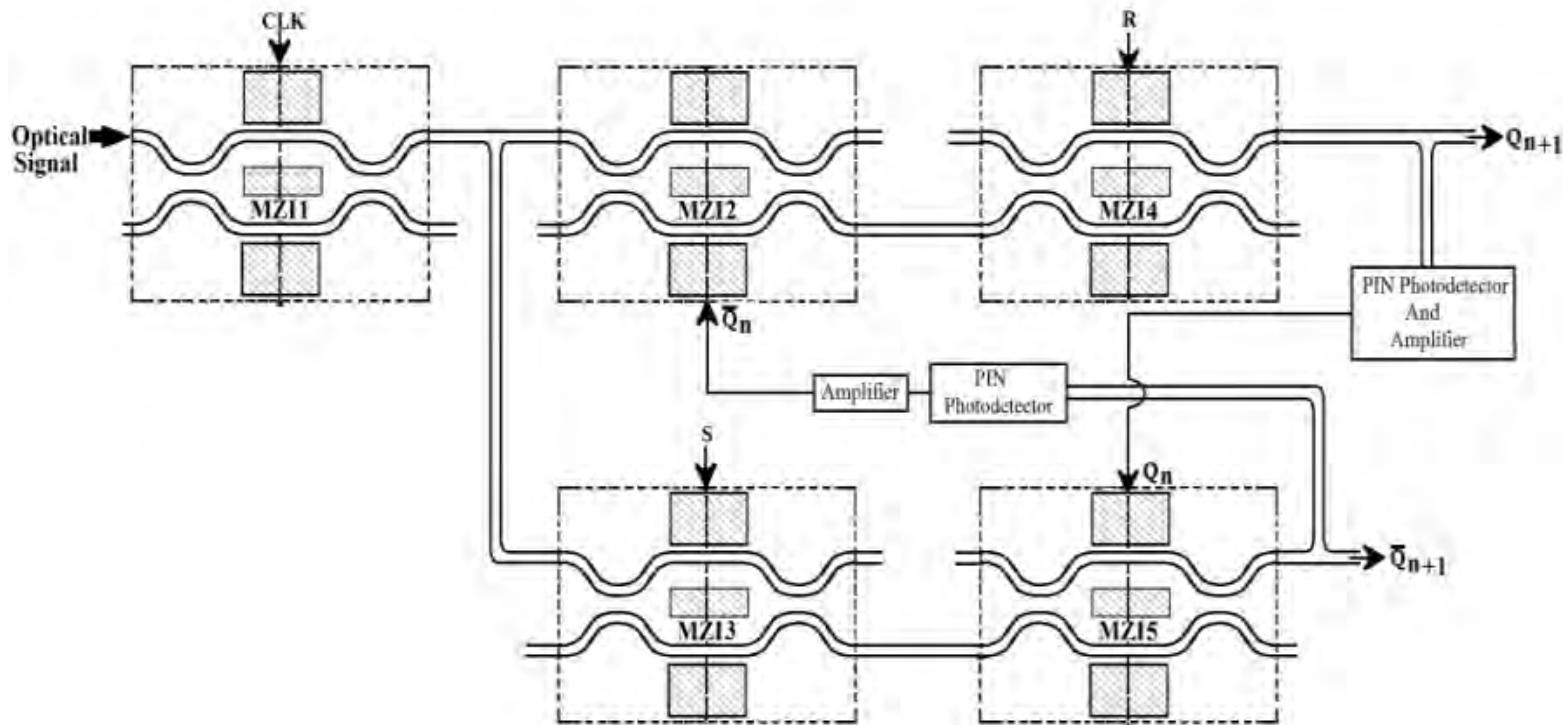


Figure 41: Schematic diagram of SR Flip Flop

Table 11: Functional table of SR latch

S	R	Q_{n+1}	\bar{Q}_{n+1}	States
0	0	Q_n	\bar{Q}_n	Previous State
0	1	0	1	Reset
1	0	1	0	Set
1	1	0	0	Invalid State

Mathematical Expression for SR Flip Flop

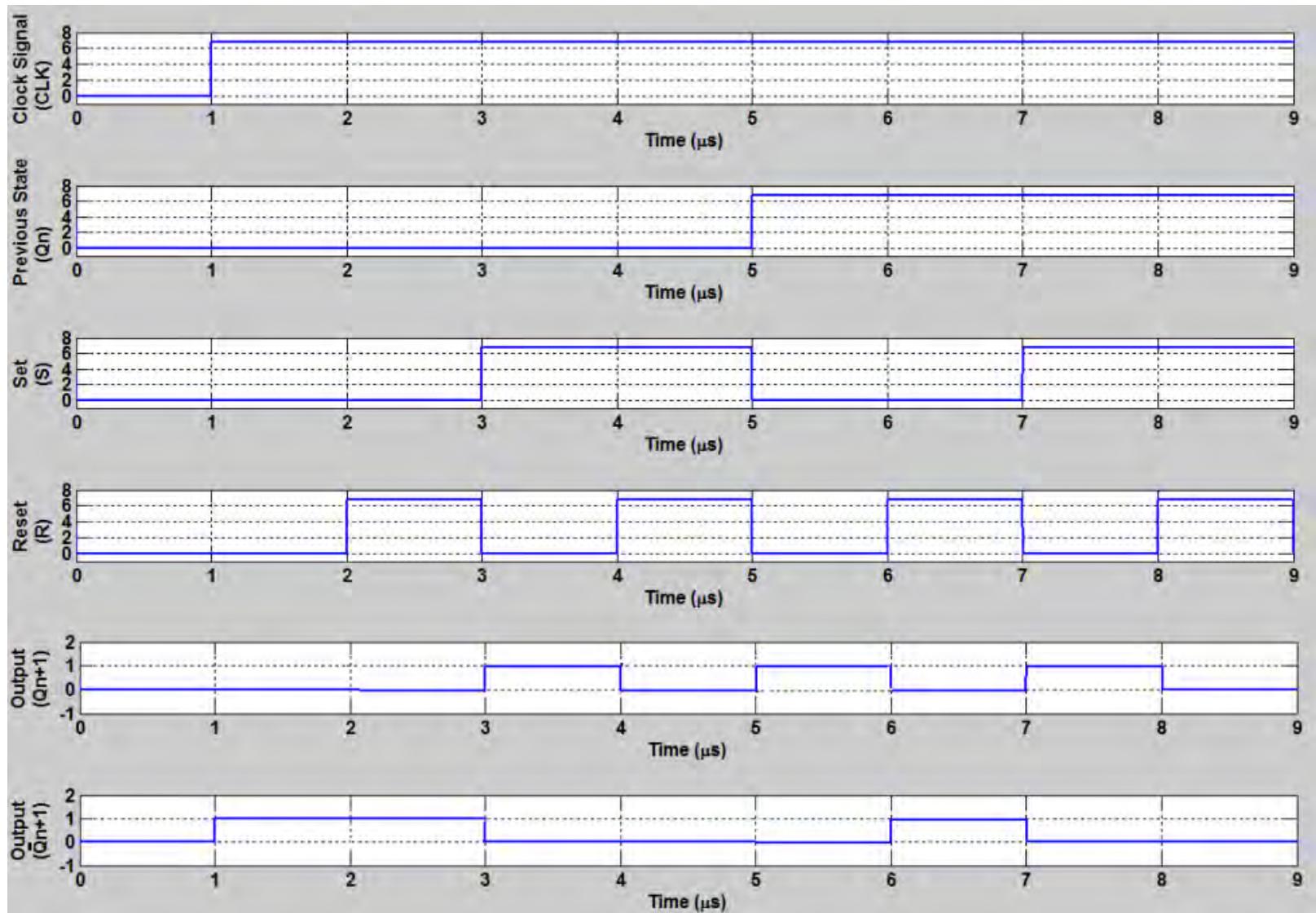
we can write the output Q_{n+1} at first output port of MZI4 as;

$$Q_{n+1} = \left| \frac{Q_{n+1 \text{ MZI4}}}{E_{\text{in}}} \right|^2 = \sin^2 \left(\frac{\Delta\varphi_{\text{MZI1}}}{2} \right) \cos^2 \left(\frac{\Delta\varphi_{\text{MZI2}}}{2} \right) \cos^2 \left(\frac{\Delta\varphi_{\text{MZI4}}}{2} \right) \quad (50)$$

The output \bar{Q}_{n+1} at the first output port of MZI5 as:

$$\bar{Q}_{n+1} = \left| \frac{\bar{Q}_{n+1 \text{ MZI5}}}{E_{\text{in}}} \right|^2 = \sin^2 \left(\frac{\Delta\varphi_{\text{MZI1}}}{2} \right) \cos^2 \left(\frac{\Delta\varphi_{\text{MZI3}}}{2} \right) \cos^2 \left(\frac{\Delta\varphi_{\text{MZI5}}}{2} \right) \quad (51)$$

MATLAB simulation Results of SR Flip-Flop



BPM Layout of SR latch

- Depending upon the values of SR and CLK signals at electrode of five MZIs, output optical signals (Q_{n+1} and \bar{Q}_{n+1}) can varies.

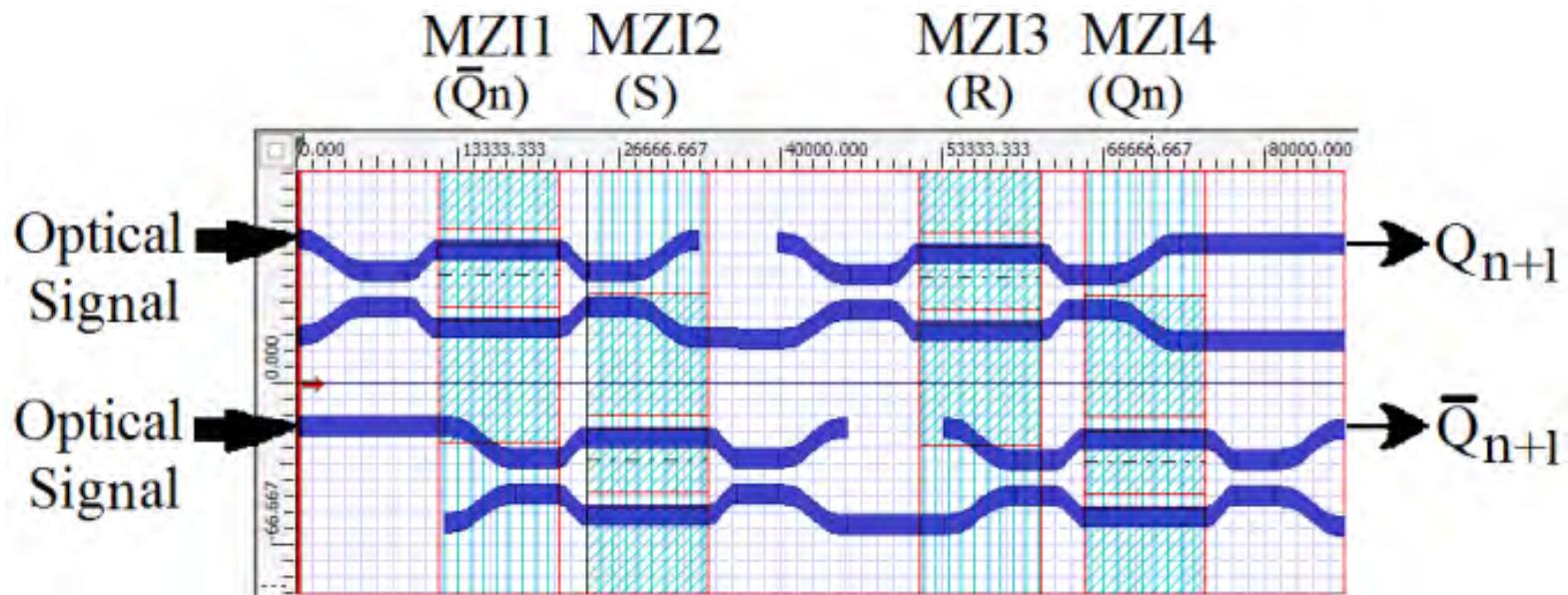


Figure 43: BPM layout of SR latch

BPM Layout of SR Flip-Flop

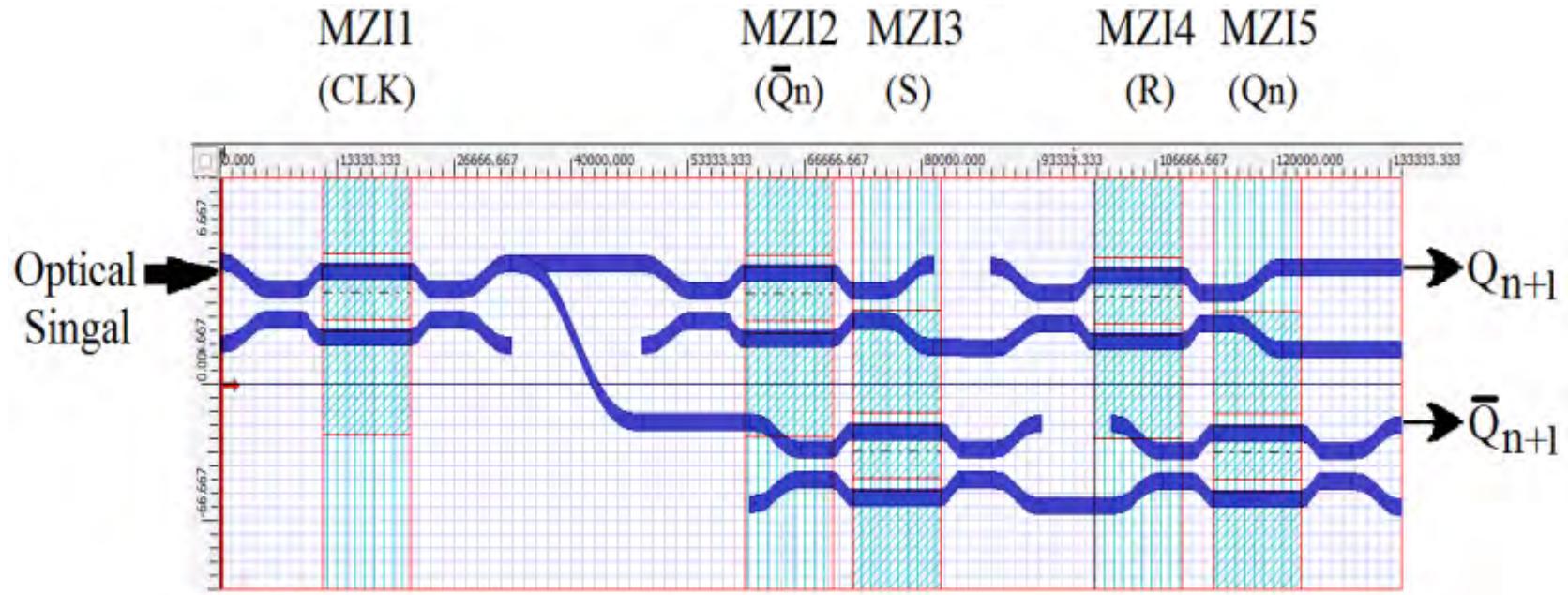


Figure 44: BPM layout of SR flip-flop

BPM results of SR Flip-Flop

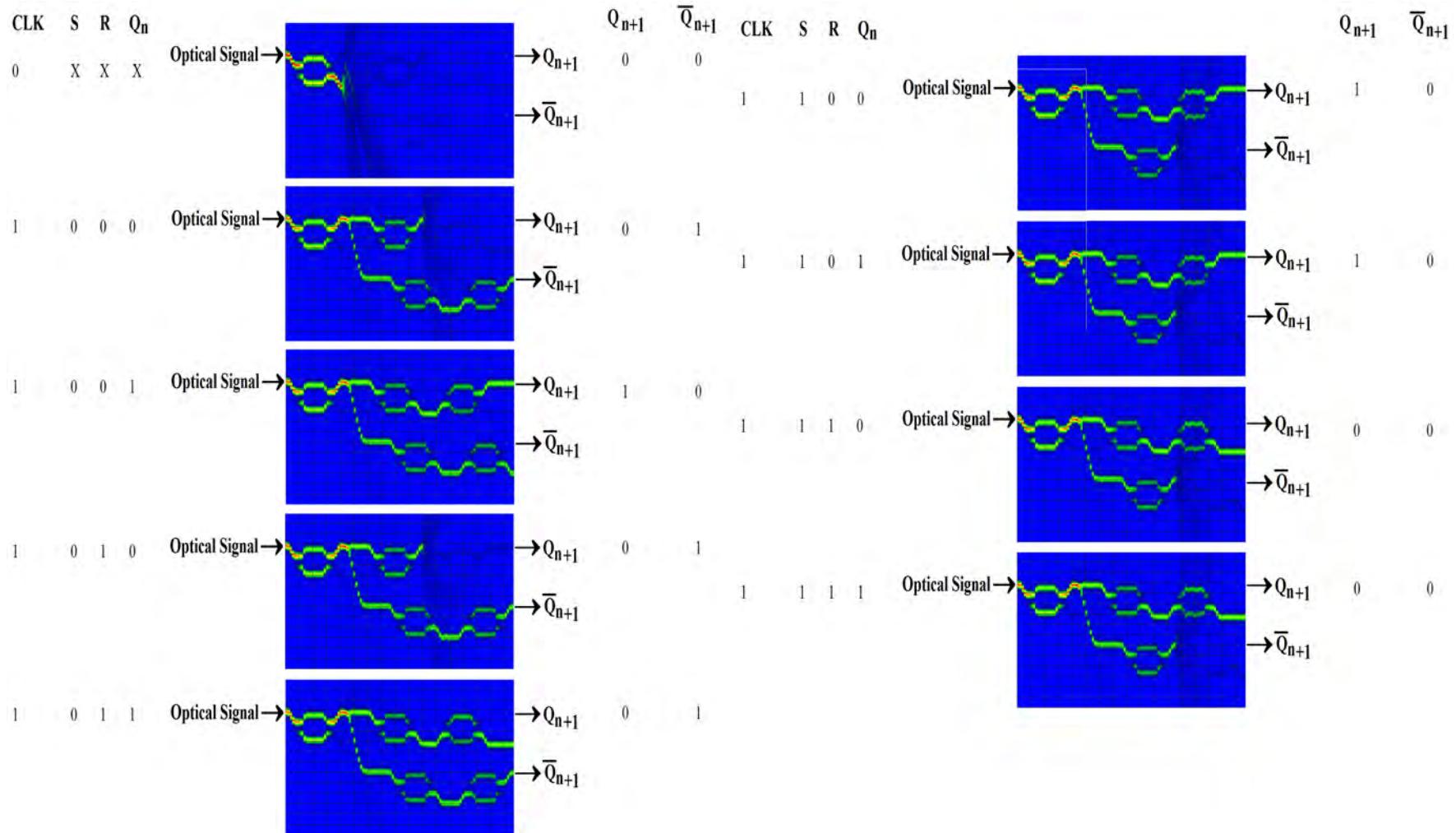


Figure 45 : Simulation results of SR flip flop for different combinations of SR control signals and

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$Q_n = 0$ and $Q_{n+1} = 0$

Design of D and T Flip-flops

Santosh Kumar et. al., Applied Optics (OSA), Vol. 54, Issue 21, PP. 6397-6405 (July 20, 2015)

Design of D and T Flip-flops

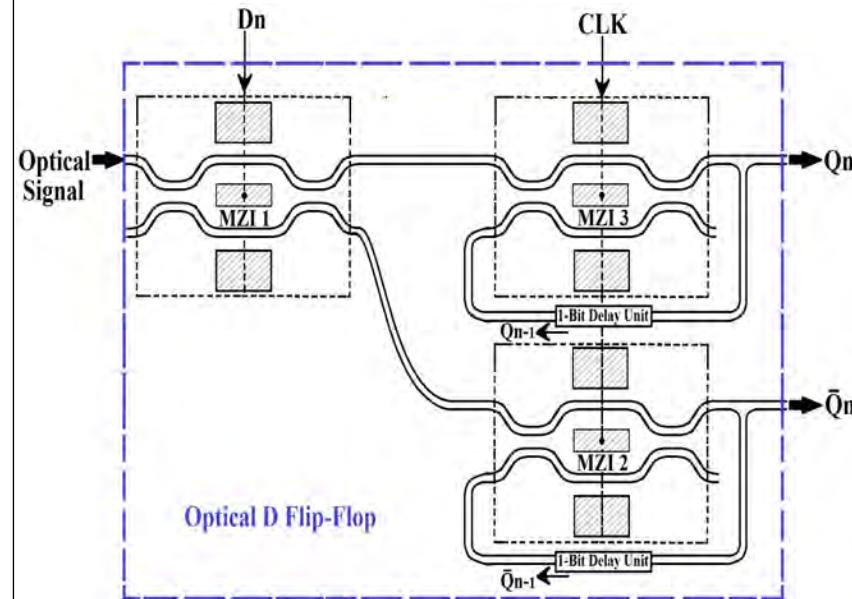


Fig. 15: Schematic diagram of D flip-flop.

Table 4: Function table of D flip-flop.

D_n	CLK	Q_n	\bar{Q}_n
0	1	0	1
1	1	1	0
x	0	Last Q_n	Last \bar{Q}_n

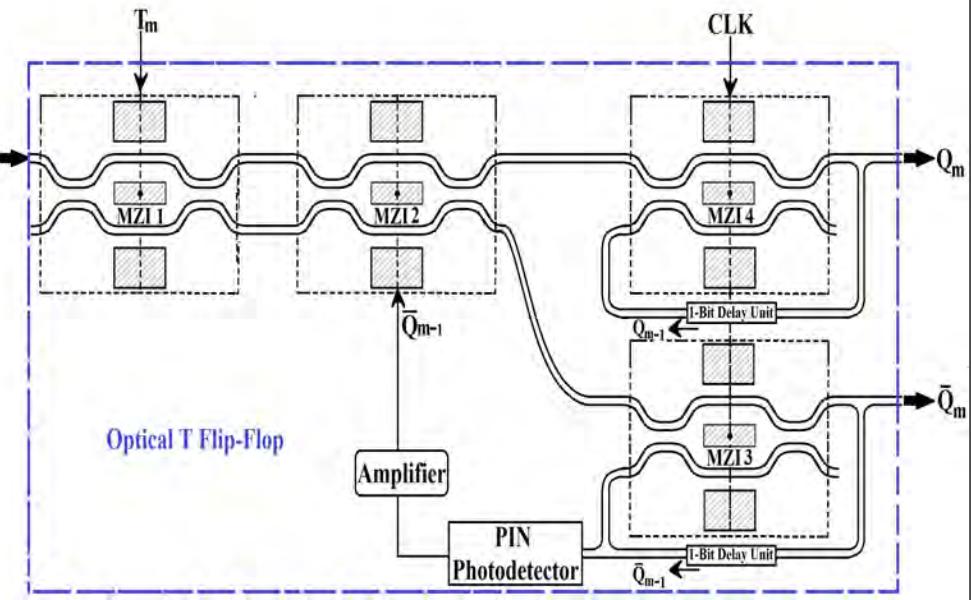


Fig. 16: Schematic diagram of T flip-flop.

Table 5: Function table of T flip-flop.

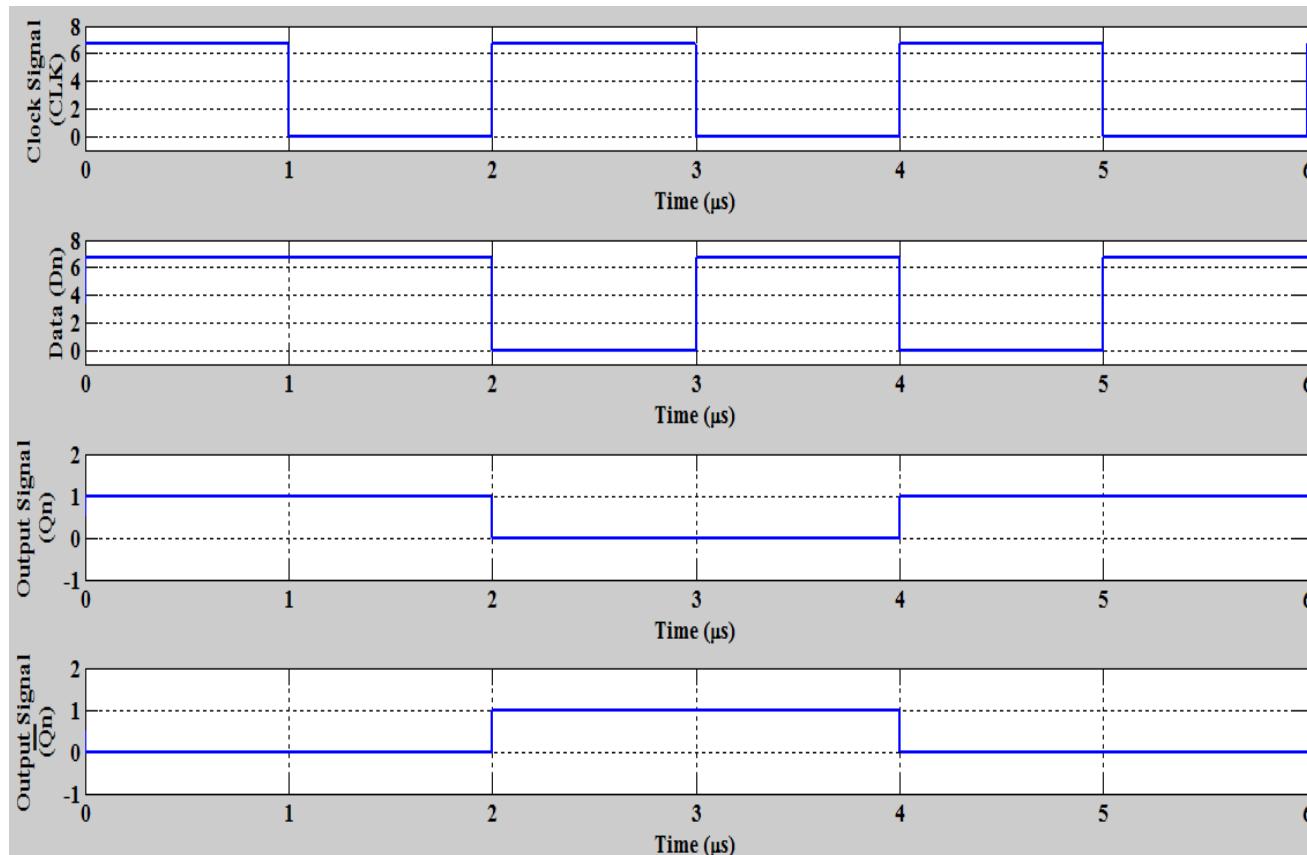
T_m	Q_m	Q_{m+1}	\bar{Q}_m	\bar{Q}_{m+1}
0	0	0	1	1
0	1	1	0	0
1	0	1	1	0
1	1	0	0	1

Cont ...

$$|Q_n|^2 = \sin^2\left(\frac{\Delta\varphi}{2}\right)|D_n|^2 + \cos^2\left(\frac{\Delta\varphi}{2}\right)|Q_{n-1}|^2 + |D_n||Q_{n-1}|\sin\Delta\varphi \quad (17)$$

Similarly for \bar{Q}_n we can write,

$$|\bar{Q}_n|^2 = \sin^2\left(\frac{\Delta\varphi}{2}\right)|\bar{D}_n|^2 + \cos^2\left(\frac{\Delta\varphi}{2}\right)|\bar{Q}_{n-1}|^2 + |\bar{D}_n||\bar{Q}_{n-1}|\sin(\Delta\varphi) \quad (18)$$

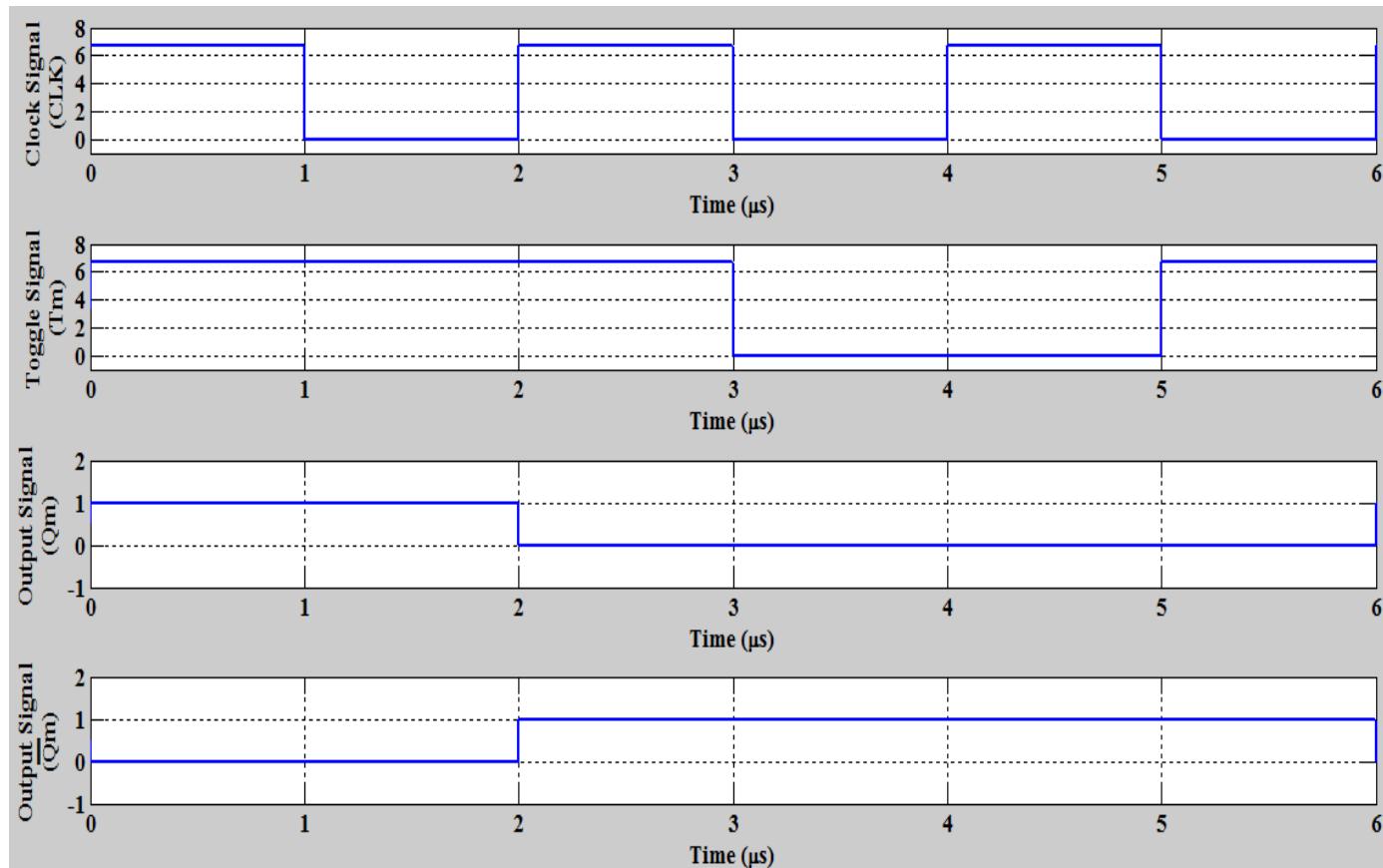


Cont ...

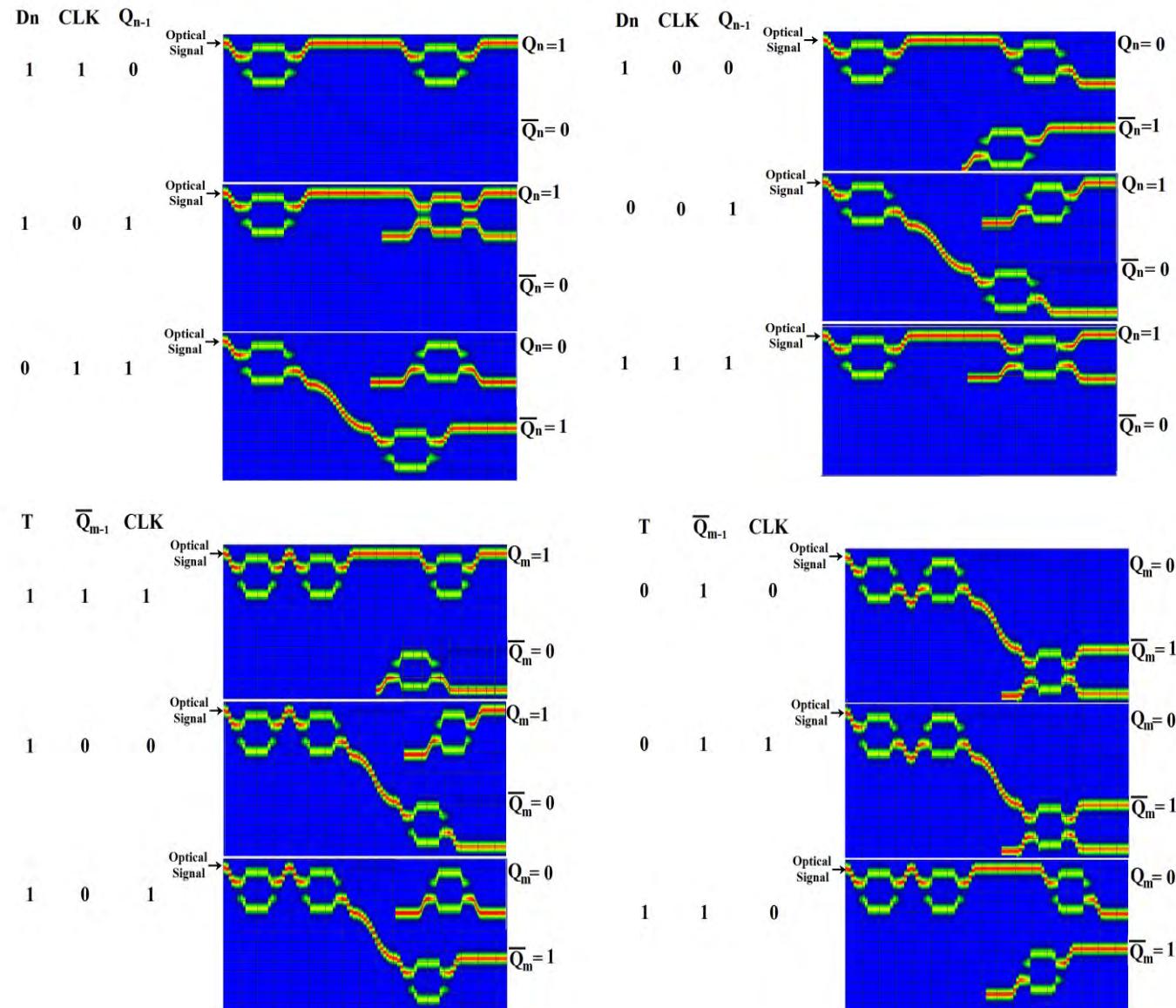
$$|Q_m|^2 = \sin^2\left(\frac{\Delta\varphi}{2}\right)|T_0|^2 + \cos^2\left(\frac{\Delta\varphi}{2}\right)|Q_{m-1}|^2 + |T_0| |Q_{m-1}| \sin(\Delta\varphi) \quad (19)$$

Similarly for \bar{Q}_n we can write,

$$|\bar{Q}_m|^2 = \sin^2\left(\frac{\Delta\varphi}{2}\right)|\bar{T}_0|^2 + \cos^2\left(\frac{\Delta\varphi}{2}\right)|\bar{Q}_{m-1}|^2 + |\bar{T}_0| |\bar{Q}_{m-1}| \sin(\Delta\varphi) \quad (20)$$



Cont ...



Design of Optical Synchronous Counter

Santosh Kumar, et. al., Optical & Quantum Electronics (Springer), Vol. 47, No. 6, (July 26, 2015).

Design of Optical Synchronous Counter

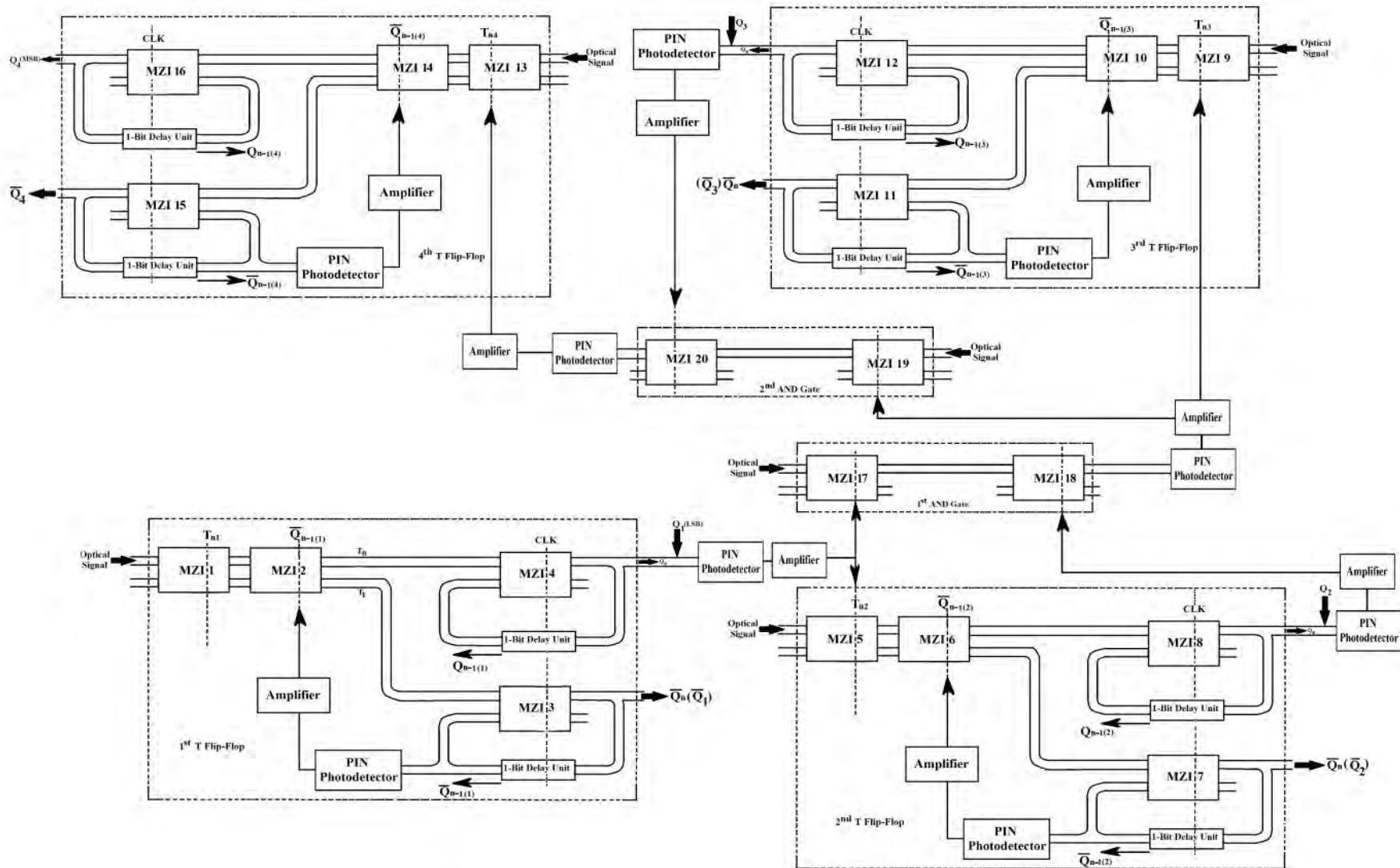


Fig. 20: Schematic diagram of a 4-bit synchronous up counter.

Cont ...

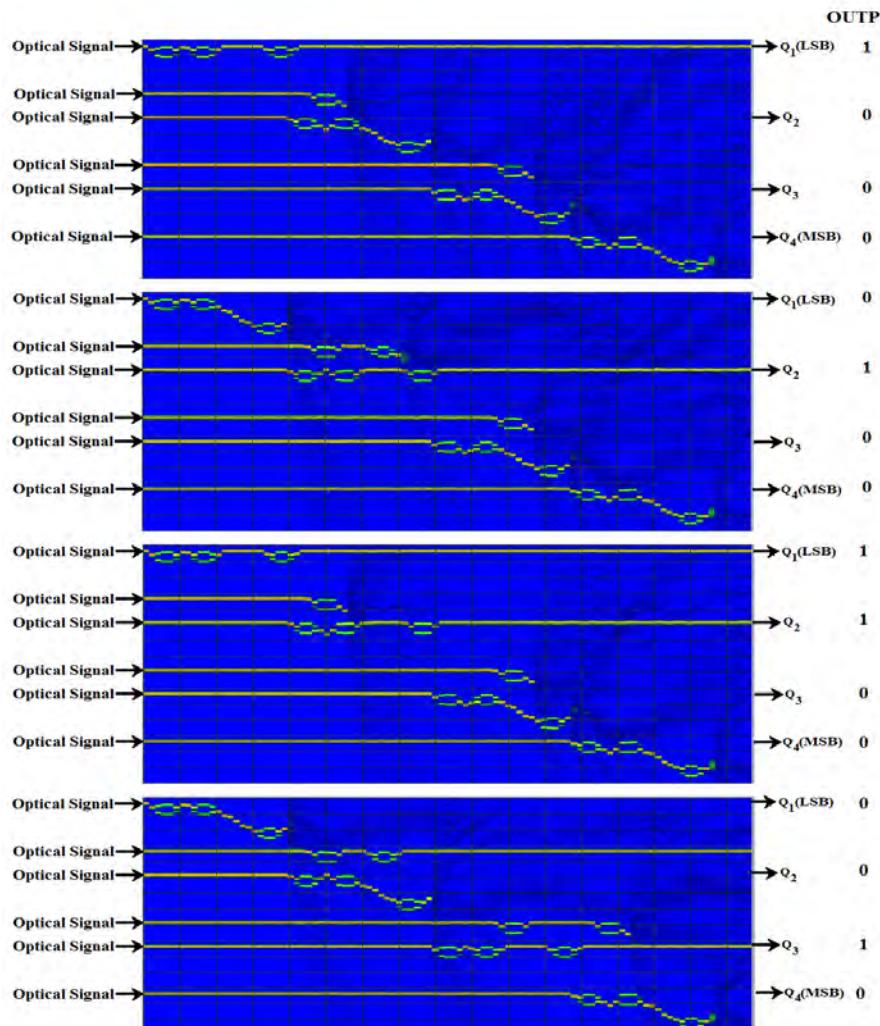


Fig. 21: Simulation result of proposed 4-bit synchronous up counter using BPM for different outputs (1000 to 0010)
Dr. Santosh Kumar

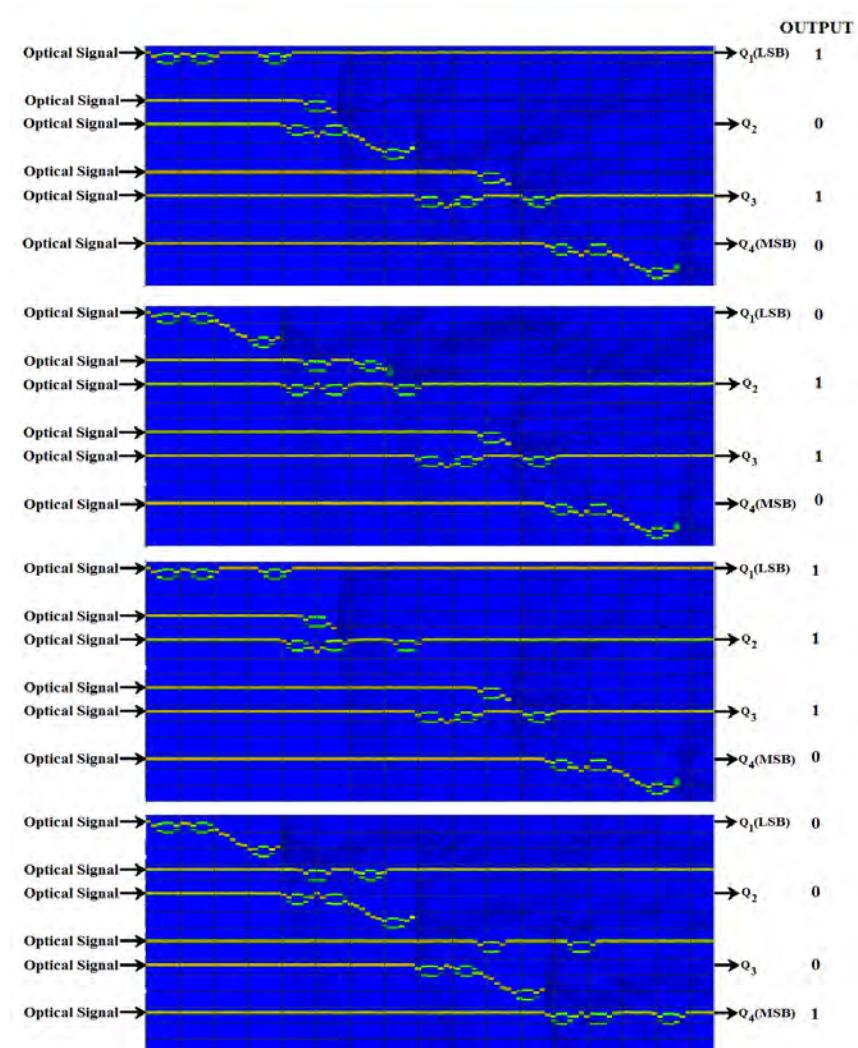


Fig. 22: Simulation result of proposed 4-bit synchronous up counter using BPM for different outputs (1010 to 0001).

Design of Programmable Logic Device

Santosh Kumar et. al., Photonic Network communications (Springer), Vol. 33, Issue 3, PP. 356-370 (June 2017).

Programmable Logic Device

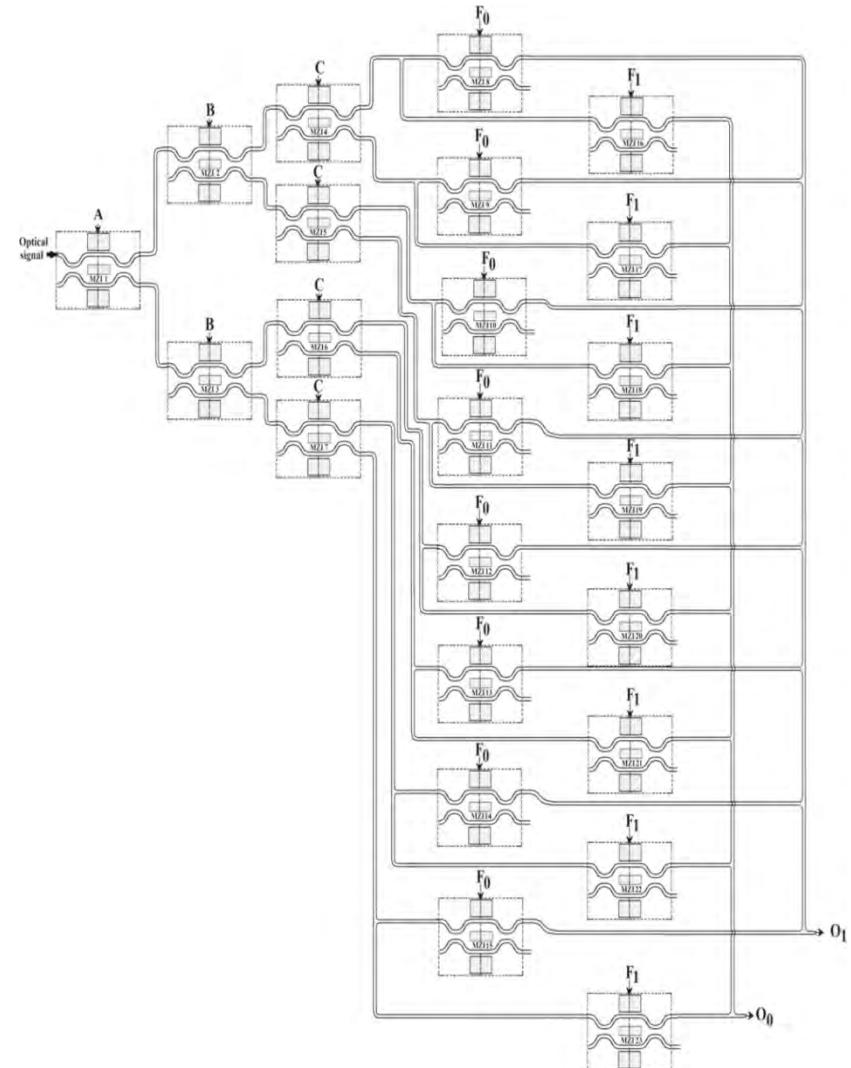
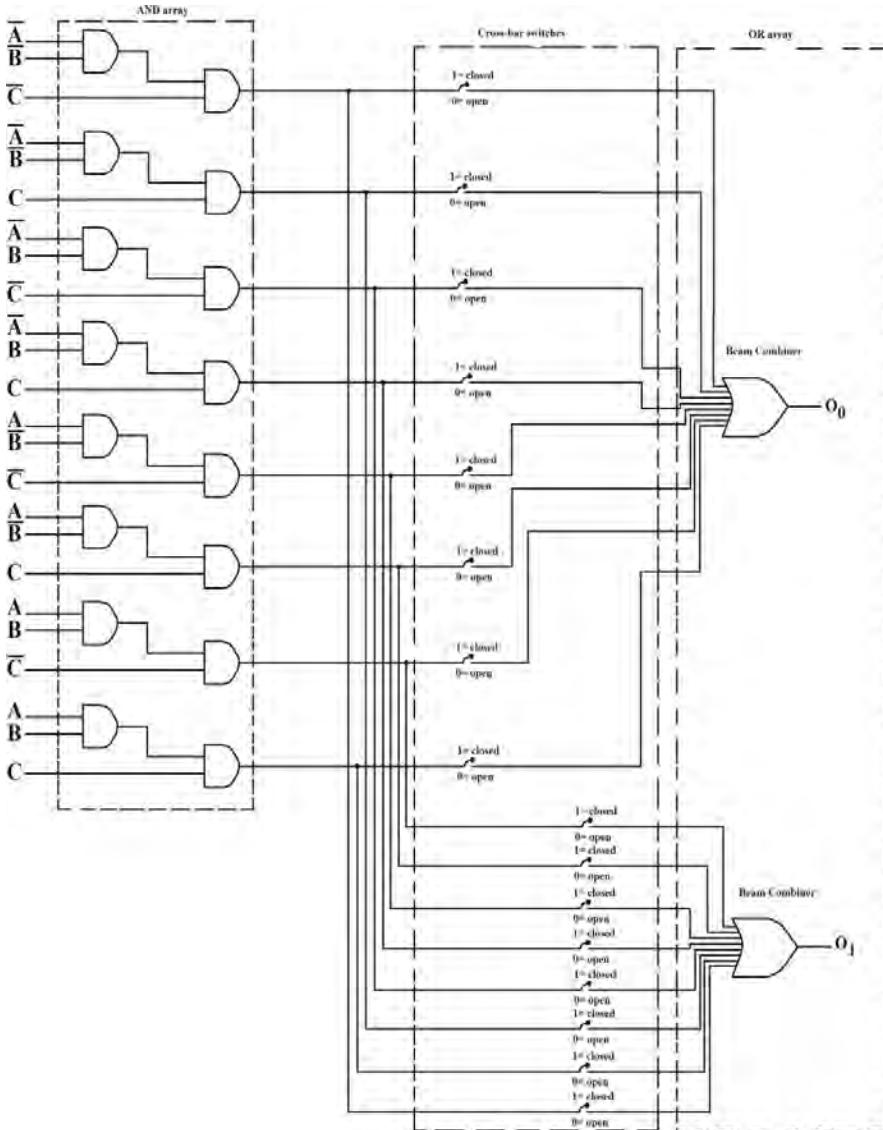


Figure: (a) Digital circuit of programmable logic device (b) Schematic diagram of using Mach–Zehnder interferometers

Mathematical Expression for Programmable logic device

$$\begin{aligned}j_0 = & \cos^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI7}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI22}}{2}\right) \\& + \cos^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI6}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI21}}{2}\right) \\& + \sin^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI2}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI5}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI19}}{2}\right) \\& + \sin^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI2}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI4}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI16}}{2}\right)\end{aligned}\quad (9)$$

$$\begin{aligned}O_1 = & \cos^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI6}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI12}}{2}\right) \\& + \sin^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI2}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI5}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI10}}{2}\right) \\& + \sin^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI2}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI4}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI9}}{2}\right) \\& + \sin^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI2}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI4}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI8}}{2}\right)\end{aligned}\quad (10)$$

MATLAB Results for Full Adder

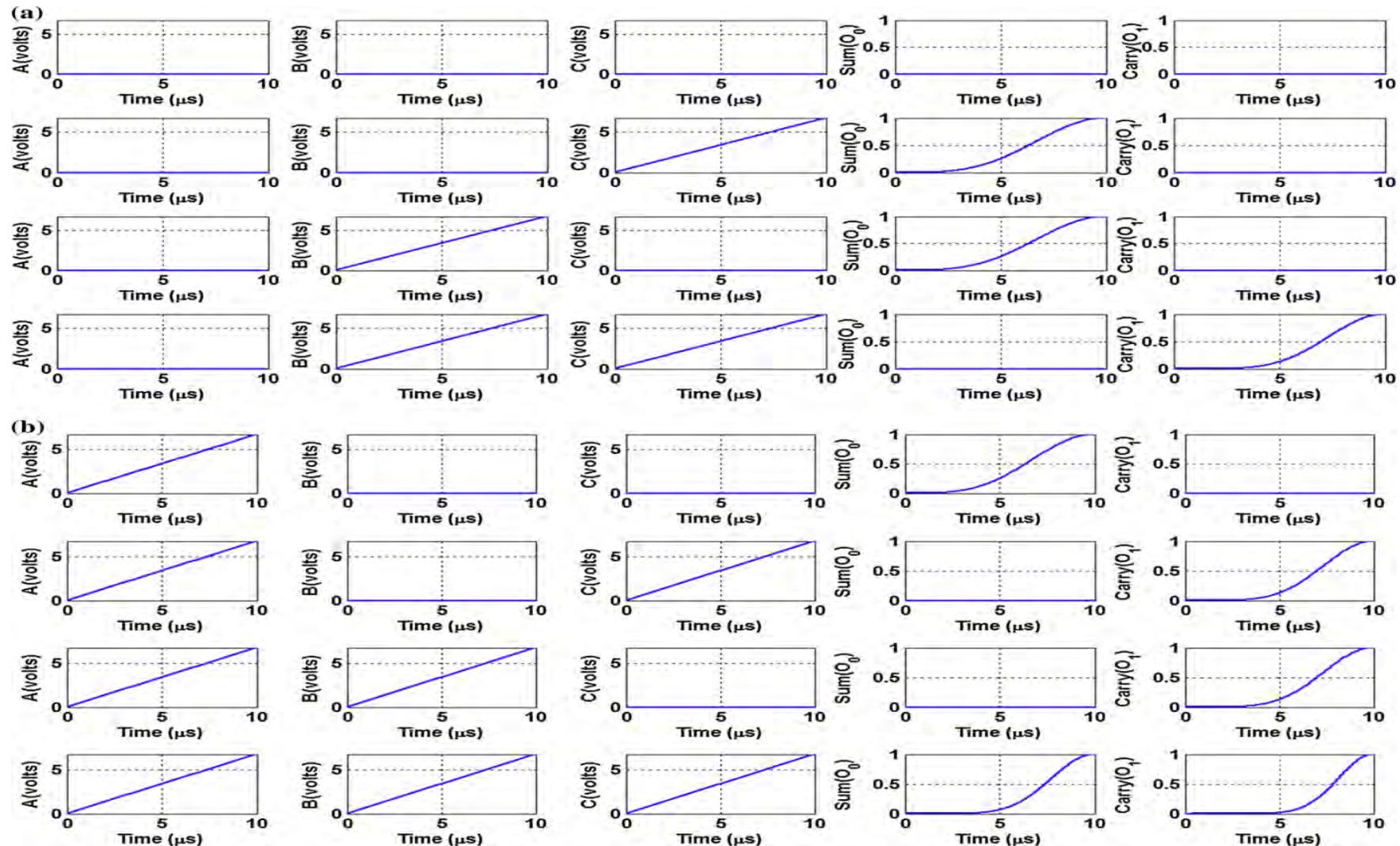


Figure: MATLAB simulation result of PLD (Full Adder) where A,B,C varies from 000 to 111

MATLAB Results for Full Subtractor

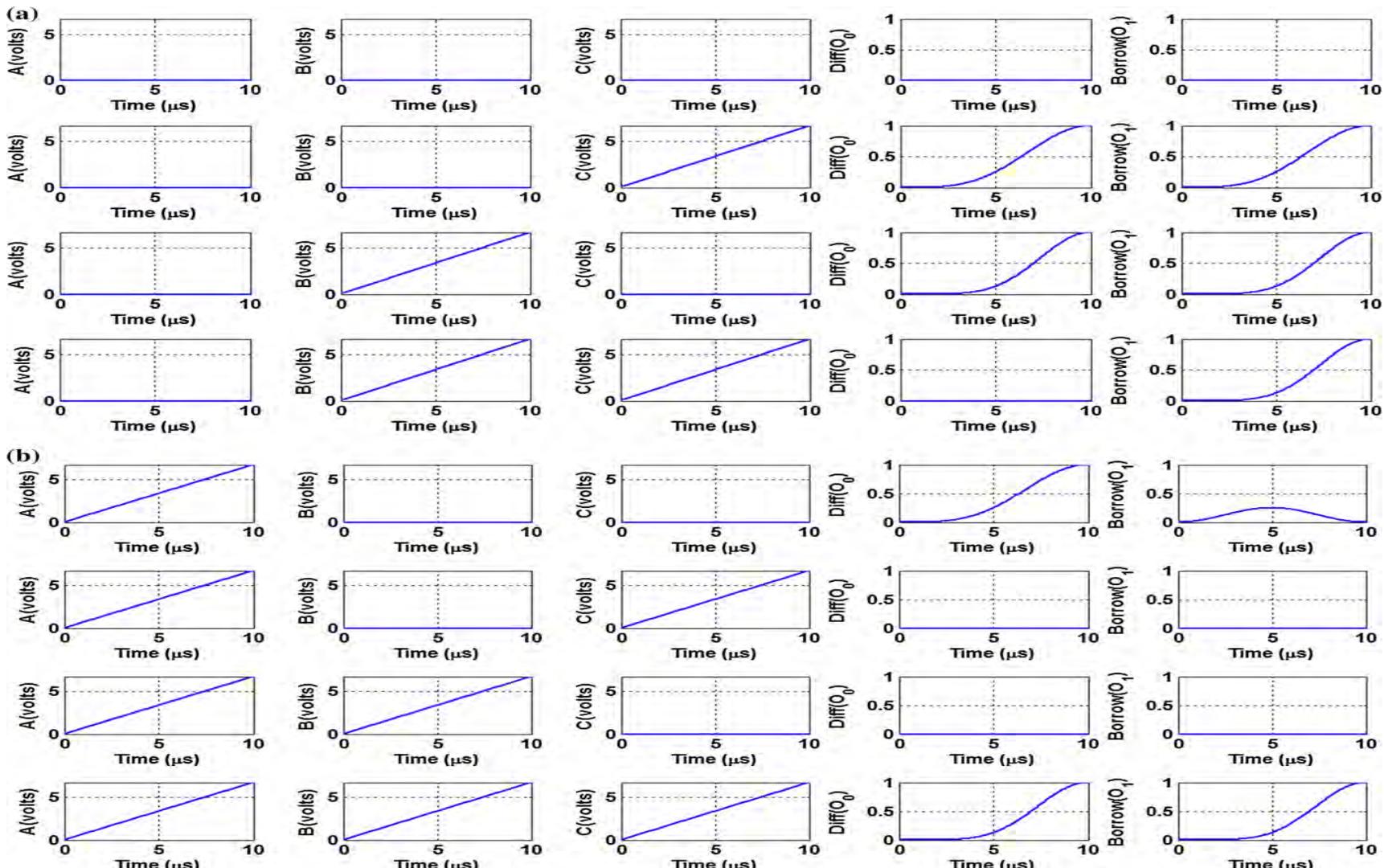


Figure: MATLAB simulation result of PLD (Full Subtractor) where A,B,C varies from 000 to 111

MATLAB Results for 2x1 Multiplexer

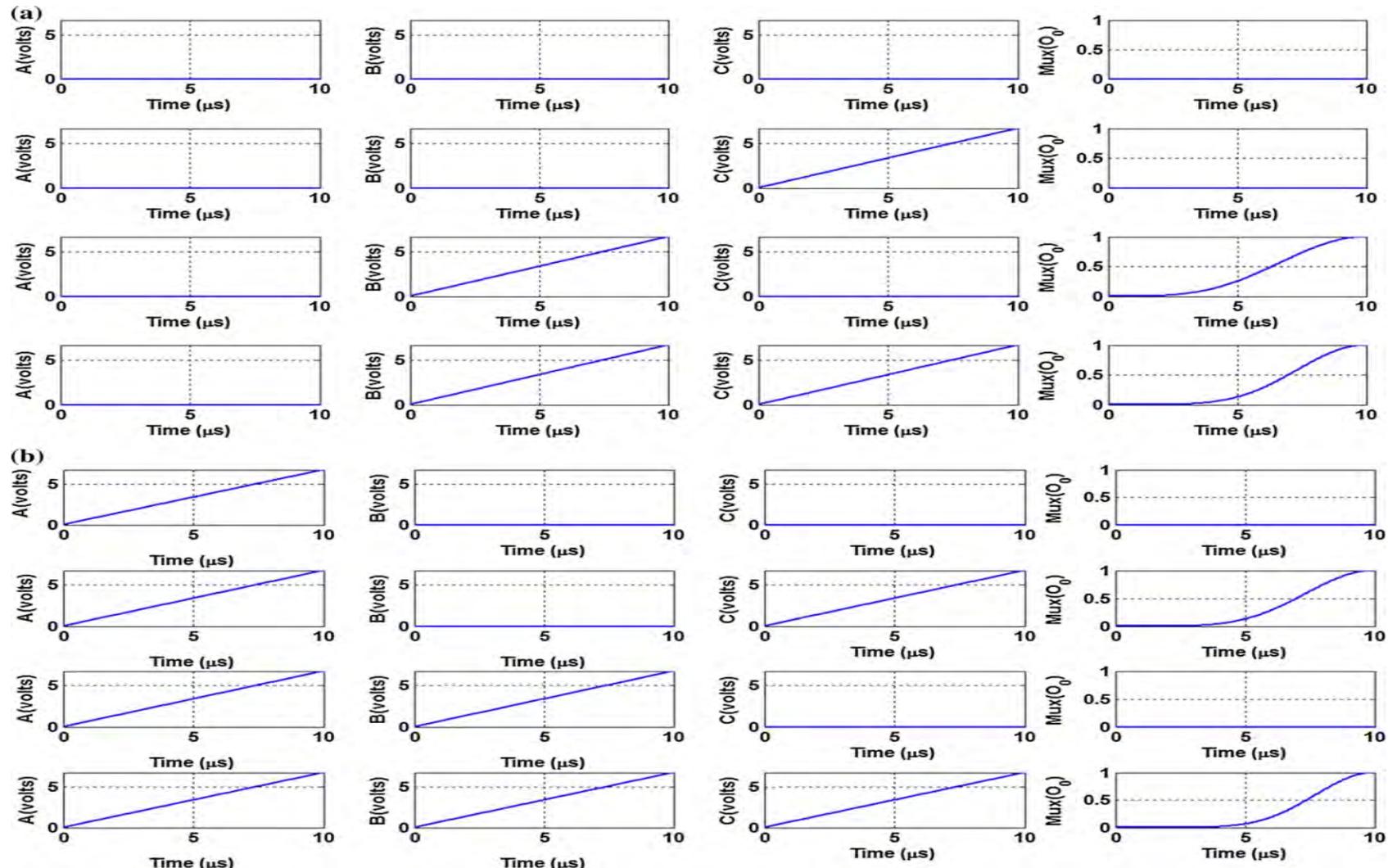


Figure: MATLAB simulation result of PLD (2x1 Multiplexer) where A,B,C varies from 000 to 111

BPM Layout of Programmable Logic device

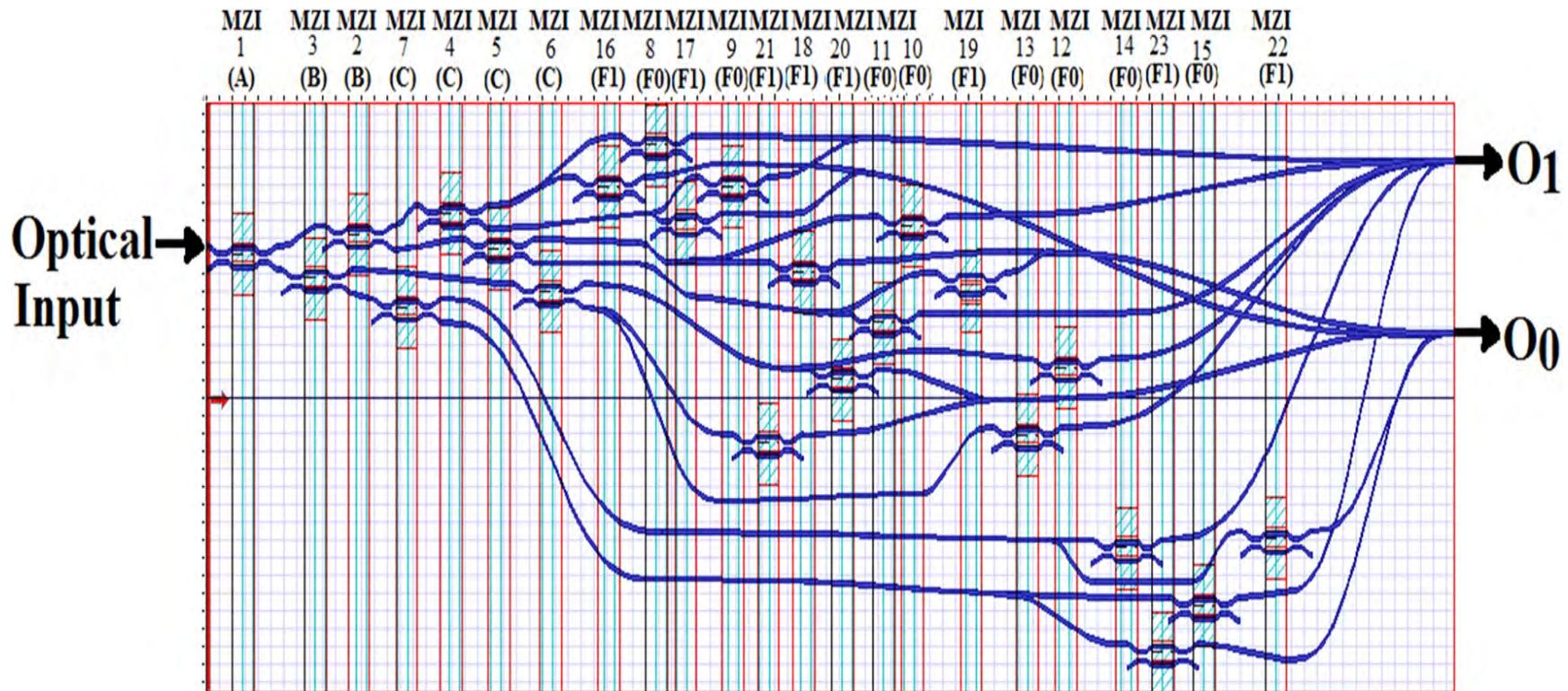


Figure: BPM layout of PLD

Simulation Result from BPM Layout (Full Adder)

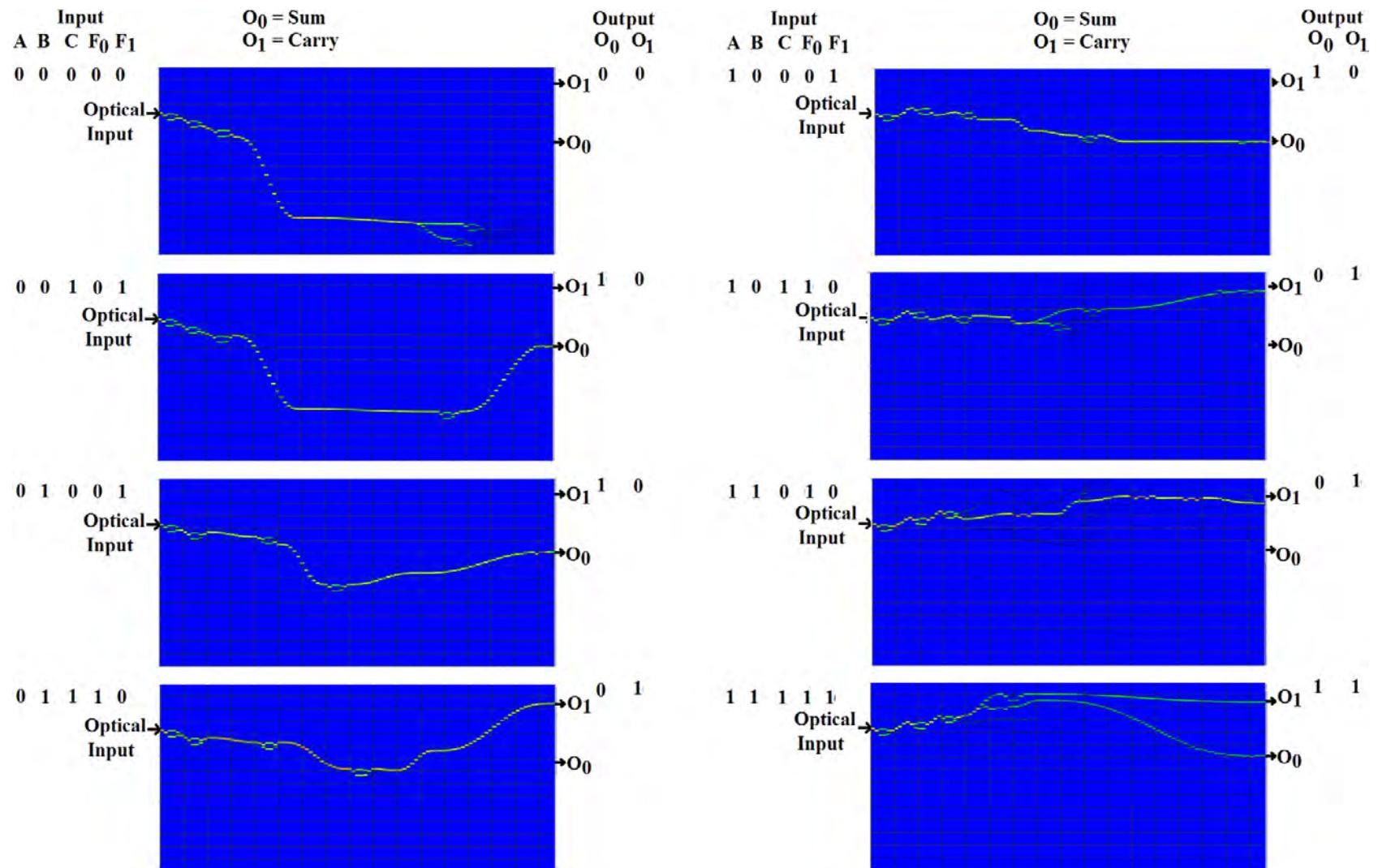


Figure: BPM simulation result of PLD (Full adder) where A,B,C varies from 000 to 111

Simulation Result from BPM Layout (Full Subtractor)

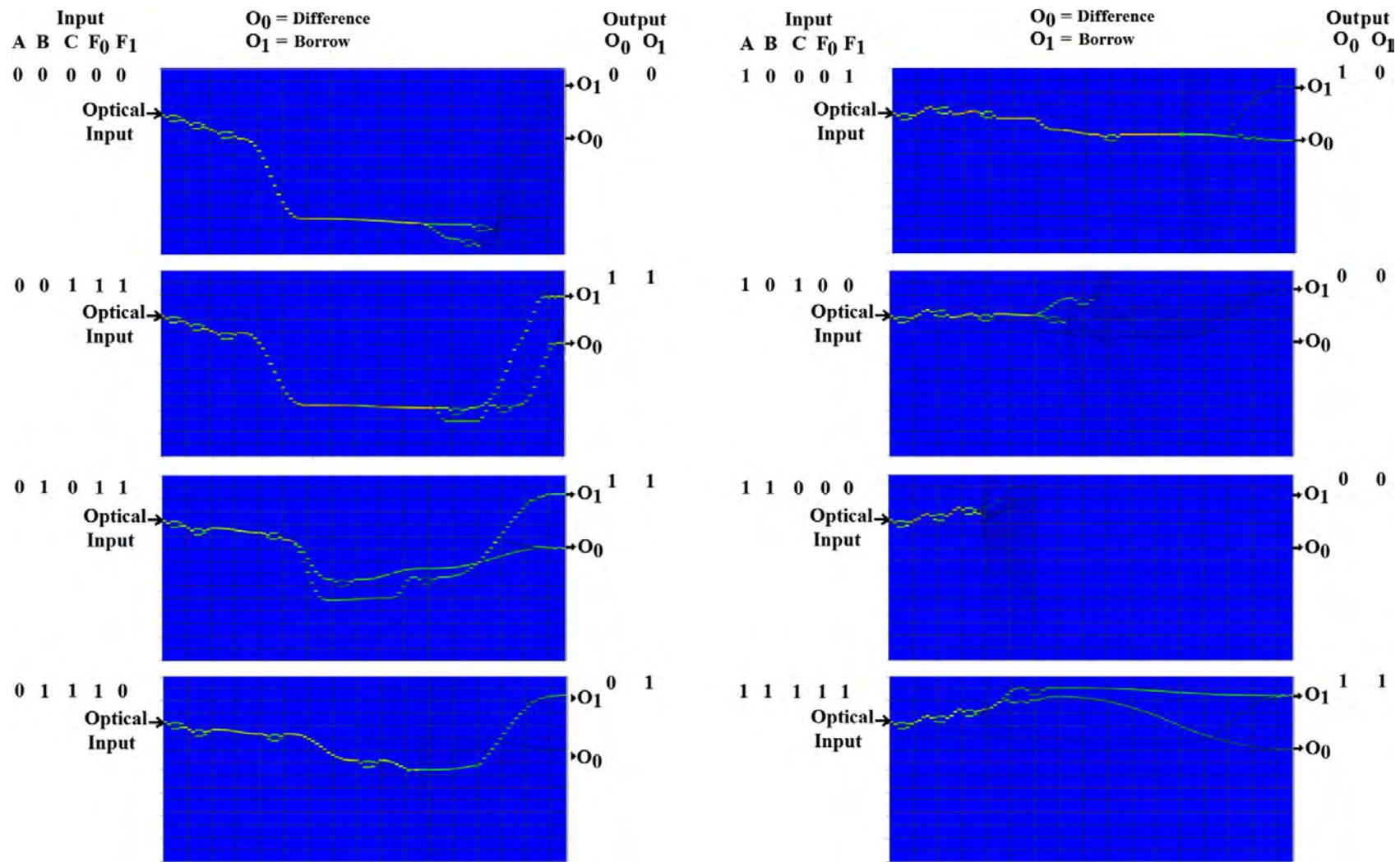


Figure: BPM simulation result of PLD (Full Subtractor) where A,B,C varies from 000 to

Simulation Result from BPM Layout (2x1 Multiplexer)

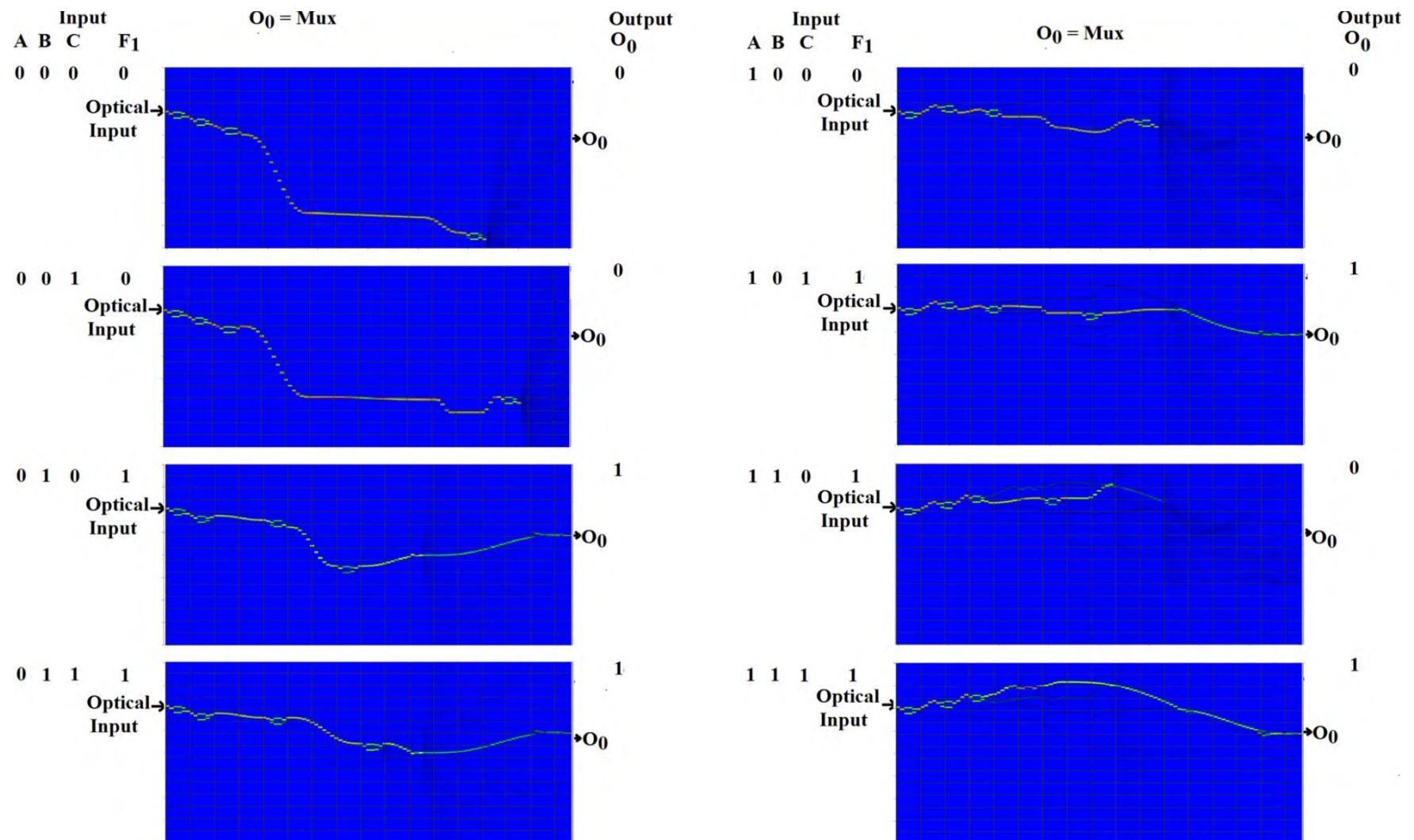


Figure: BPM simulation result of PLD (2x1 Multiplexer) where A,B,C varies from 000 to 111

Design of 1 x 4 Signal Router

Santosh Kumar et. al., *Optical Engineering (SPIE)*, vol. 52, no. 03, pp. 035002 (March 04, 2013)

1 x 4 Signal Router

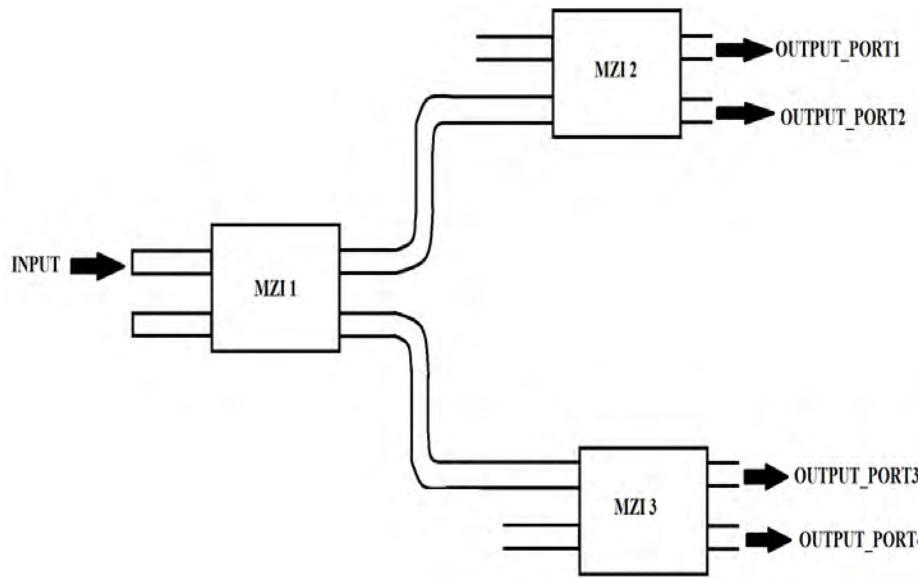


Figure 3.12: 1 x 4 signal router

Table 3.3: The output power at the 4 output port on the basis of control signal .

S ₁	S ₂	S ₃	Output port1	Output port2	Output port3	Output port4
6.75V	0 V	'X'	1	0	0	0
6.75V	6.75 V	'X'	0	1	0	0
0 V	'X'	6.75 V	0	0	1	0
0 V	'X'	0 V	0	0	0	1

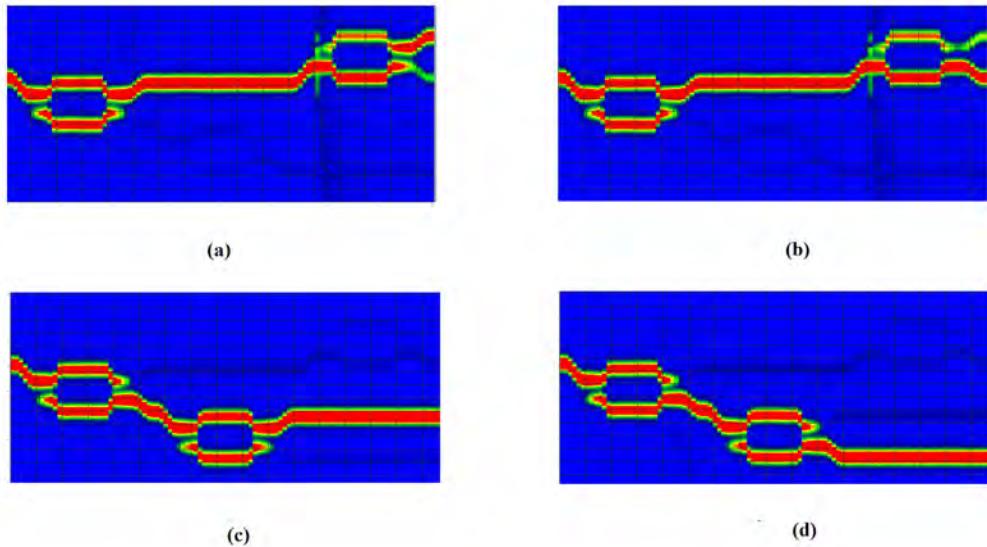


Figure 3.13: Optical field propagation at various output port depending upon the control signal .

Mathematical expression of 1x4 Signal Router

The mathematical expression for the normalized output power at the port 1, 2, 3 and 4 as follow;

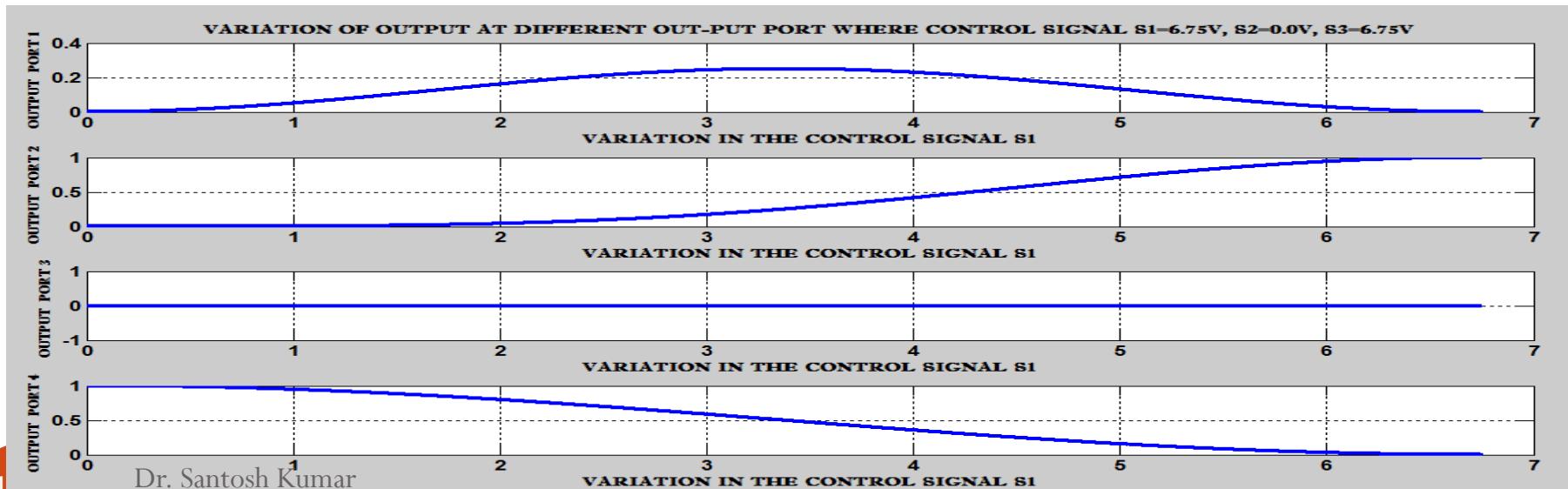
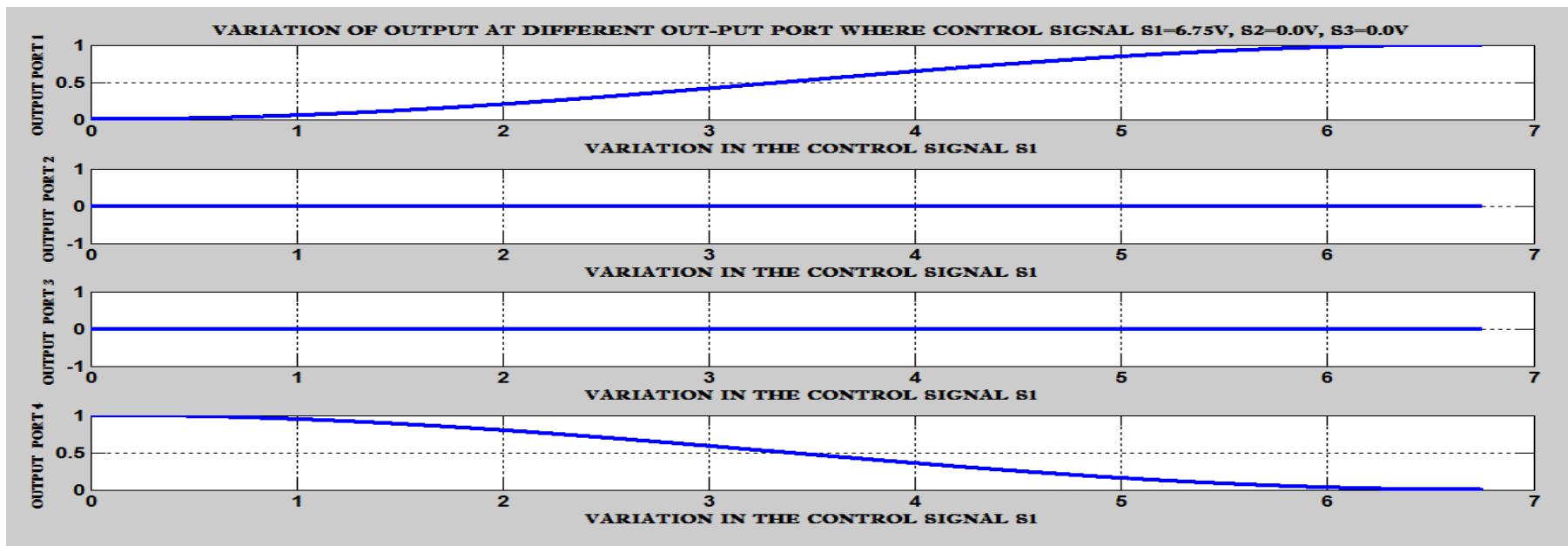
$$P_{out1} = \sin^2\left(\frac{\Delta\varphi_1}{2}\right) \cos^2\left(\frac{\Delta\varphi_2}{2}\right) \quad \text{when } s_1 = 6.75V, s_2 = 0V \text{ and } s_3 = 'X' \quad (3.8)$$

$$P_{out2} = \sin^2\left(\frac{\Delta\varphi_1}{2}\right) \cdot \sin^2\left(\frac{\Delta\varphi_2}{2}\right) \quad \text{when } s_1 = 6.75V, s_2 = 6.75V \text{ and } s_3 = 'X' \quad (3.9)$$

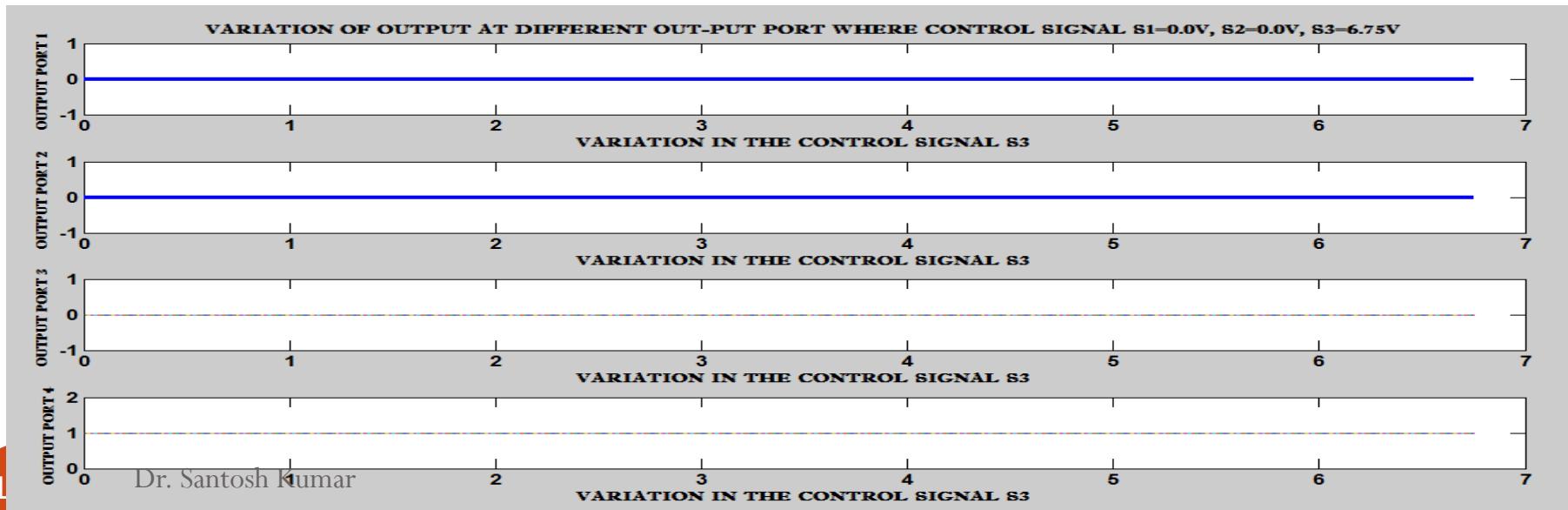
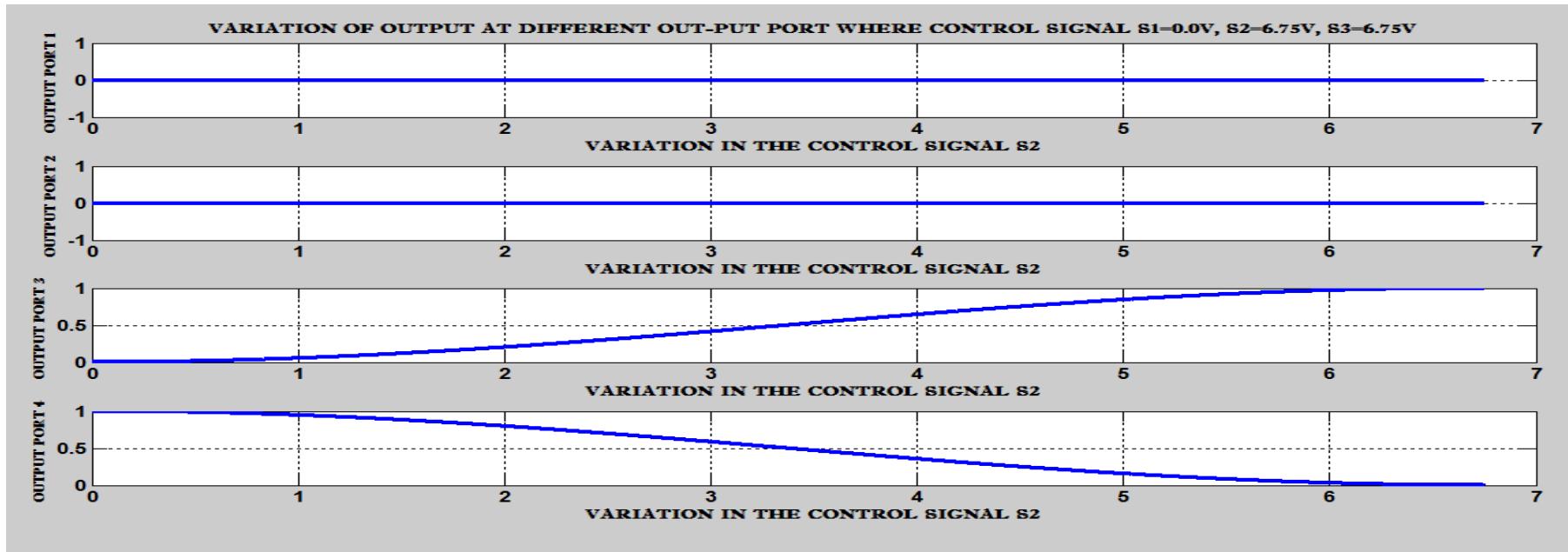
$$P_{out3} = \cos^2\left(\frac{\Delta\varphi_1}{2}\right) \sin^2\left(\frac{\Delta\varphi_3}{2}\right) \quad \text{when } s_1 = 0V, s_2 = 'X' \text{ and } s_3 = 6.75V \quad (3.10)$$

$$P_{out4} = \cos^2\left(\frac{\Delta\varphi_1}{2}\right) \cos^2\left(\frac{\Delta\varphi_3}{2}\right) \quad \text{when } s_1 = 0V, s_2 = 'X' \text{ and } s_3 = 0V \quad (3.11)$$

Matlab Output at port 1 and 2



Matlab Output at port 3 and 4



Design of 1 x 8 Signal Router

Santosh Kumar et. Al., *6th IEEE/International Conference on Advanced Infocomm Technology (IEEE/ICAIT-2013)*, Hsinchu, **Taiwan**, July 2013, *IEEE Xplore*.

1 x 8 Signal Router

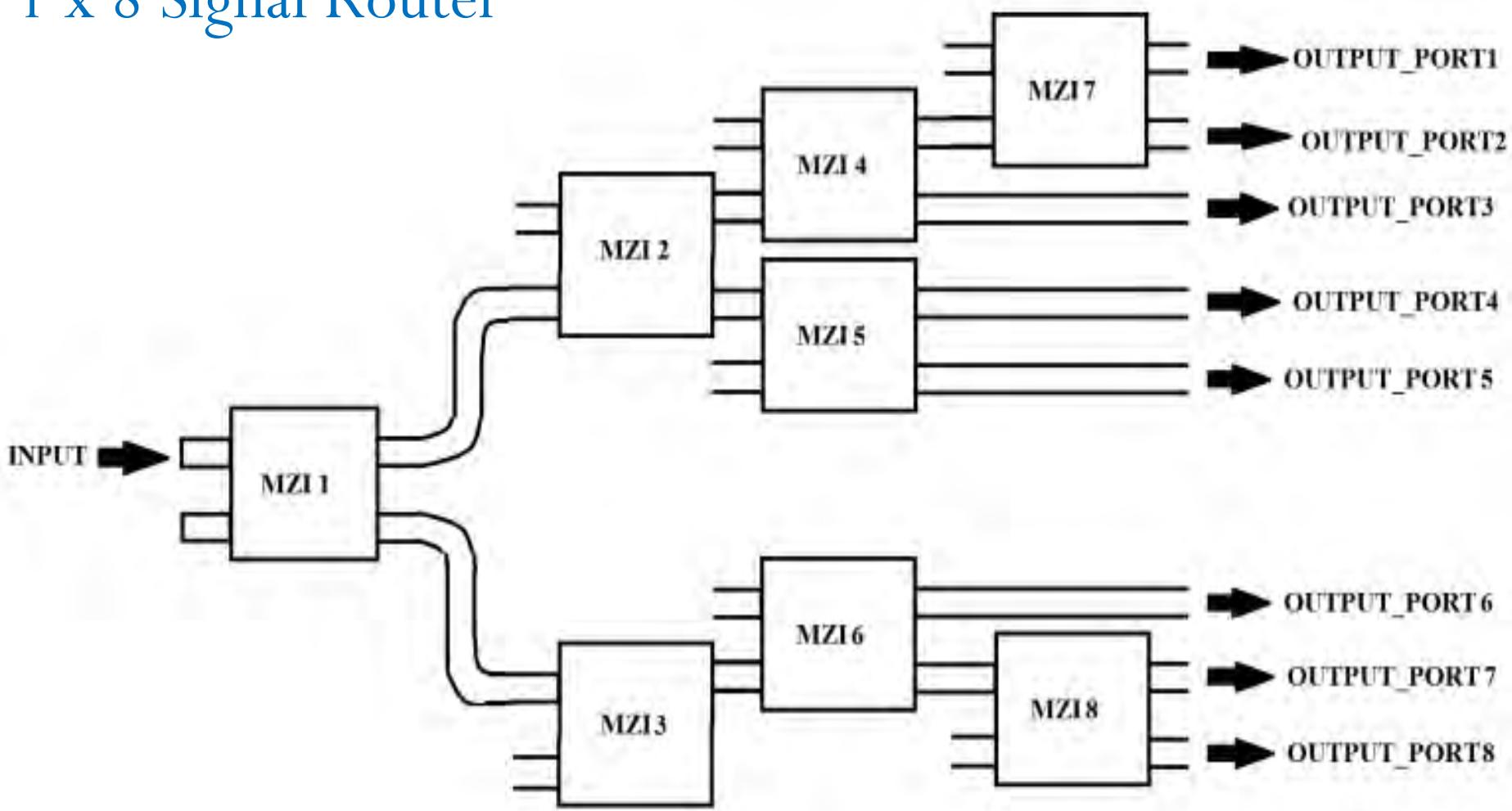


Figure 3.16: 1 x 8 signal router

Contd....

Output	S ₁ (V)	S ₂ (V)	S ₃ (V)	S ₄ (V)	S ₅ (V)	S ₆ (V)	S ₇ (V)	S ₈ (V)
port1	6.75	0.0	X	0.0	X	X	0.0	X
port2	6.75	0.0	X	0.0	X	X	6.75	X
port3	6.75	0.0	X	6.75	X	X	X	X
port4	6.75	6.75	X	X	6.75	X	X	X
port5	6.75	6.75	X	X	0.0	X	X	X
port6	0.0	X	6.75	X	X	0.0	X	X
port7	0.0	X	6.75	X	X	6.75	X	6.75
port8	0.0	X	6.75	X	X	6.75	X	0.0

Table 3.3: Different combination of control signal for 1×8 Signal router.

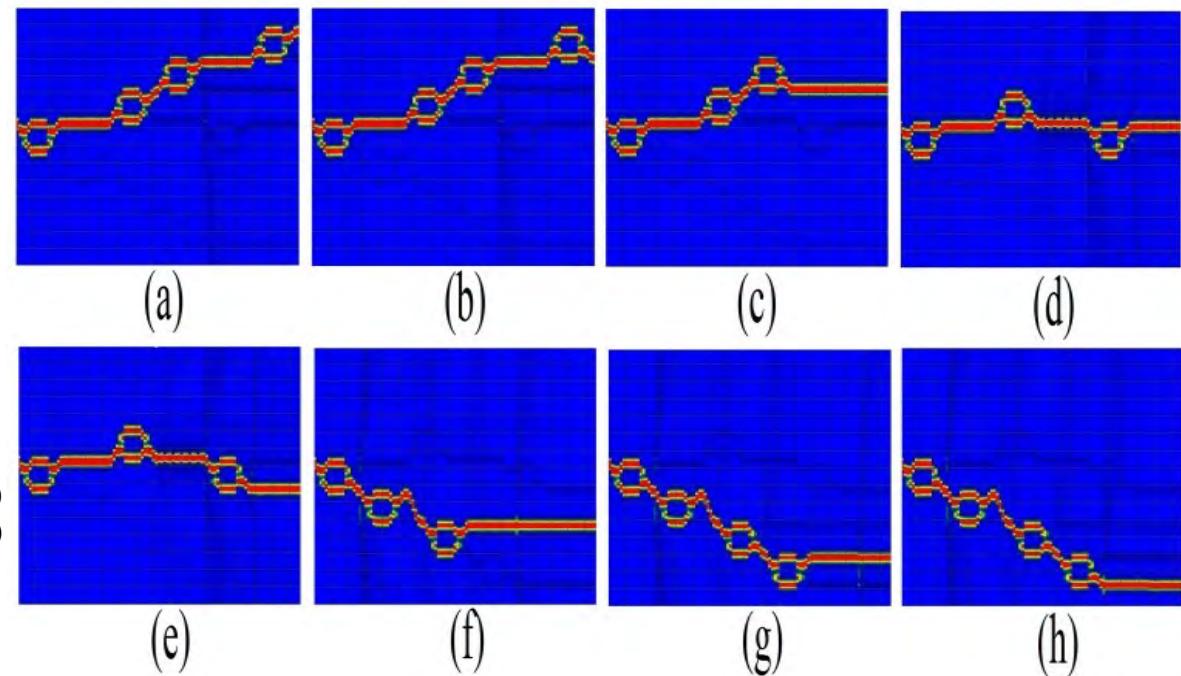


Figure 3.17: Optical field propagation at (a) port 1, (b) port 2, (c) port 3, (d) port 4, (e) port 5 (f) port 6, (g) port 7, (h) port 8.

Design of 4x4 signal router using MZIs

Santosh Kumar et. al., Optics Communication (Elsevier), Vol. 353, PP. 17-26, (May 8, 2015).

Design of 4x4 signal router using MZIs

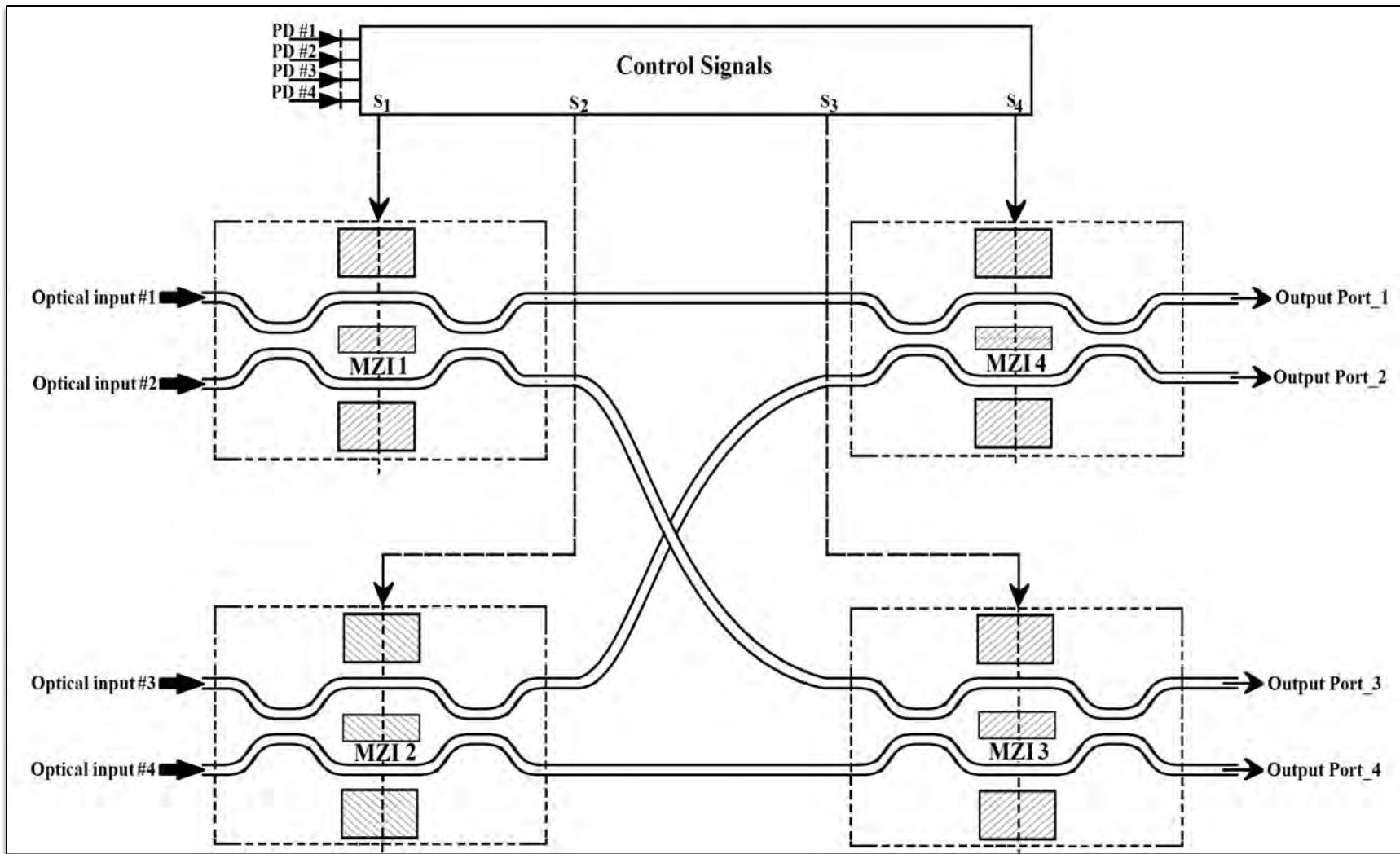


Figure 8: Schematic diagram of 4x4 signal router using MZIs.

Dr. Santosh Kumar

Mathematical description of 4×4 Signal Router

Depending upon the control signals, the optical power from different input ports can be routed to any one of the four output ports. is calculated as follows;

For output port 1:

$$\text{OUT1} = \left[\sin^2\left(\frac{\Delta\varphi_{\text{MZI } 1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI } 4}}{2}\right) + \cos^2\left(\frac{\Delta\varphi_{\text{MZI } 1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI } 4}}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{\text{MZI } 2}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI } 4}}{2}\right) \right] \quad (10)$$

For output port 2:

$$\text{OUT2} = \left[\sin^2\left(\frac{\Delta\varphi_{\text{MZI } 1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI } 4}}{2}\right) + \cos^2\left(\frac{\Delta\varphi_{\text{MZI } 1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI } 4}}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{\text{MZI } 2}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI } 4}}{2}\right) + \cos^2\left(\frac{\Delta\varphi_{\text{MZI } 2}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI } 4}}{2}\right) \right] \quad (11)$$

For output port 3:

$$\text{OUT3} = \left[\cos^2\left(\frac{\Delta\varphi_{\text{MZI } 1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI } 3}}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{\text{MZI } 1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI } 3}}{2}\right) + \cos^2\left(\frac{\Delta\varphi_{\text{MZI } 2}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI } 3}}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{\text{MZI } 2}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI } 3}}{2}\right) \right] \quad (12)$$

For output port 4:

$$\text{OUT4} = \left[\sin^2\left(\frac{\Delta\varphi_{\text{MZI } 1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI } 3}}{2}\right) + \cos^2\left(\frac{\Delta\varphi_{\text{MZI } 1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI } 3}}{2}\right) + \cos^2\left(\frac{\Delta\varphi_{\text{MZI } 2}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI } 3}}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{\text{MZI } 2}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI } 3}}{2}\right) \right] \quad (13)$$

BPM Results of 4x4 Signal Router

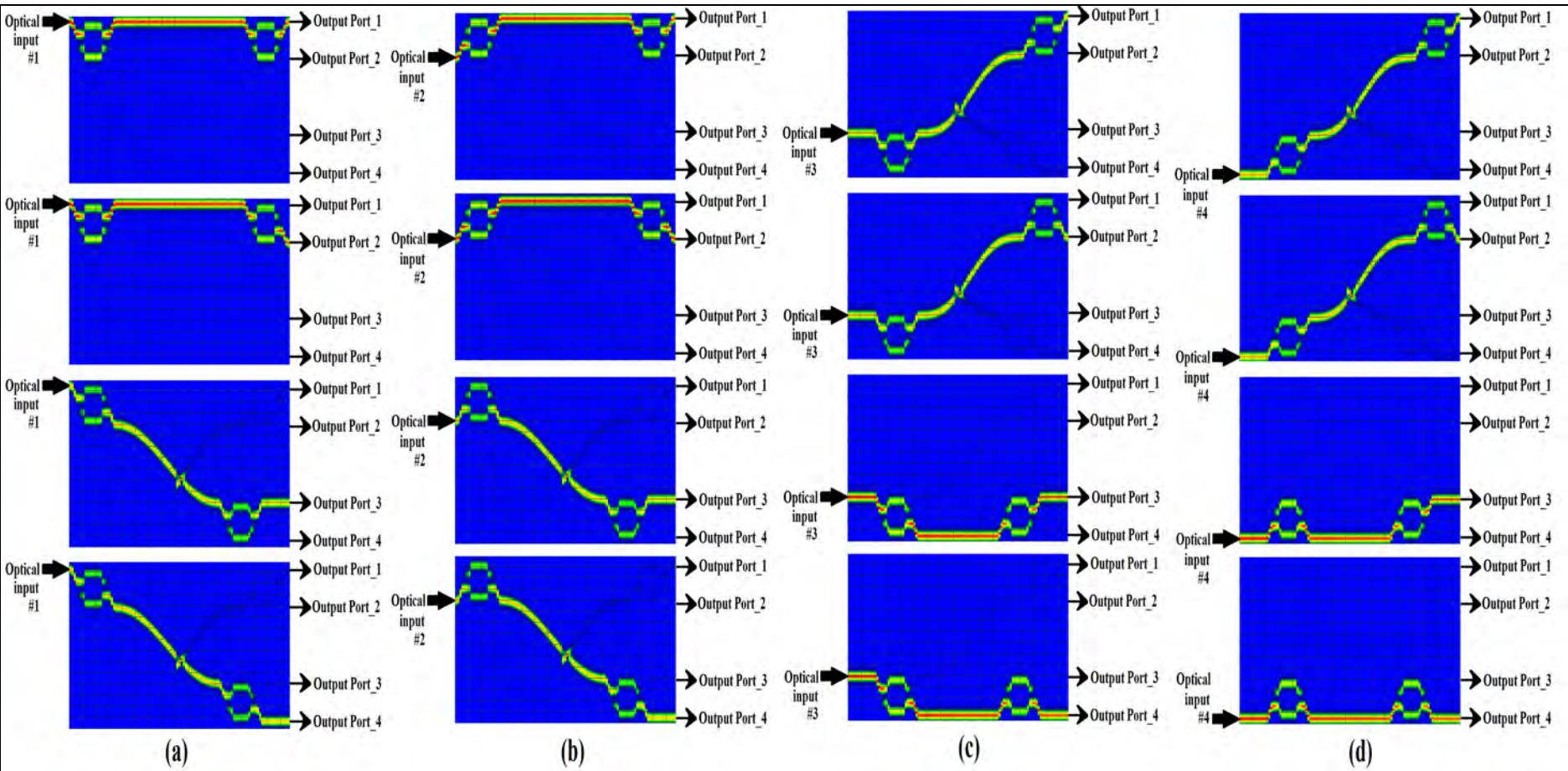


Figure 9: Routing of optical input signal to the four output ports from (a) first input port, (b) second input port , (c) third input port , (d) fourth input port.

Design of Wavelength Selectors Device

Santosh Kumar et. al., Optics Communications (Elsevier), Vol. 350, PP. 108-118 (April 4, 2015).

Design of Wavelength selectors using MZIs

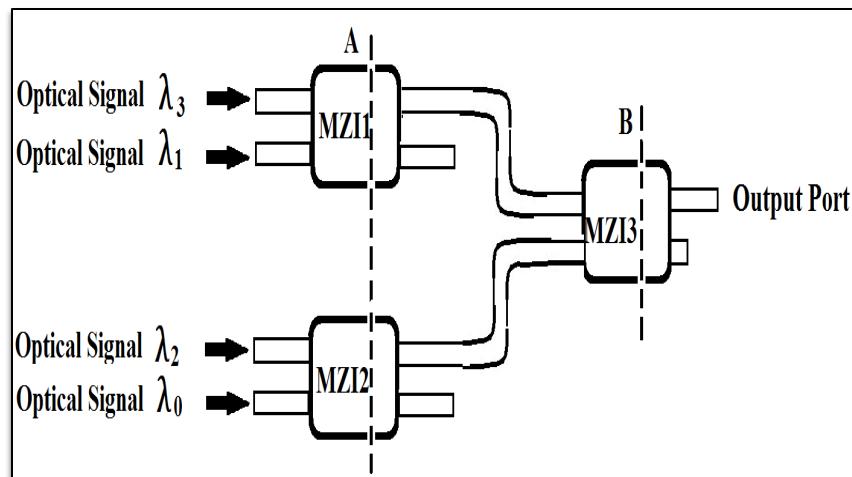


Figure 10: Schematic diagram of 4×1 wavelength selector device using the MZIs

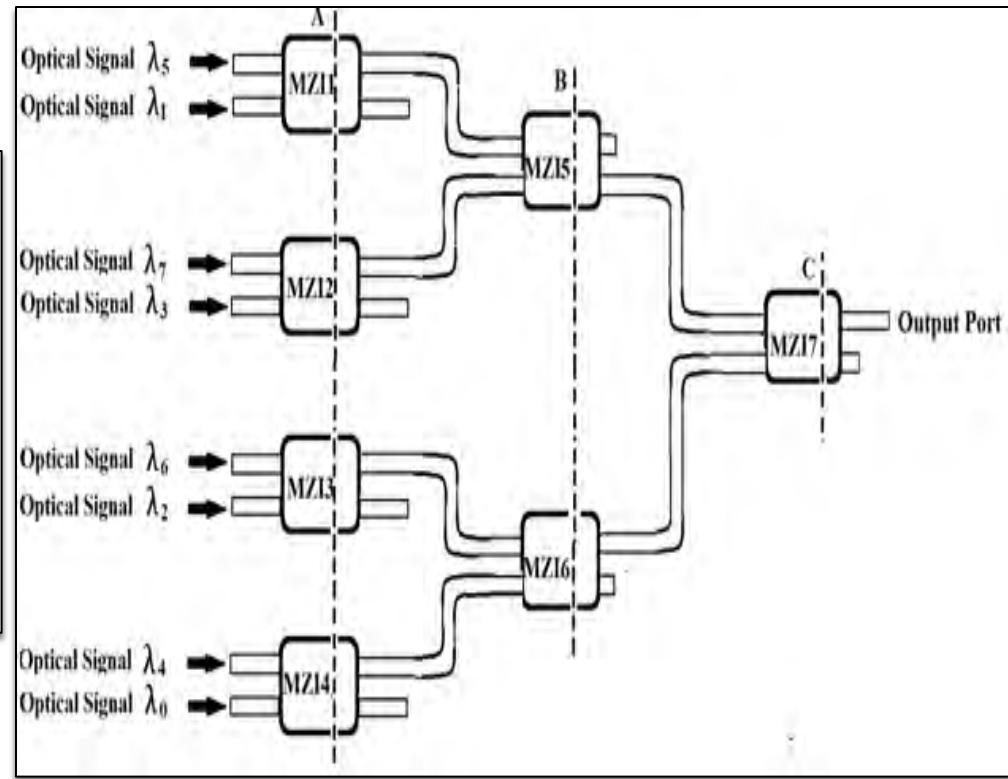


Figure 11: Schematic diagram of 8×1 wavelength selector using MZIs

Mathematical expression of 4x1 Wavelength Selector

The normalized output power for different control signals can be calculated as follows;

$$\text{OUT1} = \left| \frac{\text{OUT1}_{\text{MZI } 3_1}}{E_{in}} \right|^2 = \cos^2\left(\frac{\Delta\varphi_{\text{MZI } 1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI } 2}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI } 3}}{2}\right) \quad (14)$$

$$\text{OUT2} = \left| \frac{\text{OUT1}_{\text{MZI } 3_2}}{E_{in}} \right|^2 = \cos^2\left(\frac{\Delta\varphi_{\text{MZI } 1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI } 2}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI } 3}}{2}\right) \quad (15)$$

$$\text{OUT3} = \left| \frac{\text{OUT1}_{\text{MZI } 3_3}}{E_{in}} \right|^2 = \sin^2\left(\frac{\Delta\varphi_{\text{MZI } 1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI } 2}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI } 3}}{2}\right) \quad (16)$$

$$\text{OUT4} = \left| \frac{\text{OUT1}_{\text{MZI } 3_4}}{E_{in}} \right|^2 = \sin^2\left(\frac{\Delta\varphi_{\text{MZI } 1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI } 2}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI } 3}}{2}\right) \quad (17)$$

MATLAB Result of 4x1 Wavelength Selector

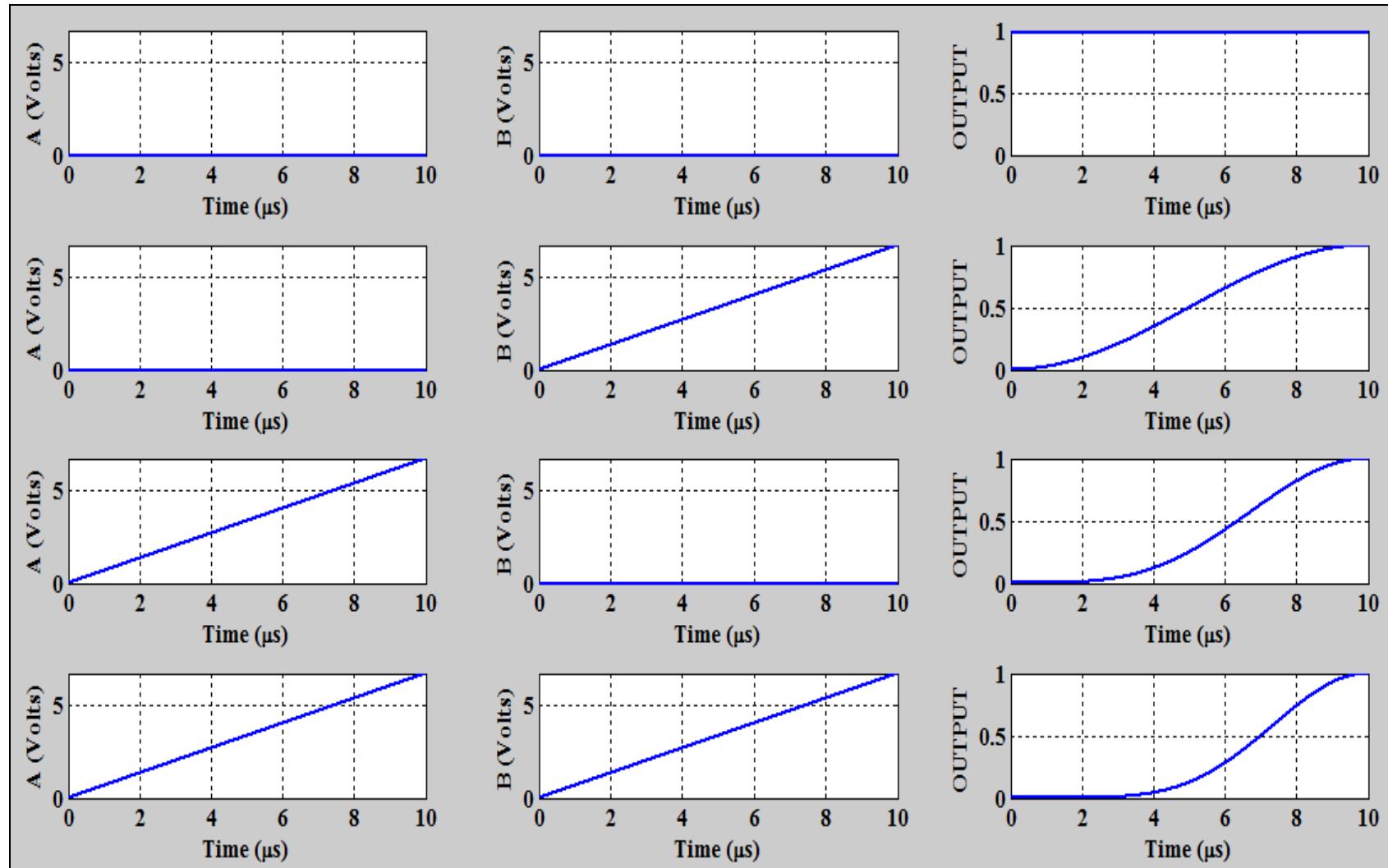


Figure 12: MATLAB simulation result of 4×1 wavelength selector, when $\lambda_0 - \lambda_3$ is transmitted individually at output port.

BPM Result of 4x1 Wavelength Selector

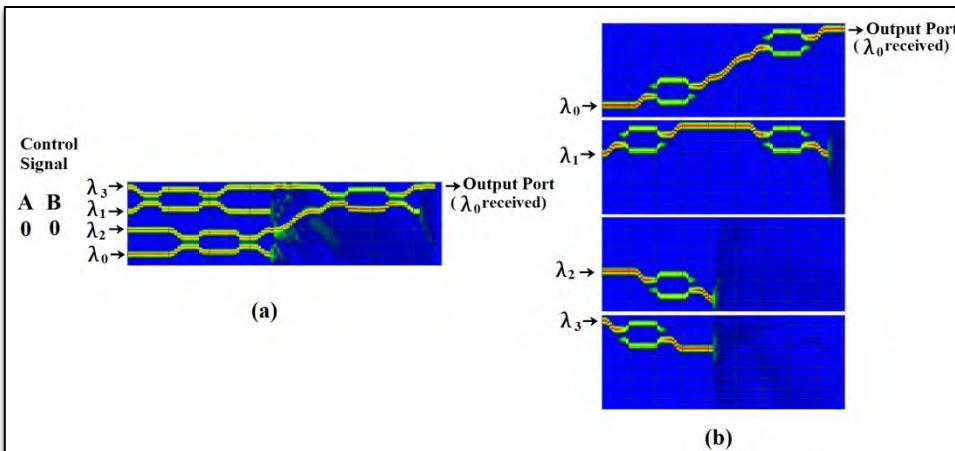


Fig.13: Simulation result of (a) 4×1 wavelength selector, when (b) only λ_0 is transmitted at output port for control signal $A = 0$ and $B = 0$

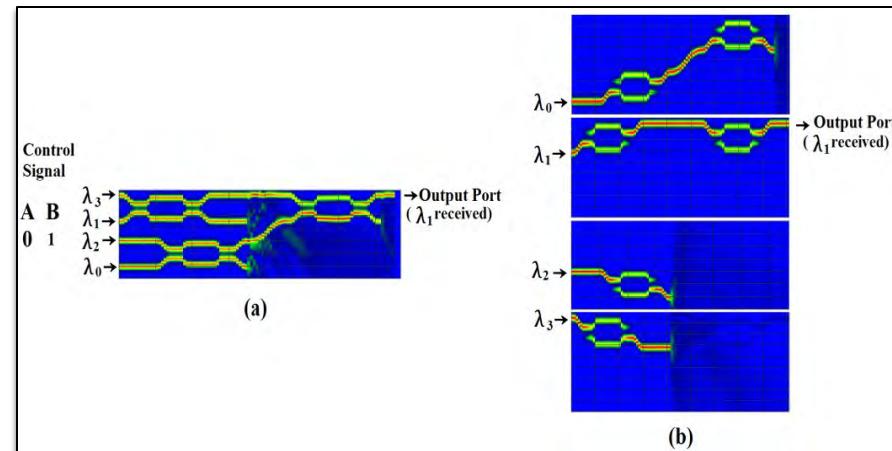


Fig.14: Simulation result of (a) 4×1 wavelength selector, when (b) only λ_1 is transmitted at output port for control signal $A = 0$ and $B = 1$

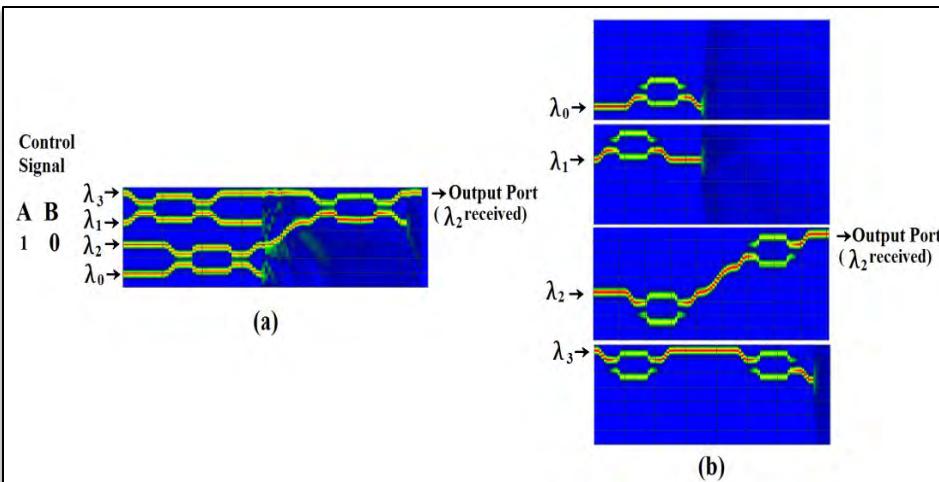


Fig.15: Simulation result of (a) 4×1 wavelength selector, when (b) only λ_2 is transmitted at output port for control signal $A = 1$ and $B = 0$

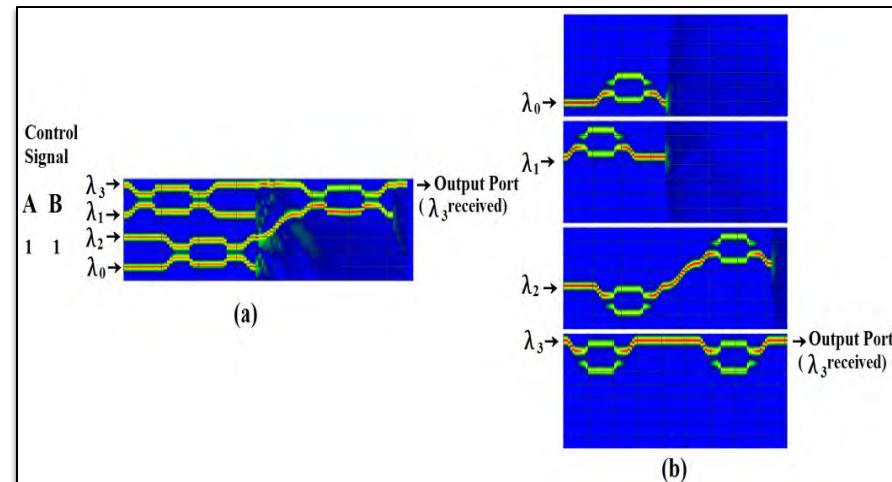


Fig.16: Simulation result of (a) 4×1 wavelength selector, when (b) only λ_3 is transmitted at output port for control signal $A = 1$ and $B = 1$

Mathematical expression of 8x1 Wavelength Selector

The normalized output power for different control signals can be represented by the following equations;

$$\text{OUT1} = \left| \frac{\text{OUT1}_{\text{MZI } 7_1}}{E_{in}} \right|^2 = \cos^2\left(\frac{\Delta\varphi_{\text{MZI } 4}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI } 6}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI } 7}}{2}\right) \quad (18)$$

$$\text{OUT2} = \left| \frac{\text{OUT1}_{\text{MZI } 7_2}}{E_{in}} \right|^2 = \cos^2\left(\frac{\Delta\varphi_{\text{MZI } 1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI } 5}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI } 7}}{2}\right) \quad (19)$$

$$\text{OUT3} = \left| \frac{\text{OUT1}_{\text{MZI } 7_3}}{E_{in}} \right|^2 = \cos^2\left(\frac{\Delta\varphi_{\text{MZI } 3}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI } 6}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI } 7}}{2}\right) \quad (20)$$

$$\text{OUT4} = \left| \frac{\text{OUT1}_{\text{MZI } 7_4}}{E_{in}} \right|^2 = \cos^2\left(\frac{\Delta\varphi_{\text{MZI } 2}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI } 5}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI } 7}}{2}\right) \quad (21)$$

$$\text{OUT5} = \left| \frac{\text{OUT1}_{\text{MZI } 7_5}}{E_{in}} \right|^2 = \sin^2\left(\frac{\Delta\varphi_{\text{MZI } 4}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI } 6}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI } 7}}{2}\right) \quad (22)$$

$$\text{OUT6} = \left| \frac{\text{OUT1}_{\text{MZI } 7_1}}{E_{in}} \right|^2 = \sin^2\left(\frac{\Delta\varphi_{\text{MZI } 1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI } 5}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI } 7}}{2}\right) \quad (23)$$

$$\text{OUT7} = \left| \frac{\text{OUT1}_{\text{MZI } 7_3}}{E_{in}} \right|^2 = \sin^2\left(\frac{\Delta\varphi_{\text{MZI } 3}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI } 6}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{\text{MZI } 7}}{2}\right) \quad (24)$$

$$\text{OUT8} = \left| \frac{\text{OUT1}_{\text{MZI } 7_4}}{E_{in}} \right|^2 = \sin^2\left(\frac{\Delta\varphi_{\text{MZI } 2}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI } 5}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{\text{MZI } 7}}{2}\right) \quad (25)$$

MATLAB Result of 8x1 Wavelength Selector

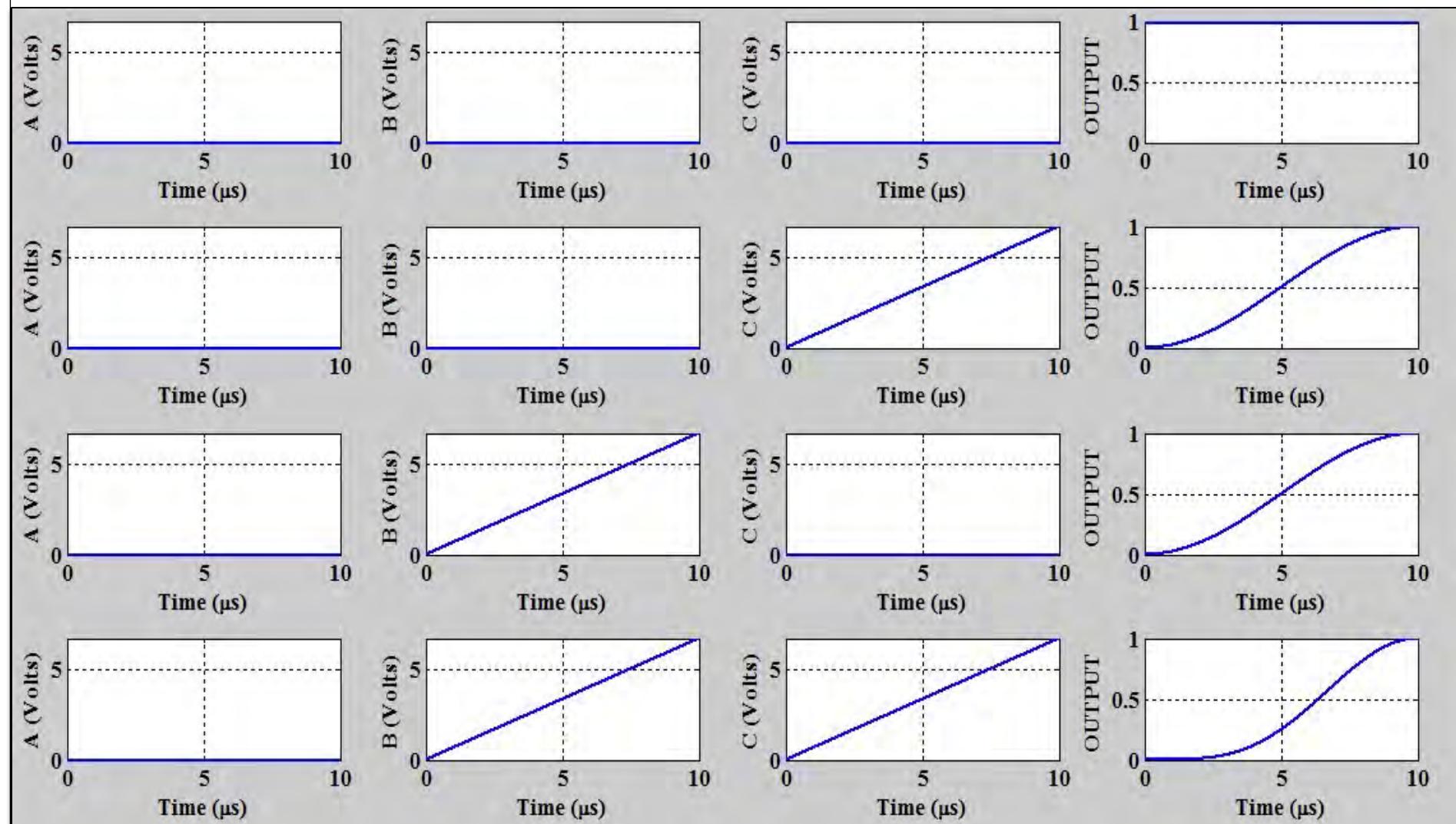


Figure 17(a): MATLAB simulation result of 8×1 wavelength selector, when $\lambda_0 - \lambda_3$ is transmitted individually at output port.

Cont...

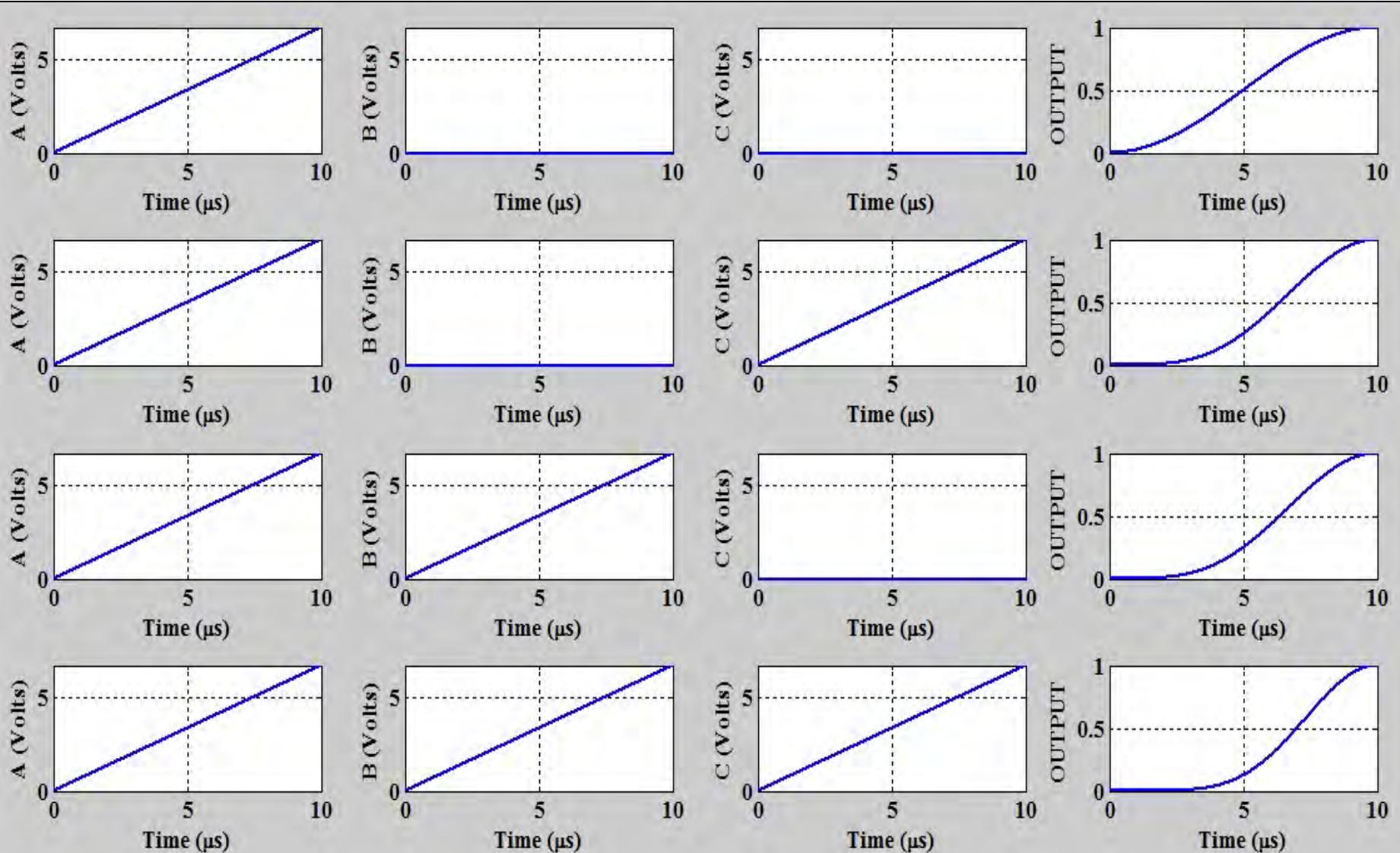


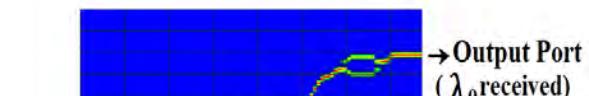
Figure 17(b): MATLAB simulation result of 8×1 wavelength selector, when $\lambda_4 - \lambda_7$ is transmitted individually at output port.
Dr. Santosh Kumar

BPM Result of 8x1 Wavelength Selector

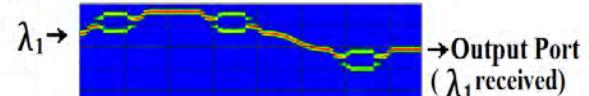
Control Signal

A B C

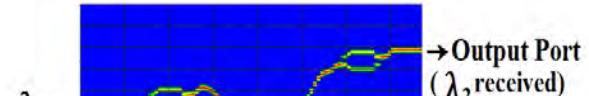
0 0 0



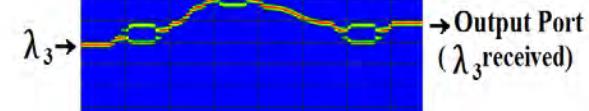
0 0 1



0 1 0



0 1 1



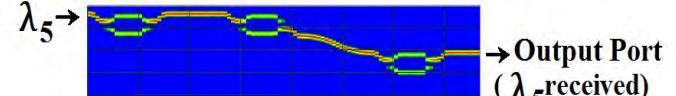
Control Signal

A B C

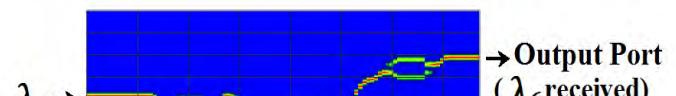
1 0 0



1 0 1



1 1 0



1 1 1

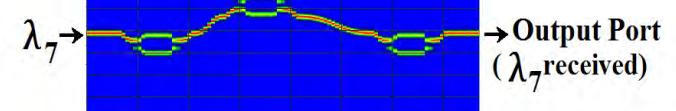


Figure 18(a): Simulation results of 8×1 wavelength selector, when wavelengths ($\lambda_0 - \lambda_3$) are transmitted at output port by applying different control signals

Figure 18(b): Simulation results of 8×1 wavelength selector, when wavelengths ($\lambda_4 - \lambda_7$) are transmitted at output port by applying different control signals

Design of Reversible gates

Santosh Kumar et al., Applied optics, Vol. 55. PP.-5693-5701 (OSA) (July,2016).

Reversible Logic Gates (Feynman gate)

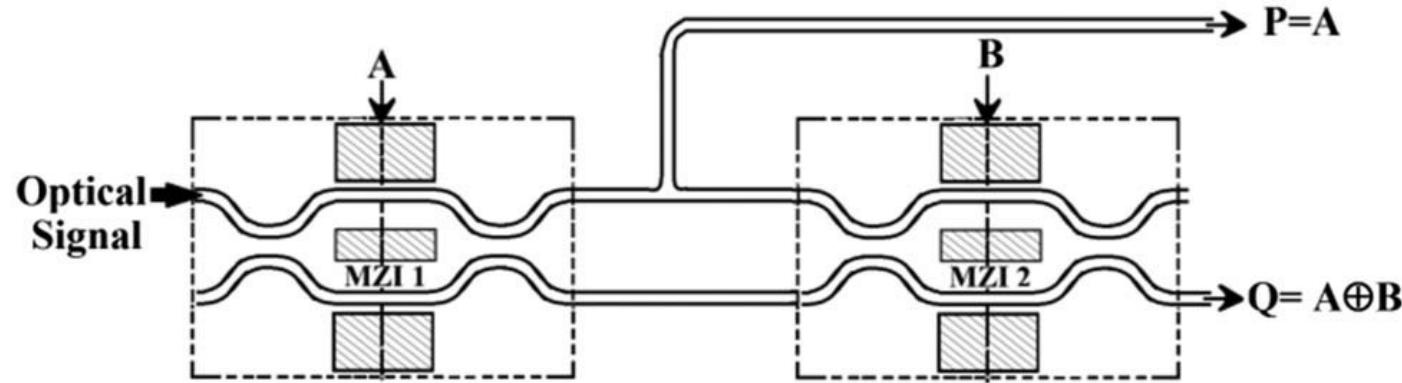
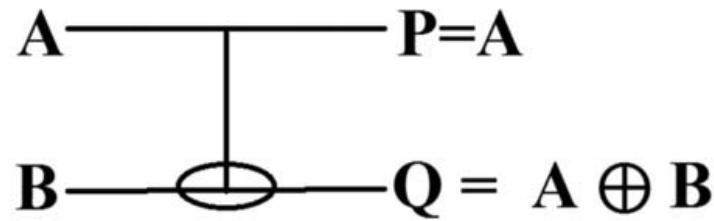
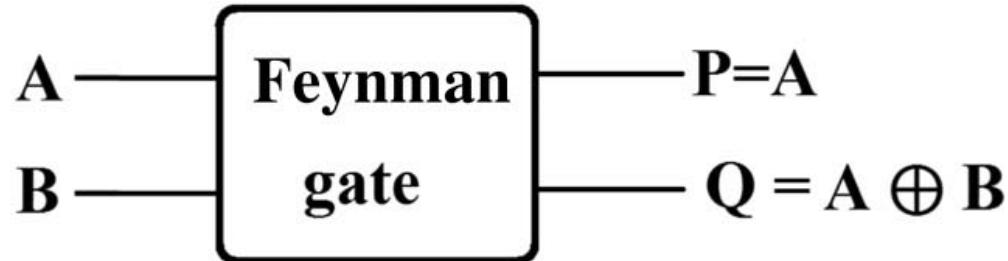


Figure: Logic symbol and Schematic diagram of Feynman gate using MZIs.

Mathematical Expression for Reversible gates

Mathematical formulation for Feynman gate

$$P = \sin^2\left(\frac{\Delta\phi_{MZI1}}{2}\right)$$
$$Q = \sin^2\left(\frac{\Delta\phi_{MZI1}}{2}\right)\cos^2\left(\frac{\Delta\phi_{MZI2}}{2}\right) + \cos^2\left(\frac{\Delta\phi_{MZI1}}{2}\right)\sin^2\left(\frac{\Delta\phi_{MZI2}}{2}\right)$$

MATLAB Results for Feynman gate

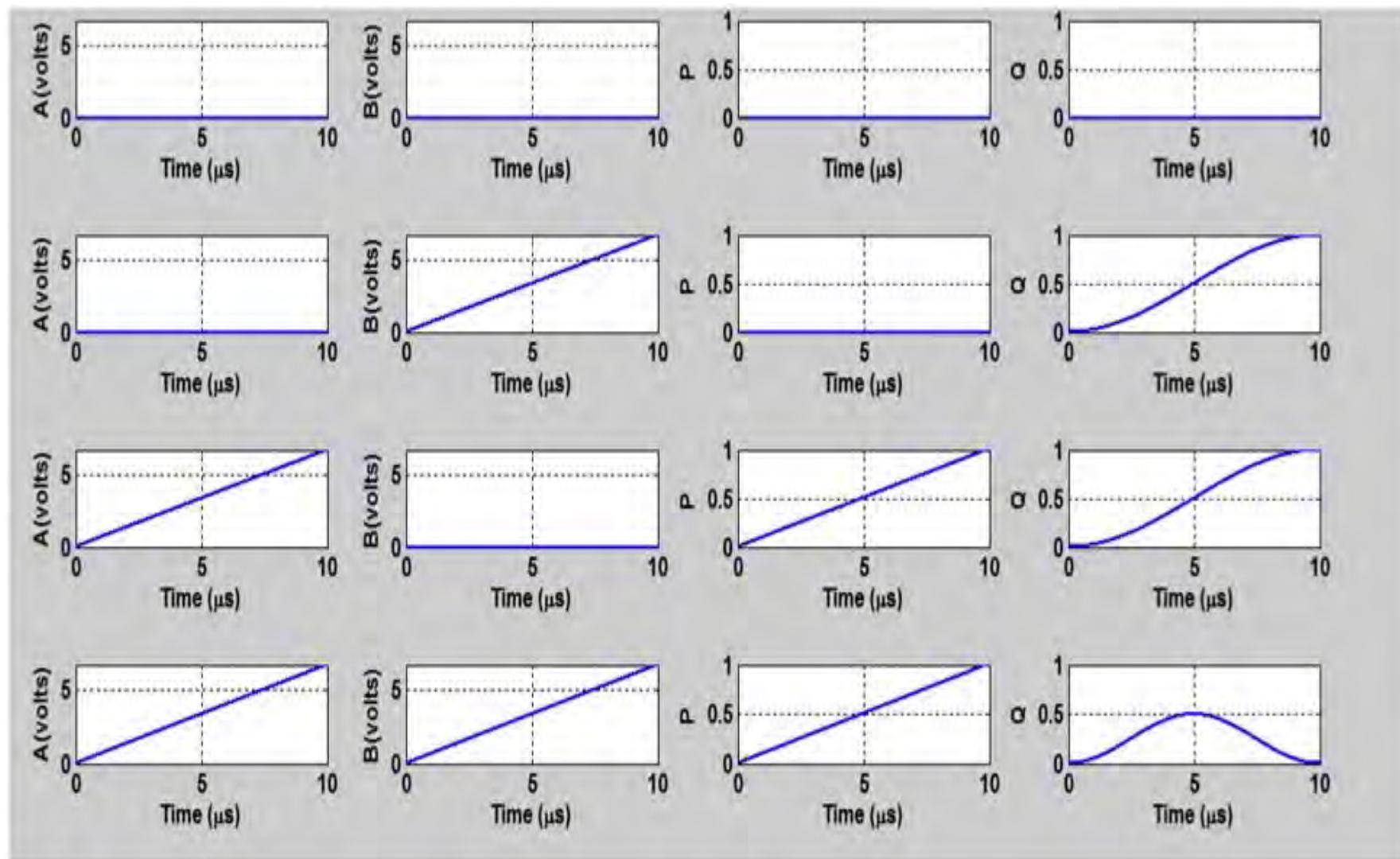


Figure: MATLAB simulation result of Feynman gate where A,B varies from 00 to 11

BPM Layout of Feynman gate

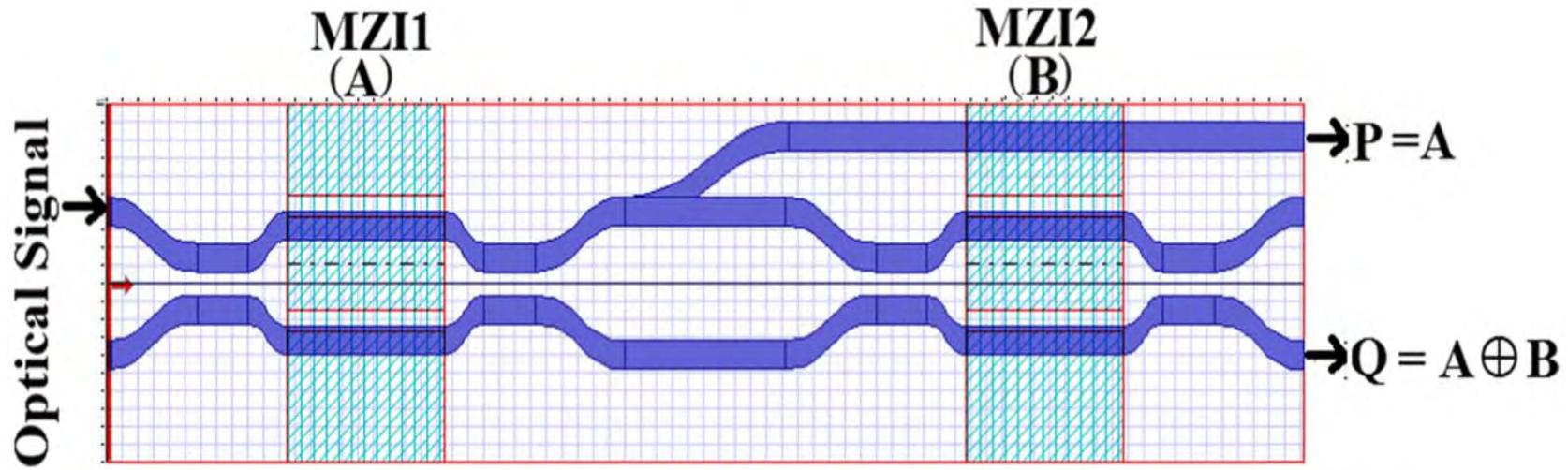


Figure: BPM layout of Feynman gate

Simulation Result from BPM (Feynman gate)

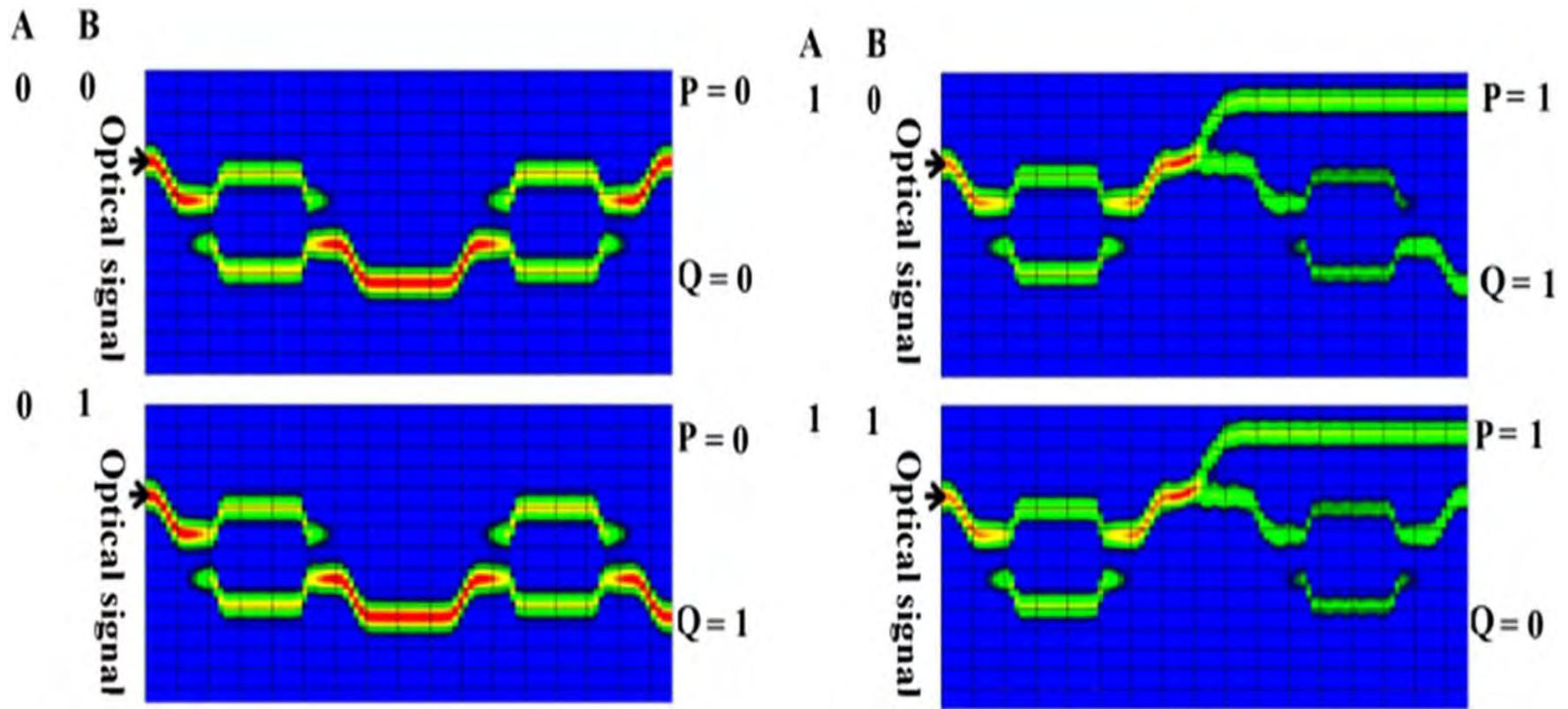


Figure: BPM result of Feynman gate where A, B varies from 00 to 11

Application Example (Feynman gate as D-flip flop)

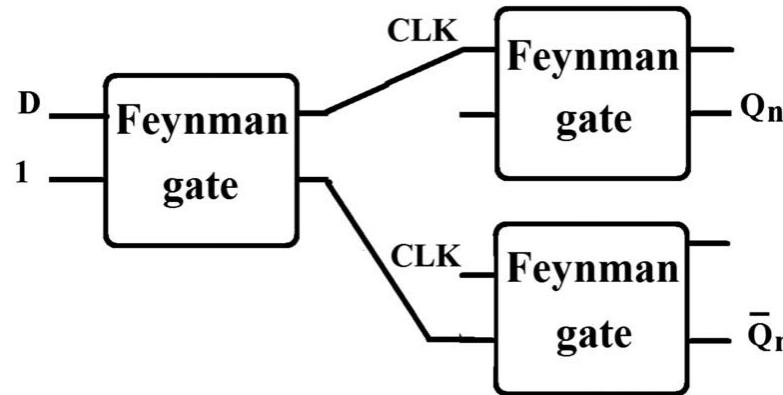
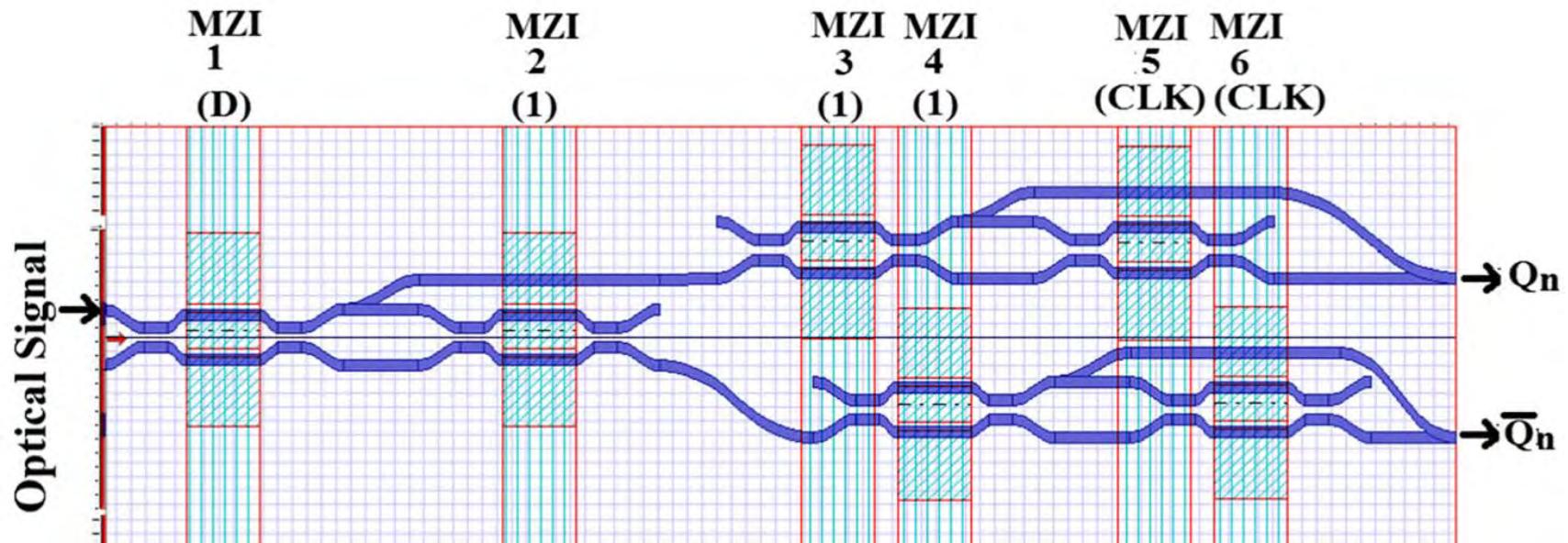


Figure: Application of Feynman gate as D flip flop



Simulation Result (Feynman as D flip flop)

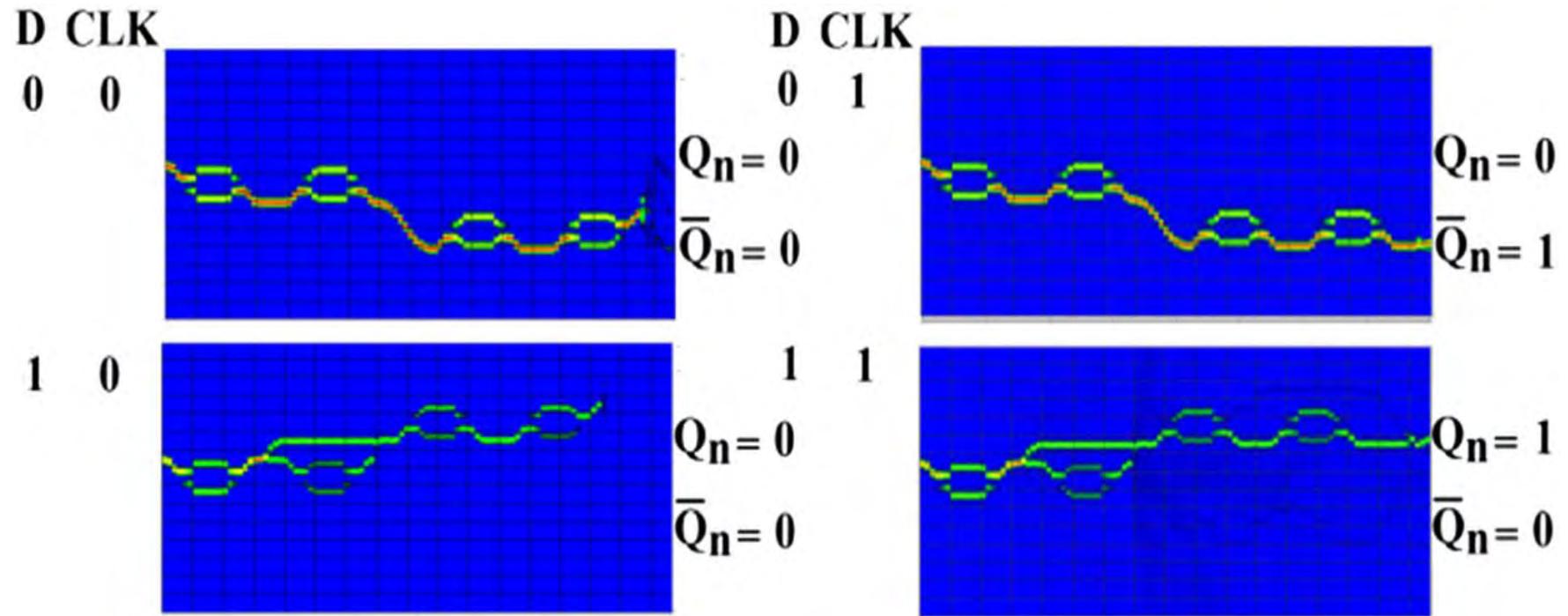


Figure: BPM results of D flip flop

Reversible Logic Gates (Fredkin)

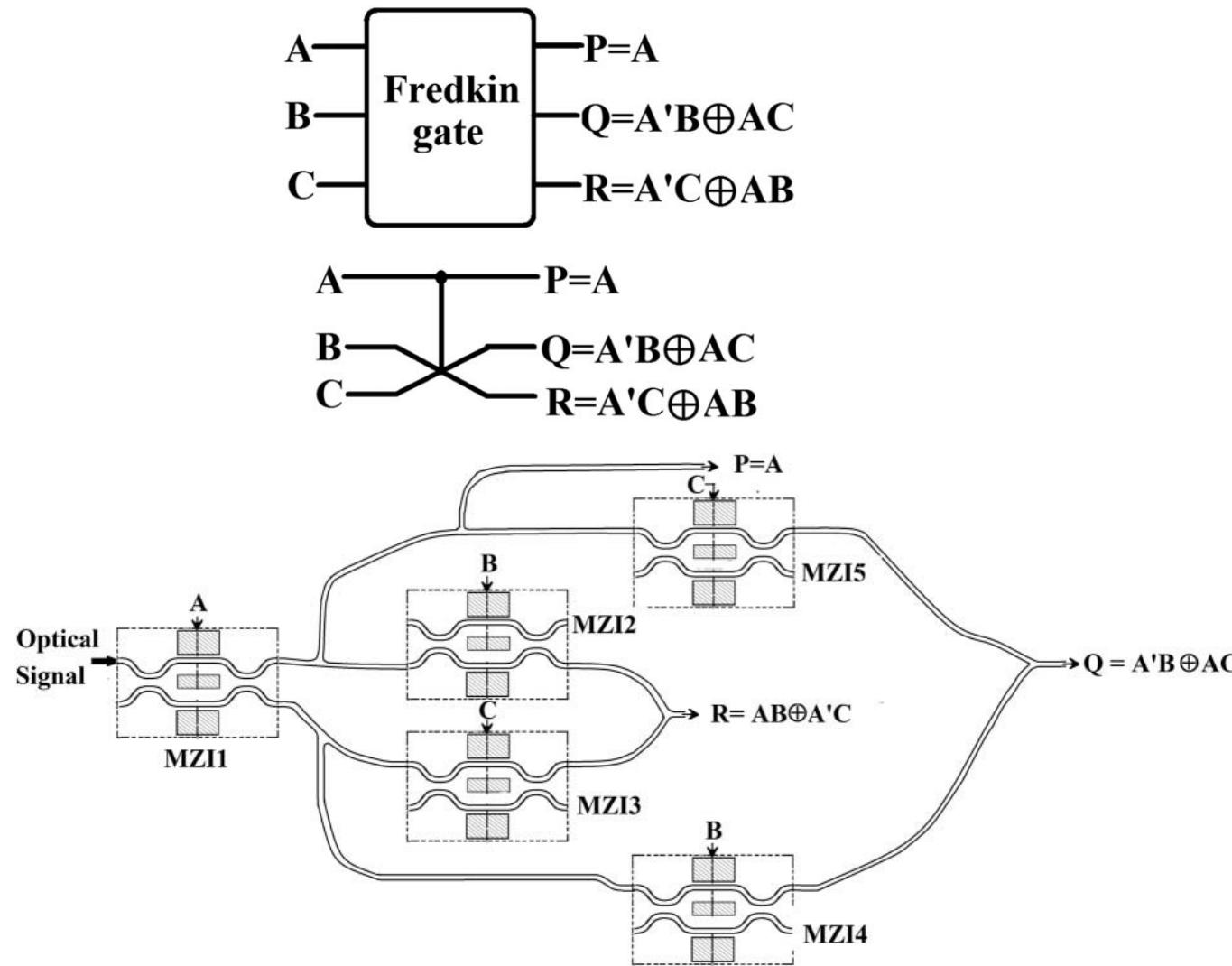


Figure: Logic symbol and Schematic diagram of Fredkin gate using MZIs.

Mathematical Expression for Reversible gates

Mathematical formulation for Fredkin gate

$$P = \sin^2\left(\frac{\Delta\phi_{MZI1}}{2}\right)$$

$$Q = \sin^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI5}}{2}\right) + \cos^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI4}}{2}\right)$$

$$R = \sin^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI2}}{2}\right) + \cos^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI3}}{2}\right)$$

MATLAB Results for Fredkin gate

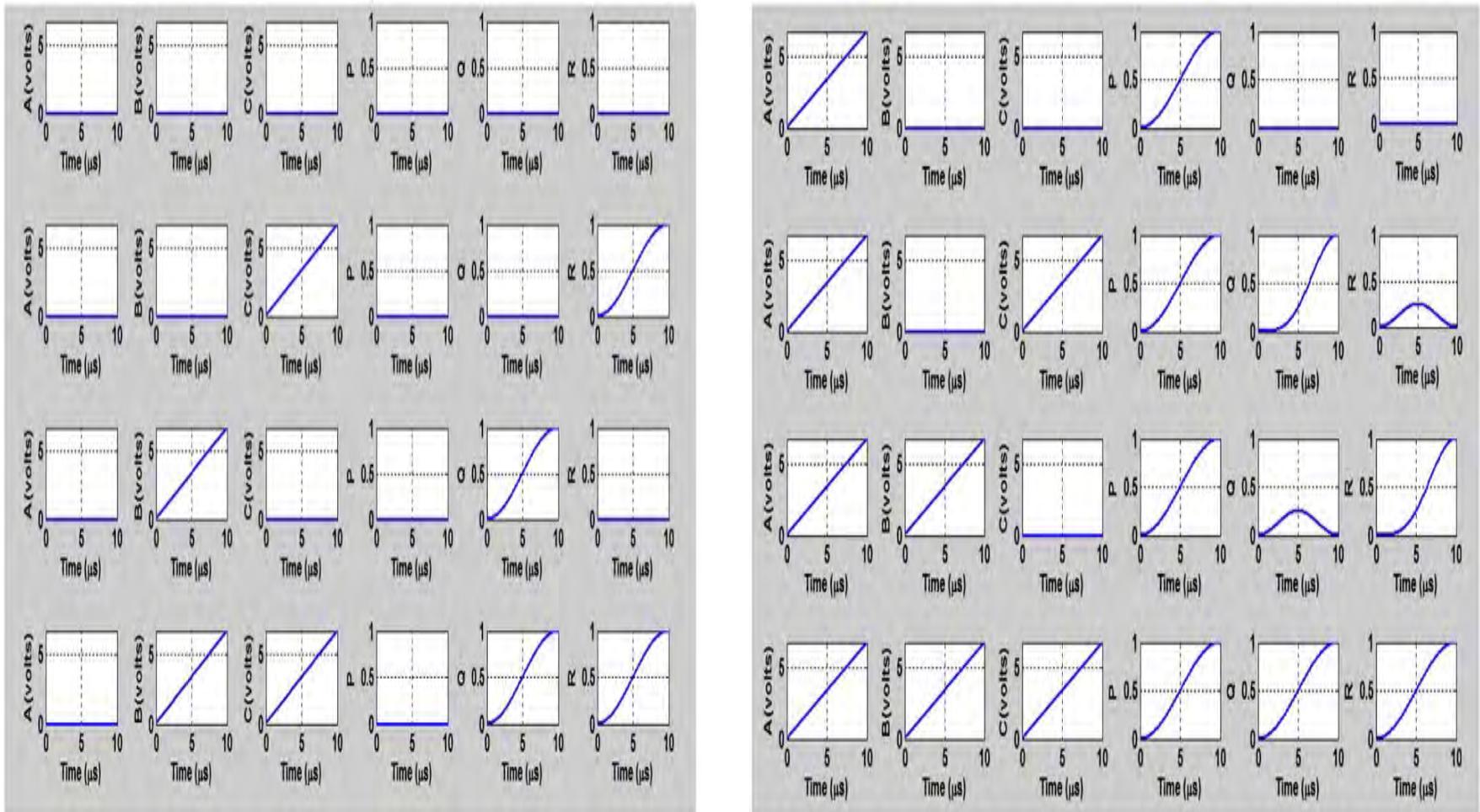


Figure: MATLAB simulation result of Fredkin Gate where A,B,C varies from 000 to 111

BPM Layout of Fredkin gate

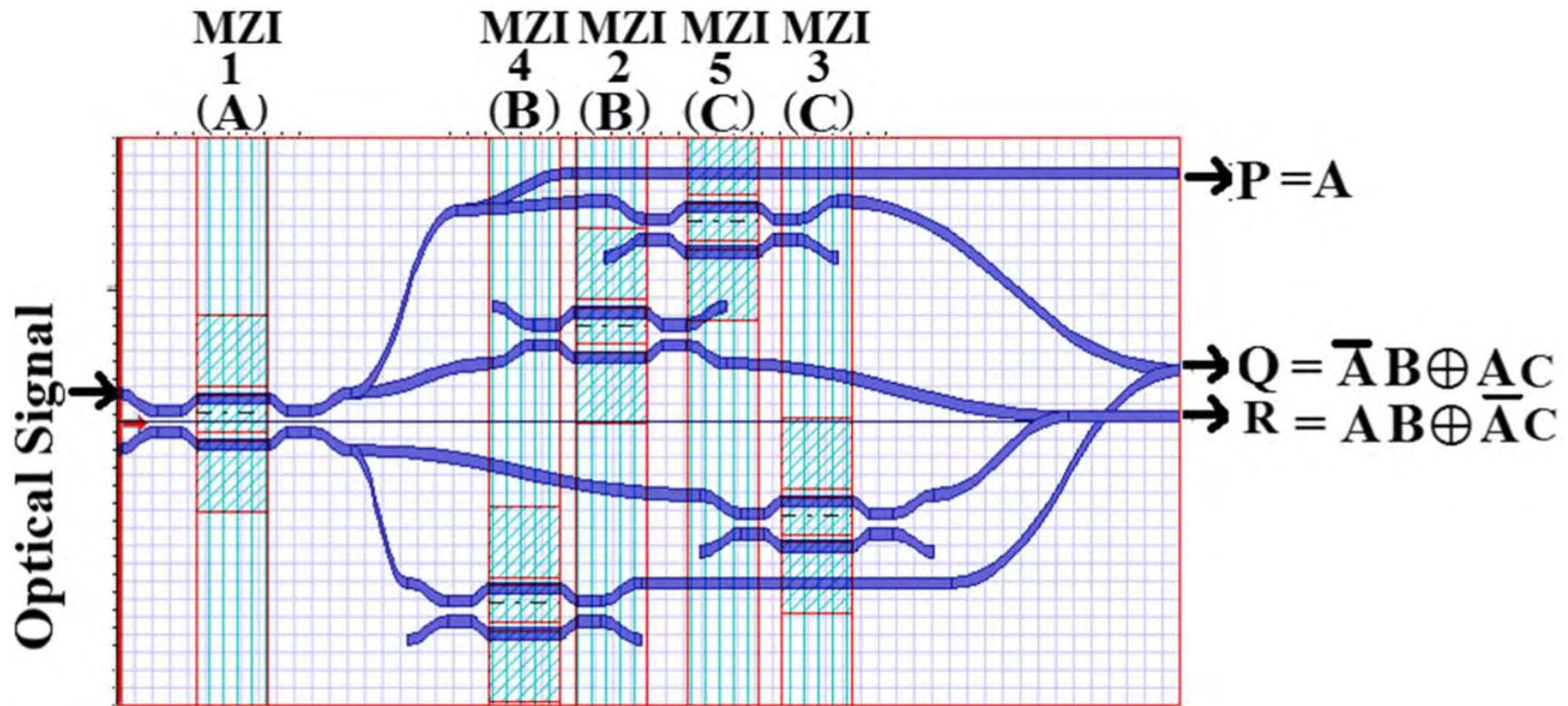


Figure: BPM layout of Fredkin gate

Simulation Result from BPM (Fredkin gate)

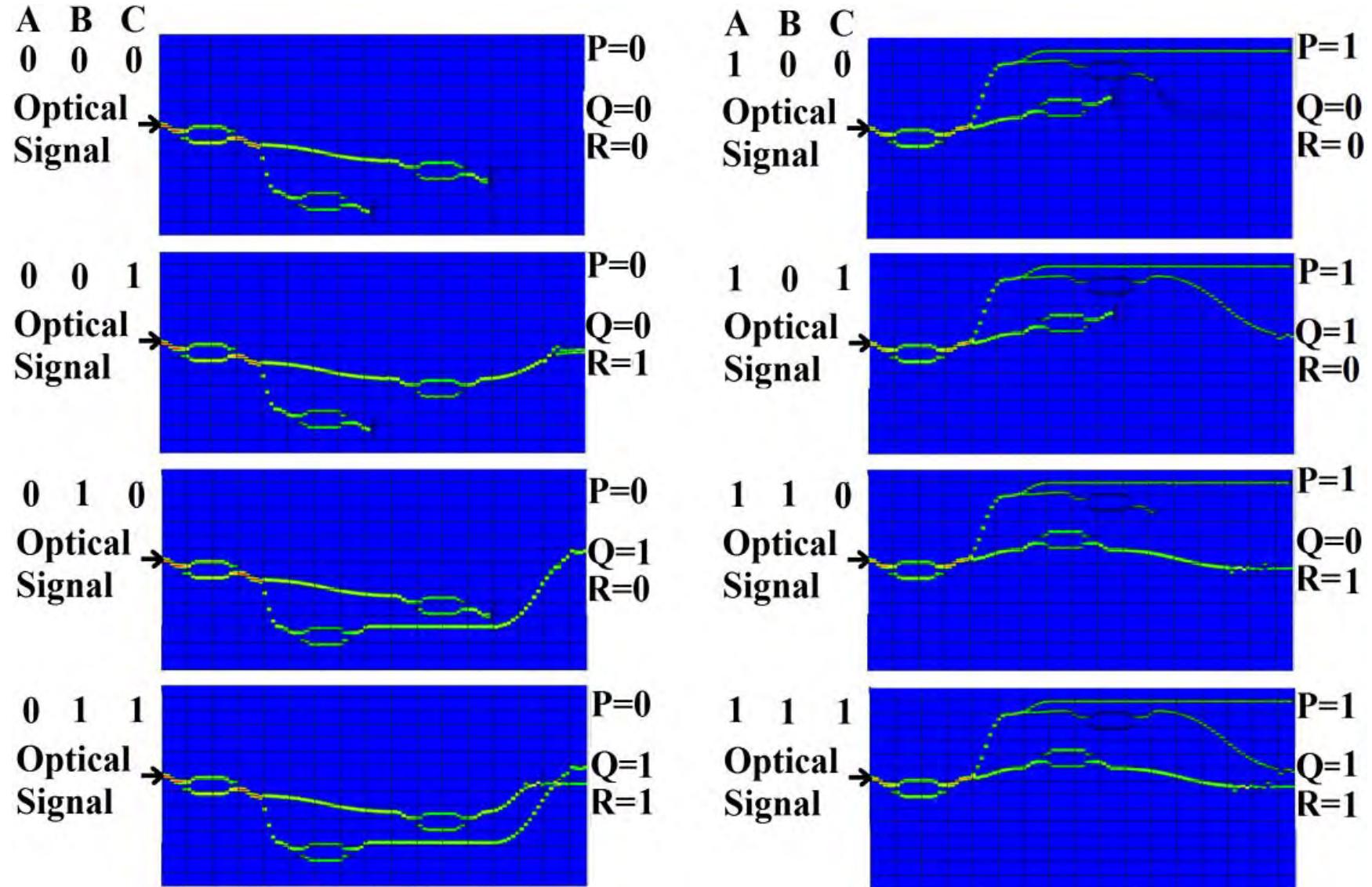


Figure: BPM result of Fredkin gate where A,B,C varies from 000 to 111

Application Example (Fredkin gate)

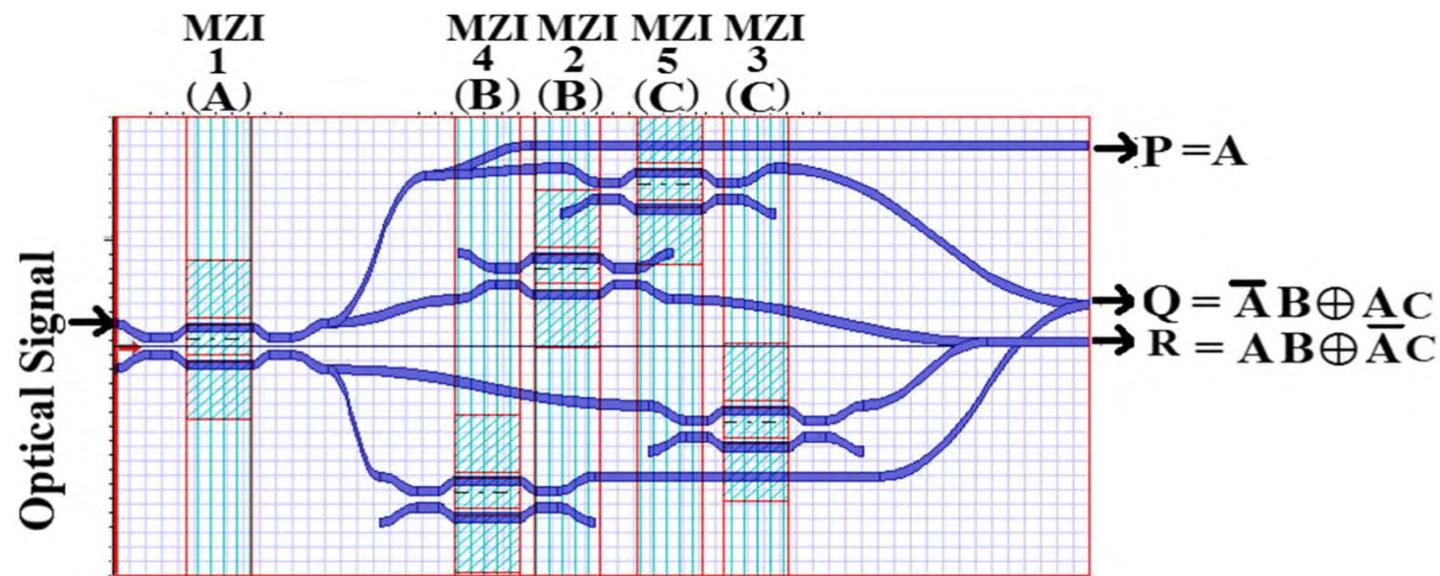
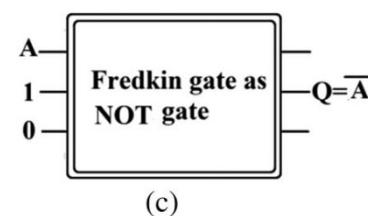
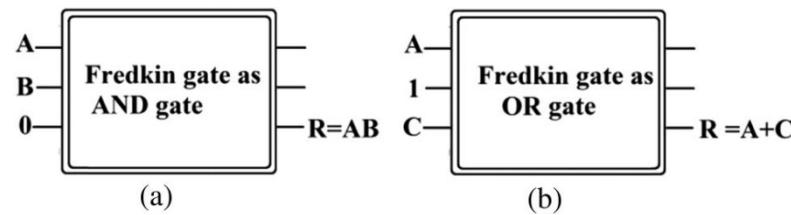
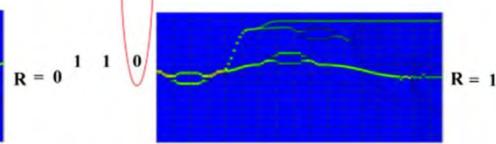
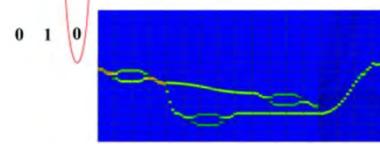
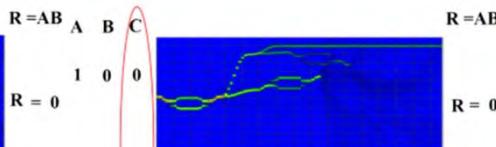
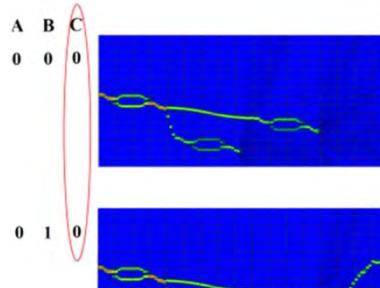
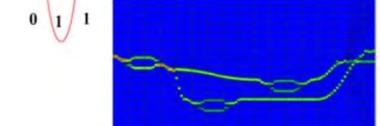
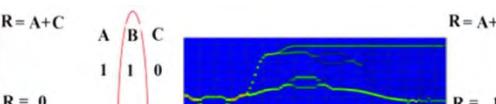
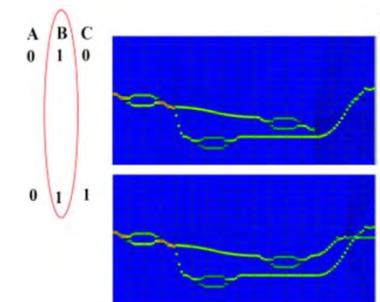


Figure: Application example and BPM layout of Fredkin gate

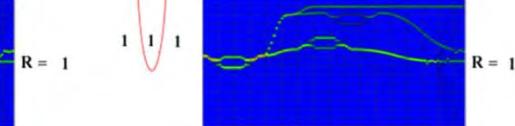
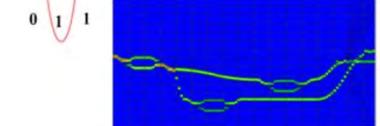
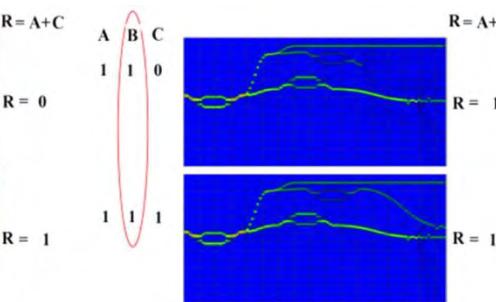
Simulation Result (Fredkin gate application)



As AND Gate



As NOT Gate



As OR Gate

Figure: BPM result of Fredkin gate used as different applications

Design of reversible multiplexer

Santosh Kumar et al., Optical Engineering (SPIE) 55(11), 115101 (2016)

2x1 Reversible Multiplexer

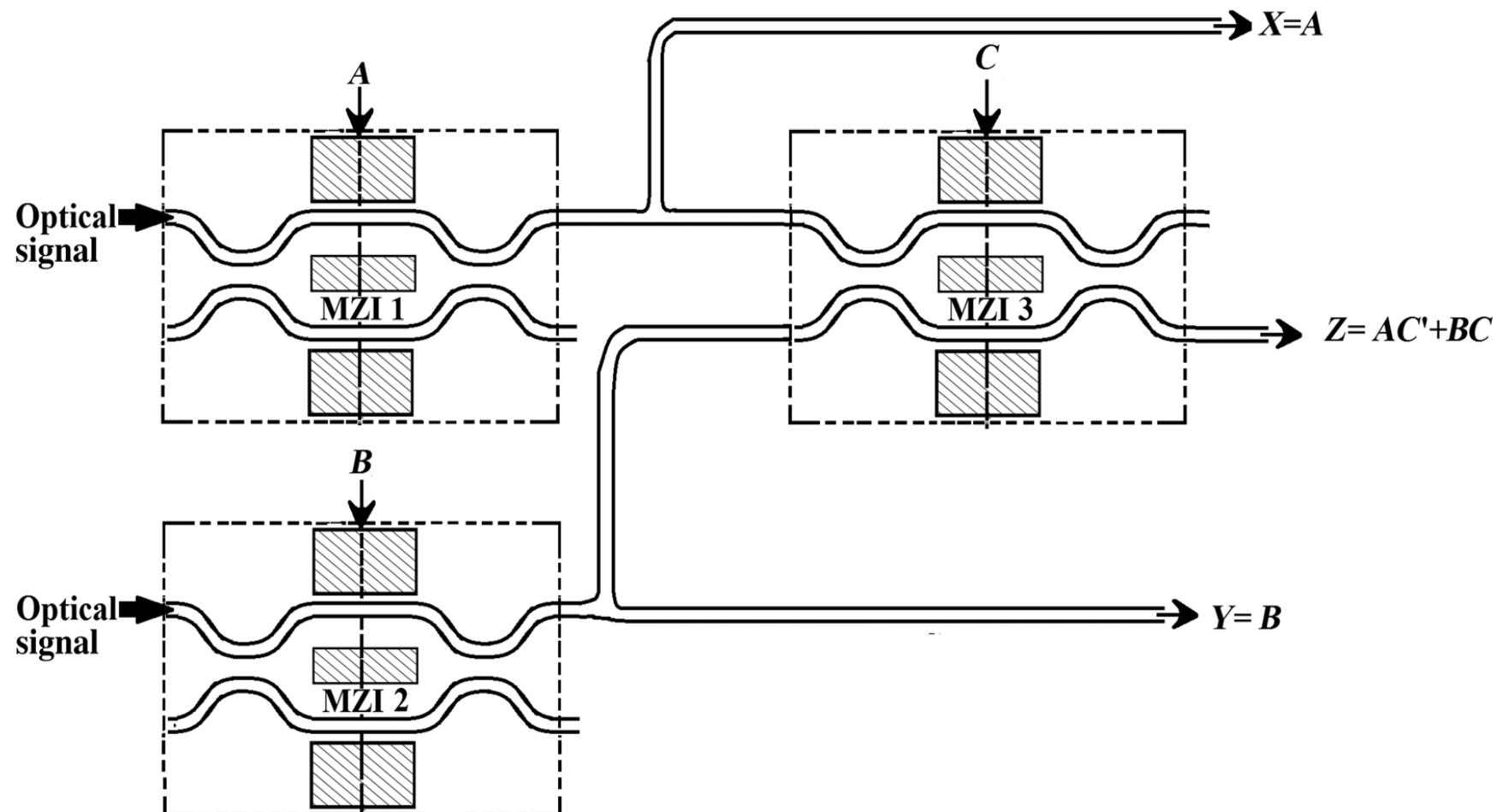


Figure: Reversible 2×1 multiplexer using MZI.

Mathematical Expression for 2x1 Multiplexer

X,Y,Z is output power calculated for A,B,C respectively.

$$X = \left[\sin^2 \left(\frac{\Delta\varphi_{MZI1}}{2} \right) \right]$$

$$Y = \left[\sin^2 \left(\frac{\Delta\varphi_{MZI2}}{2} \right) \right]$$

$$Z = \left[\sin^2 \left(\frac{\Delta\varphi_{MZI1}}{2} \right) \cos^2 \left(\frac{\Delta\varphi_{MZI3}}{2} \right) \right] + \left[\sin^2 \left(\frac{\Delta\varphi_{MZI2}}{2} \right) \sin^2 \left(\frac{\Delta\varphi_{MZI3}}{2} \right) \right]$$

MATLAB Results for 2x1 Multiplexer

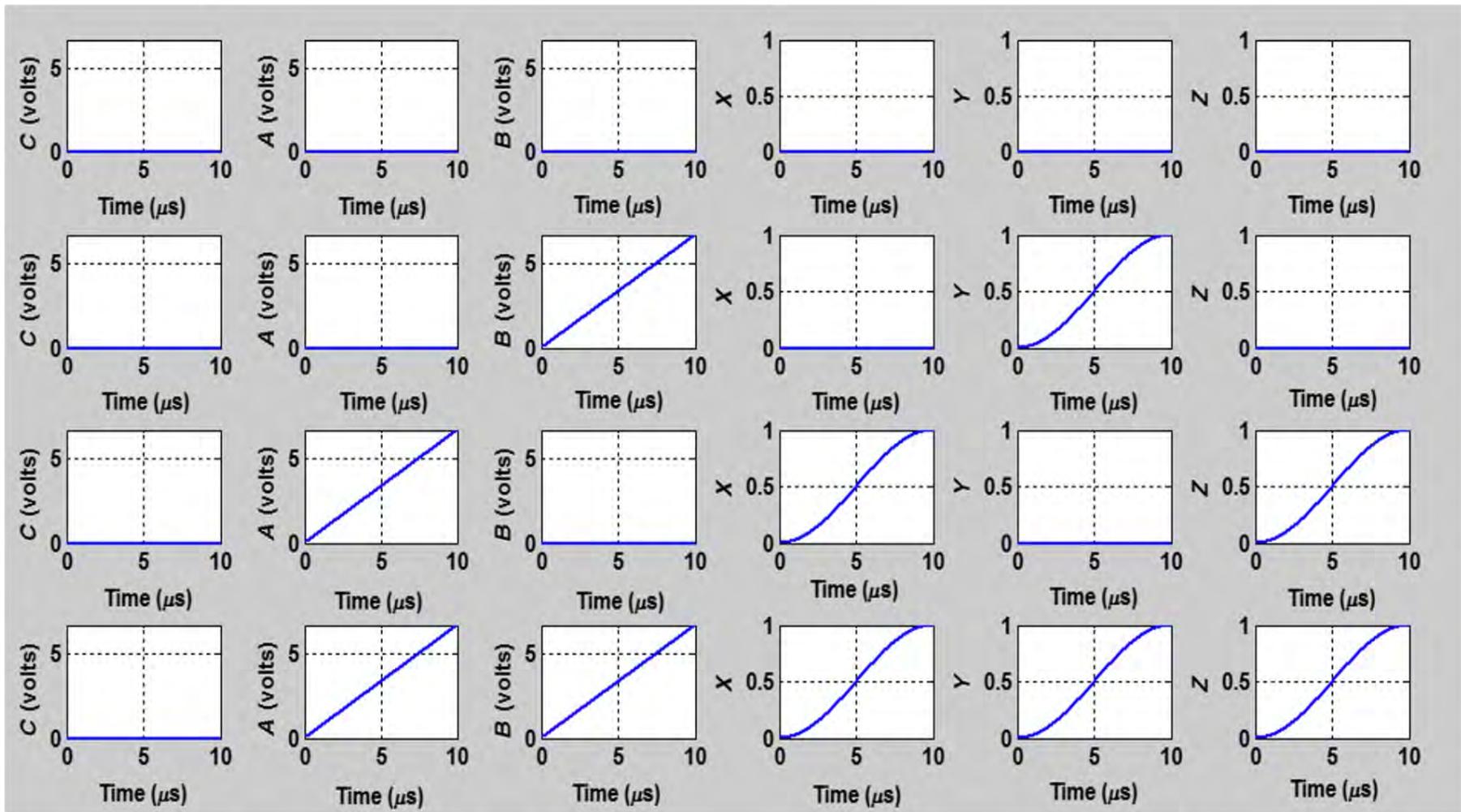


Figure: MATLAB simulations results of reversible 2x1 multiplexer where C, A, B varies from 000 to 011

Contd..

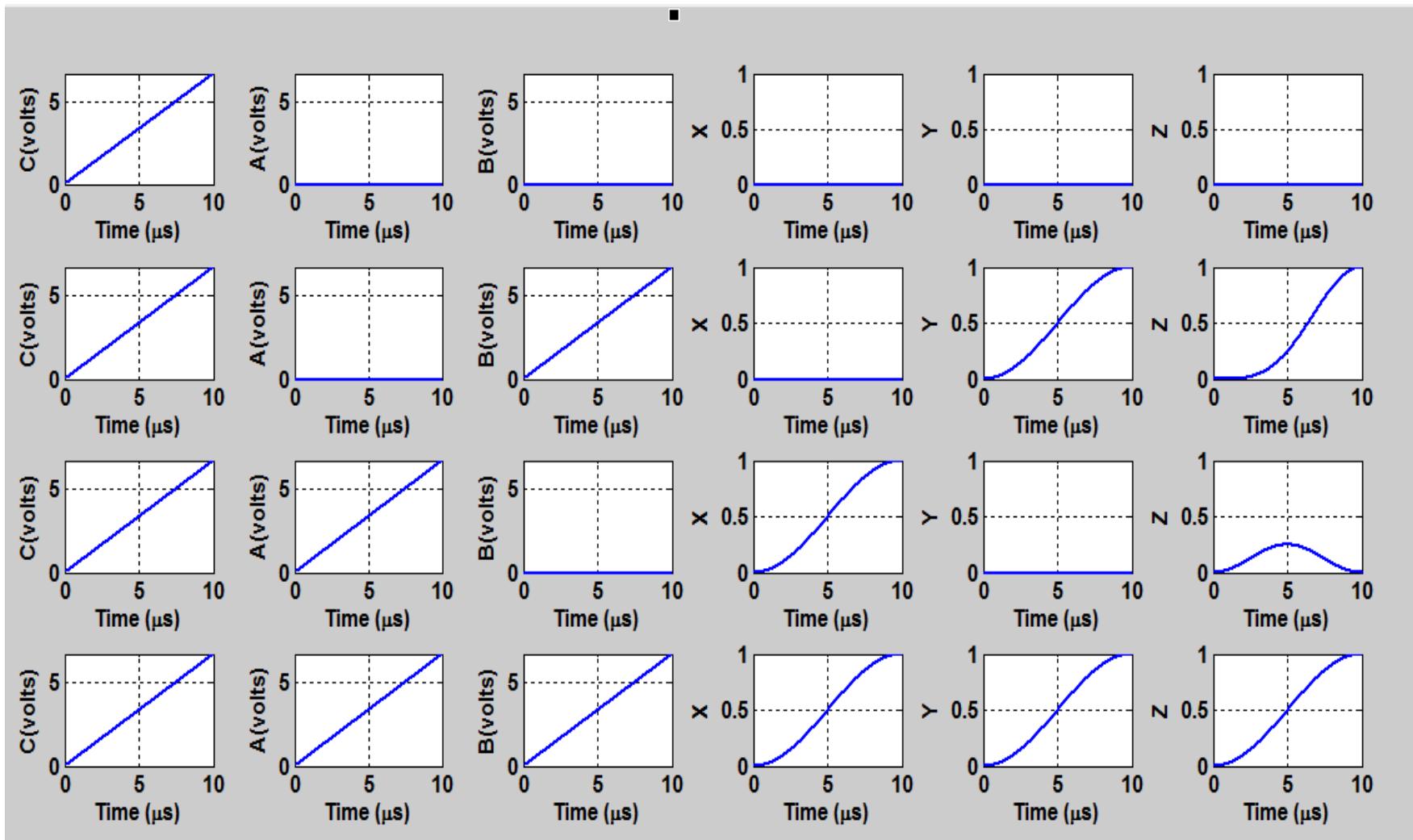


Figure: MATLAB simulations results of reversible 2x1 multiplexer where C, A, B varies from 100 to 111

BPM Layout of 2x1 Multiplexer

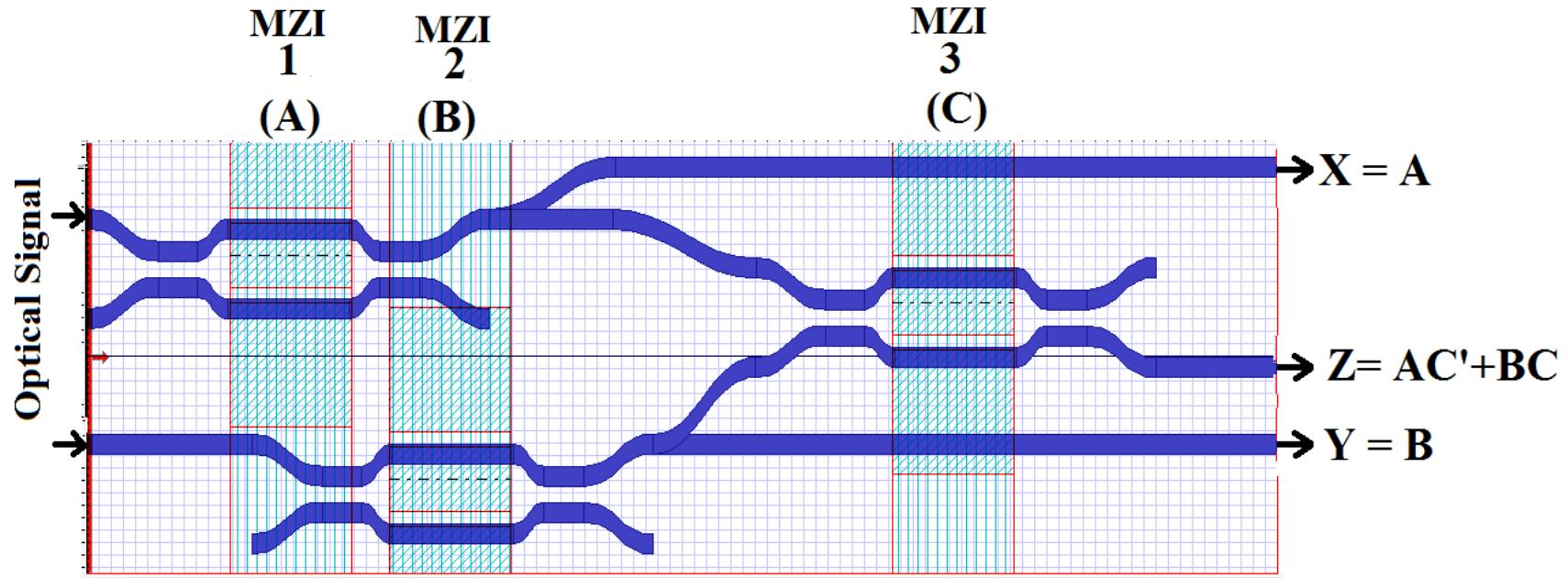


Figure: BPM layout of reversible 2x1 multiplexer

Simulation Result from BPM for 2x1 Multiplexer

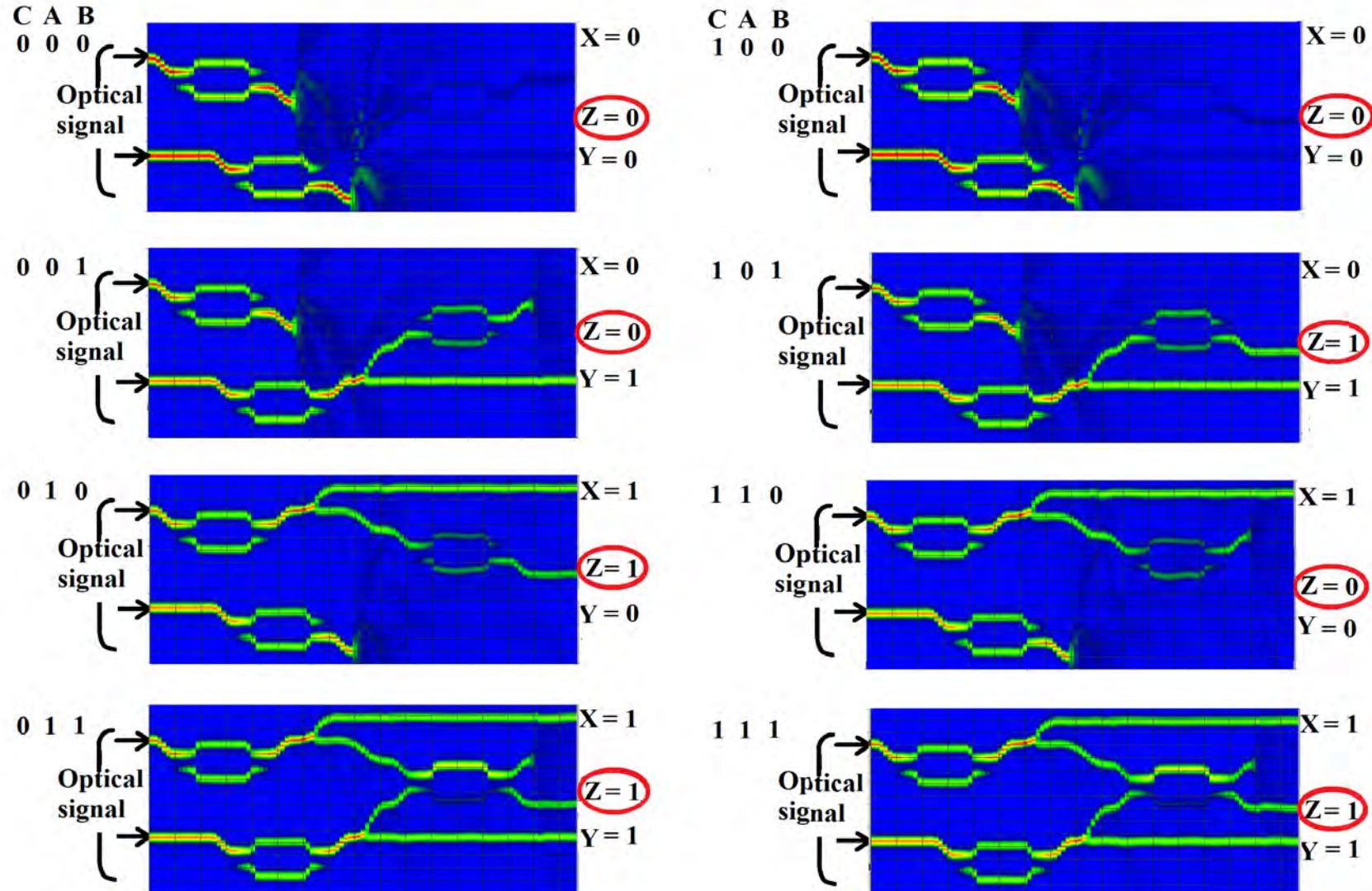
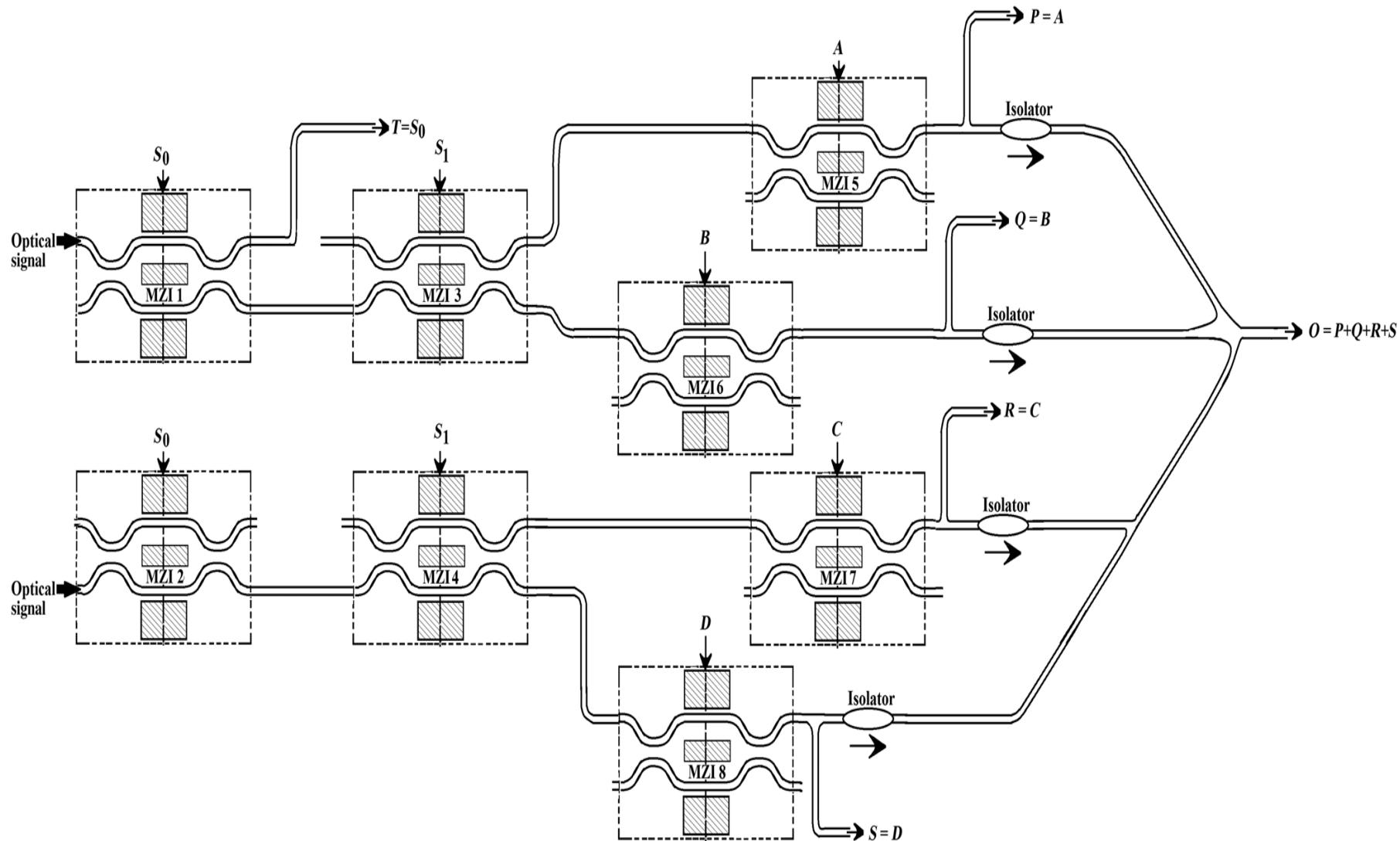


Figure: BPM results of reversible 2x1 multiplexer where C, A, B varies from 000 to

4x1 Multiplexer



Mathematical Expression for 4x1 Multiplexer

$$P = \left[\cos^2\left(\frac{\Delta\varphi_{MZI1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{MZI3}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{MZI5}}{2}\right) \right]$$

$$Q = \left[\cos^2\left(\frac{\Delta\varphi_{MZI1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{MZI3}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{MZI6}}{2}\right) \right]$$

$$R = \left[\sin^2\left(\frac{\Delta\varphi_{MZI2}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{MZI4}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{MZI7}}{2}\right) \right]$$

$$S = \left[\sin^2\left(\frac{\Delta\varphi_{MZI2}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{MZI4}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{MZI8}}{2}\right) \right]$$

$$T = \left[\sin^2\left(\frac{\Delta\varphi_{MZI1}}{2}\right) \right]$$

0 =

$$\left[\left\{ \cos^2\left(\frac{\Delta\varphi_{MZI1}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{MZI3}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{MZI5}}{2}\right) \right\} + \left\{ \cos^2\left(\frac{\Delta\varphi_{MZI1}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{MZI3}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{MZI6}}{2}\right) \right\} + \right.$$
$$\left. \left\{ \sin^2\left(\frac{\Delta\varphi_{MZI2}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{MZI4}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{MZI7}}{2}\right) \right\} + \left\{ \sin^2\left(\frac{\Delta\varphi_{MZI2}}{2}\right) \sin^2\left(\frac{\Delta\varphi_{MZI4}}{2}\right) \cos^2\left(\frac{\Delta\varphi_{MZI8}}{2}\right) \right\} \right]$$

MATLAB Results for 4x1 Multiplexer

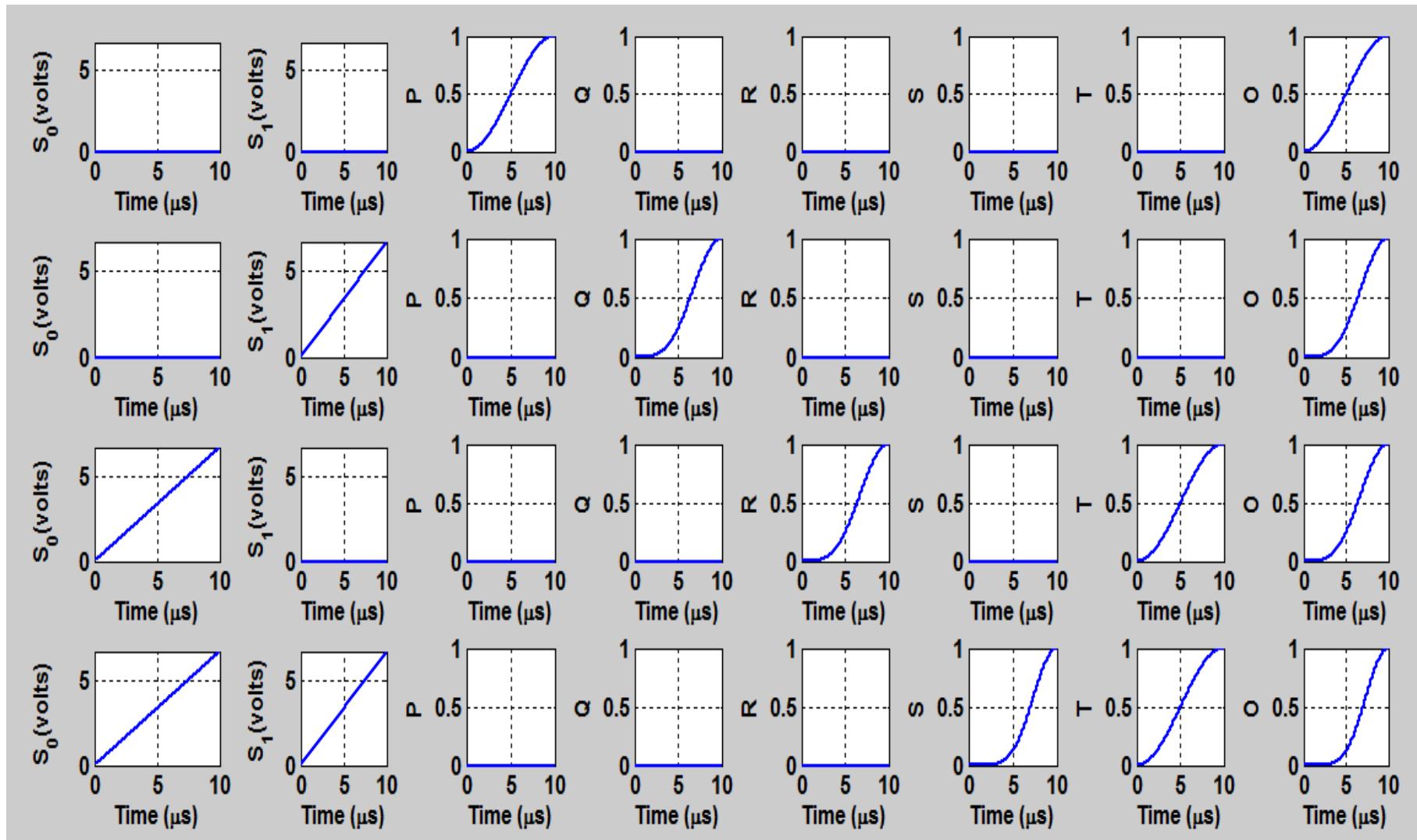


Figure: MATLAB simulations results of reversible 4x1 multiplexer where ϑ varies from 00 to 11

BPM Layout of 4x1 Multiplexer

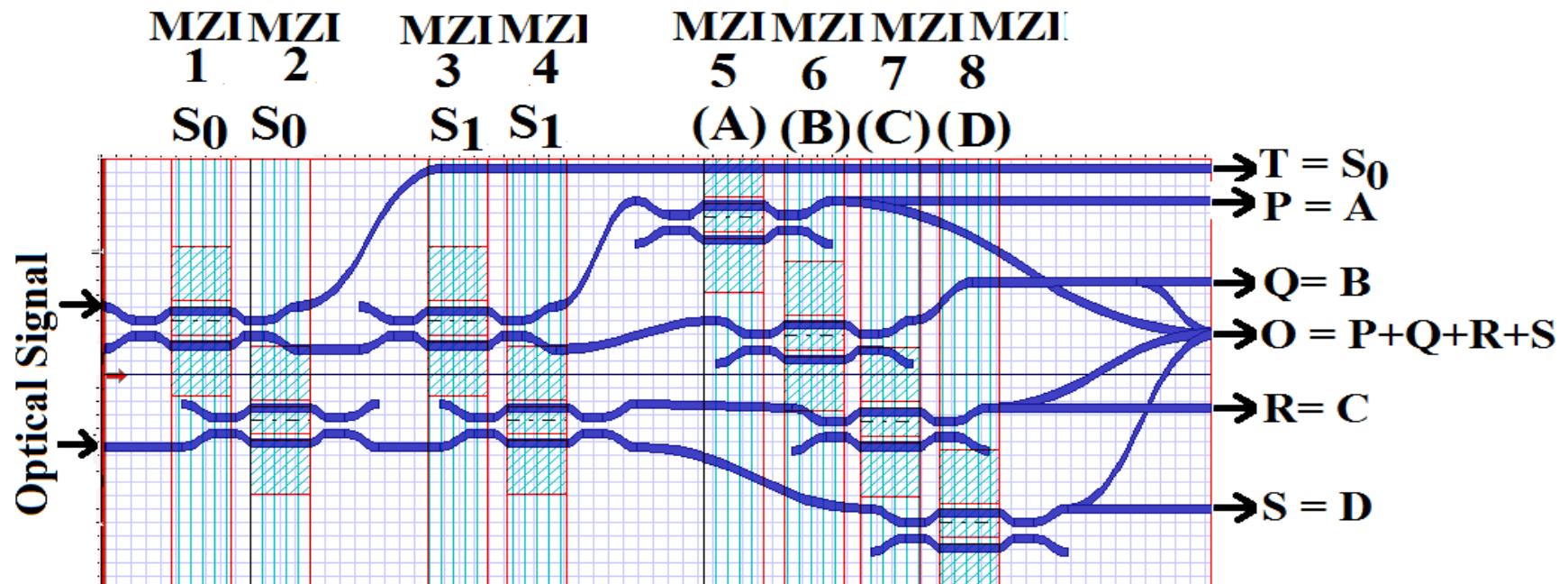


Figure: BPM layout of reversible 2x1 multiplexer

Simulation Result from BPM for 4x1 Multiplexer

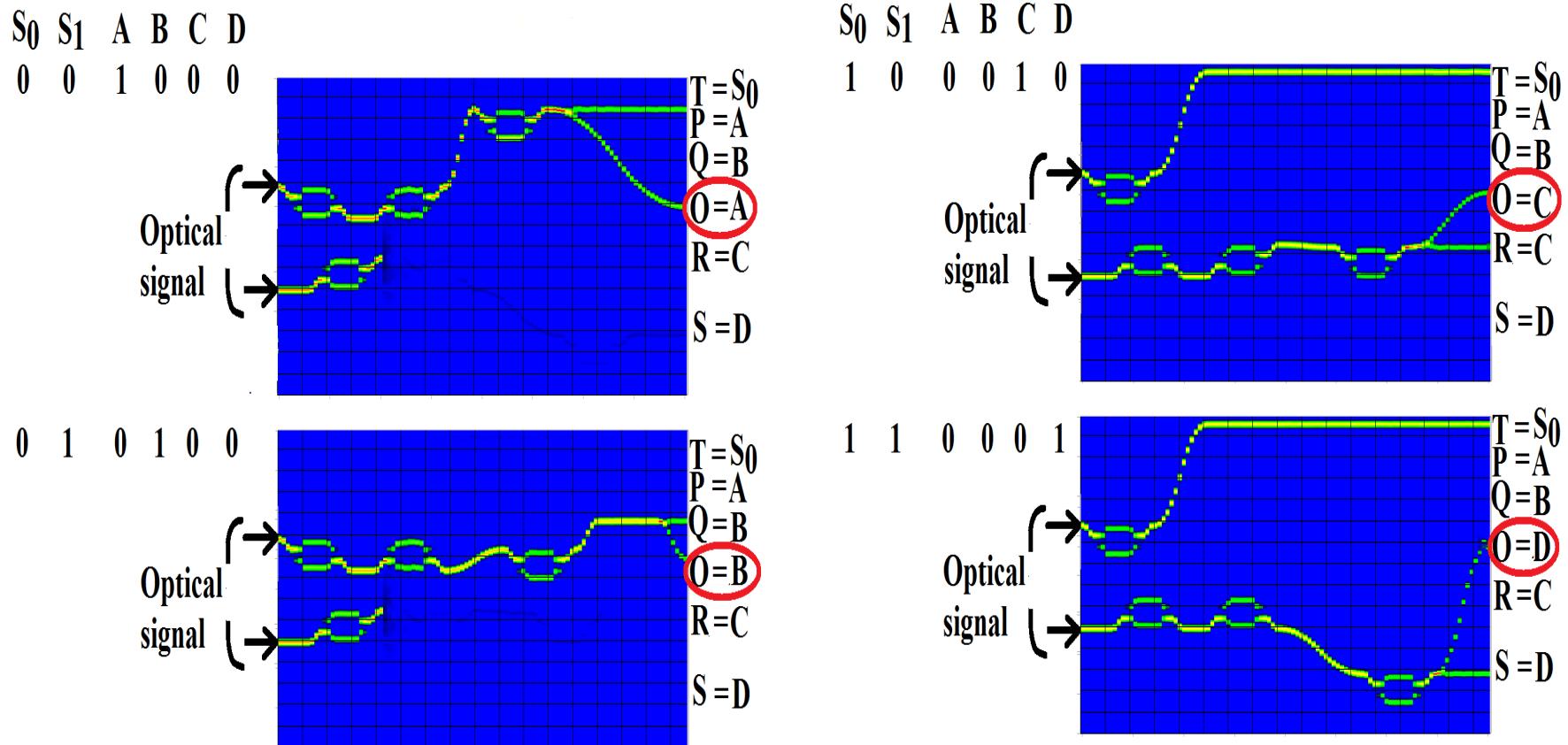


Figure: BPM results for 4x1 Multiplexer

Design of Reversible Sequential Circuits

Santosh Kumar et. al., Optical Engineering (SPIE) 55(12),125105 (2016).

Logic Diagram of different sequential circuits

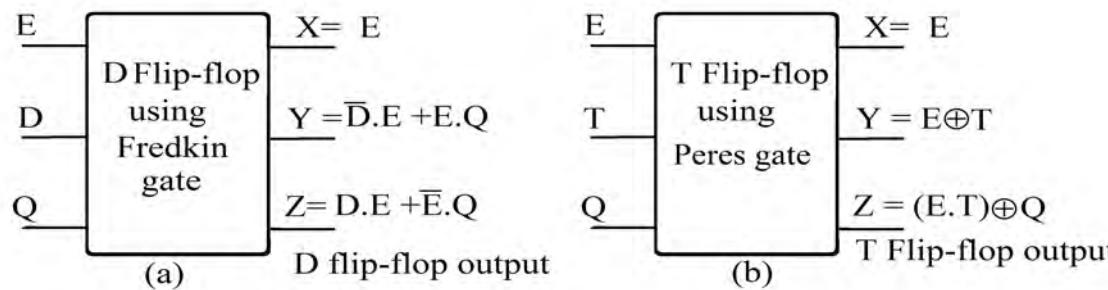


Figure: (a) D Flip-flop using Fredkin gate (b) T Flip-flop using Peres gate

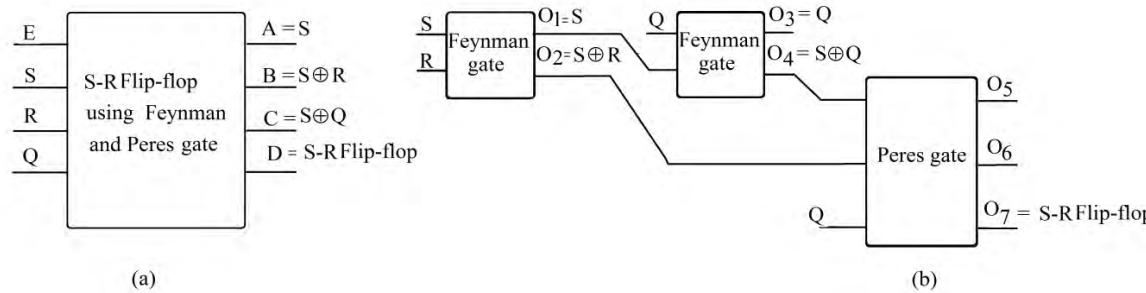


Figure: S-R Flip-flop using Feynman and Peres gate (a) block level design (b) gate level design

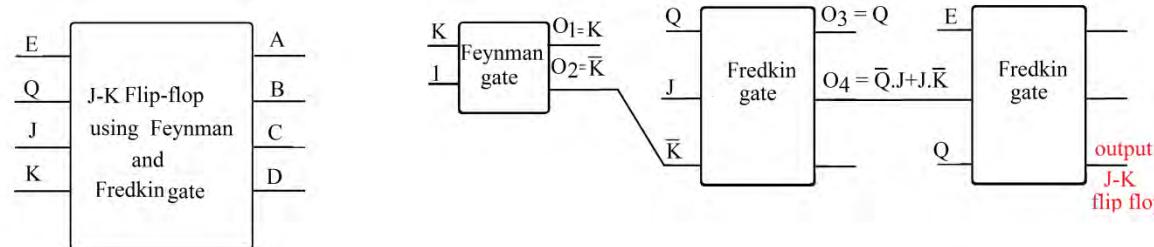


Figure: J-K Flip-flop using Feynman and Fredkin gate (a) block level design (b) gate level design
Dr. Santosh Kumar

D Flip-flop

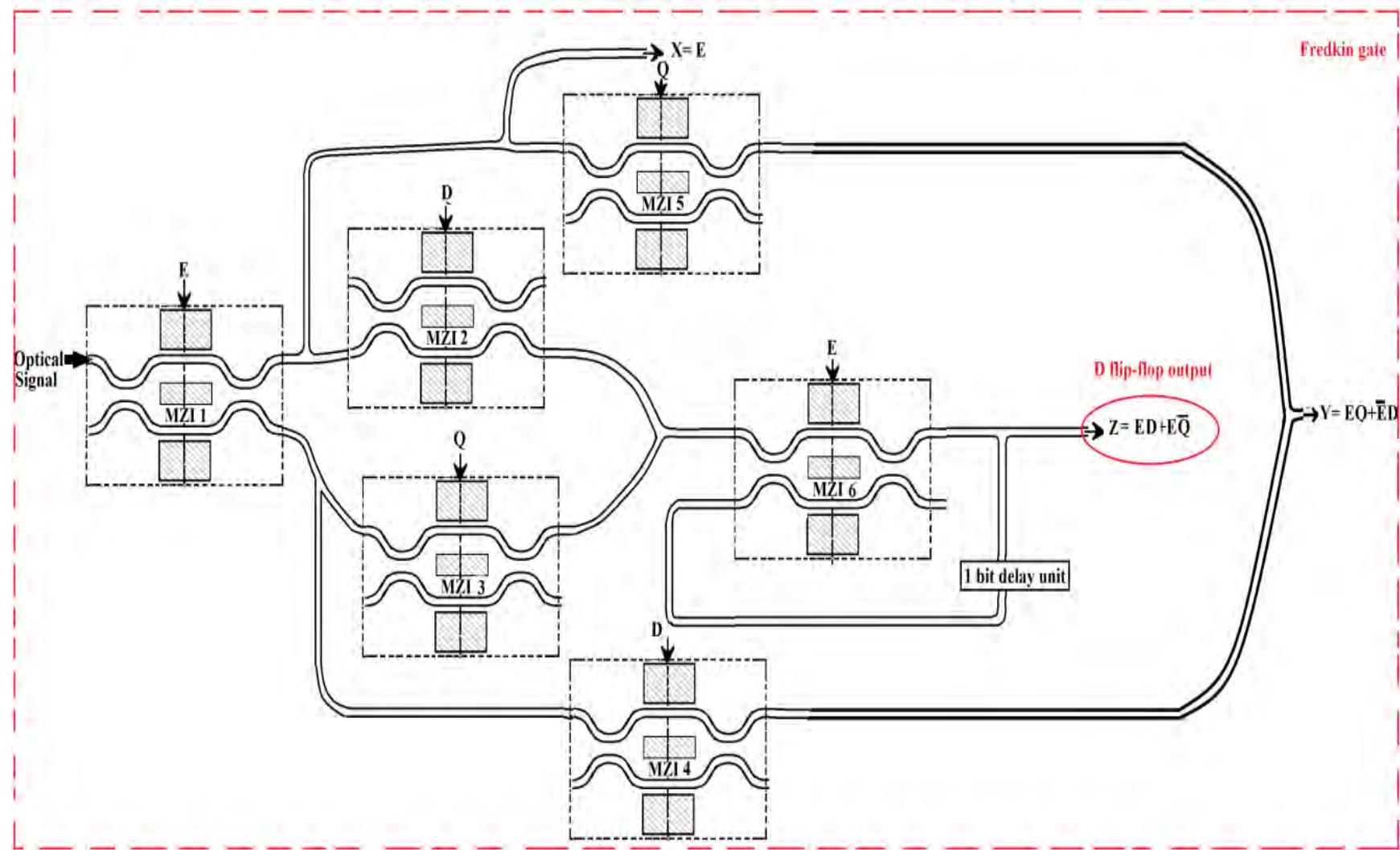


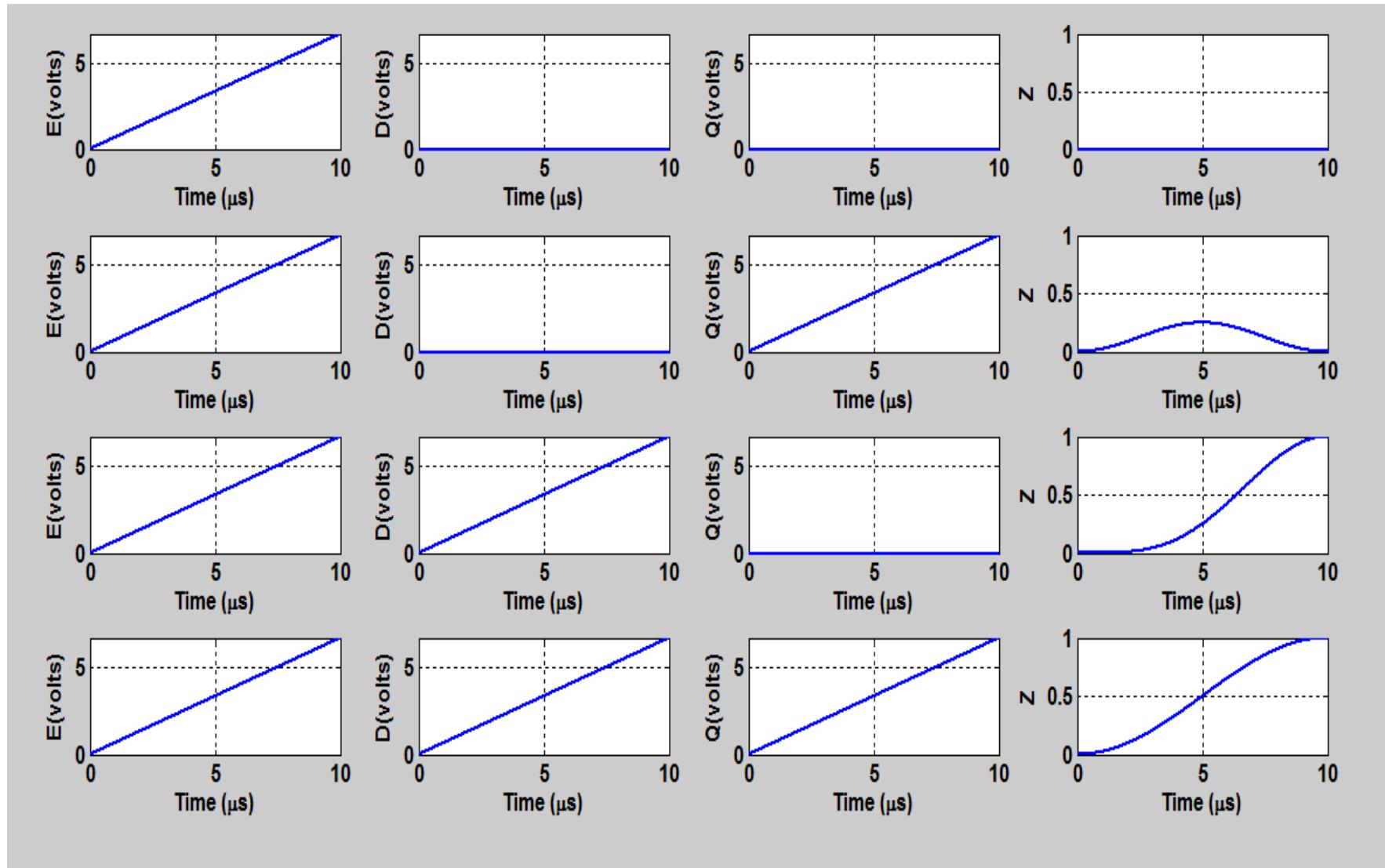
Figure: D Flip-flop using Feynman

Mathematical Expression for D flip-flop

Mathematical formulation for D flip-flop can be calculated as:

$$Z = \sin^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI2}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI6}}{2}\right) \\ + \cos^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI6}}{2}\right)$$

MATLAB Results for D flip-flop



BPM Layout and Simulation result of D Flip-flop

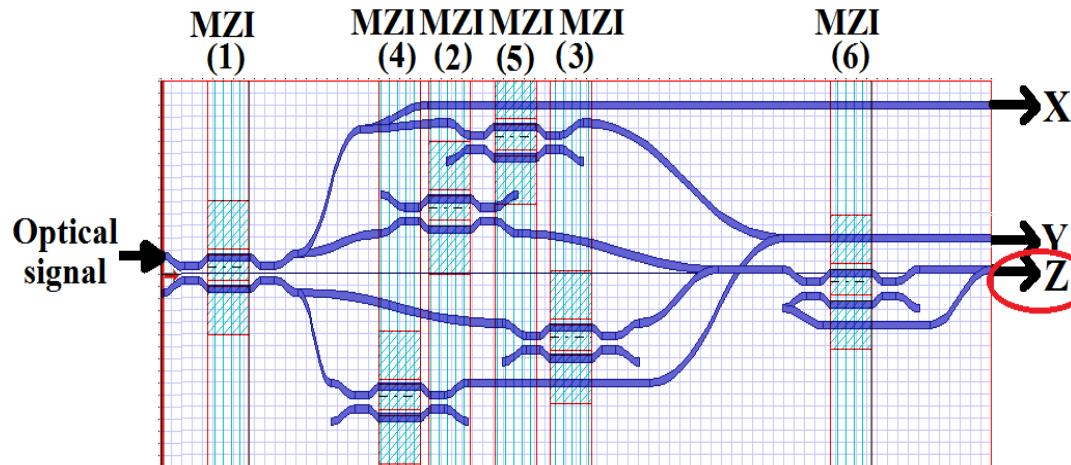
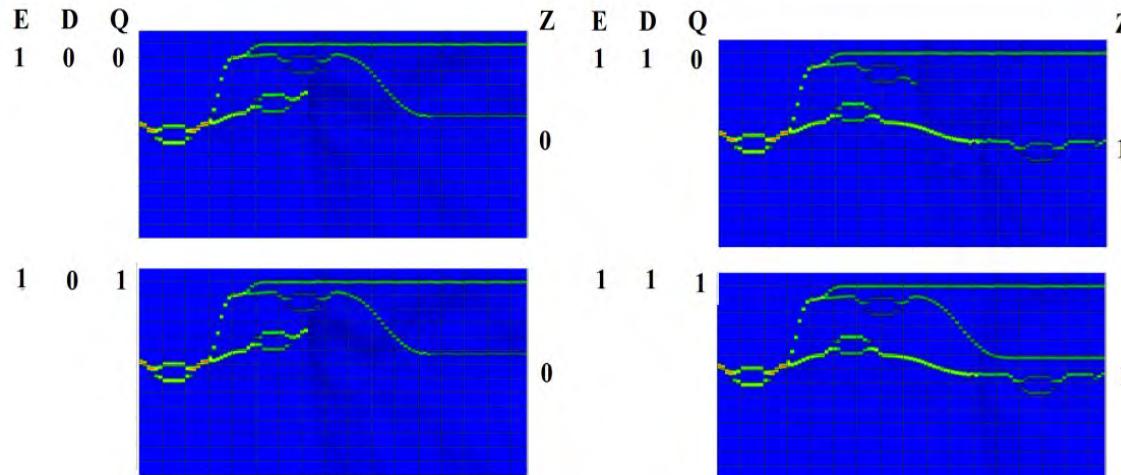


Figure: BPM layout of D Flip-flop using Fredkin gate



T Flip-flop

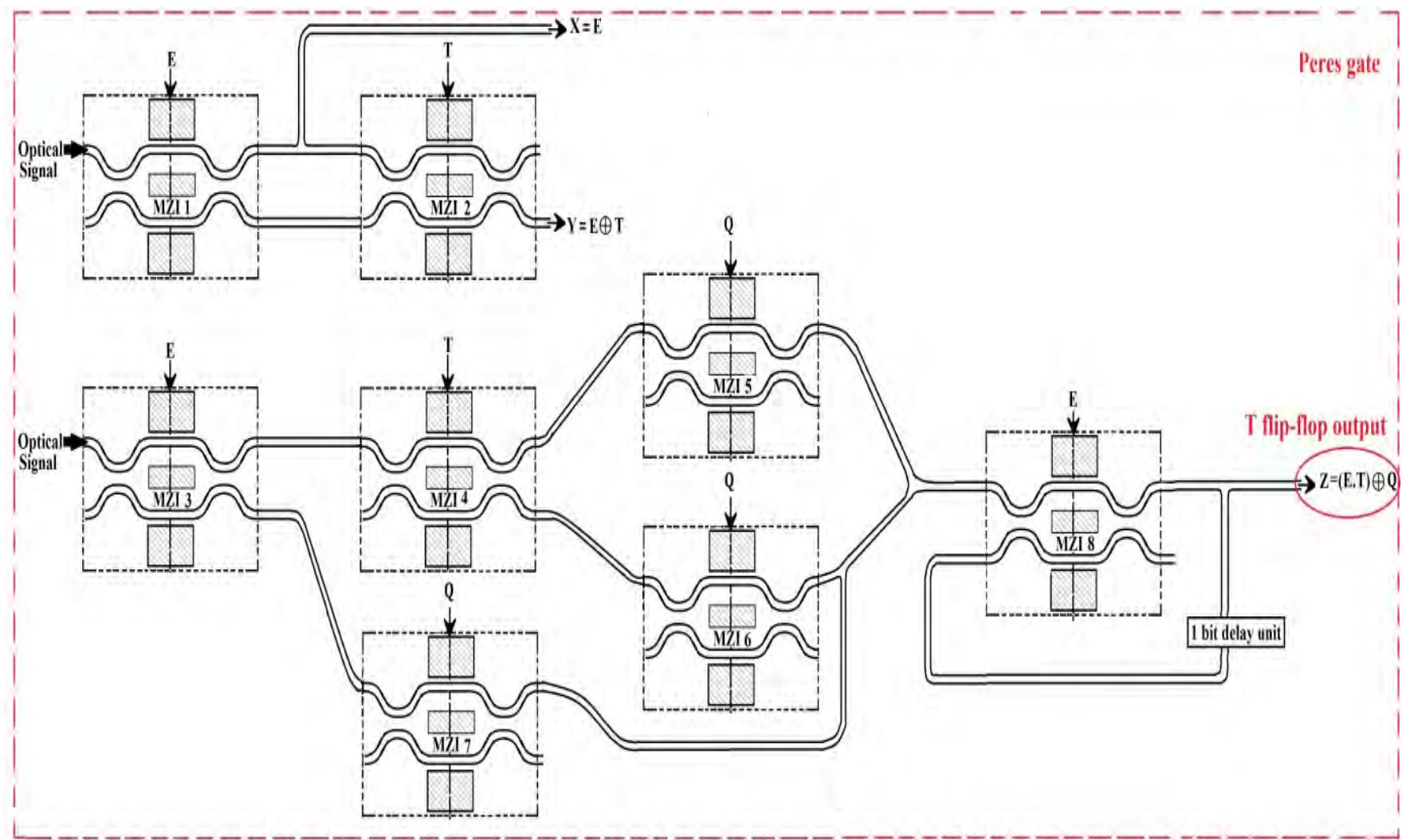


Figure: T Flip-flop using Peres gate

Mathematical Expression for T flip-flop

Mathematical formulation for T flip-flop can be calculated as:

$$\begin{aligned} Z = & \sin^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI4}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI5}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI8}}{2}\right) \\ & + \sin^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI4}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI5}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI8}}{2}\right) \\ & + \cos^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI7}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI8}}{2}\right) \end{aligned}$$

MATLAB Results for T flip-flop

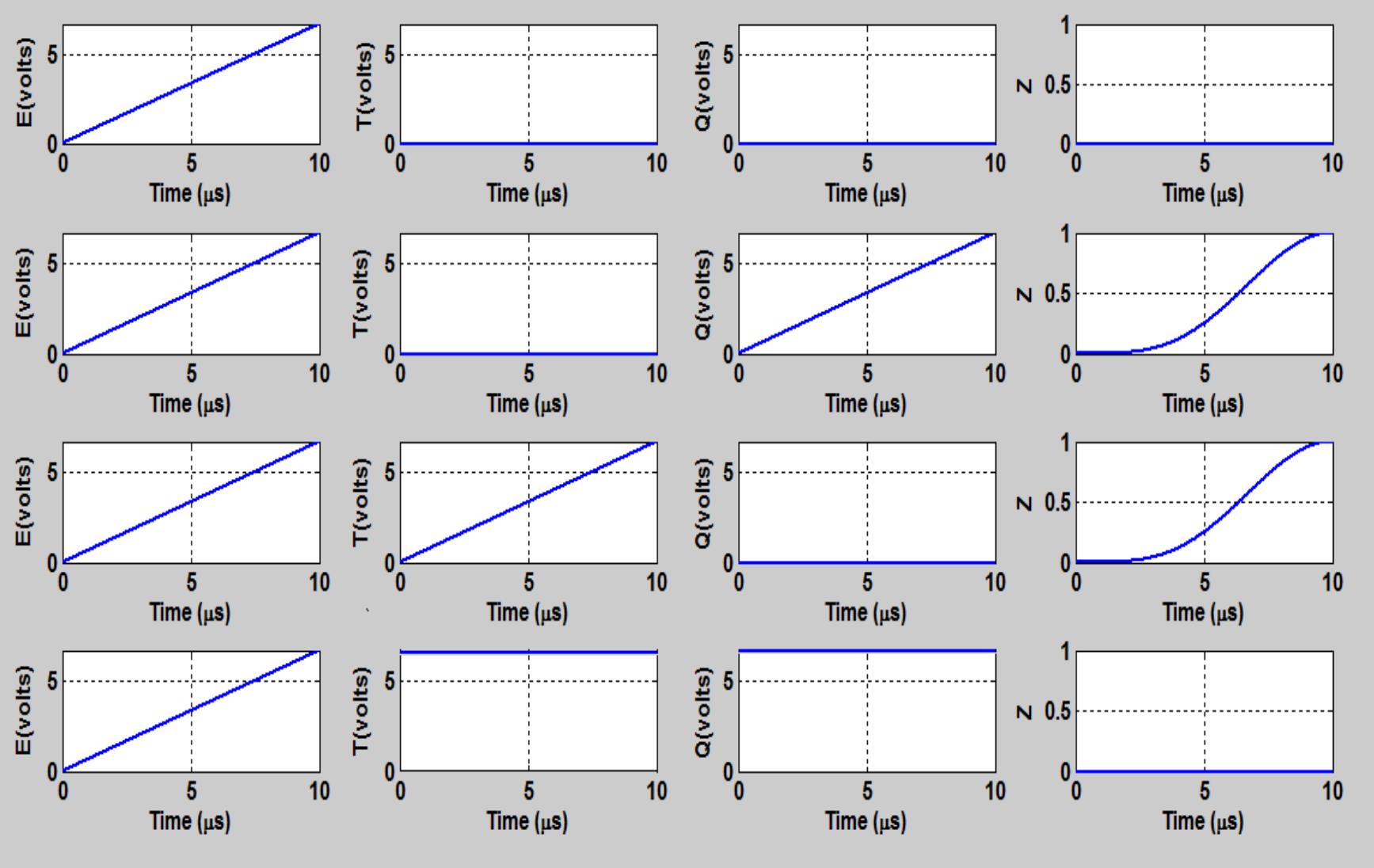


Figure: MATLAB simulation results of D flip-flop using Fredkin gate where input signal E, D, Q varies from 100 to 000

BPM Layout of T Flip-flop

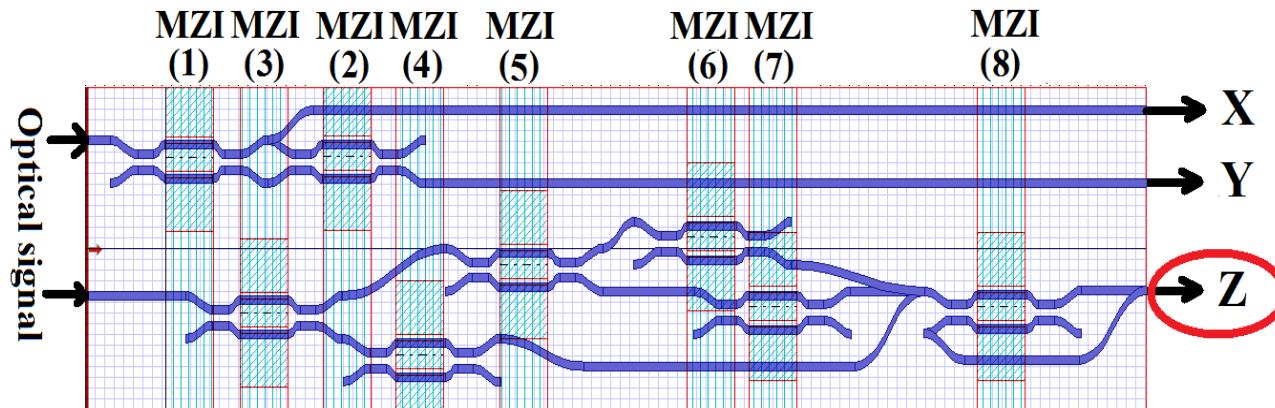
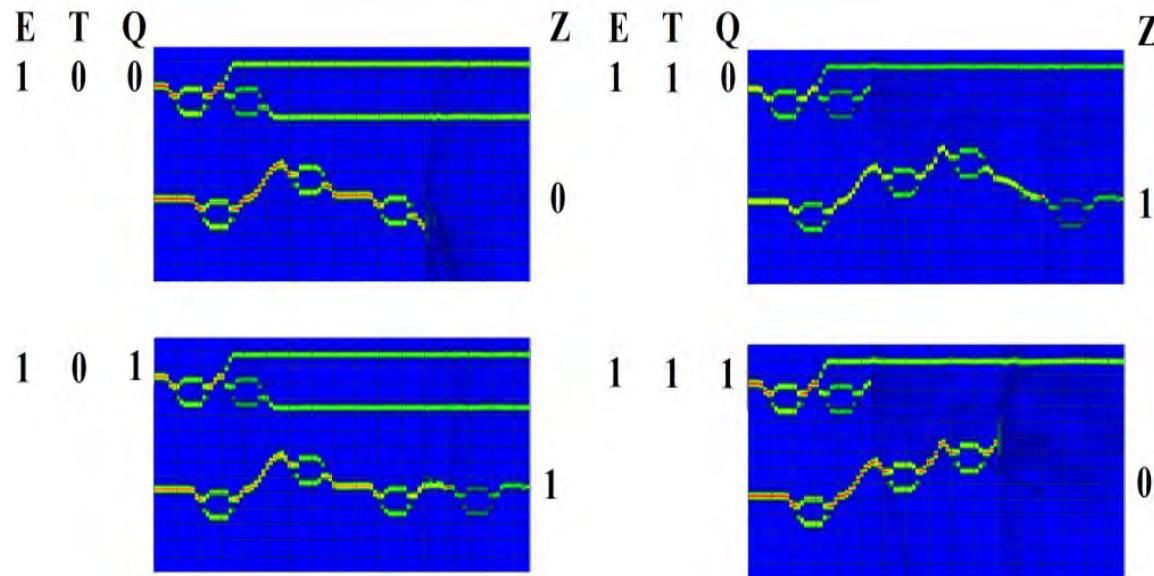


Figure: BPM layout of T Flip-flop using Peres gate



S-R Flip-flop

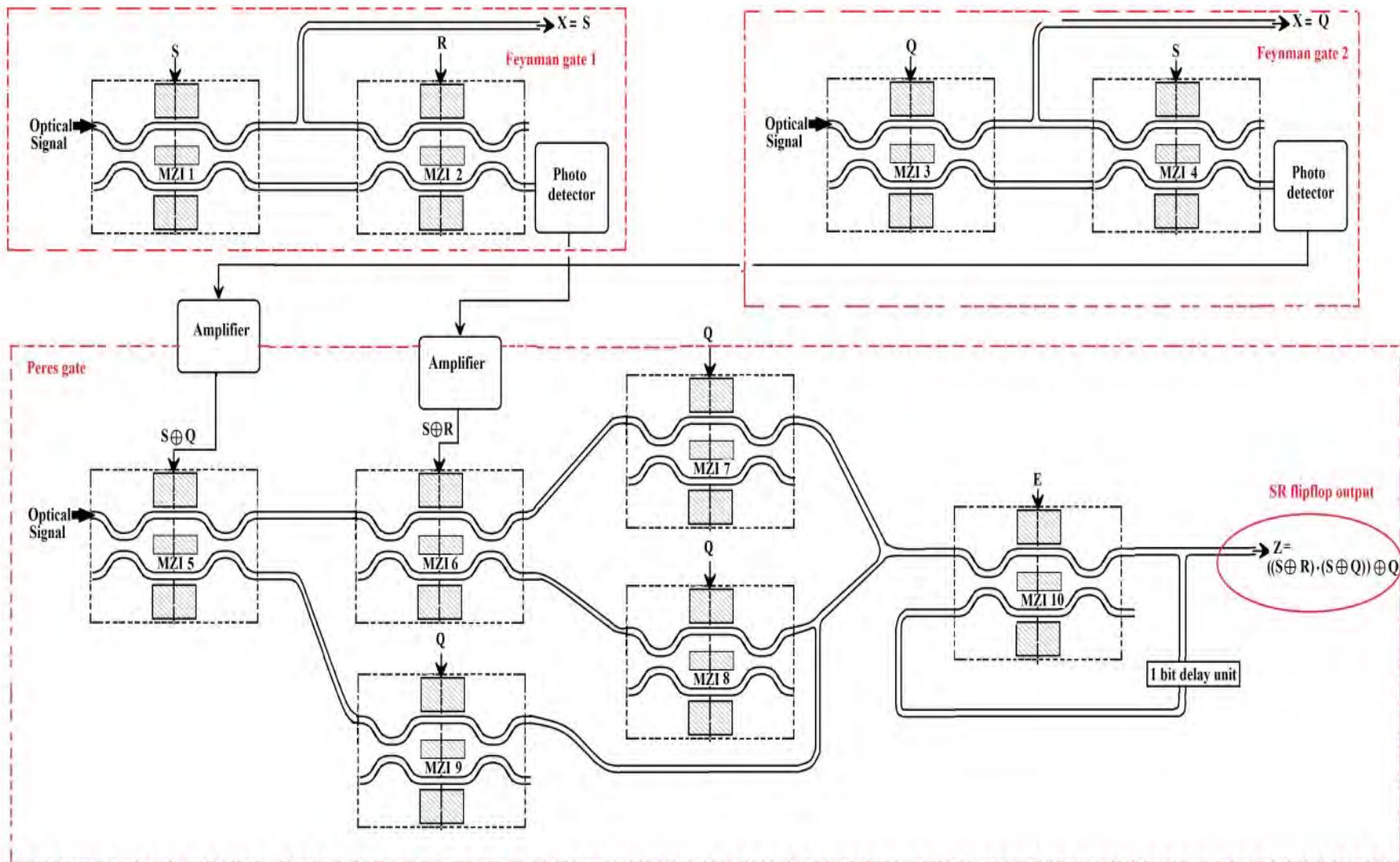


Figure: S-R flip-flop using Peres gate and Feynman gate

Mathematical Expression for S-R code converter

Mathematical formulation for S-R flip-flop can be calculated as:

$$\begin{aligned} D = & \sin^2\left(\frac{\Delta\phi_{MZI5}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI6}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI7}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI10}}{2}\right) \\ & + \sin^2\left(\frac{\Delta\phi_{MZI5}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI6}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI8}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI10}}{2}\right) \\ & + \cos^2\left(\frac{\Delta\phi_{MZI5}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI9}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI10}}{2}\right) \end{aligned}$$

MATLAB Results for S-R flip-flop

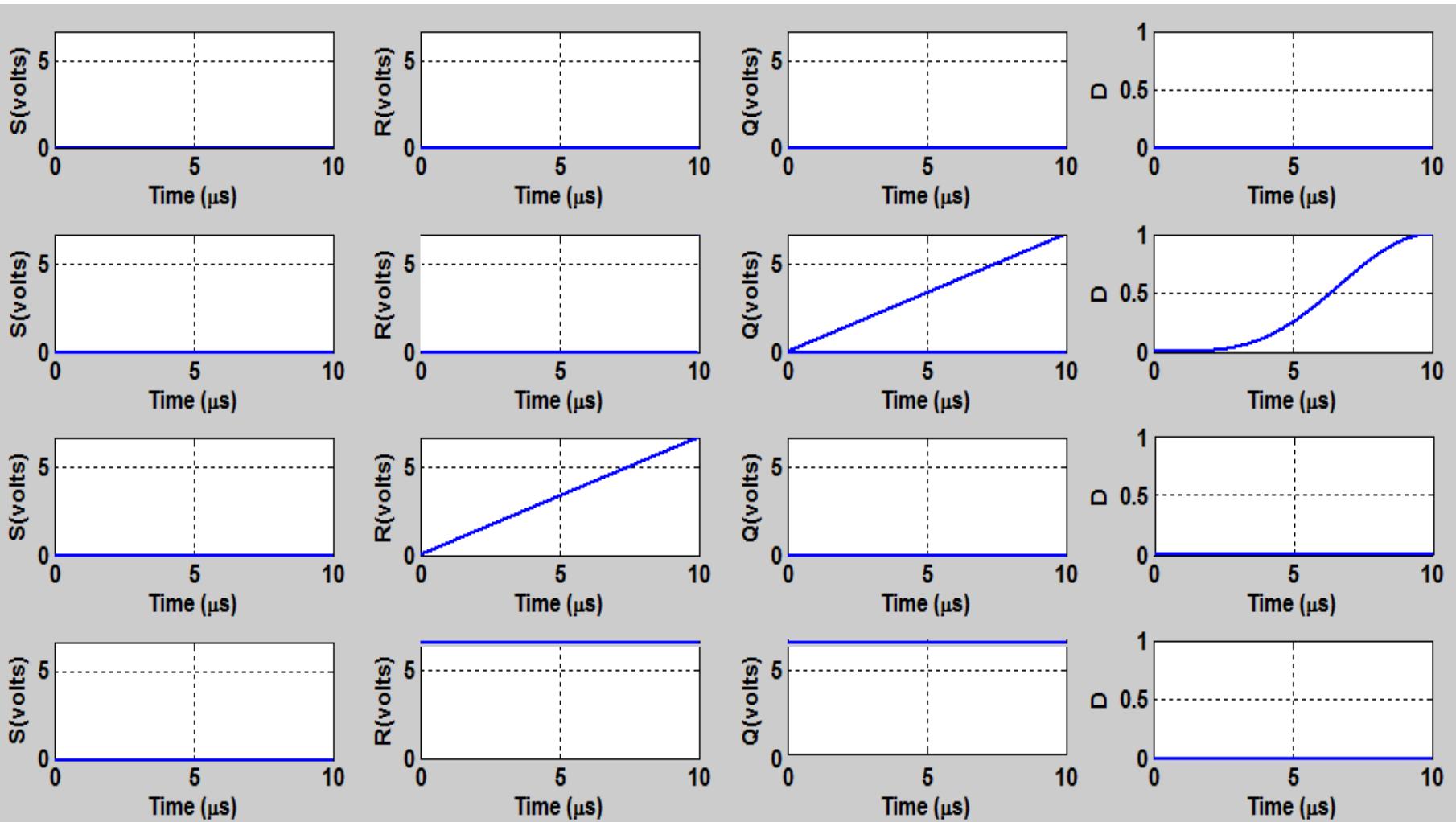


Figure: MATLAB simulation results of S-R flip-flop using Feynman gate and Peres gate where input signal S, R, Q varies from 000 to 011

Contd..

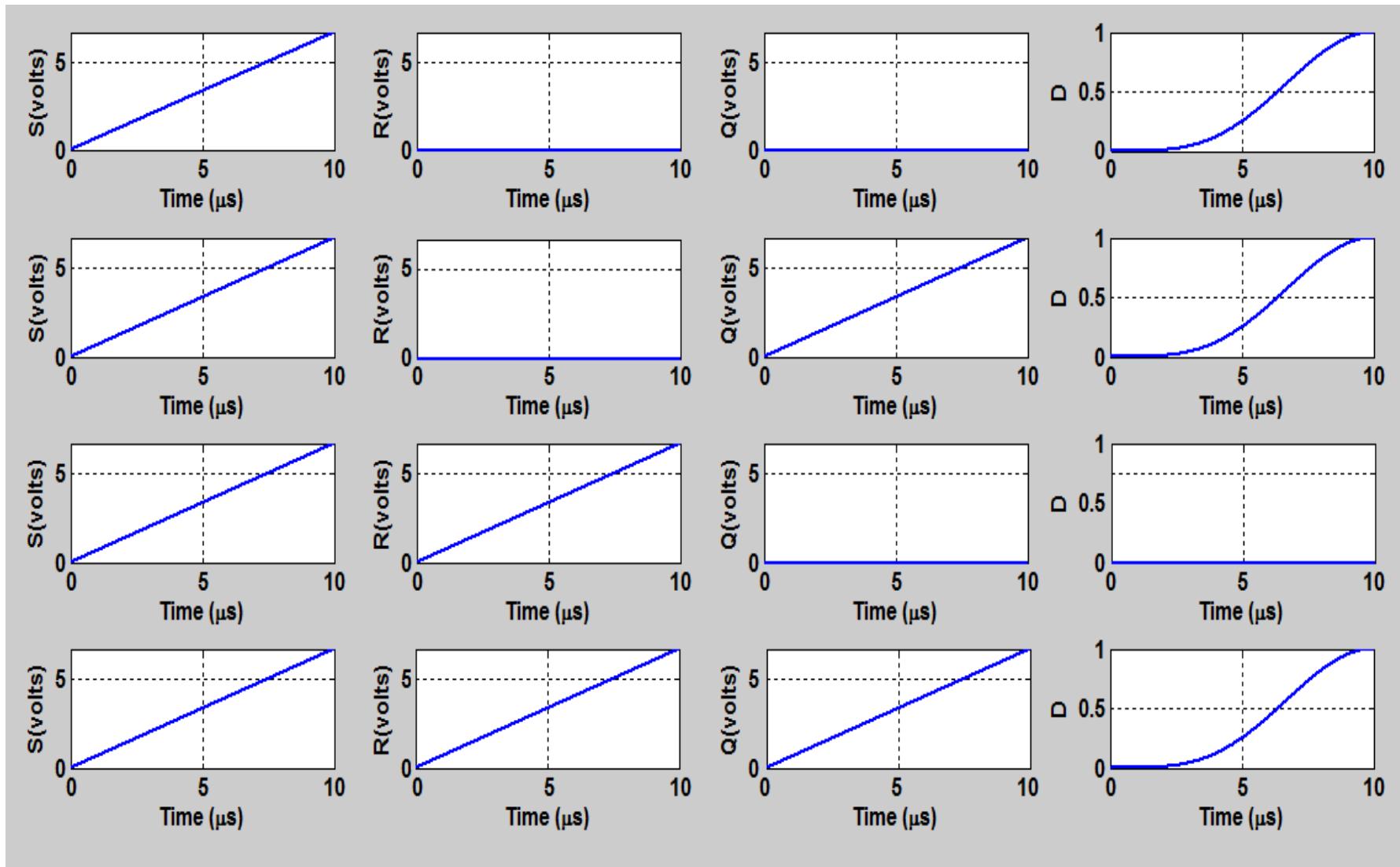


Figure: MATLAB simulation results of S-R flip-flop using Feynman gate and Peres gate where input signal S, R, Q varies from 100 to 111

BPM Layout of R-S Flip-flop

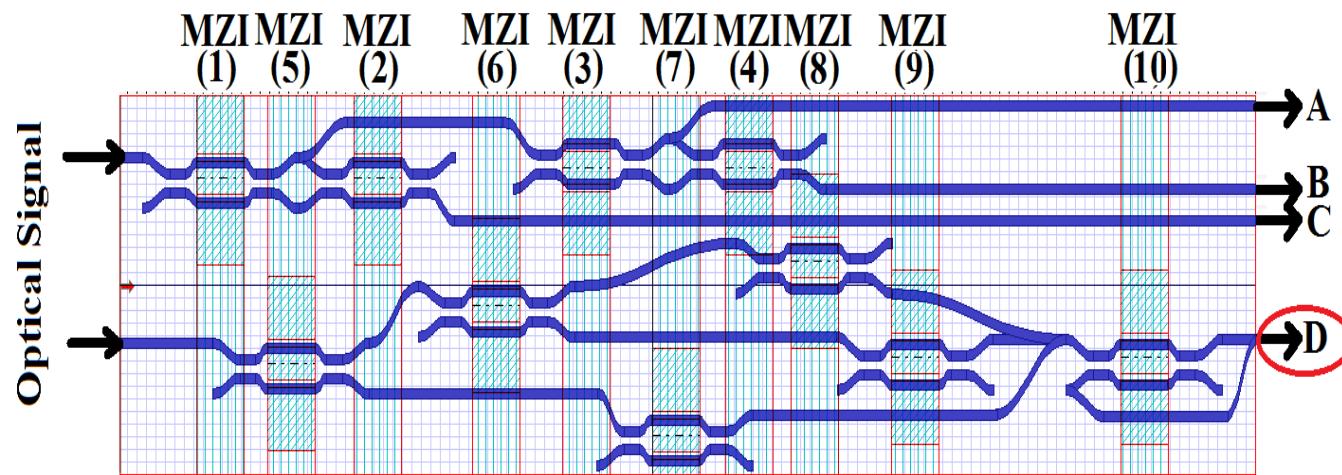


Figure: BPM layout of S-R Flip-flop using Feynman and Peres gate

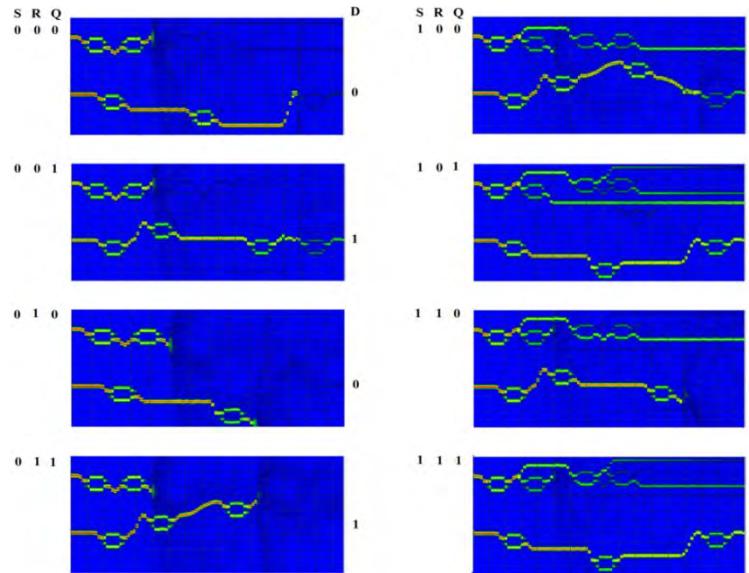
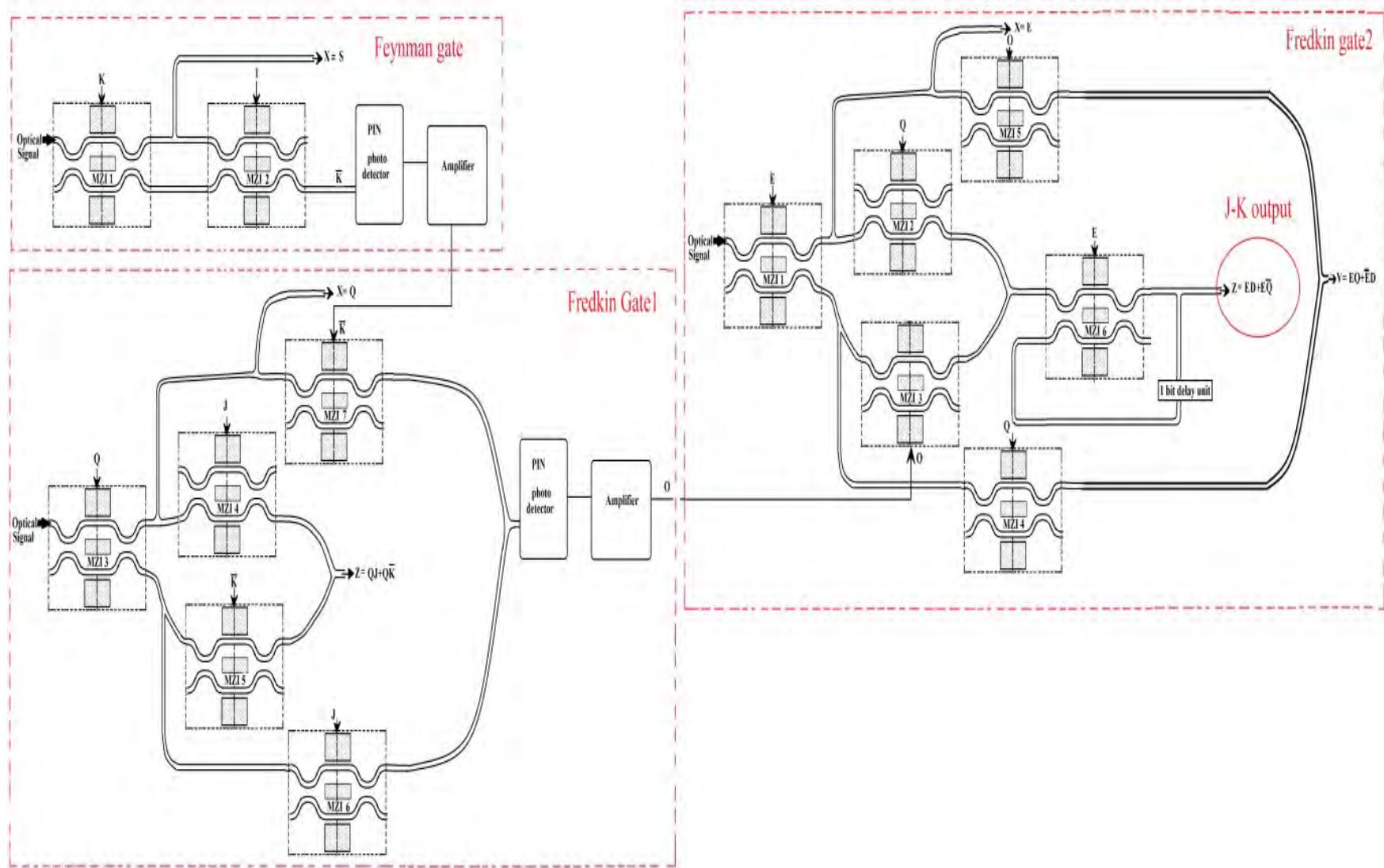


Figure: BPM simulation results for S-R flip-flop

J-K Flip-flop



Mathematical Expression for J-K flip flop

Mathematical formulation for J-K flip-flop can be calculated as:

$$D = \sin^2\left(\frac{\Delta\phi_{MZI8}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI9}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI10}}{2}\right) \\ + \cos^2\left(\frac{\Delta\phi_{MZI8}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI9}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI10}}{2}\right)$$

MATLAB Results for J-K flip-flop

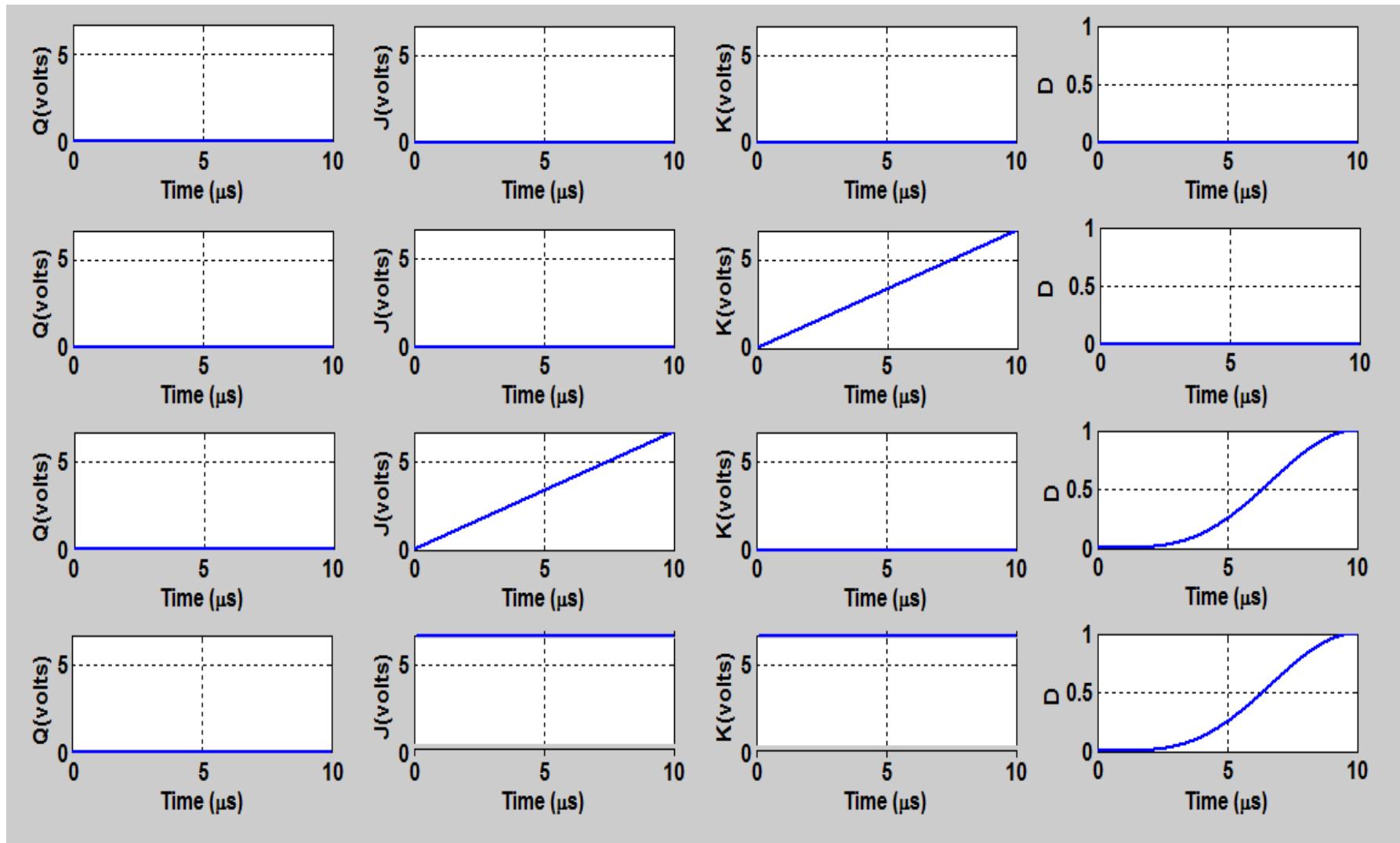


Figure: MATLAB simulation results of J-K flip-flop using Feynman gate and Fredkin gate where input signal Q, J, K varies from 000 to 011

Contd..

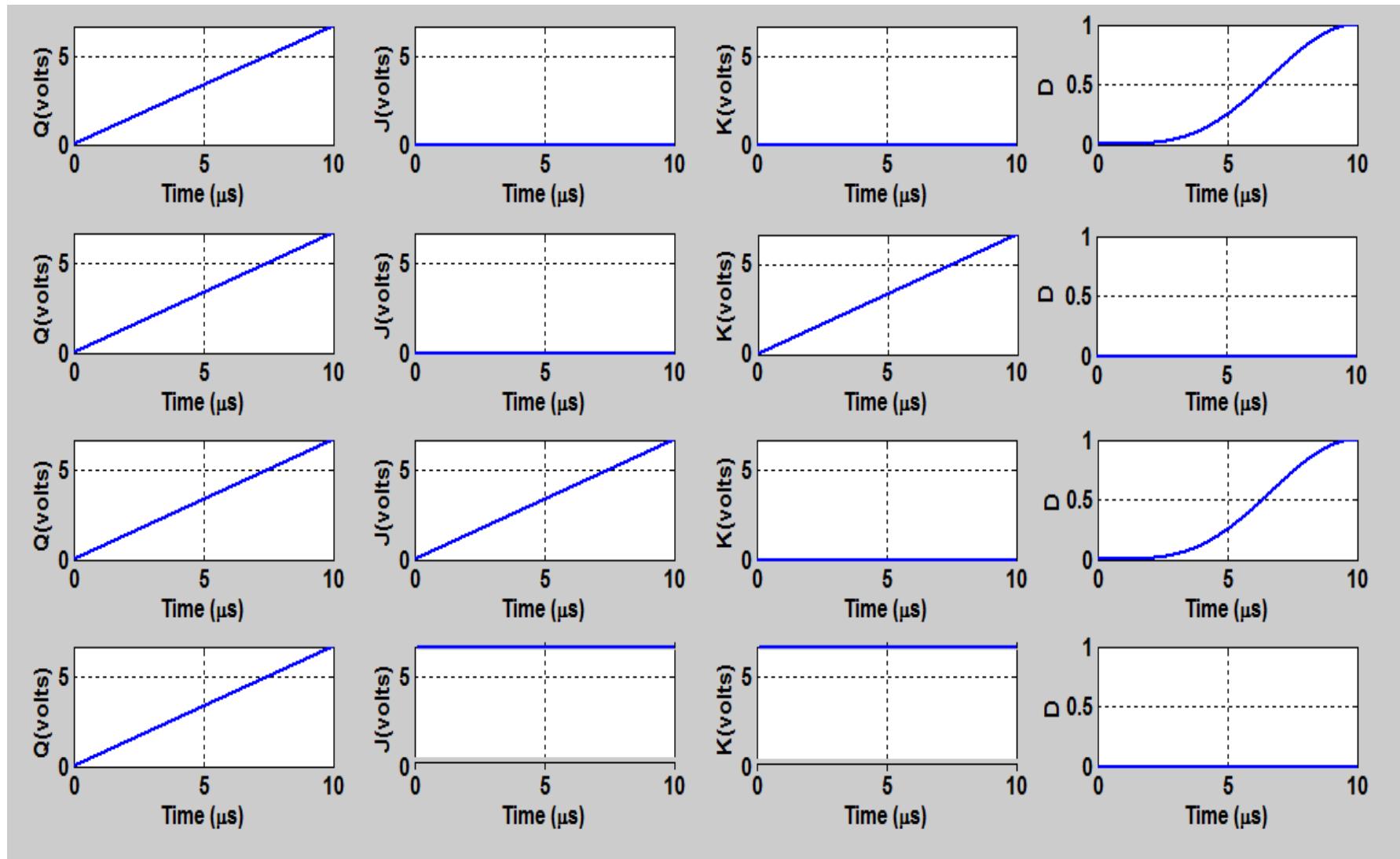


Figure: MATLAB simulation results of J-K flip-flop using Feynman gate and Fredkin gate where input signal Q, J, K varies from 100 to 111
Dr. Santosh Kumar

BPM Layout of J-K Flip-flop

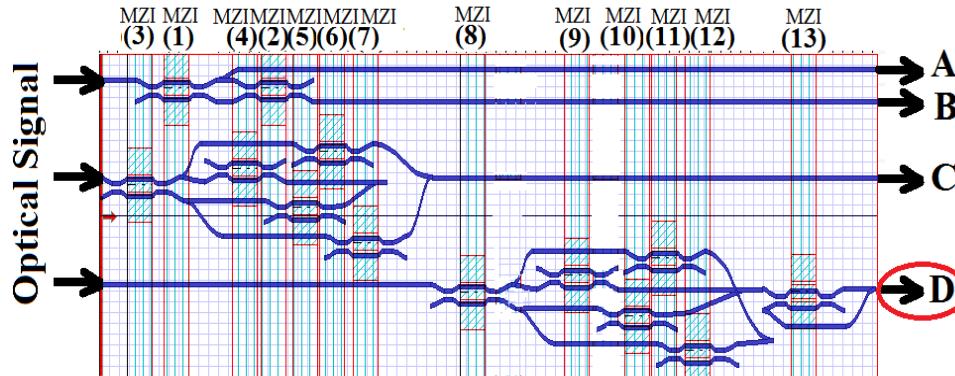


Figure: BPM layout of J-K Flip-flop using Feynman and Fredkin gate

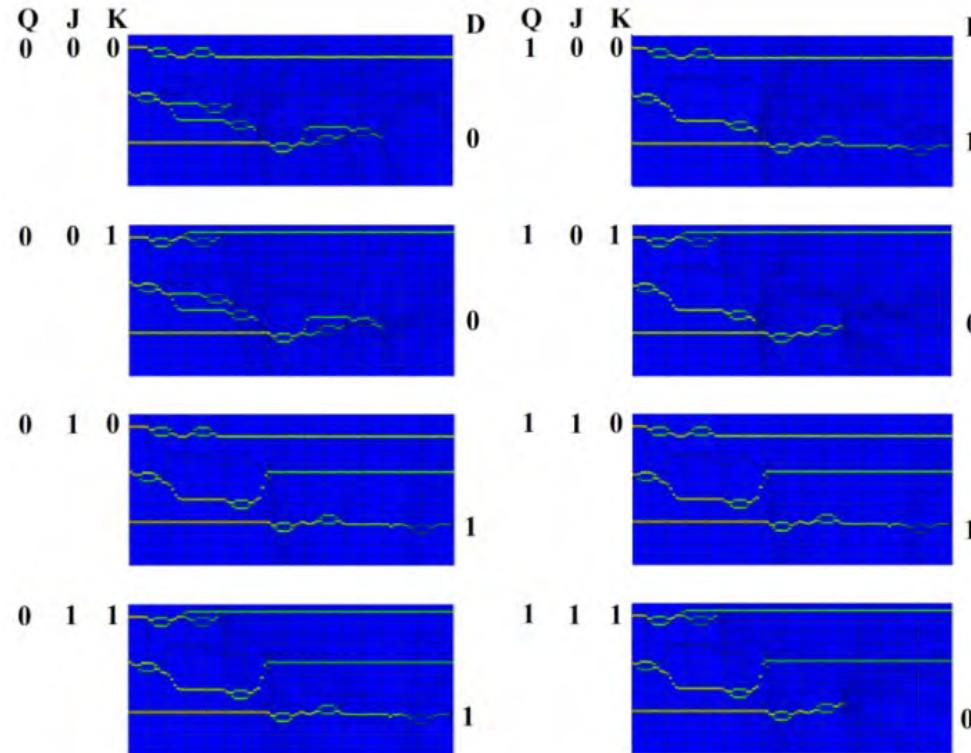
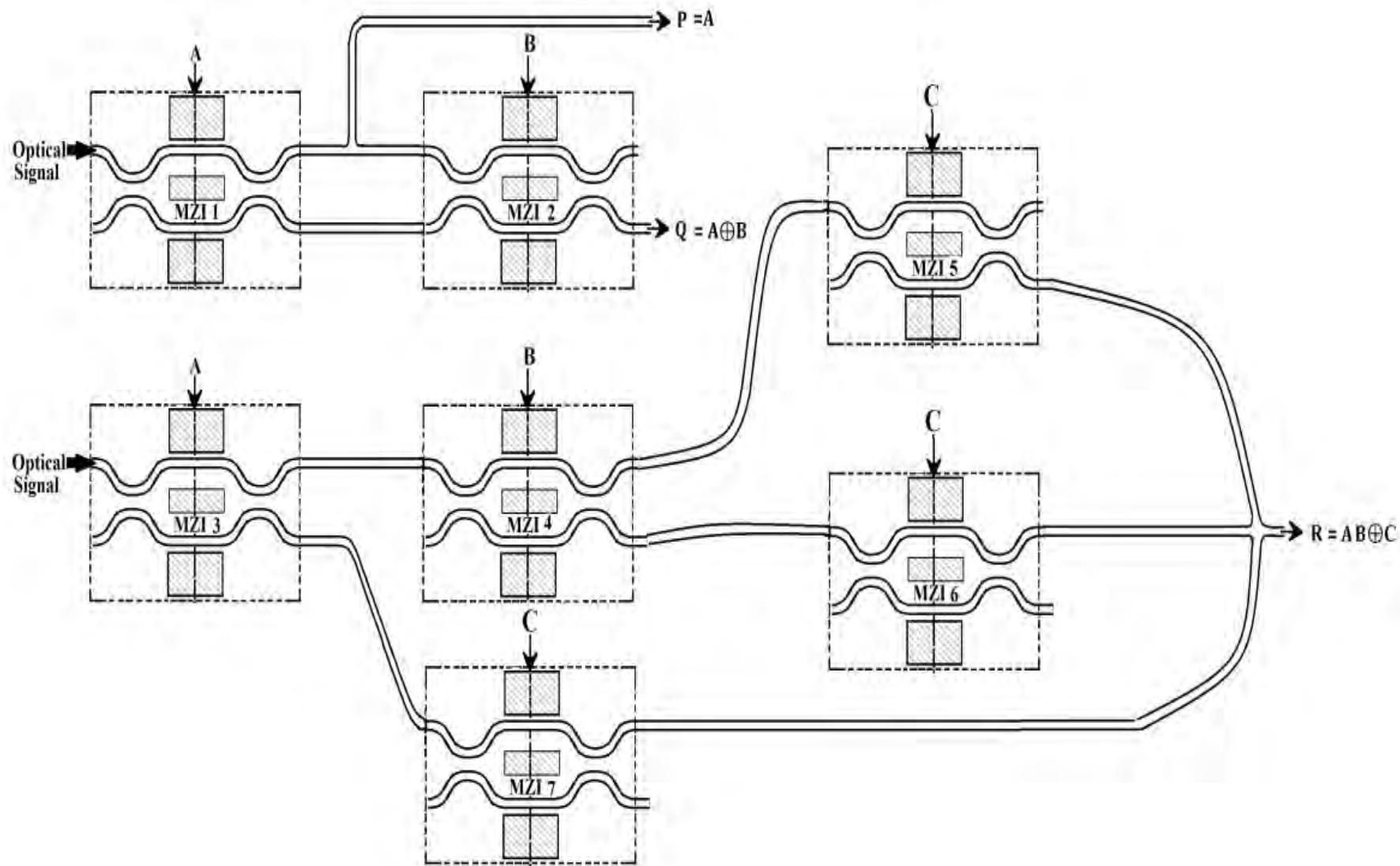


Figure: BPM simulation results for J-K flip-flop

Design of Optical Reversible gate (Peres Gate)

Santosh Kumar et. al., OSA Fio2016, Rochester, New York, USA. (Oct 17-21, 2016)

Reversible Optical gate (Peres gate)



MATLAB Results for Reversible gate

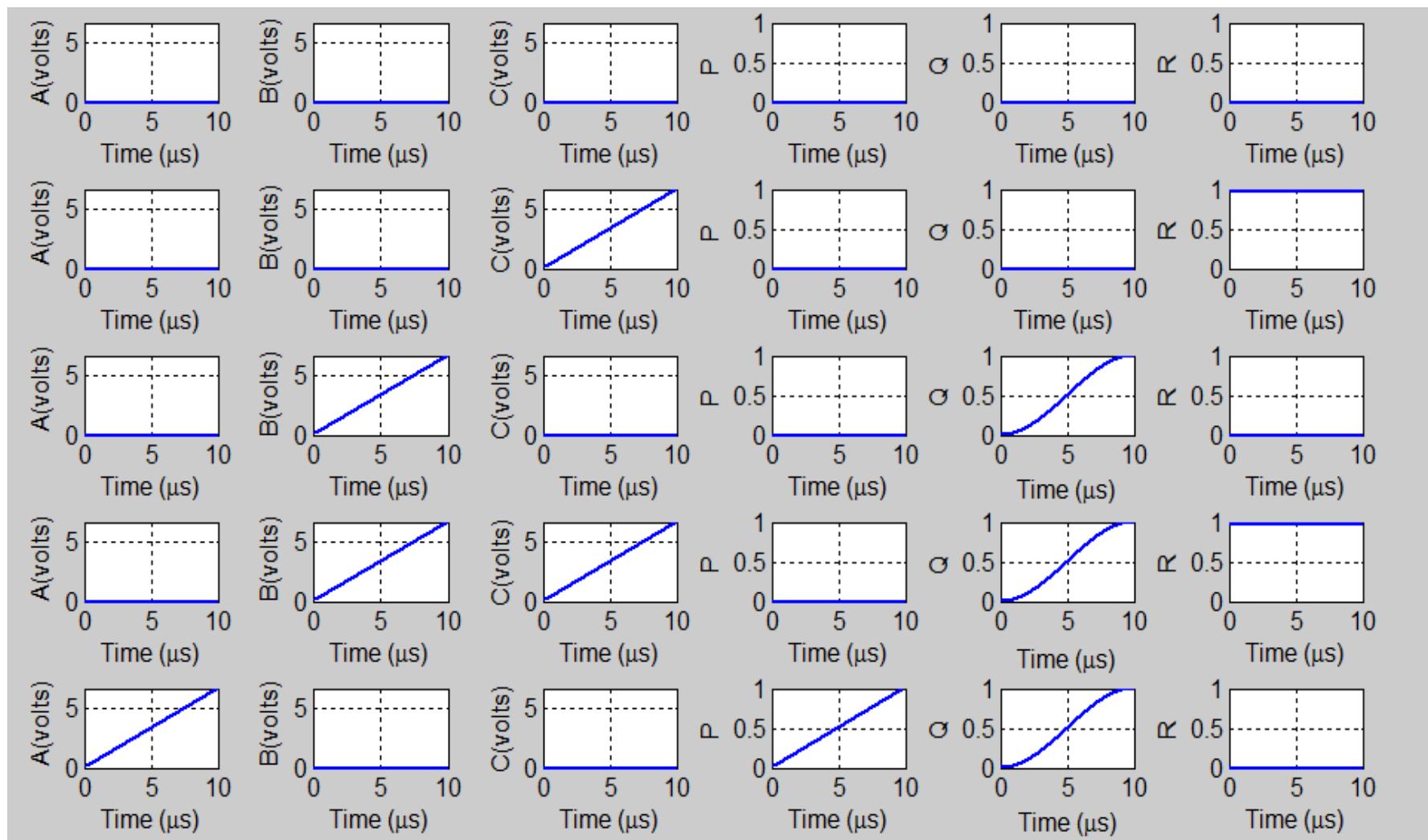


Figure: MATLAB Simulation result of proposed Peres gate where input A, B, C varies from 000 to 100

Simulation Result from BPM

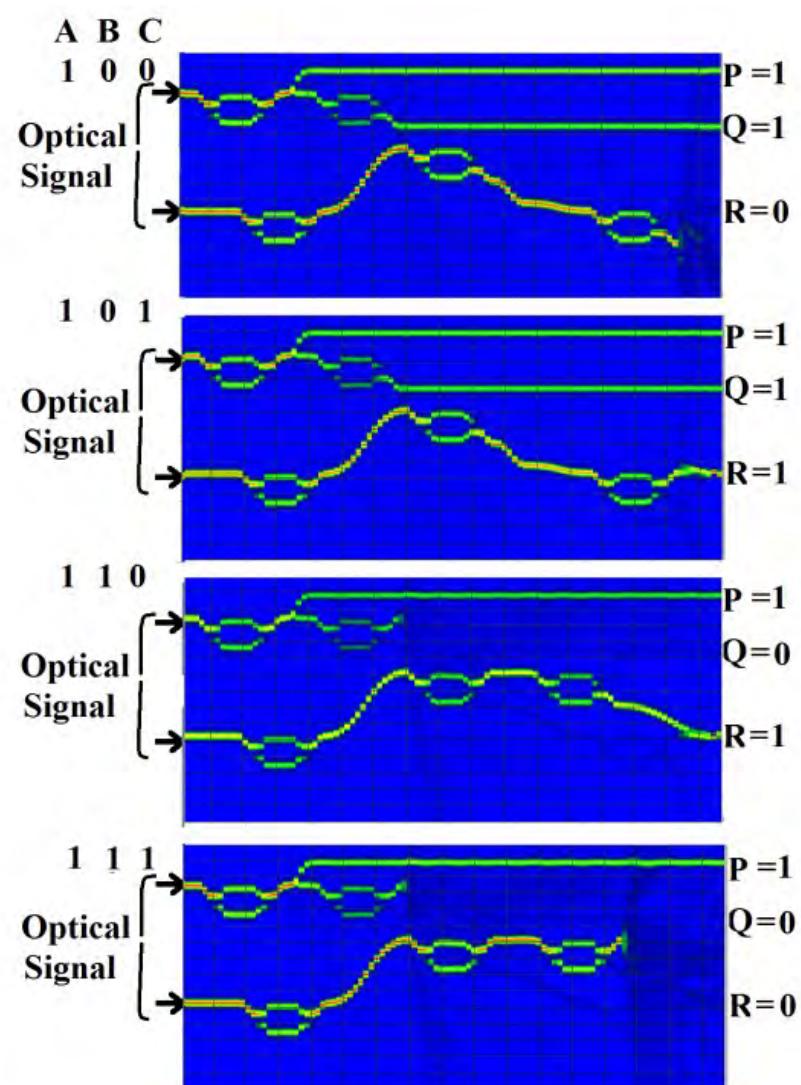
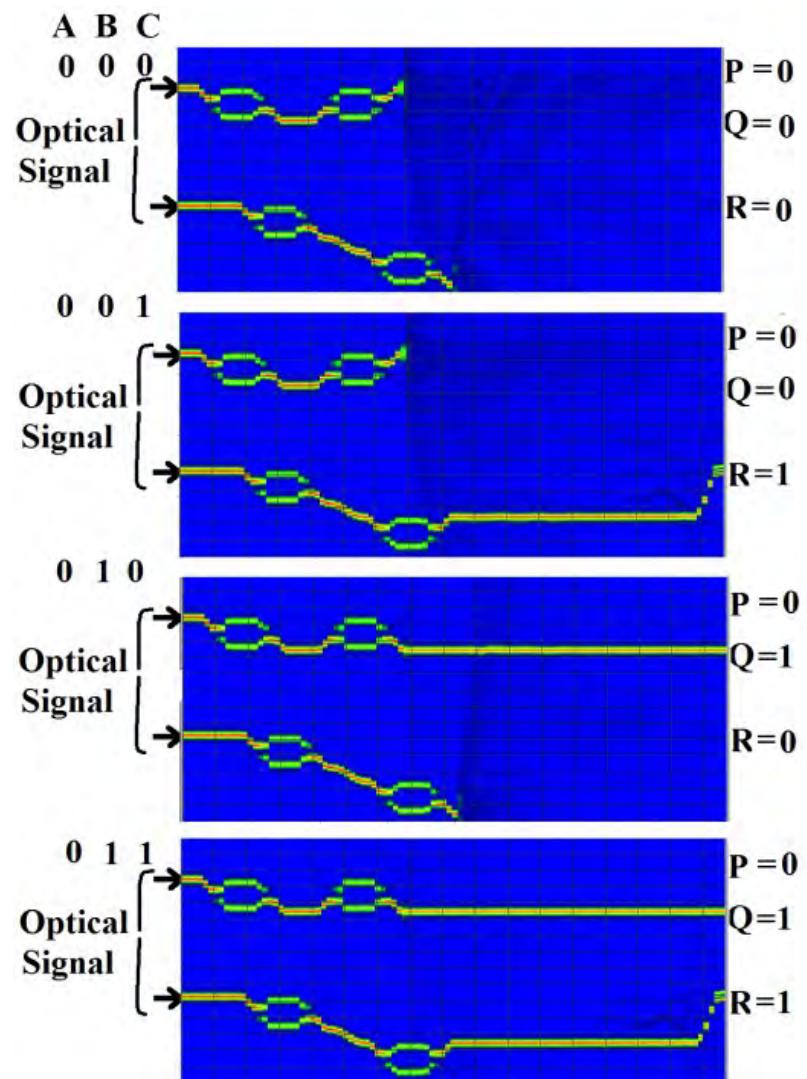


Figure: BPM result of proposed Peres gate where input A, B, C varies from 000 to 111

Ultrafast Optical Reversible Double Feynman logic gate

Santosh Kumar et al., Proc. SPIE 10105, Oxide-based Materials and Devices VIII, SPIE Photonics West - 2017, San Francisco, California, USA, PP. 1010520 (28 Jan. - 2 Feb. 2017).

Schematic diagram double Feynman gate using MZI

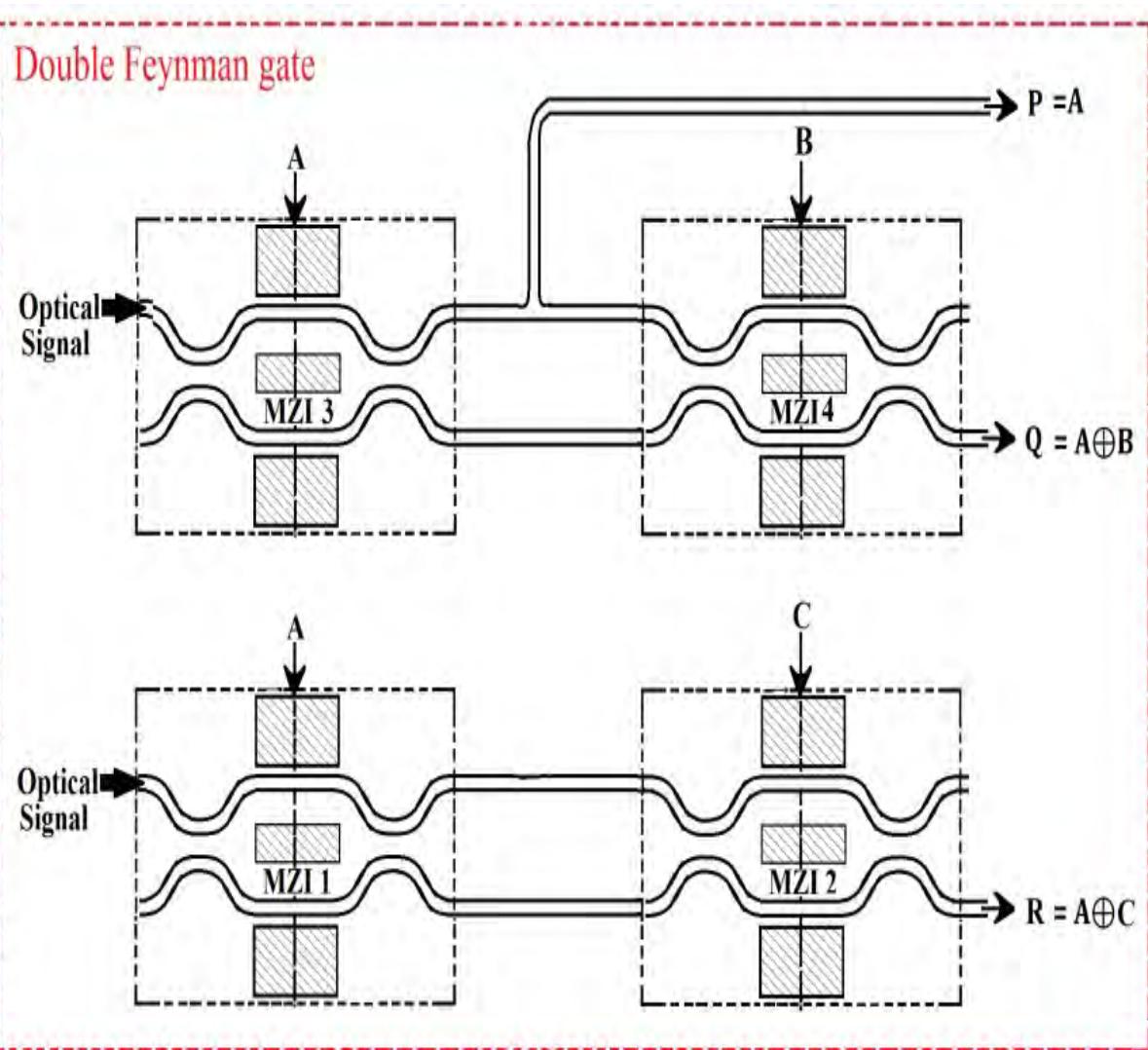
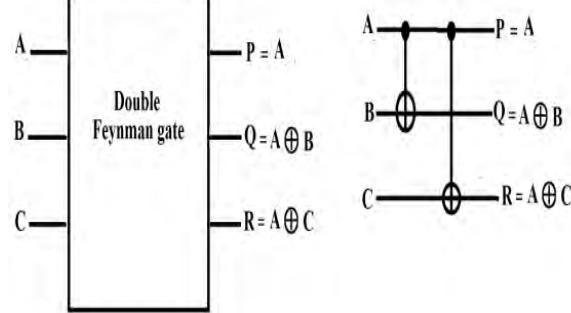


Figure: Logic diagram

Figure: Schematic diagram of double Feynman gate using Mach-Zehnder interferometer

Truth table and mathematical expression for double Feynman gate

$$P = \sin^2\left(\frac{\Delta\phi_{MZI3}}{2}\right)$$

$$Q = \sin^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI4}}{2}\right) + \cos^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI4}}{2}\right)$$

$$R = \sin^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI2}}{2}\right) + \cos^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI2}}{2}\right)$$

Input			output		
A	B	C	P	Q	R
0	0	0	0	0	0
0	0	1	0	0	1
0	1	0	0	1	0
0	1	1	0	1	1
1	0	0	1	1	1
1	0	1	1	1	0
1	1	0	1	0	1
1	1	1	1	0	0

MATLAB simulation results

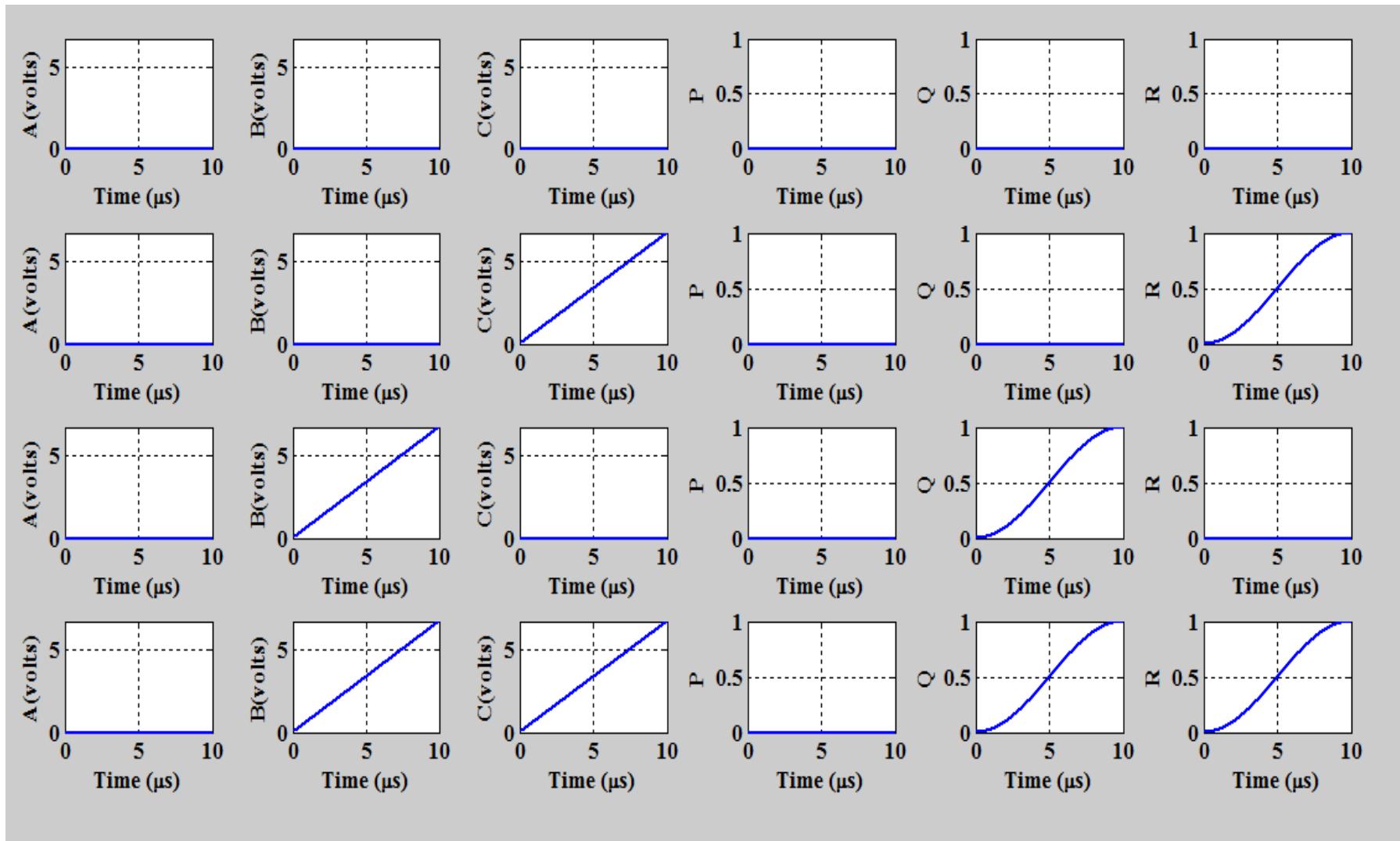


Figure: MATLAB simulation results where input signal A; B and C varies from 000 to 011

Contd..

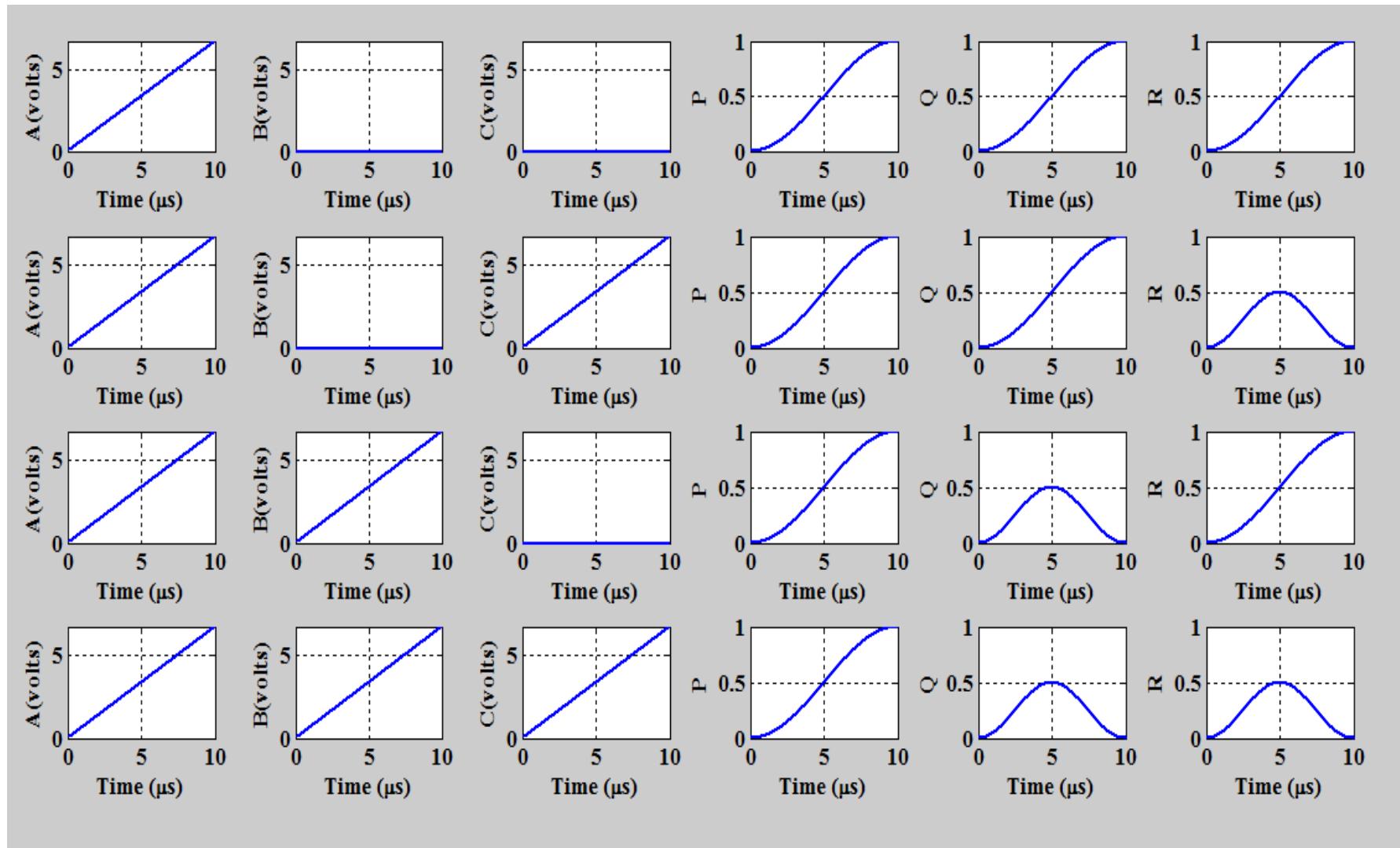


Figure: MATLAB simulation results where input signal A; B and C varies from 100 to

BPM simulation results

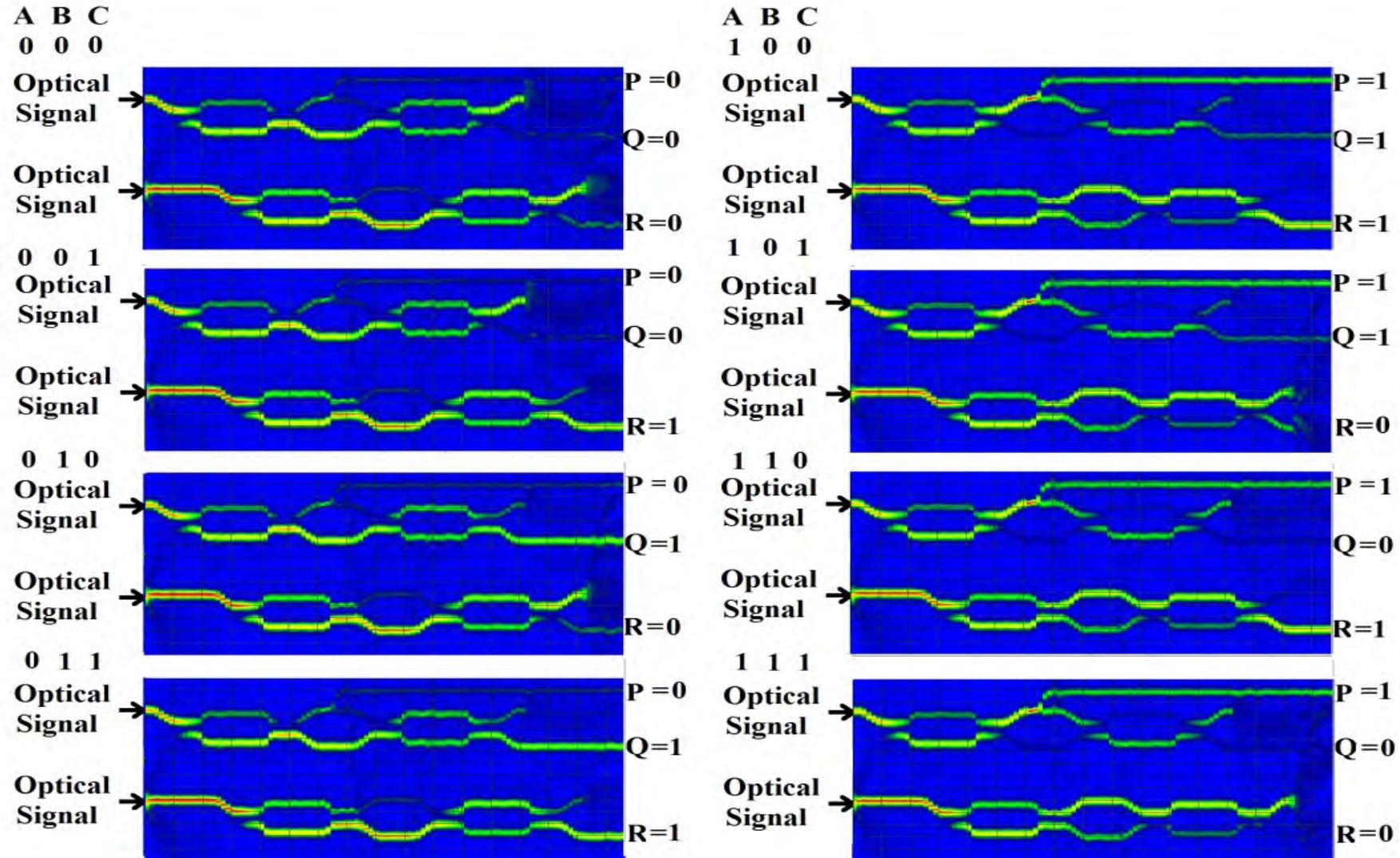


Figure: BPM simulation results of double Feynman gate where input signal varies from 000 to 111

Design of Peres gate and its applications

Peres gate and its applications

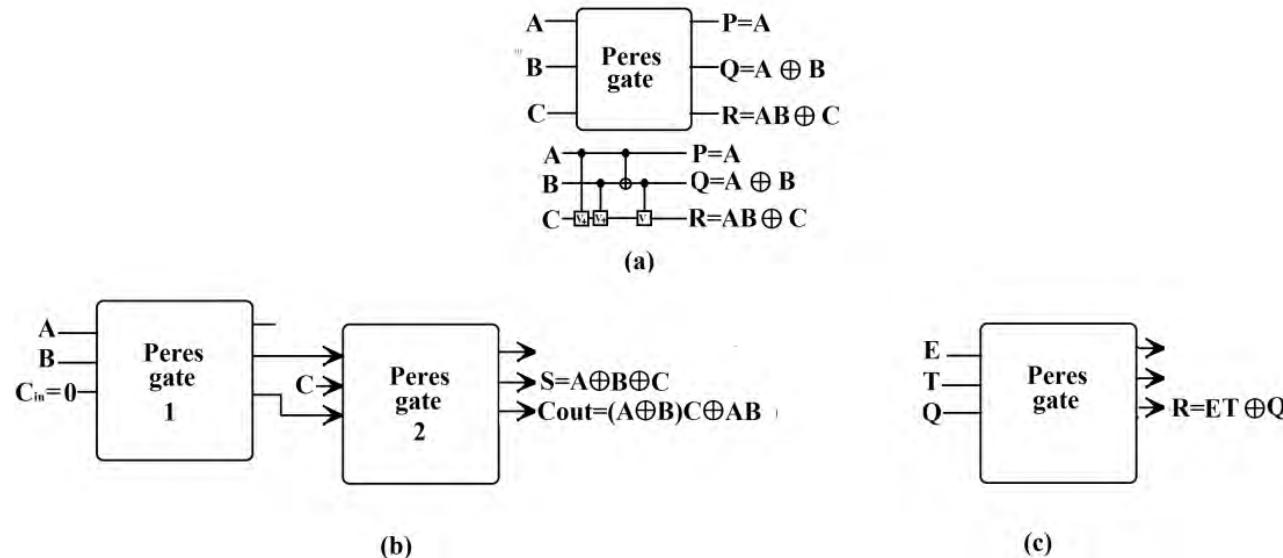


Figure: Logic design of Peres gate and its application as full-adder and T flip-flop

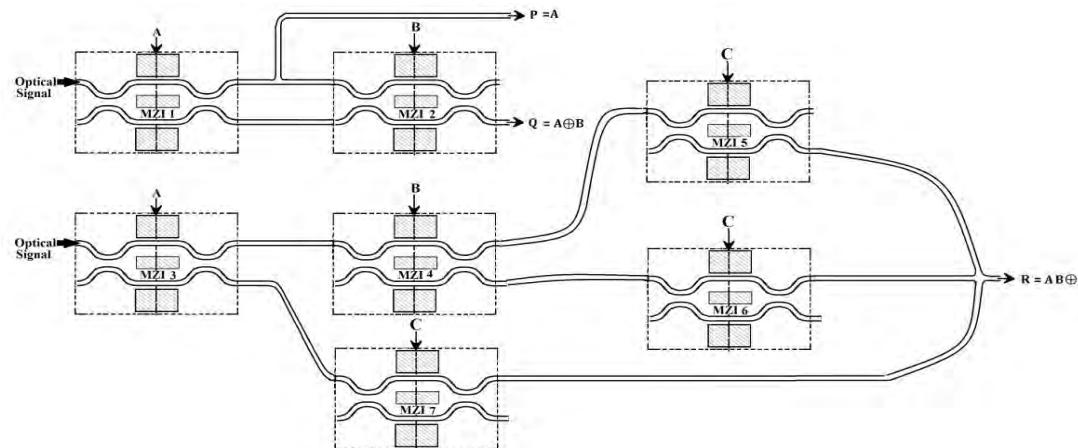


Figure: Schematic of Peres gate using Mach-Zehnder interferometer

Mathematical expression for Peres gate

$$P = \sin^2\left(\frac{\Delta\phi_{MZI1}}{2}\right)$$

$$Q = \sin^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI2}}{2}\right) + \cos^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI2}}{2}\right)$$

$$R = \sin^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI4}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI5}}{2}\right)$$

$$+ \sin^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI4}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI6}}{2}\right)$$

$$+ \cos^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI7}}{2}\right)$$

MATLAB Simulation Results

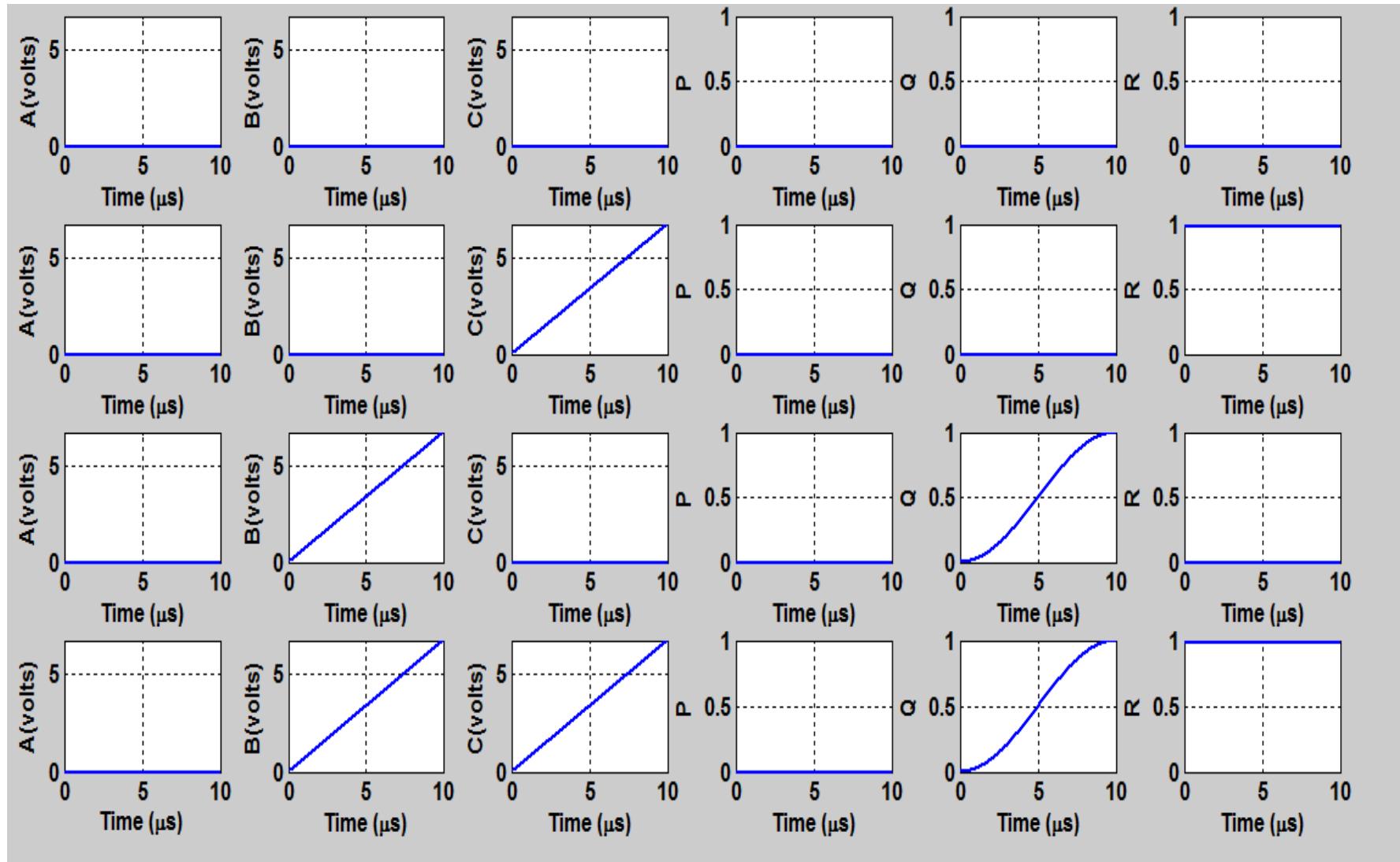


Figure: MATLAB simulation results of Peres gate where A, B, C varies from 000 to 011

MATLAB Simulation Results

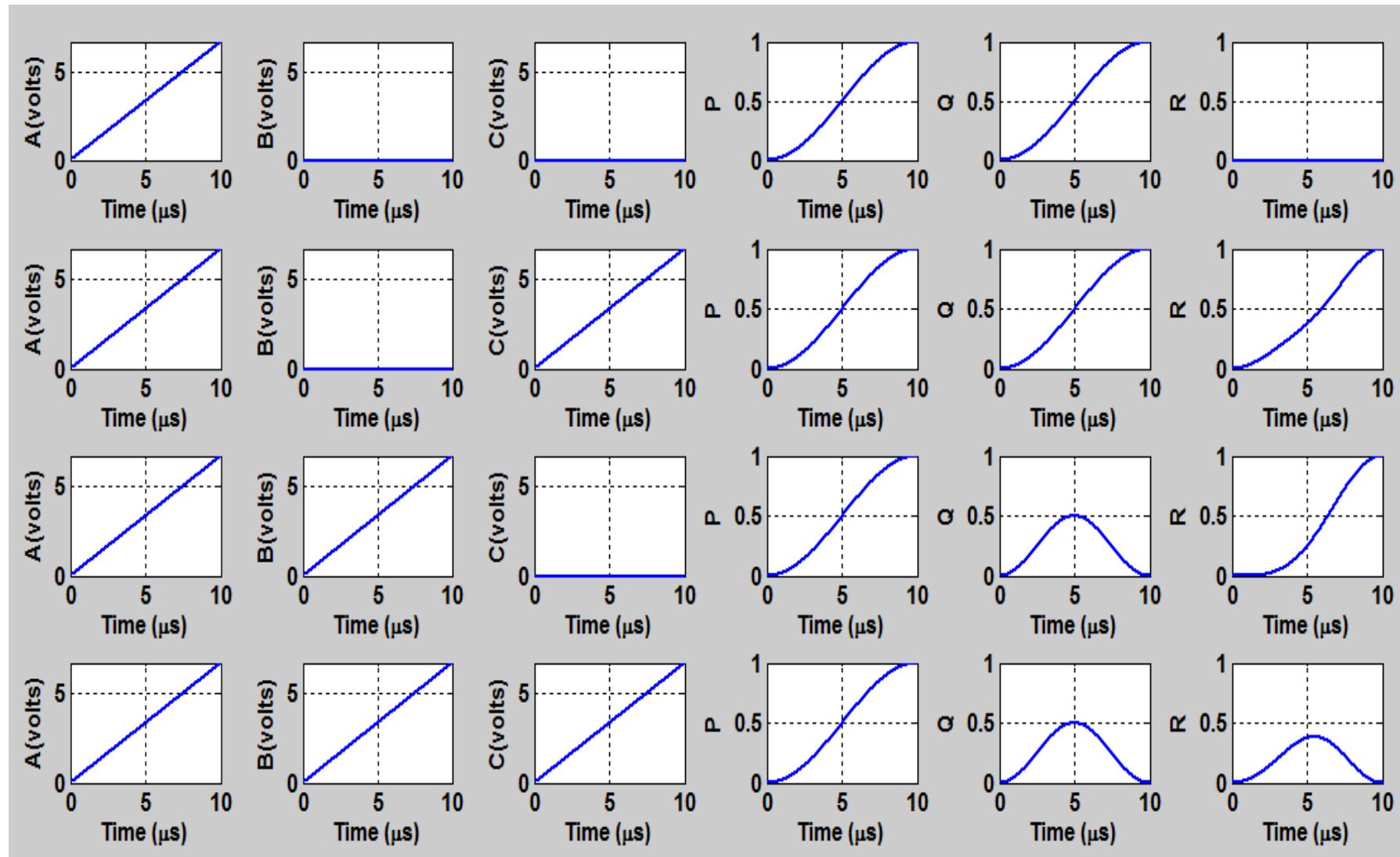


Figure: MATLAB simulation results of Peres gate where A, B, C varies from 100 to 111

Full Adder using Peres gate

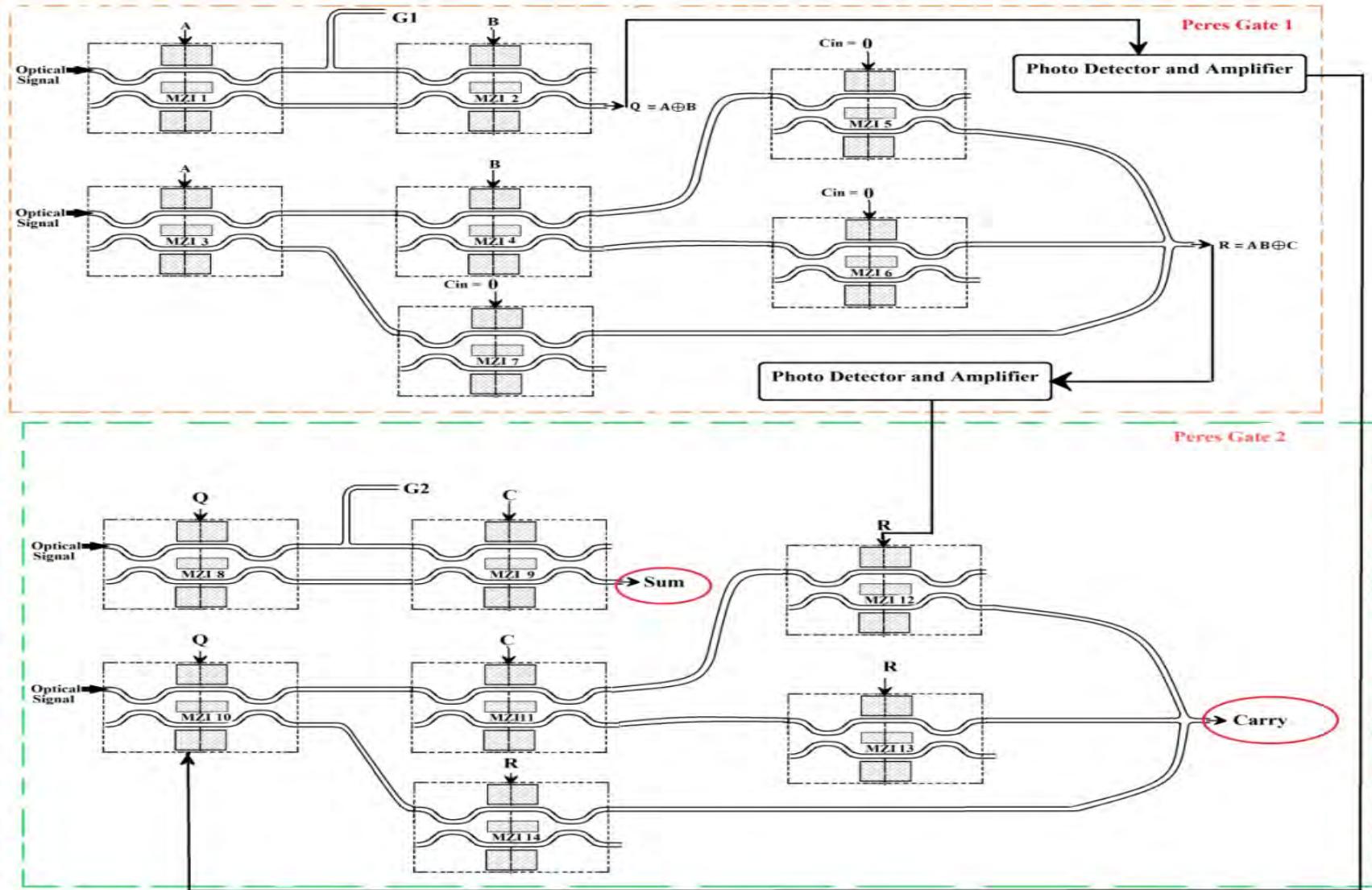


Figure: Schematic of full-adder using MZI based Peres gate

Mathematical expression for Full adder using Peres gate

$$Q = \sin^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI2}}{2}\right) + \cos^2\left(\frac{\Delta\phi_{MZI1}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI2}}{2}\right)$$

$$\begin{aligned} R = & \sin^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI4}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI5}}{2}\right) \\ & + \sin^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI4}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI6}}{2}\right) + \cos^2\left(\frac{\Delta\phi_{MZI3}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI7}}{2}\right) \end{aligned}$$

$$\text{Sum} = \sin^2\left(\frac{\Delta\phi_{MZI8}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI9}}{2}\right) + \cos^2\left(\frac{\Delta\phi_{MZI8}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI9}}{2}\right)$$

$$\begin{aligned} \text{Carry} = & \sin^2\left(\frac{\Delta\phi_{MZI10}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI11}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI12}}{2}\right) \\ & + \sin^2\left(\frac{\Delta\phi_{MZI10}}{2}\right) \cos^2\left(\frac{\Delta\phi_{MZI11}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI13}}{2}\right) + \cos^2\left(\frac{\Delta\phi_{MZI10}}{2}\right) \sin^2\left(\frac{\Delta\phi_{MZI14}}{2}\right) \end{aligned}$$

MATLAB Simulation Results of Full adder

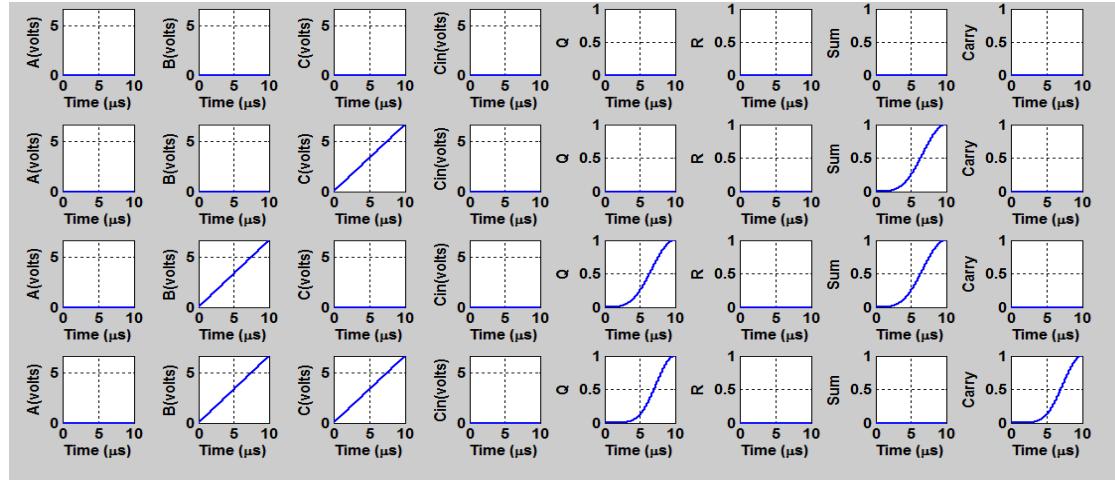


Figure: MATLAB simulation results of full-adder using Peres gate where A, B, C varies from 000 to 011

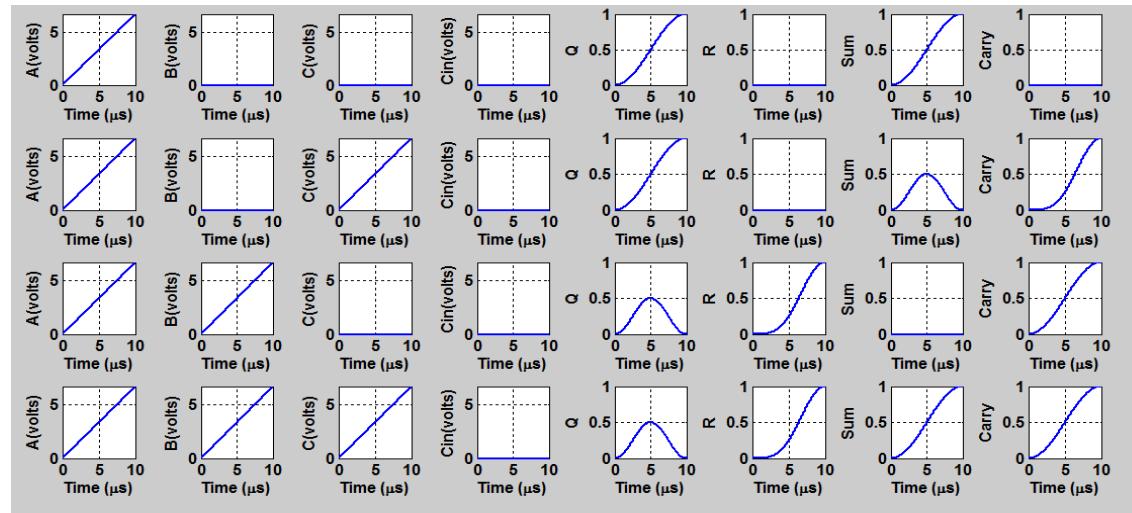


Figure: MATLAB simulation results of full-adder using Peres gate where A, B, C varies from 100 to 111

T Flip-flop using Peres gate and its mathematical expression

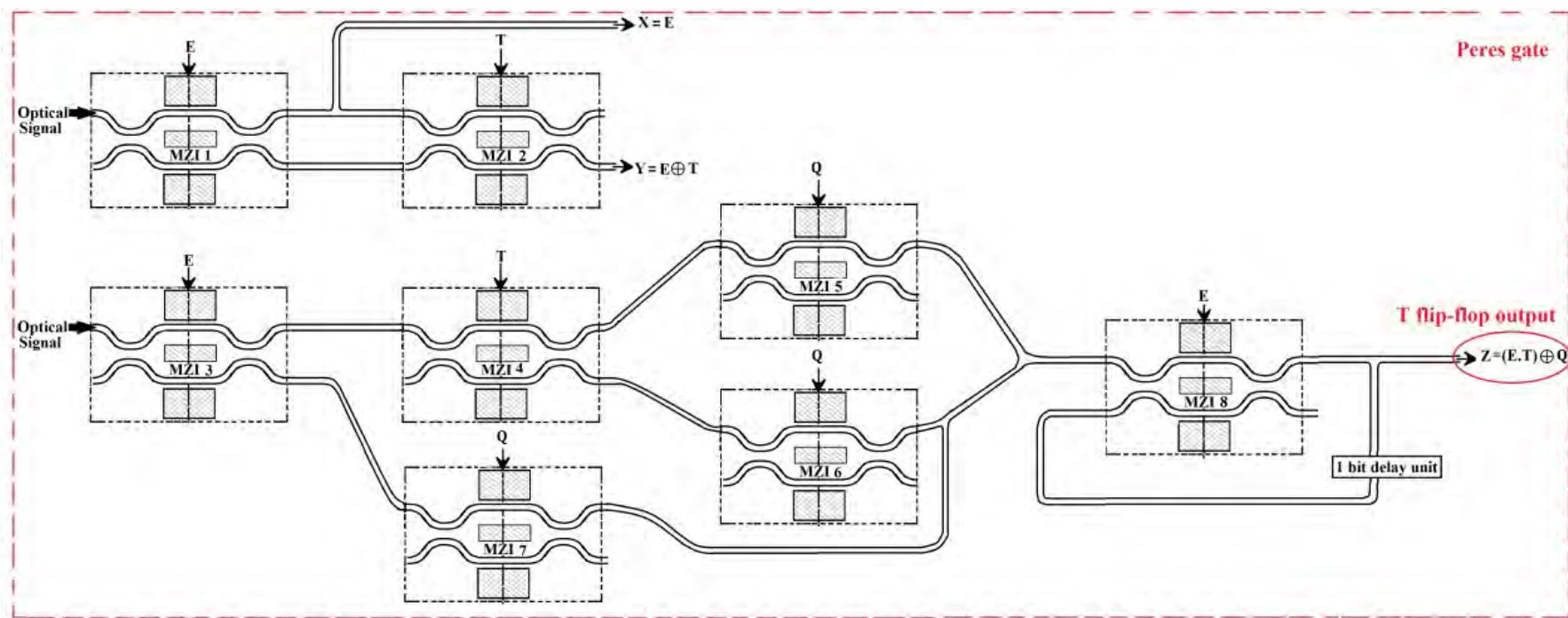


Figure: Schematic of T Flip-flop using Peres gate

$$\begin{aligned}
 Z = & \sin^2\left(\frac{\Delta\phi_{M Z I 3}}{2}\right) \sin^2\left(\frac{\Delta\phi_{M Z I 4}}{2}\right) \sin^2\left(\frac{\Delta\phi_{M Z I 5}}{2}\right) \sin^2\left(\frac{\Delta\phi_{M Z I 8}}{2}\right) \\
 & + \sin^2\left(\frac{\Delta\phi_{M Z I 3}}{2}\right) \cos^2\left(\frac{\Delta\phi_{M Z I 4}}{2}\right) \sin^2\left(\frac{\Delta\phi_{M Z I 6}}{2}\right) \sin^2\left(\frac{\Delta\phi_{M Z I 8}}{2}\right) \\
 & + \cos^2\left(\frac{\Delta\phi_{M Z I 3}}{2}\right) \sin^2\left(\frac{\Delta\phi_{M Z I 7}}{2}\right) \sin^2\left(\frac{\Delta\phi_{M Z I 8}}{2}\right)
 \end{aligned}$$

MATLAB Simulation Results of T-Flip flop

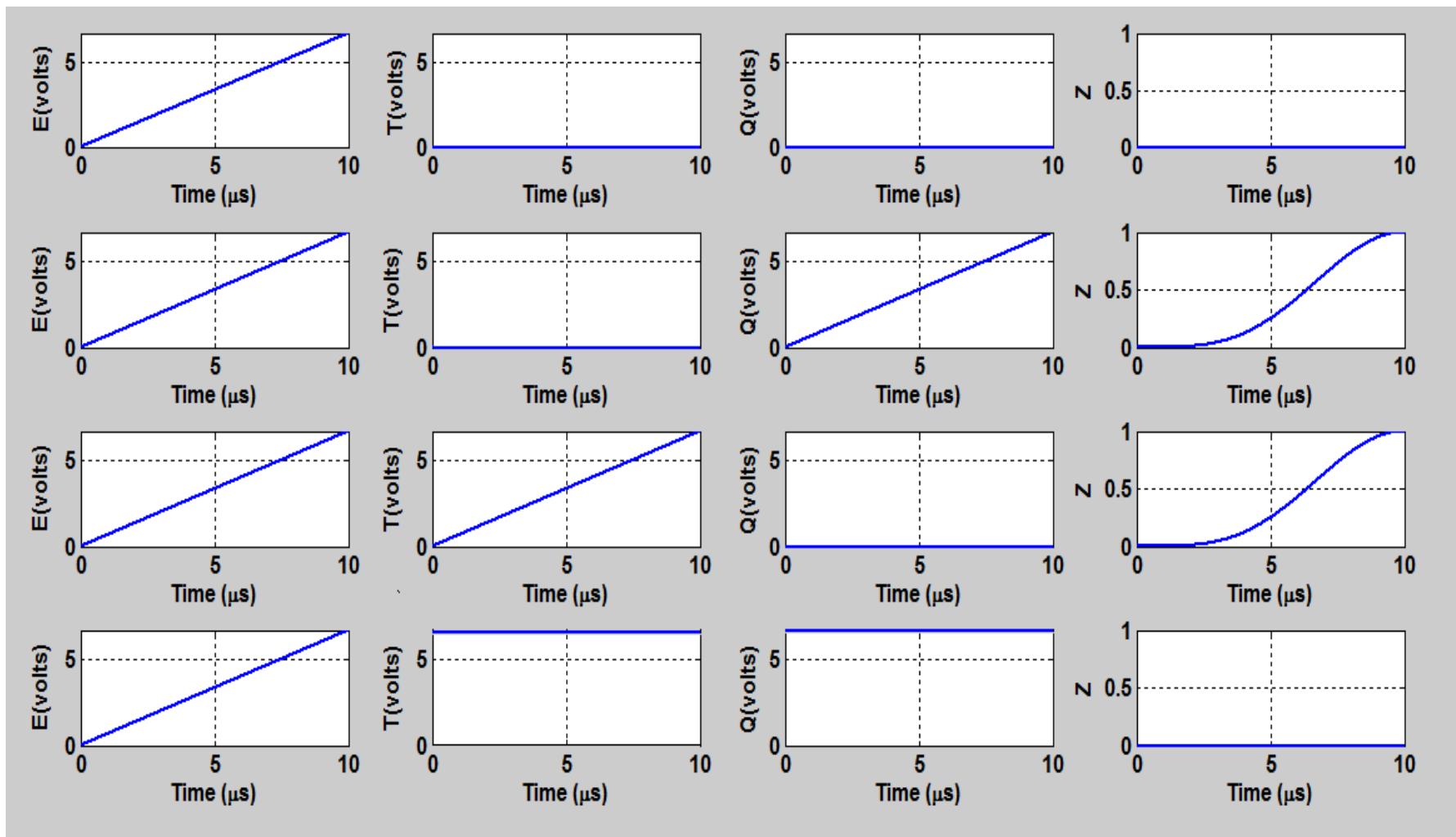


Figure: MATLAB simulation results of T- flip-flop using Peres gate where input signal E, T, Q varies from 100 to 111

BPM layout of Peres gate

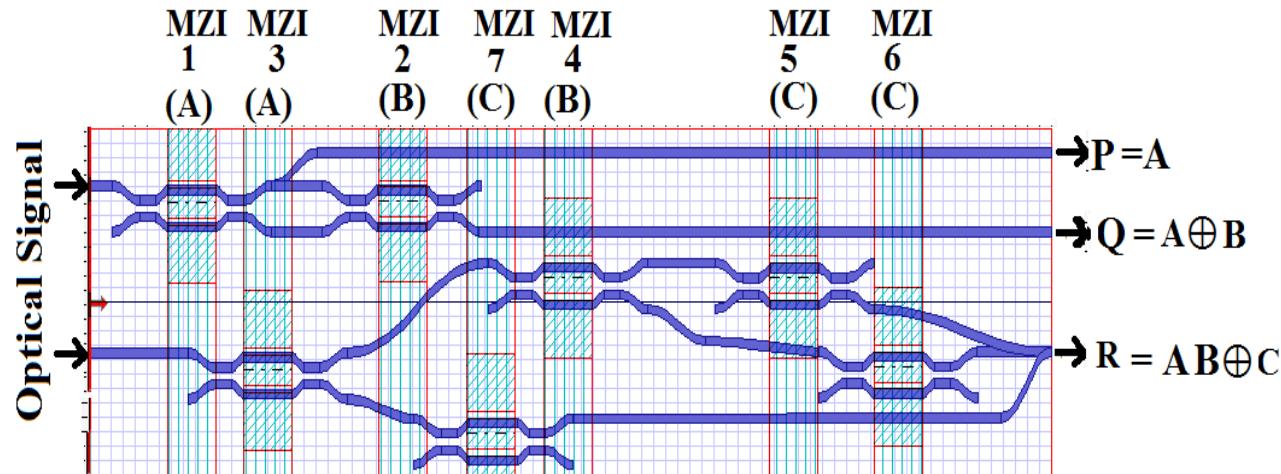
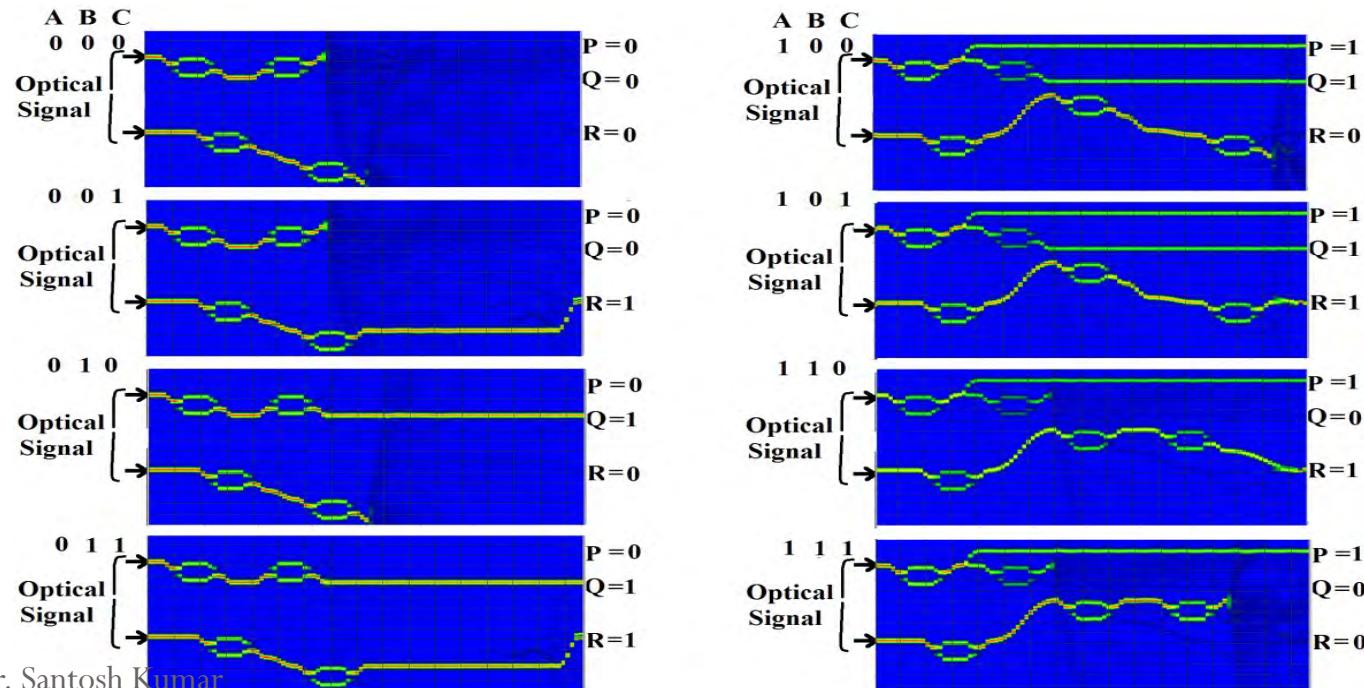


Figure: BPM layout of reversible Peres gate using MZI



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Figure: BPM simulation result of reversible Peres gate using MZI

BPM layout of Full adder using Peres gate

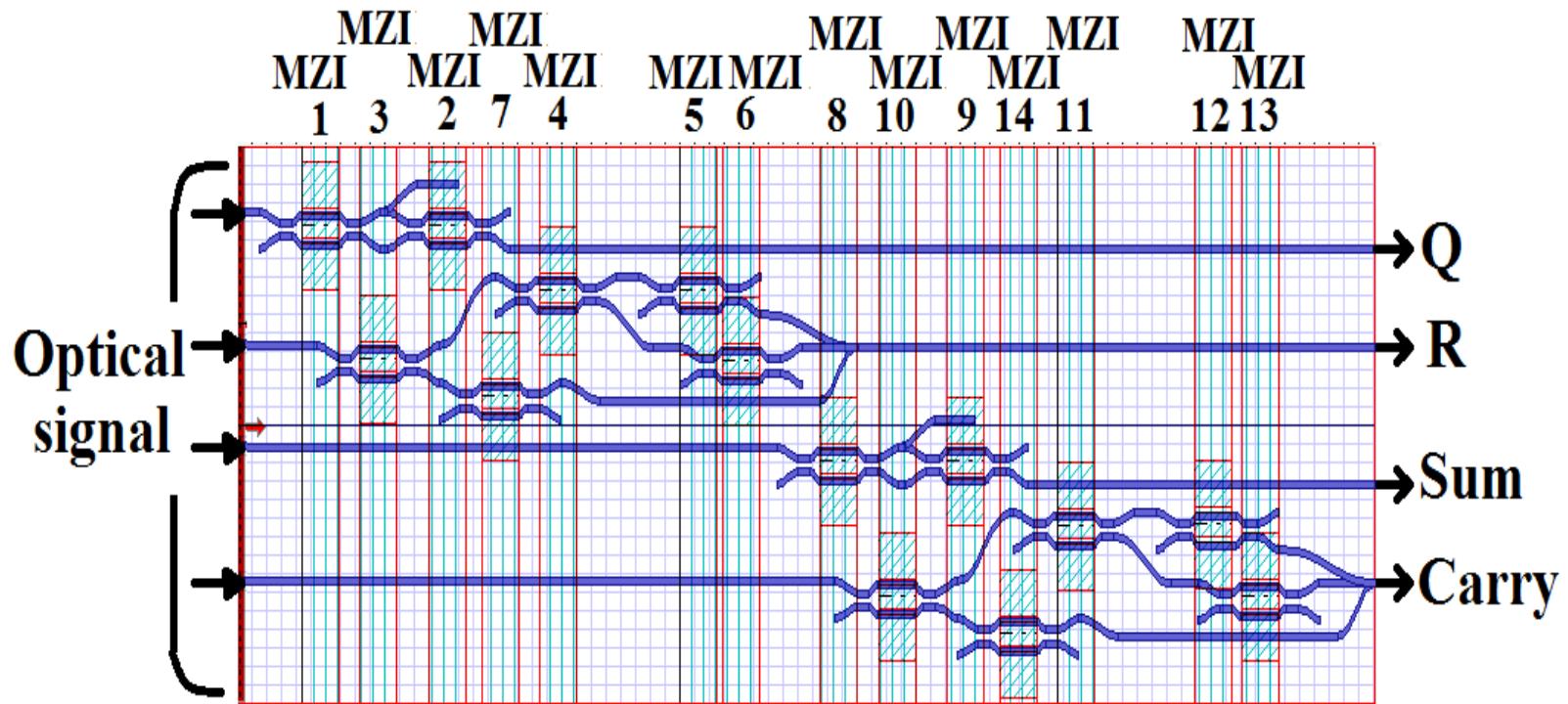


Figure: BPM layout of reversible Full adder using MZI based Peres gate.

Simulation Result of Full adder

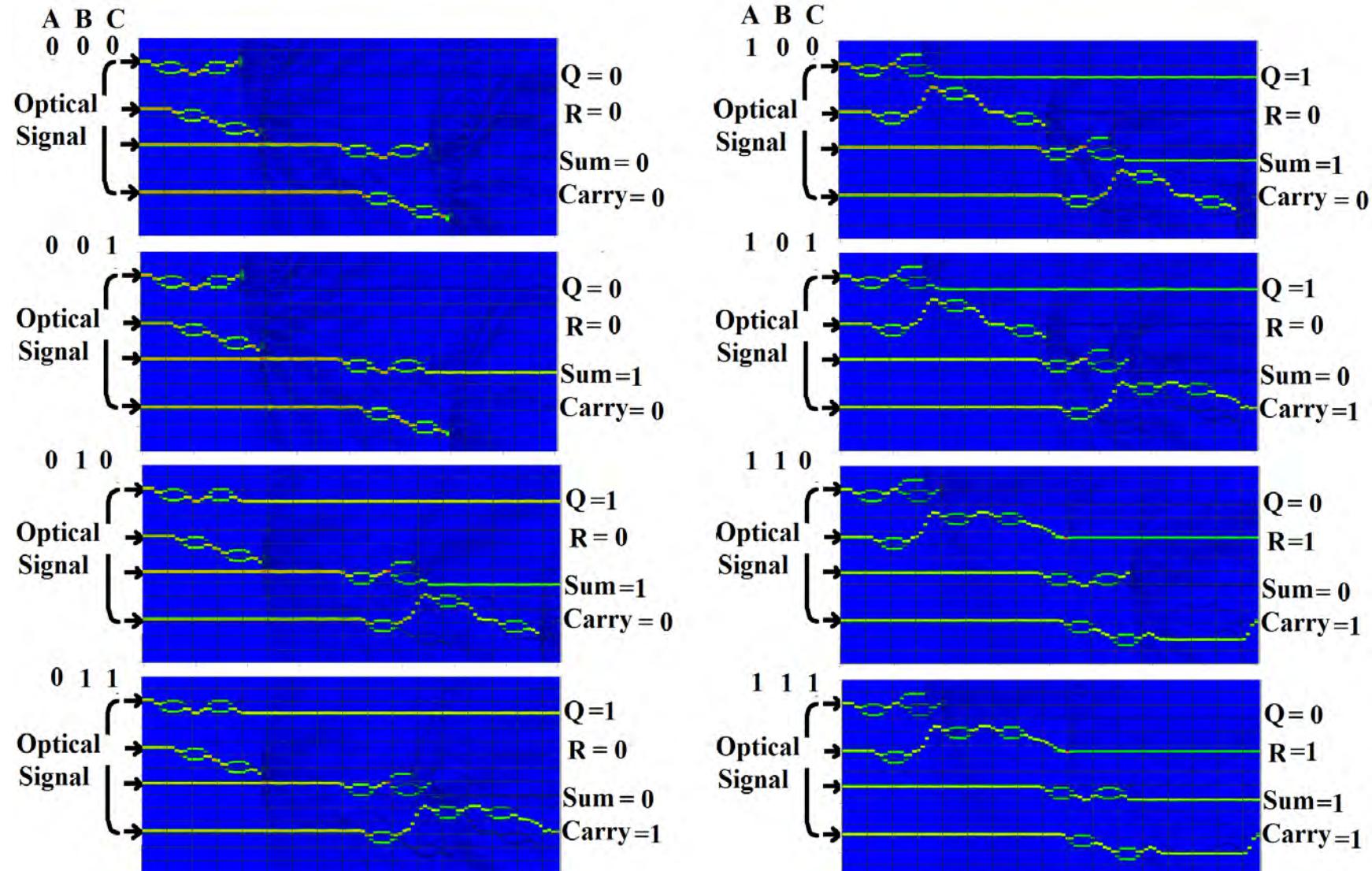


Figure: BPM simulation result of reversible full adder using MZI based Peres gate

BPM layout of T-Flip flop using Peres gate

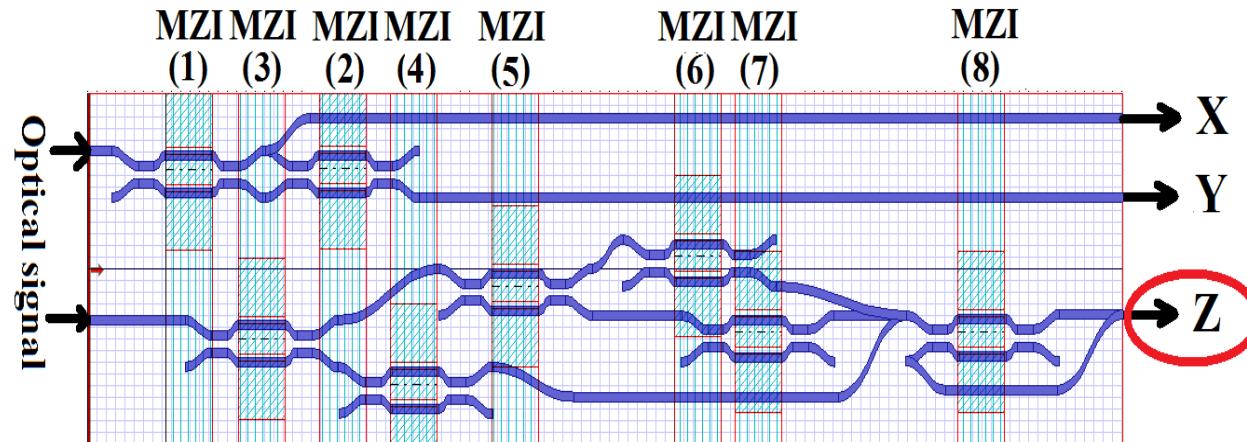


Figure: BPM layout of reversible T- flip-flop using MZI based Peres gate

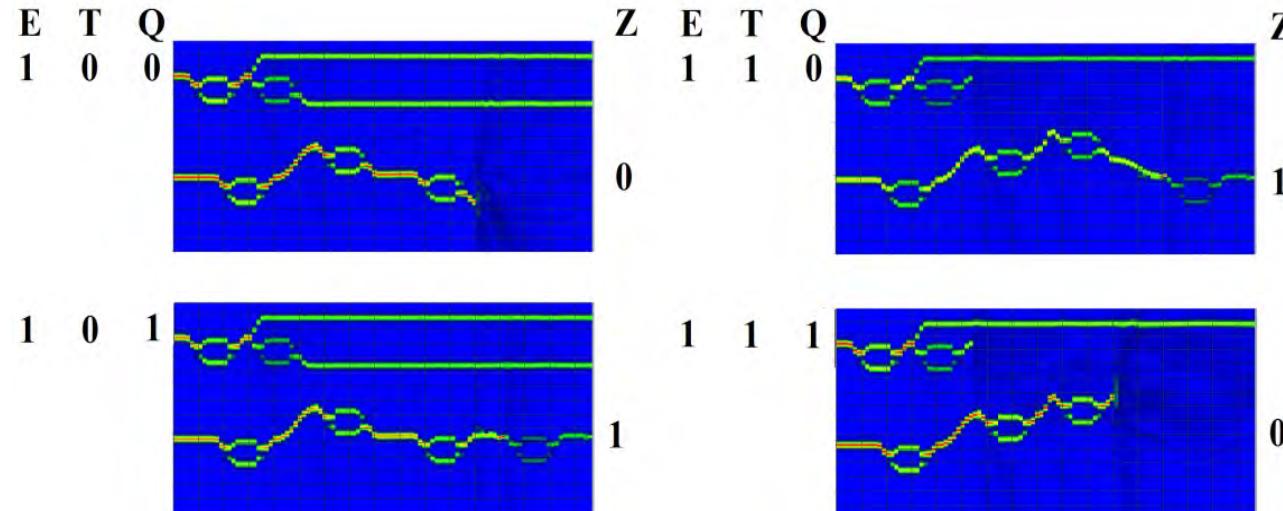


Figure: BPM simulation result of reversible T- flip-flop using MZI based Peres gate

Design of Reversible Full adder using Peres gate

- Figure 10 shows the logic diagram of full adder using Peres gate.
- As shown in Fig.10 (a), Peres gate is having 3 outputs which equals to $P = A$, $Q = A \oplus B$ and $R = (A \cdot B) \oplus C$ respectively.
- In Fig. 10 (b), it is shown that by using two Peres gate in cascading, one can design reversible full-adder circuit.
- The third input of first Peres gate is ancilla input C_{in} , which is equals to 0 and first output is garbage output.
- By cascading second and third output of first gate as inputs to second Peres gate, sum and carry output of full adder circuit will be available at second and third output port of second Peres gate respectively.

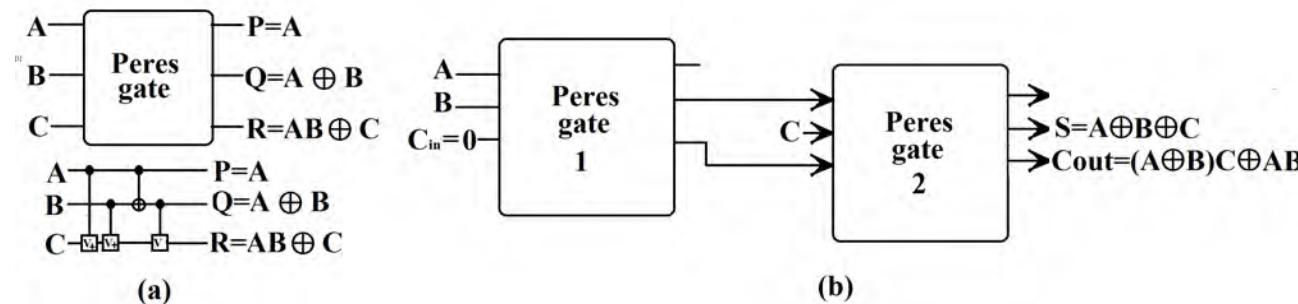
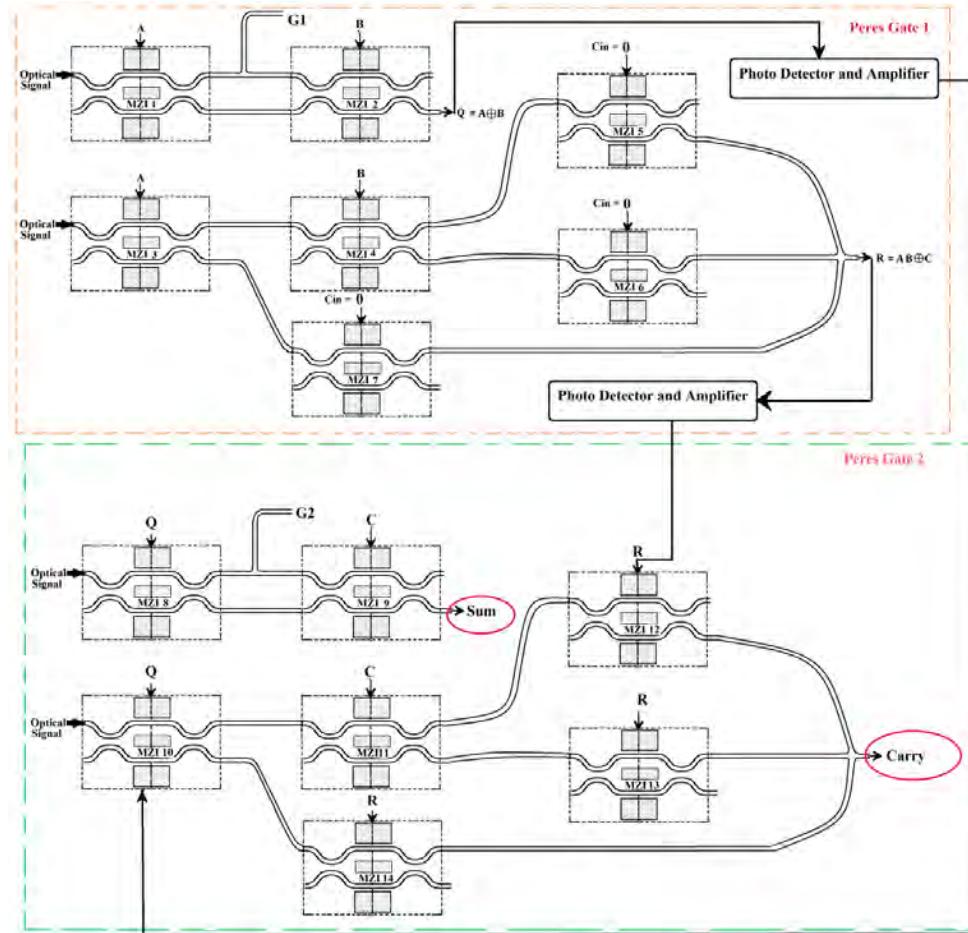


Figure 10: Logic design of reversible full-adder using Peres gate

cont...

- Figure 11 shows the equivalent MZI diagram of the circuit.
- Photo detector and amplifier is used to convert optical signal to electrical form to control the electrode voltage.



BPM Layout of Reversible Full Adder

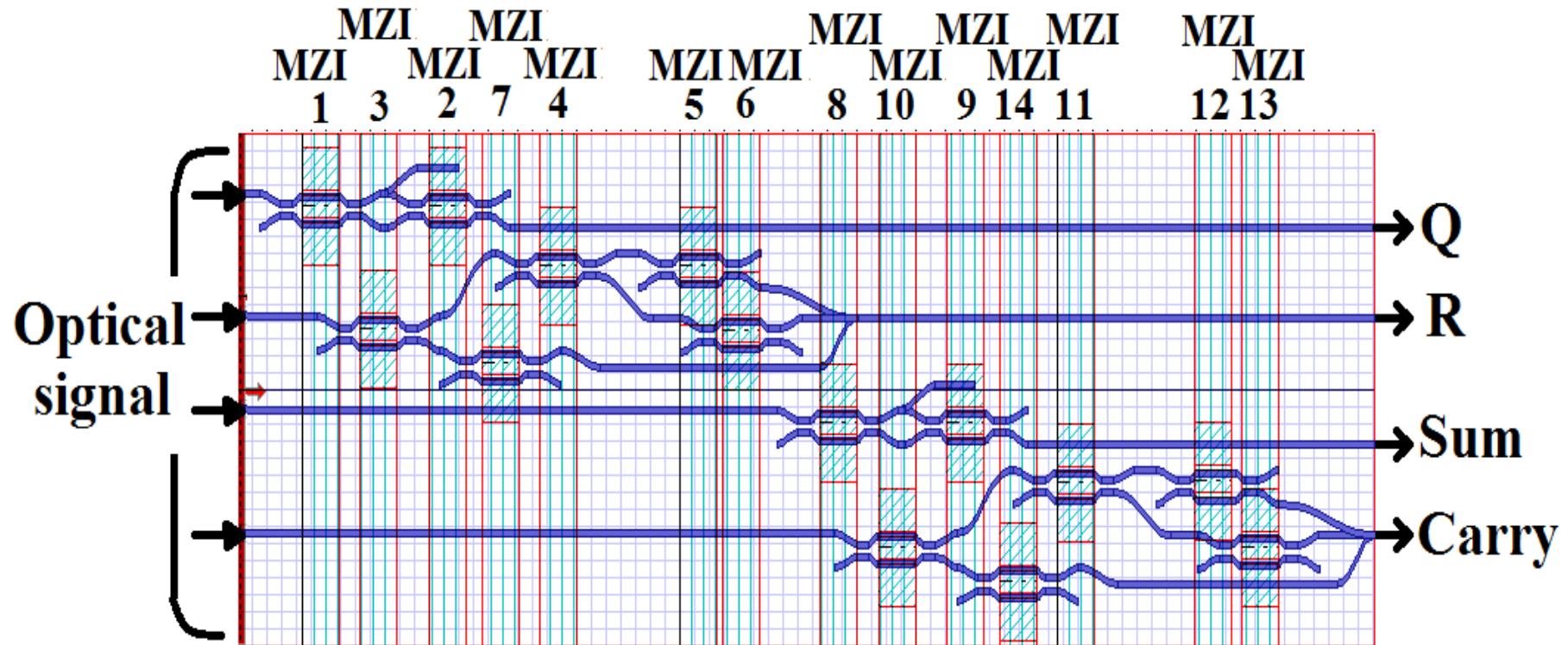


Figure: Layout diagram of Reversible Full Adder using MZIs

MATLAB Simulation results

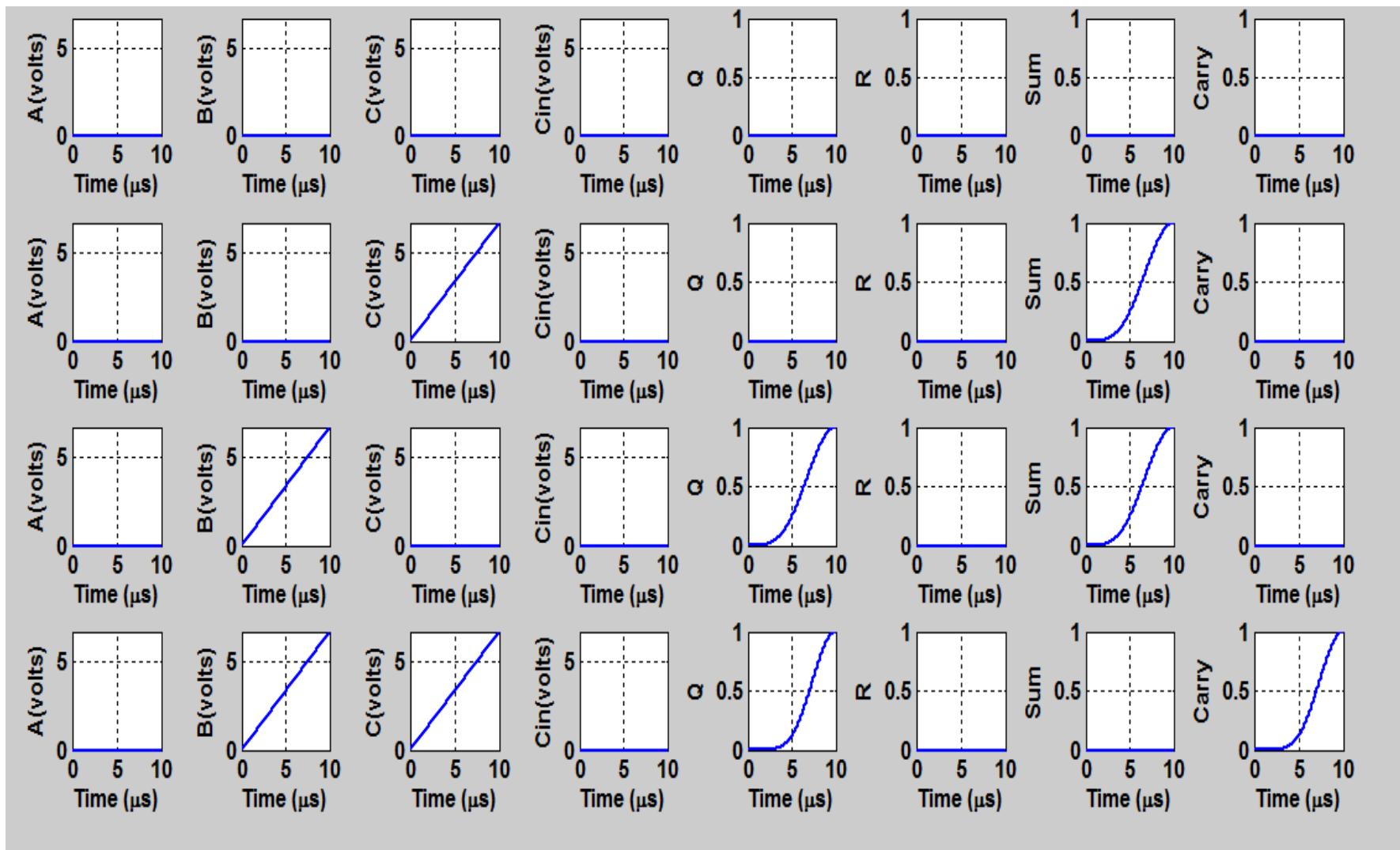


Figure: MATLAB simulation results where input(A,B,C) varies from 000 to 011

Opti-BPM Simulation results

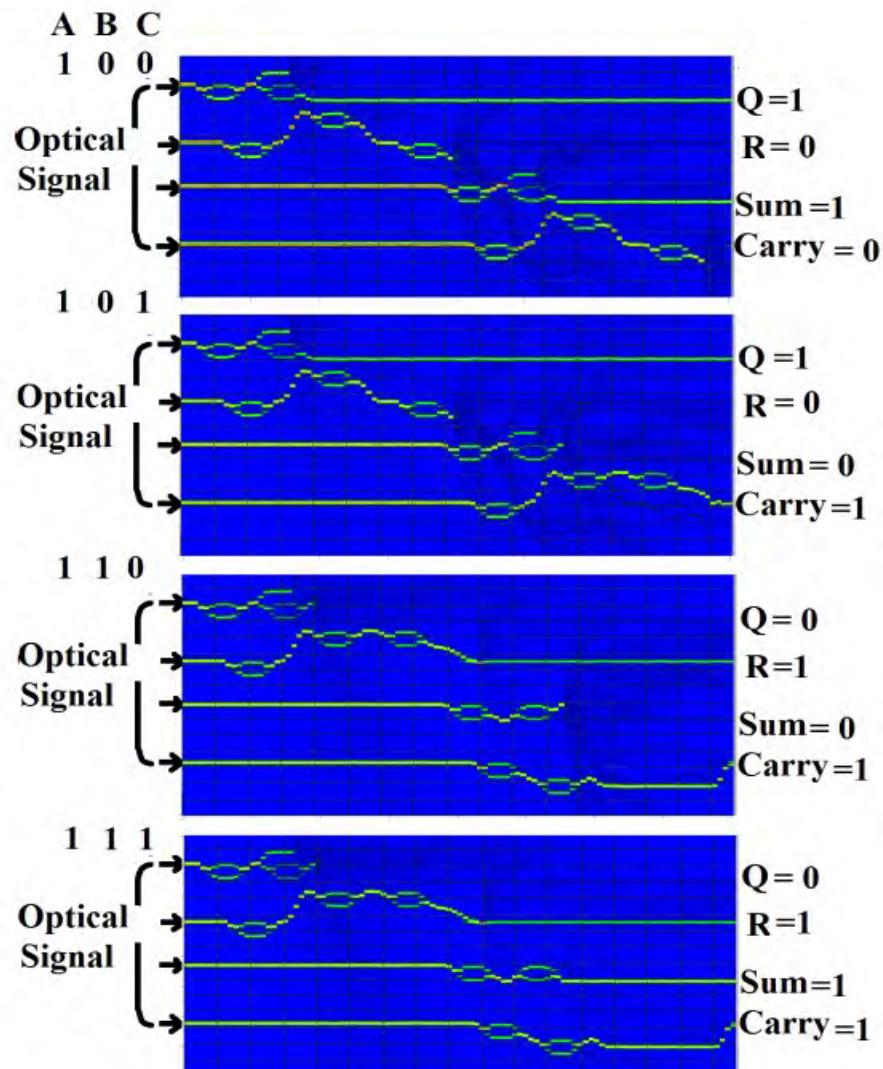
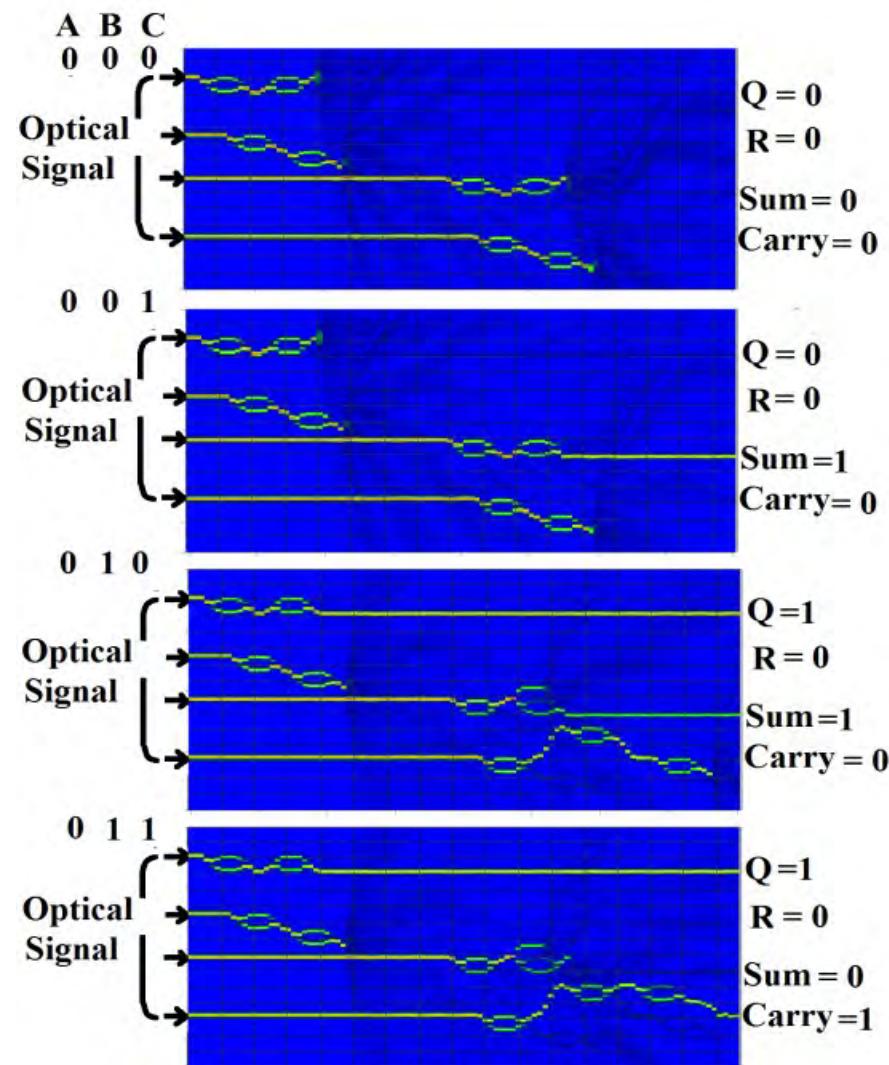
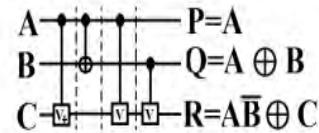
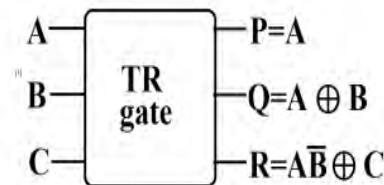


Figure: OptiBPM simulation results for Reversible Full Adder

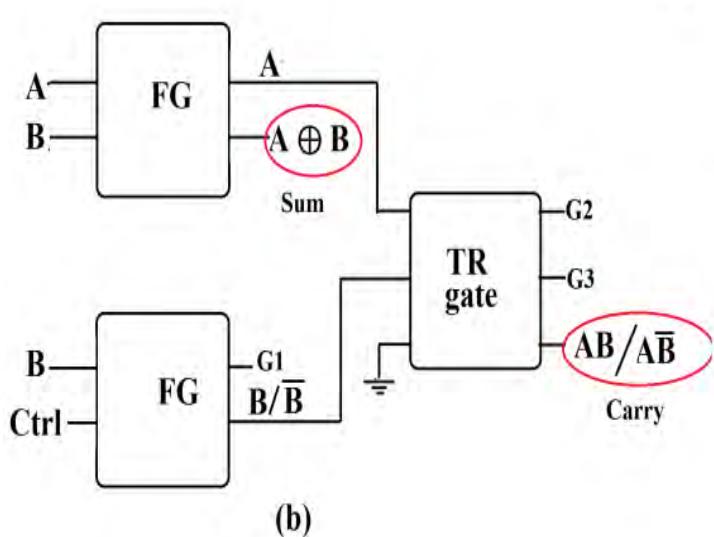
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Optical reversible hybrid Adder/Subtractor

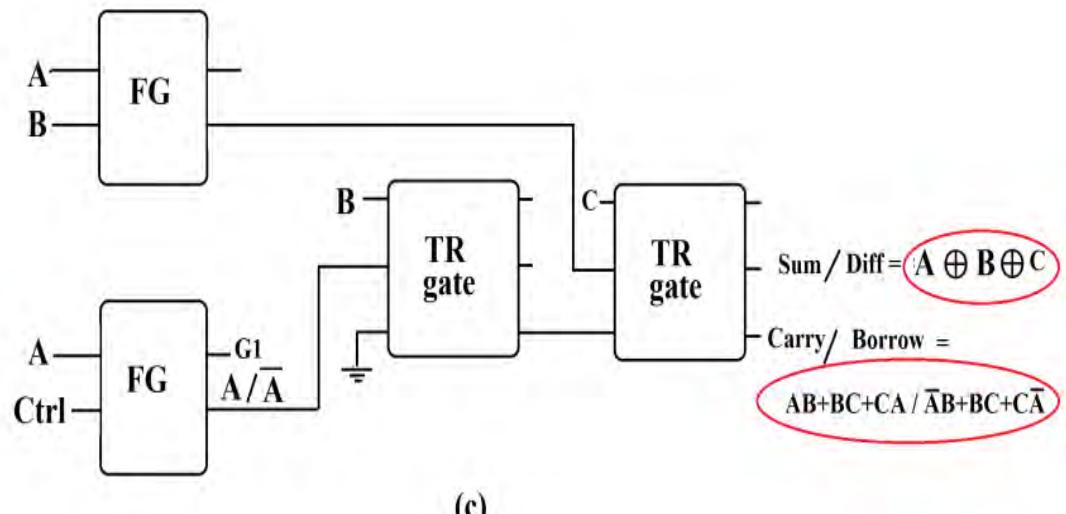
Reversible Adder/Subtractor using Feynman gate and TR gate



(a)



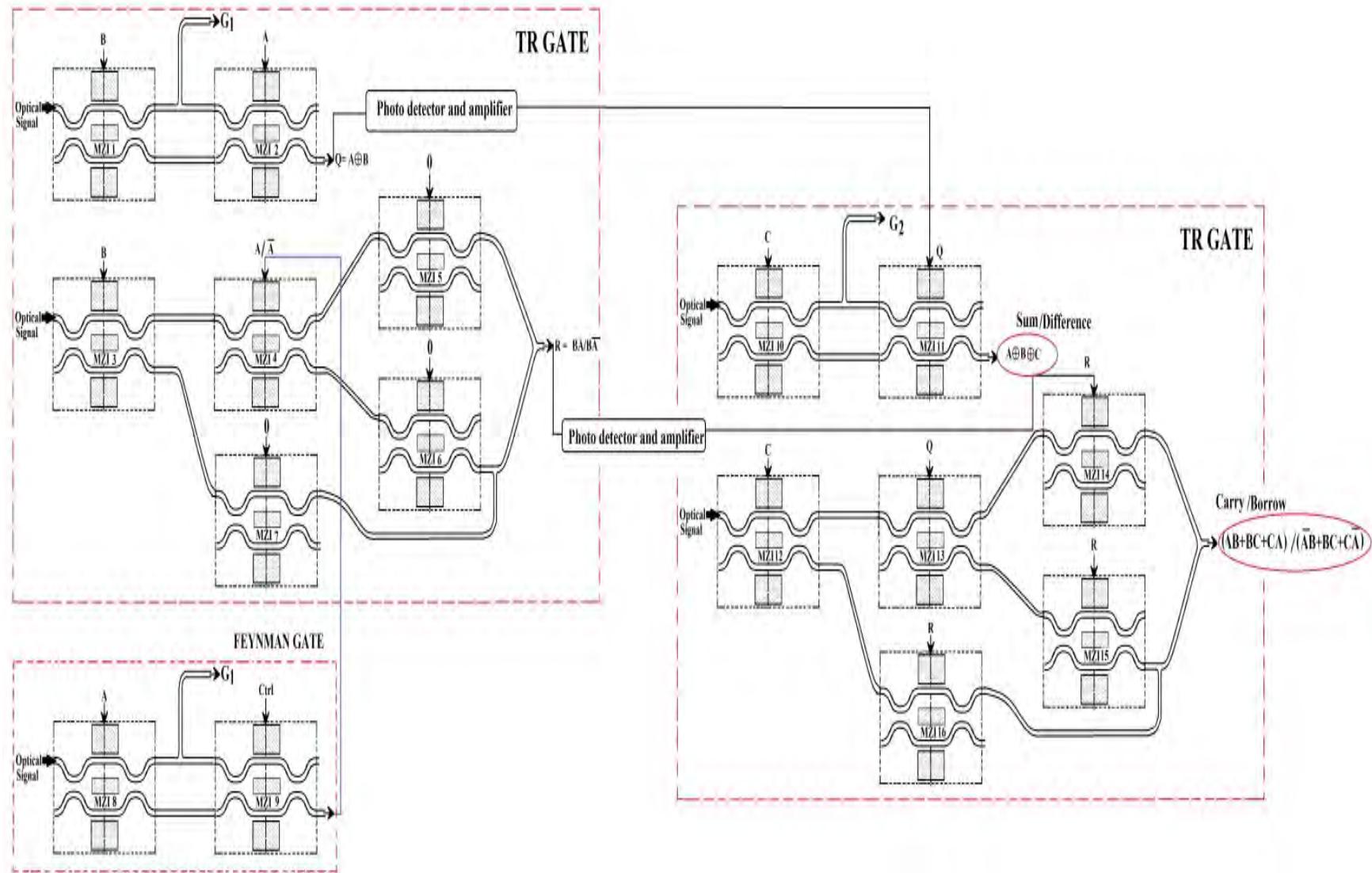
(b)



(c)

Figure: Logic Diagram of Adder-Subtractor using Feynman and TR gate
 (a) TR gate representation (b) Half adder-subtractor (c) Full adder-subtractor.

MZI diagram of Reversible Adder/Subtractor



Mathematical expression for reversible adder-subtractor

$$\begin{aligned}\text{Sum/Difference} &= \sin^2\left(\frac{\Delta\phi_{\text{MZI}10}}{2}\right) \cos^2\left(\frac{\Delta\phi_{\text{MZI}11}}{2}\right) \\ &\quad + \cos^2\left(\frac{\Delta\phi_{\text{MZI}10}}{2}\right) \sin^2\left(\frac{\Delta\phi_{\text{MZI}11}}{2}\right)\end{aligned}$$

Carry/Borrow

$$\begin{aligned}&= \sin^2\left(\frac{\Delta\phi_{\text{MZI}12}}{2}\right) \sin^2\left(\frac{\Delta\phi_{\text{MZI}13}}{2}\right) \sin^2\left(\frac{\Delta\phi_{\text{MZI}14}}{2}\right) \\ &\quad + \sin^2\left(\frac{\Delta\phi_{\text{MZI}12}}{2}\right) \cos^2\left(\frac{\Delta\phi_{\text{MZI}13}}{2}\right) \cos^2\left(\frac{\Delta\phi_{\text{MZI}15}}{2}\right) \\ &\quad + \cos^2\left(\frac{\Delta\phi_{\text{MZI}12}}{2}\right) \sin^2\left(\frac{\Delta\phi_{\text{MZI}15}}{2}\right)\end{aligned}$$

MATLAB simulation results

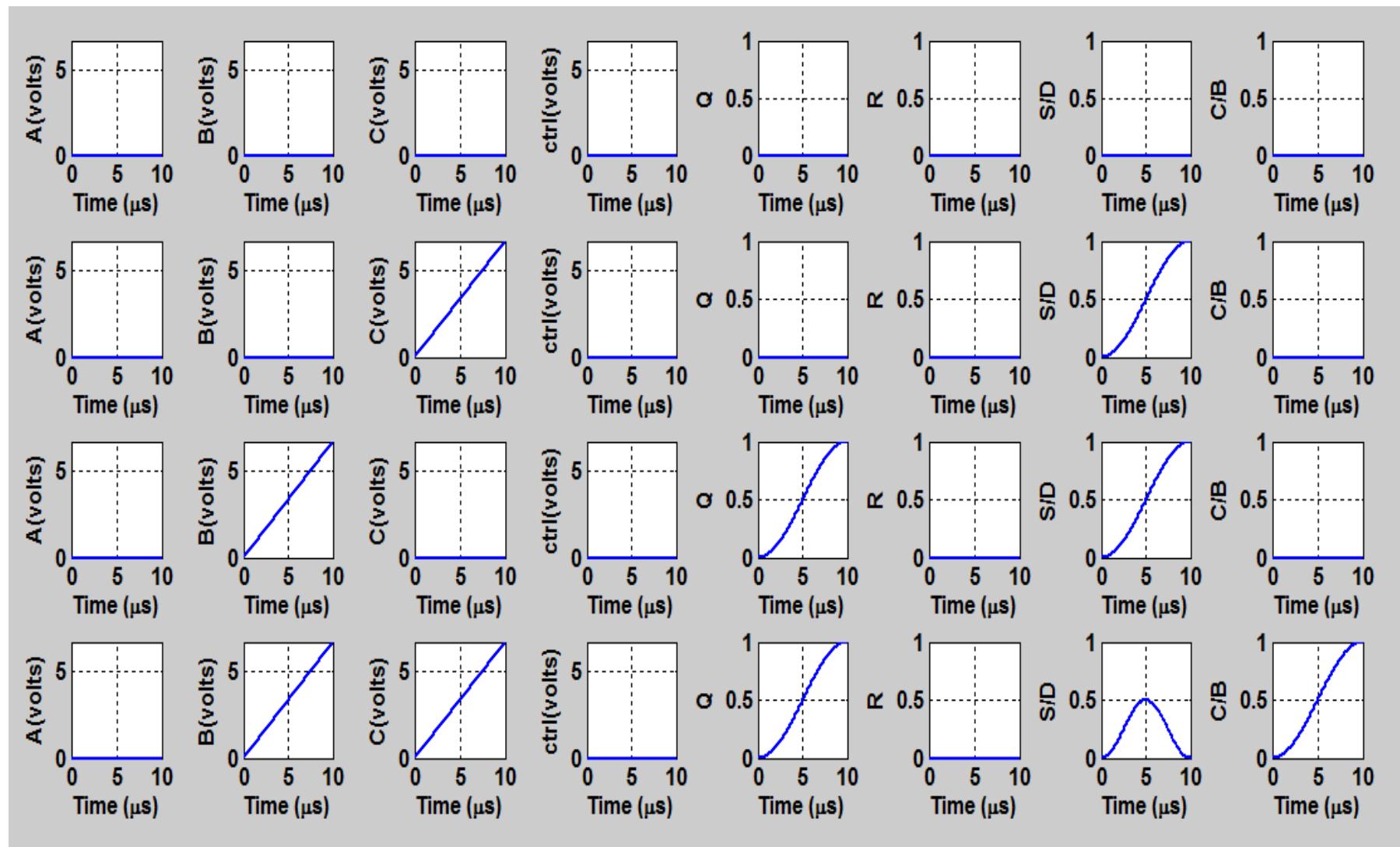


Figure: MATLAB simulation results of proposed device as Full adder where A, B, C varies from 000 to 011

MATLAB simulation results

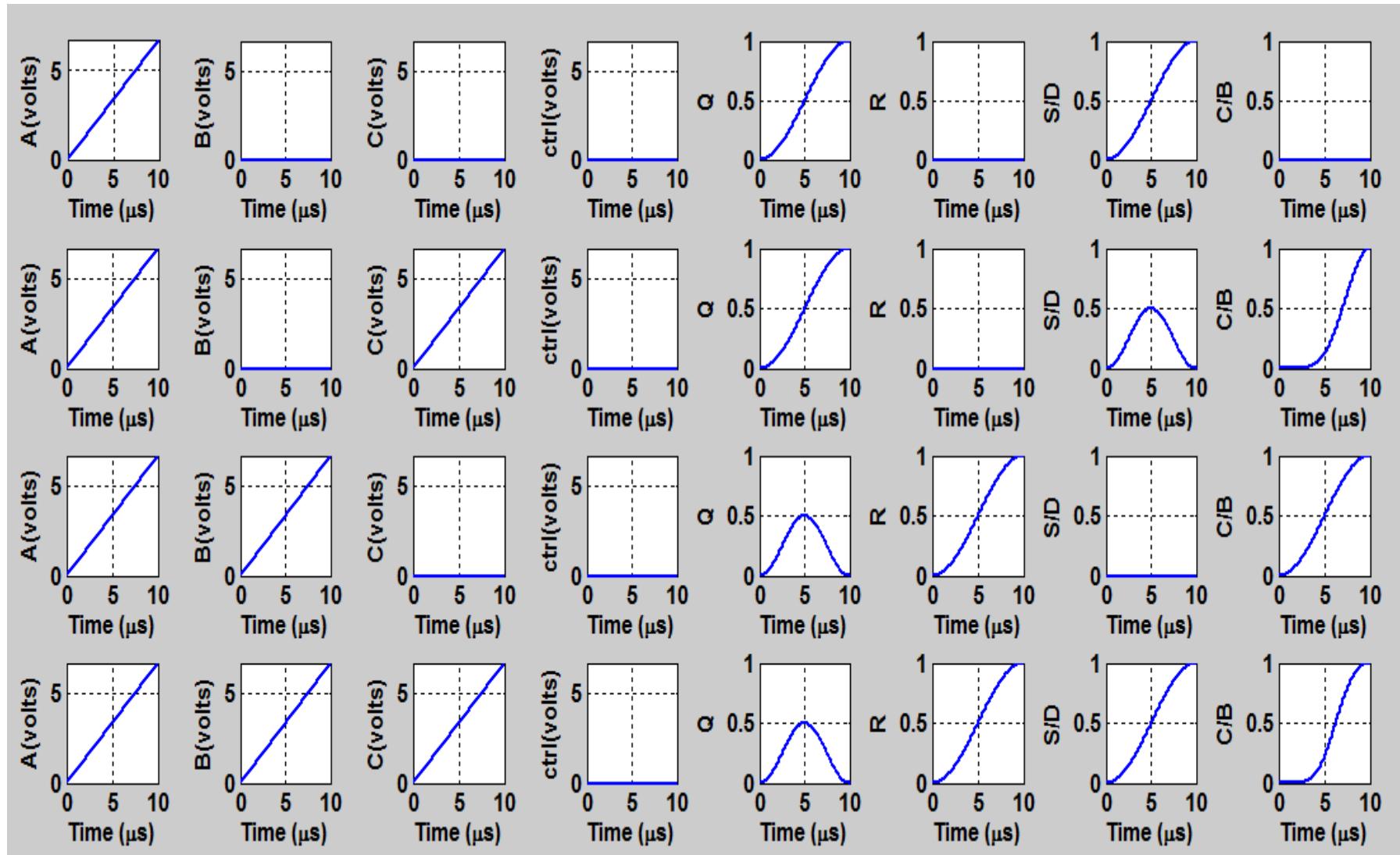


Figure: MATLAB simulation results of proposed device as Full adder where A, B, C varies from 100 to 111.

MATLAB simulation results

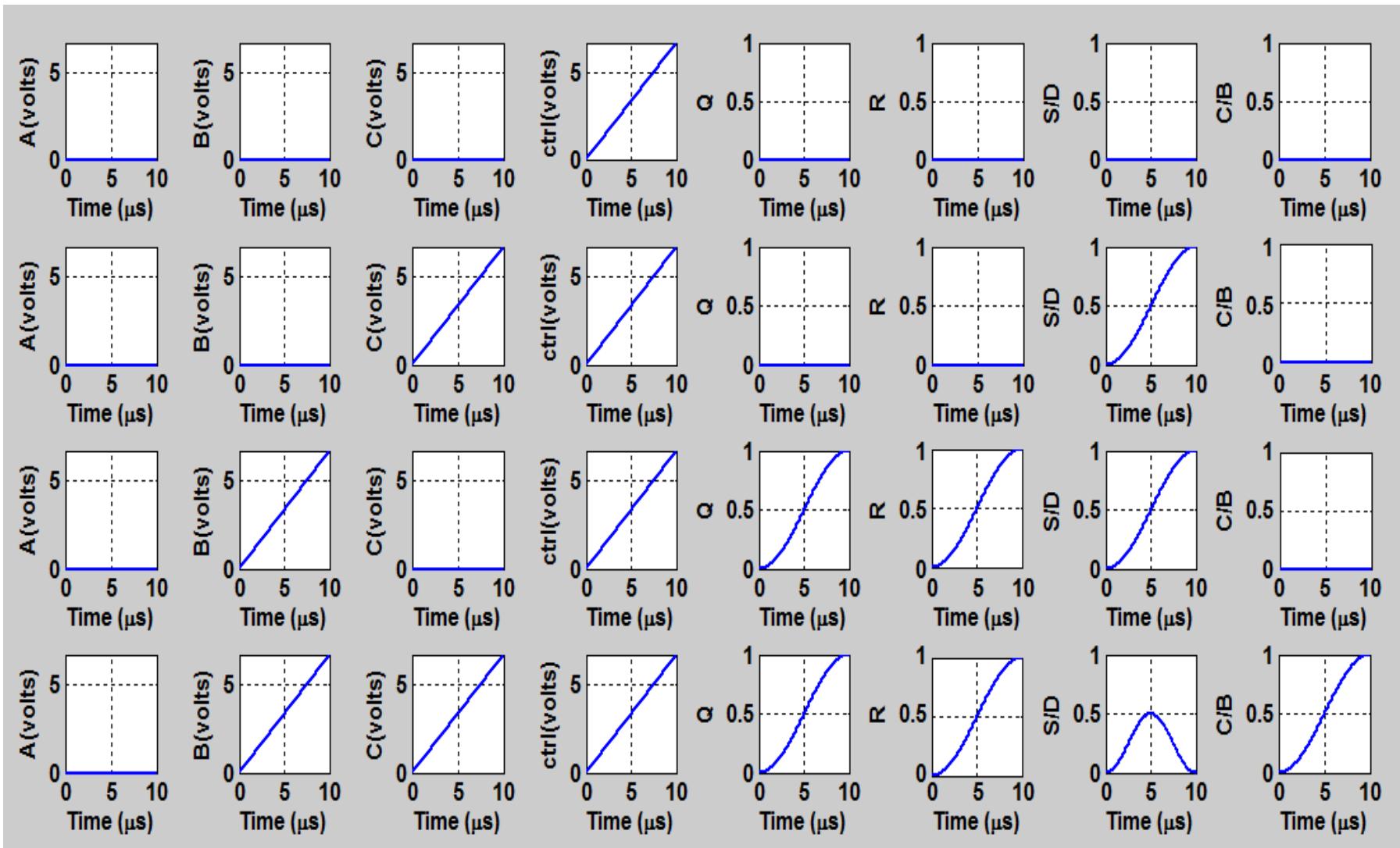


Figure: MATLAB simulation results of proposed device as Full subtractor where A, B, C varies from 000 to 011.

MATLAB simulation results

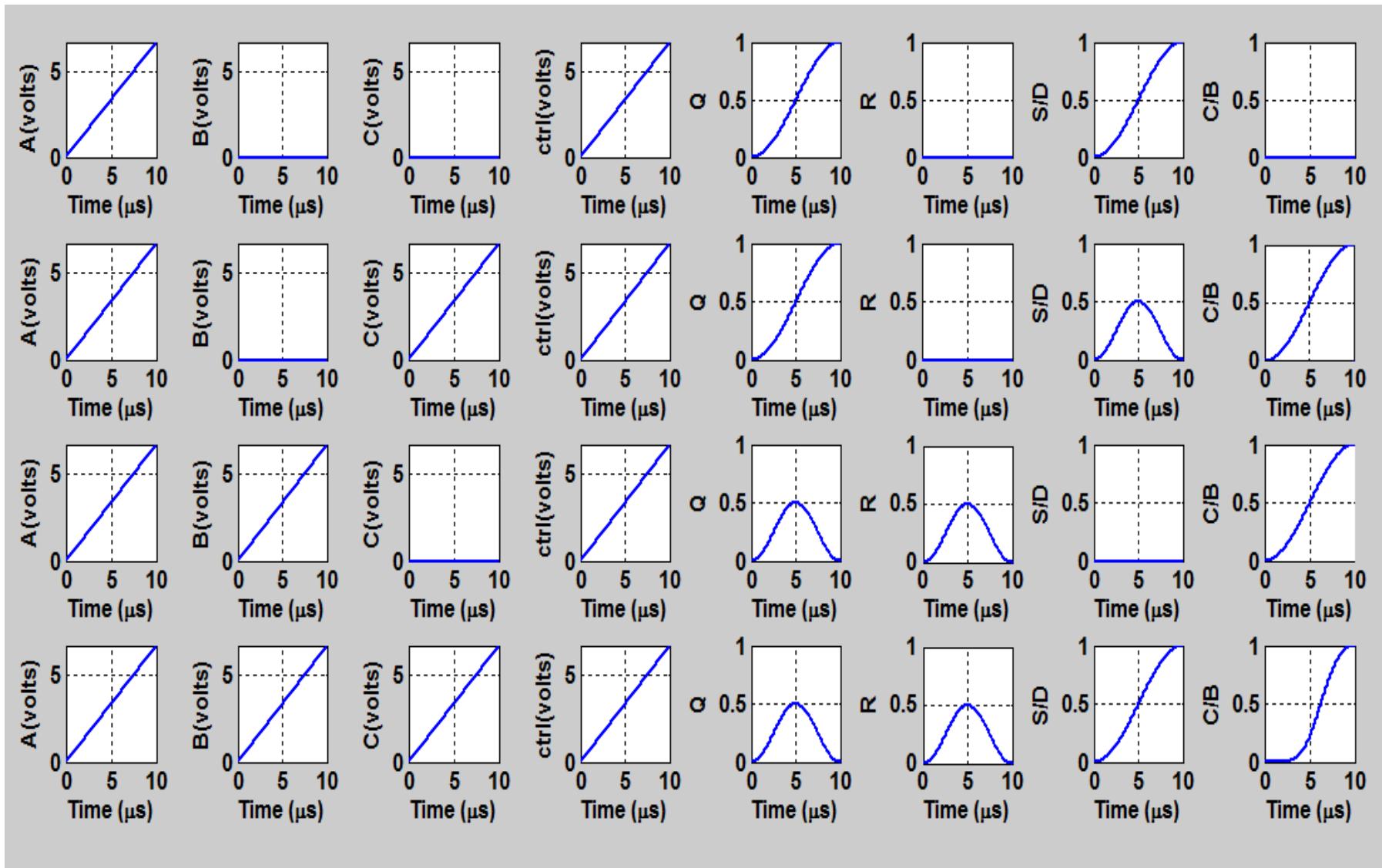


Figure: MATLAB simulation results of proposed device as Full subtractor where A, B, C varies from 100 to 111

BPM Layout of Reversible Full Adder-subtractor

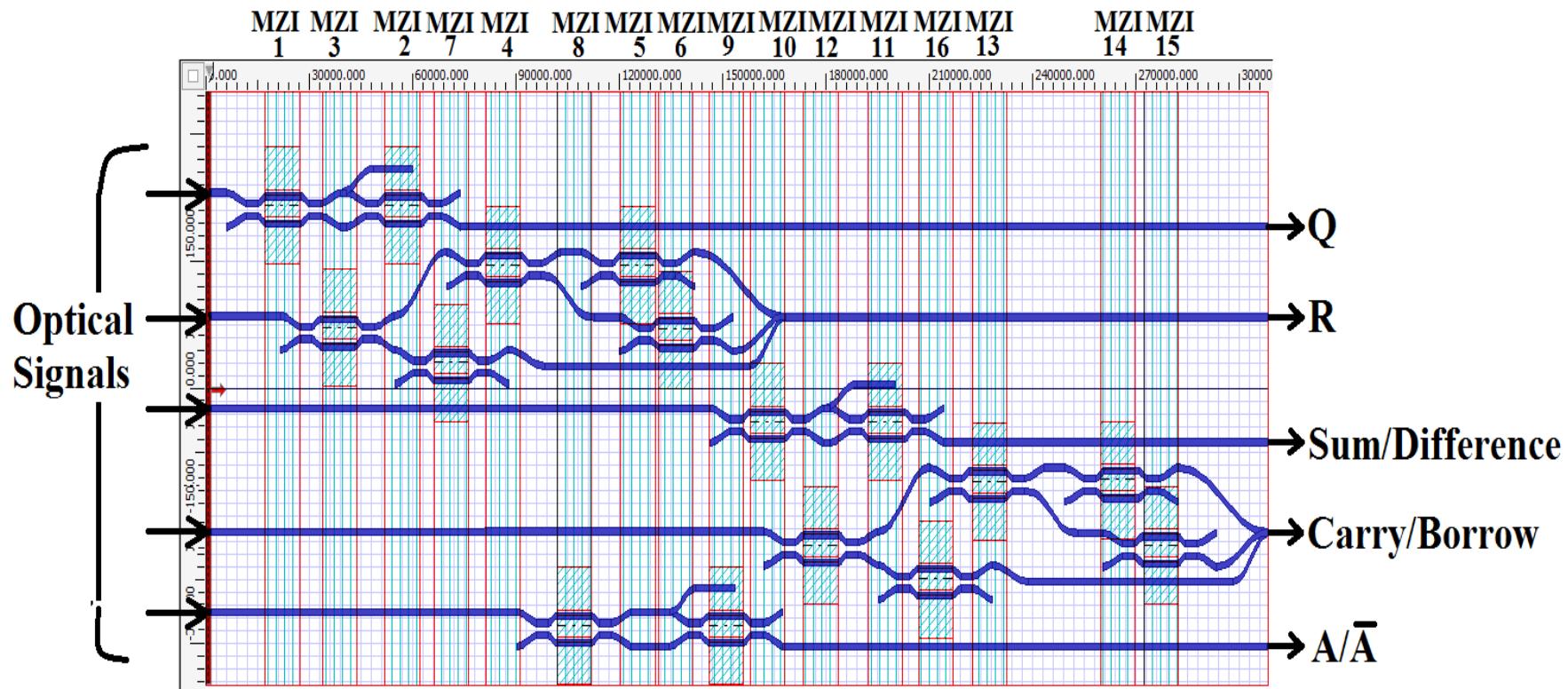


Figure: BPM layout of Hybrid Full adder/subtractor using TR gate

BPM Simulation Result

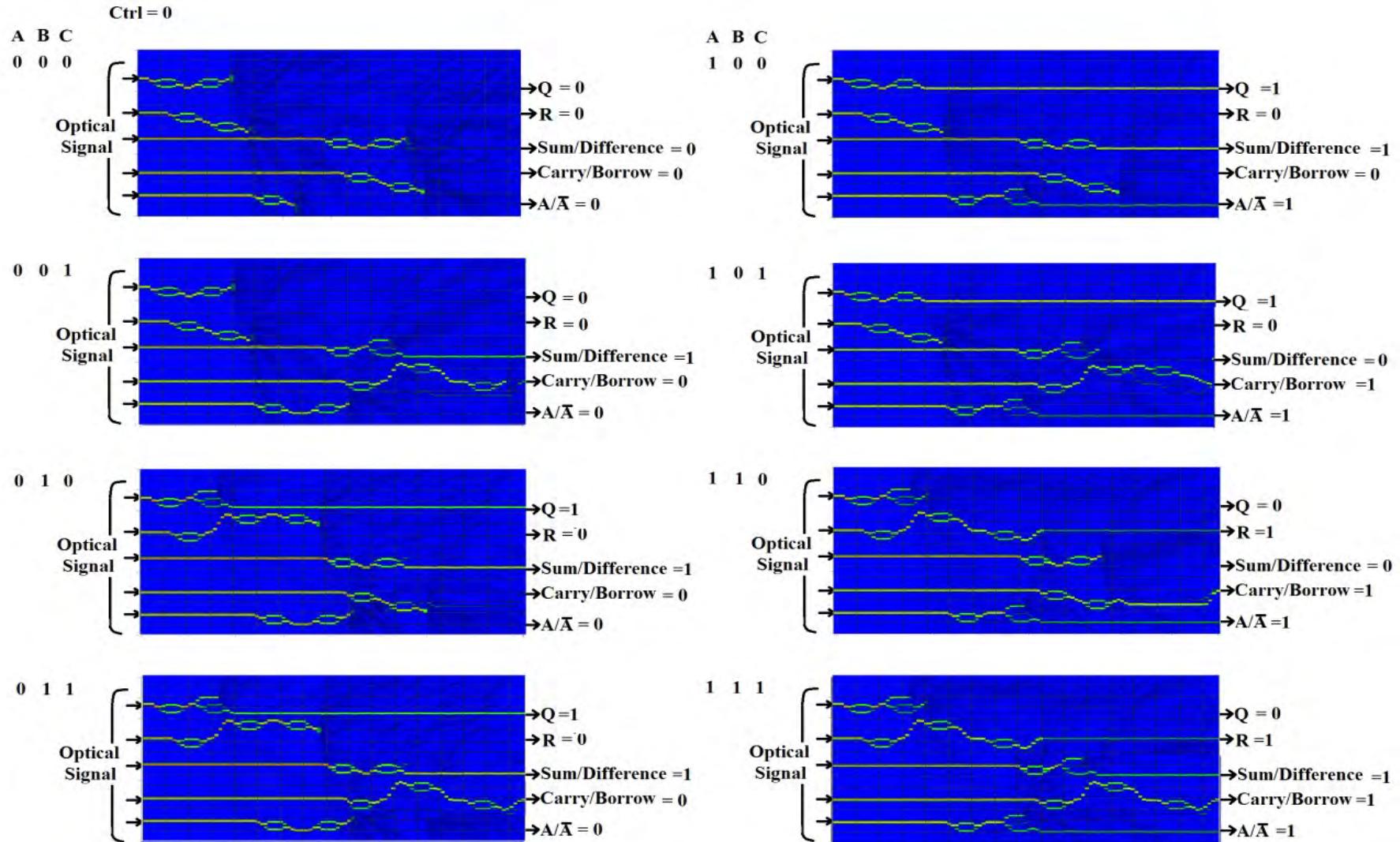


Figure: Optical field pattern of proposed device as full adder using BPM while input signal A, B, C varies from 000 to 111

BPM Simulation Result

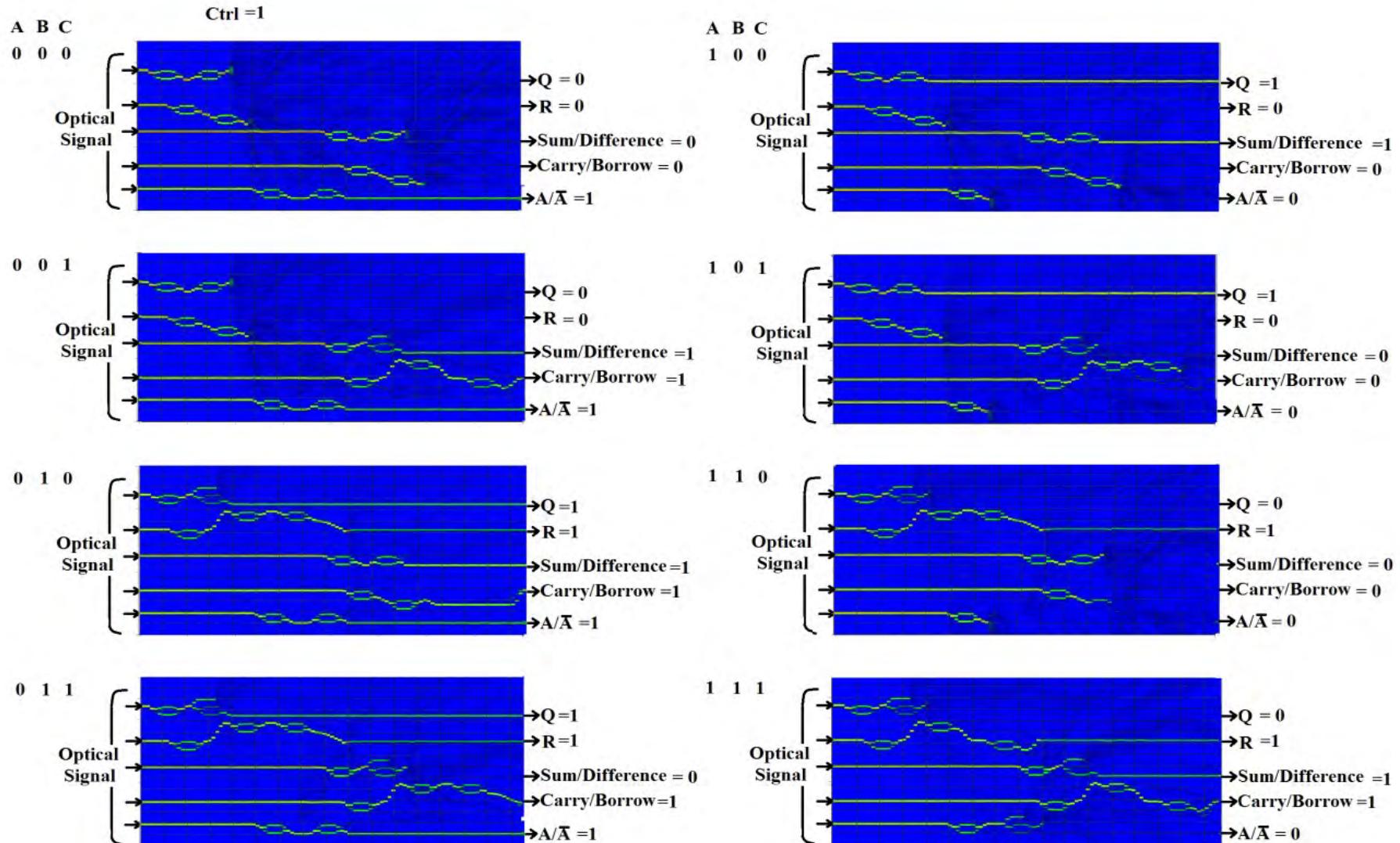


Figure: Optical field pattern of proposed device as full subtractor using BPM while inputs signal A, B, C varies from 000 to 111

Design of Reversible TR gate

Santosh Kumar et al, OSA FiO-2017, Washington D.C, USA. (Sept 16-22, 2017)

Schematic diagram using MZI

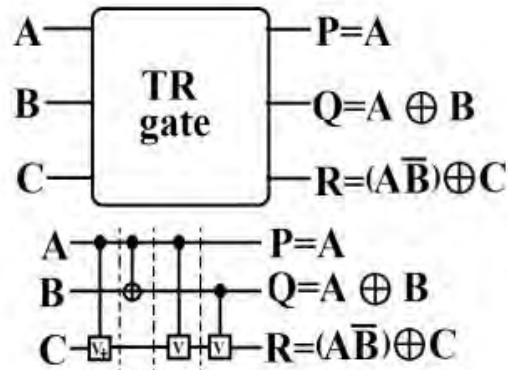


Figure: Logic diagram of TR gate

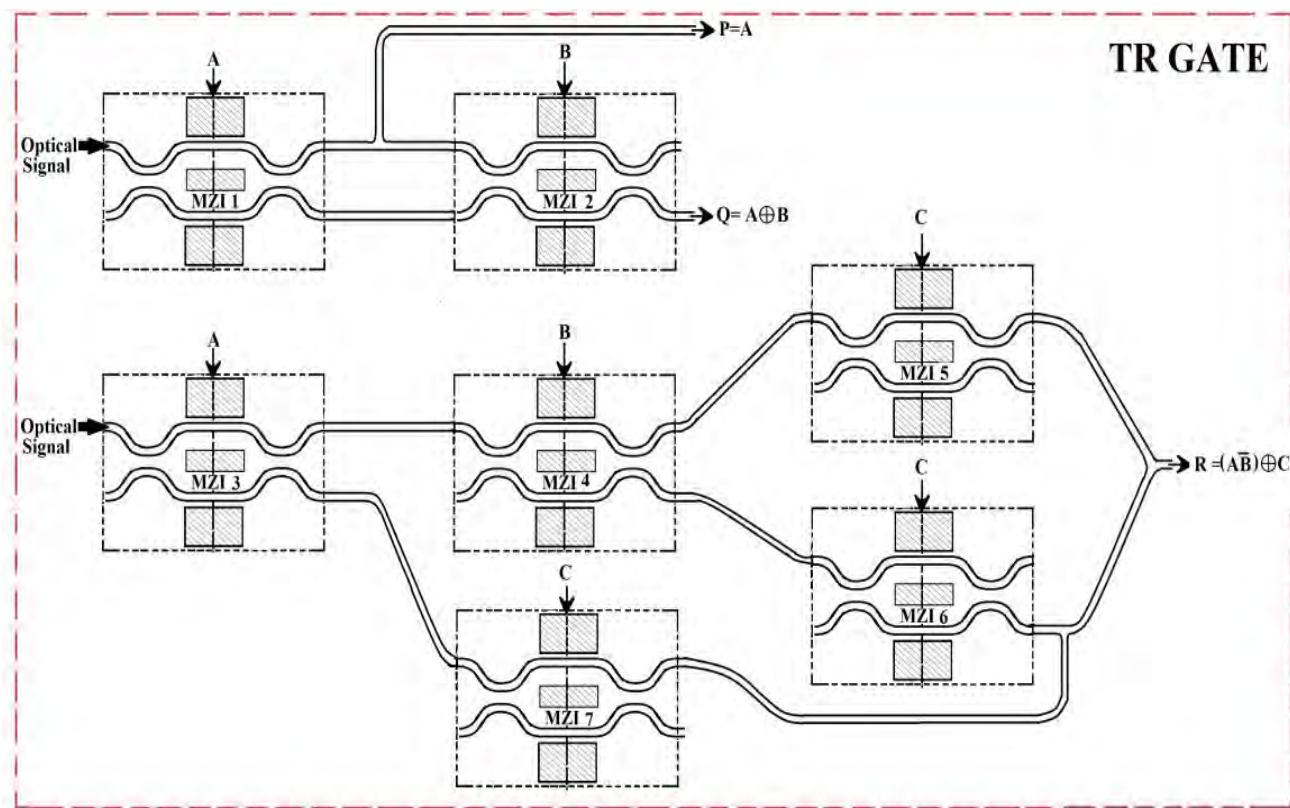


Figure: Schematic diagram of TR gate using lithium niobate based MZI

BPM Layout for TR gate

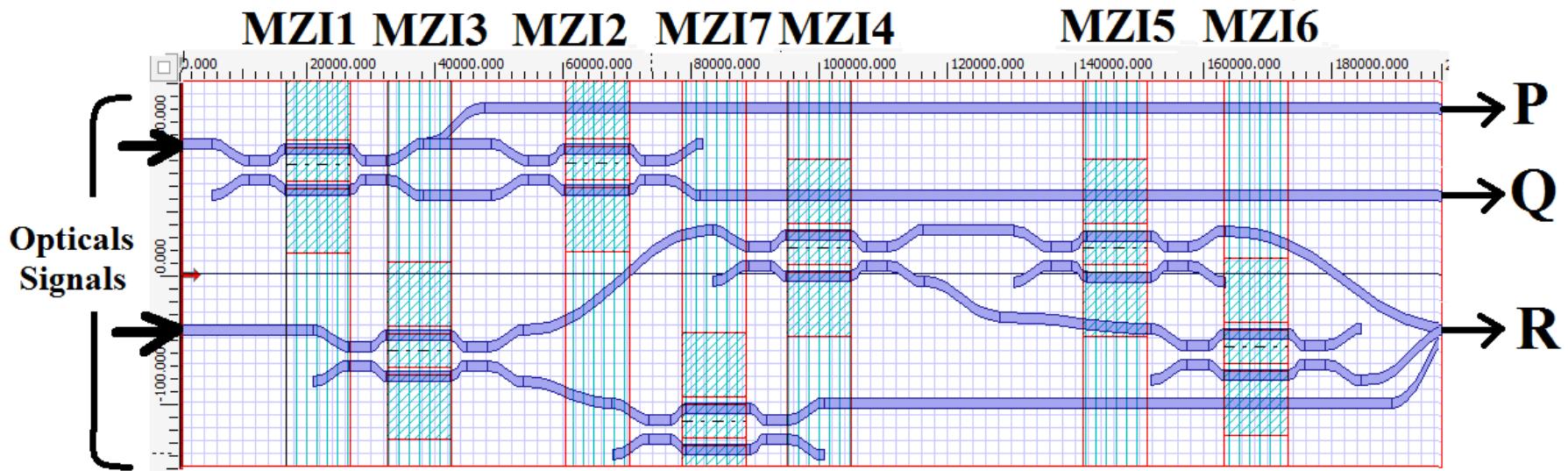


Figure: BPM layout of TR gate using MZI

MATLAB simulation results

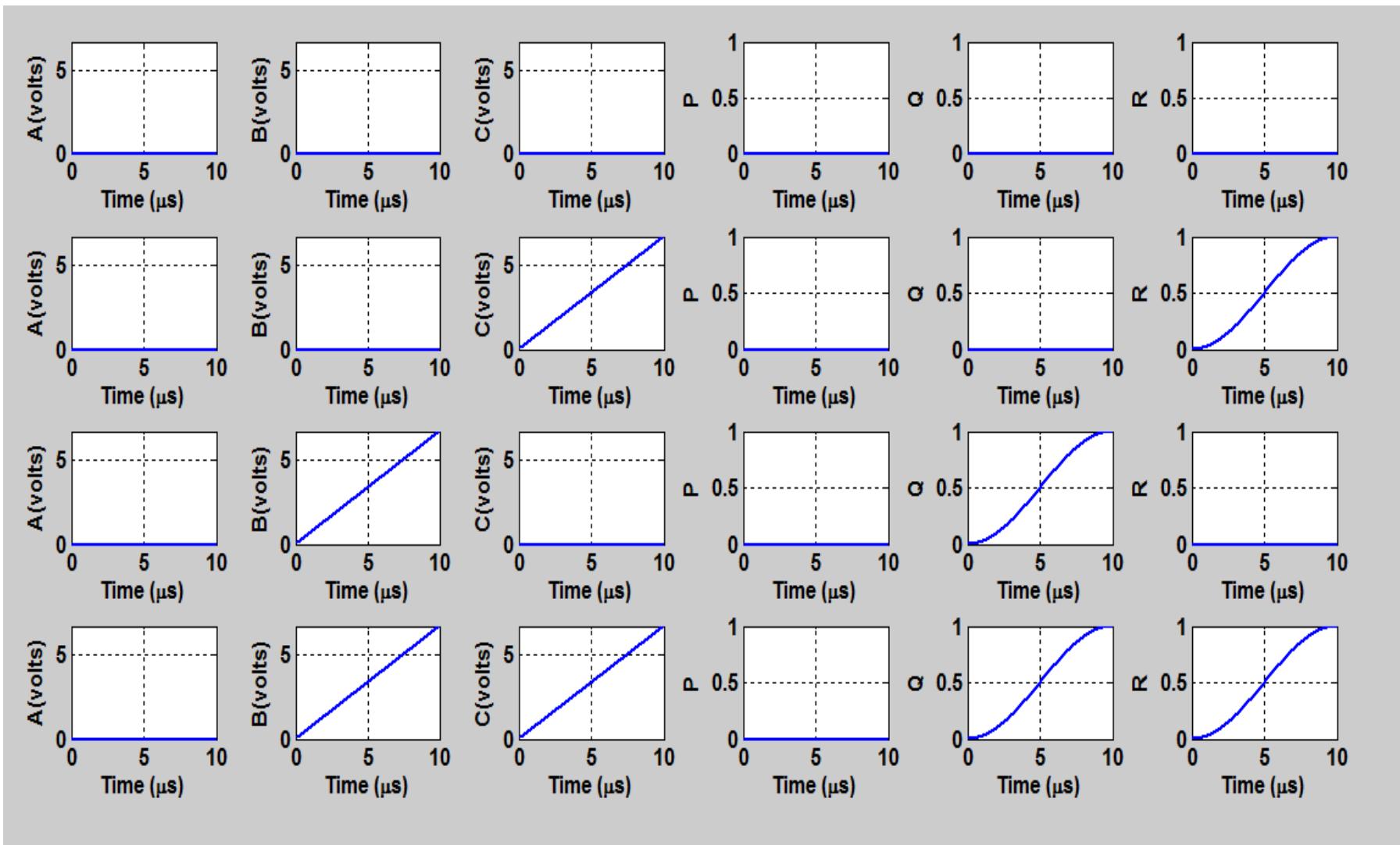


Figure: MATLAB simulation results where A, B, C varies from 000 to 011.

BPM simulation results

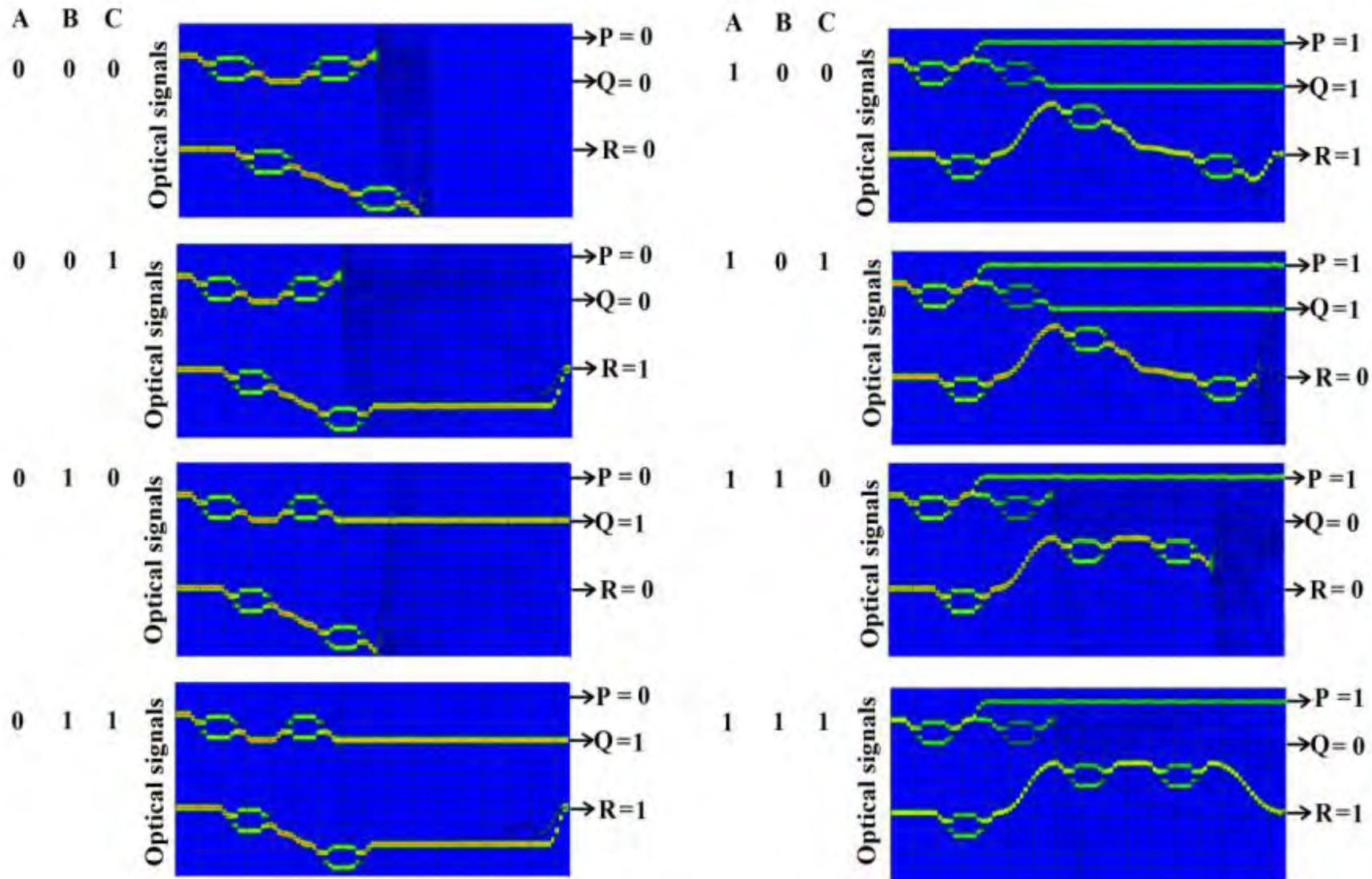


Figure: BPM simulation results where Inputs A, B, C varies from 000 to 111.

Study and analysis of some factors influencing the performances of proposed devices

Performance parameters

- The factors which influences the performance of the devices are
 - transmission loss
 - cross talk
 - extinction ratio
 - variation of bit rate

Variation of transition loss

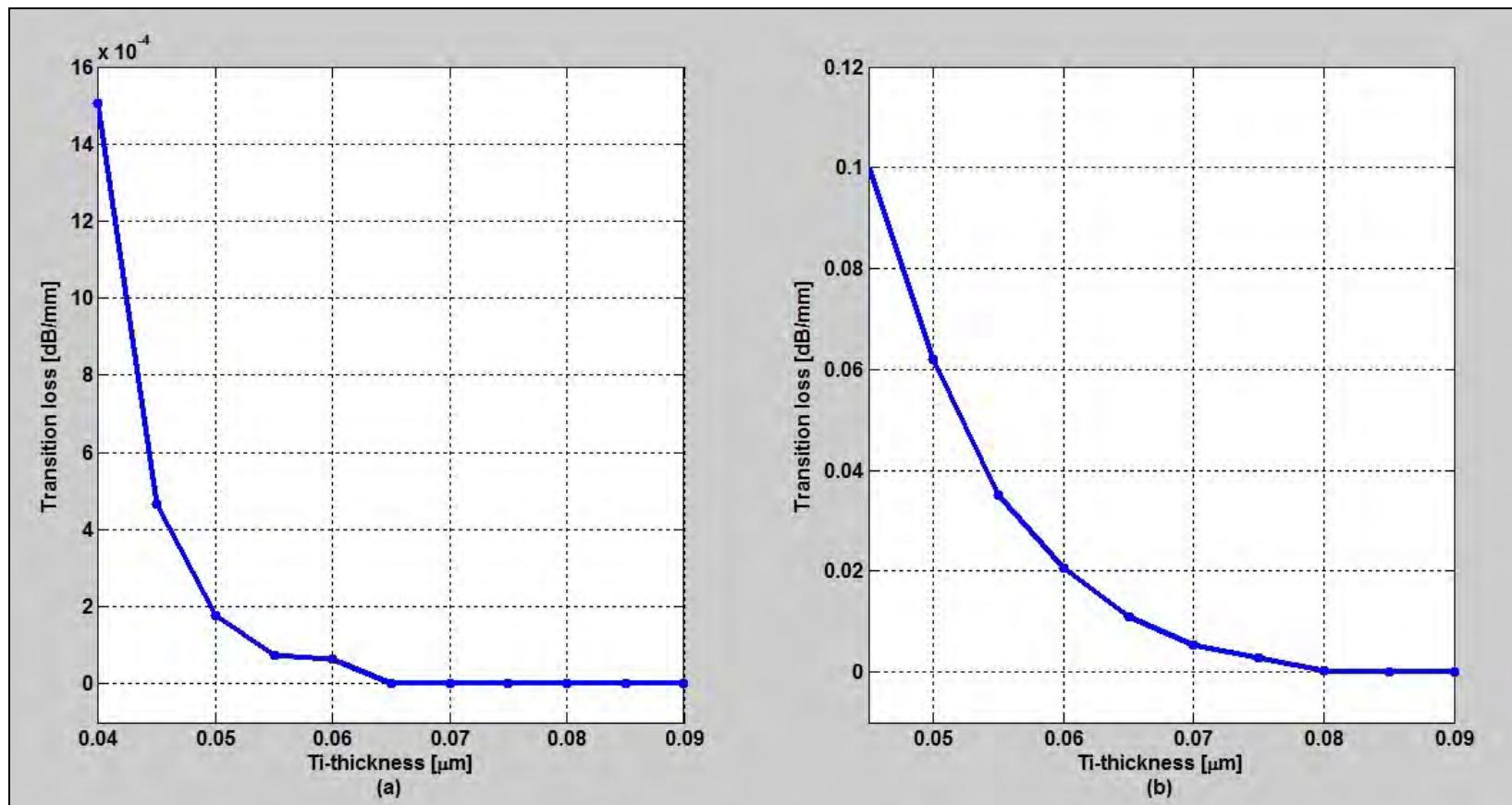


Figure: Variation of loss with respect to Ti- thickness (t_s) for (a) straight waveguide and (b) curved (S-bend) waveguide for operating wavelength $1.3 \mu\text{m}$.

Crosstalk

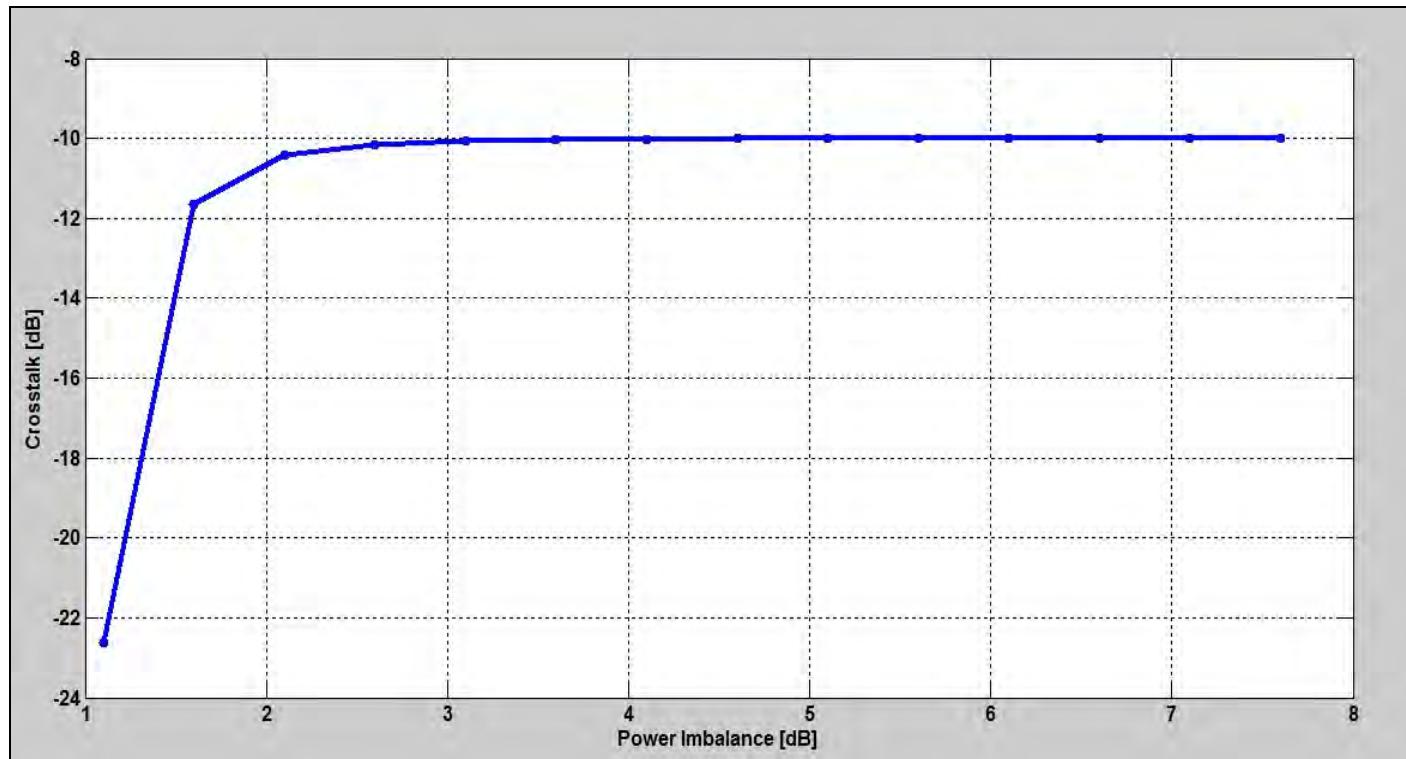


Figure: Representation of crosstalk level with variation of power imbalance
(Switch state : Cross) for operating wavelength $1.3 \mu\text{m}$.

Cont.....

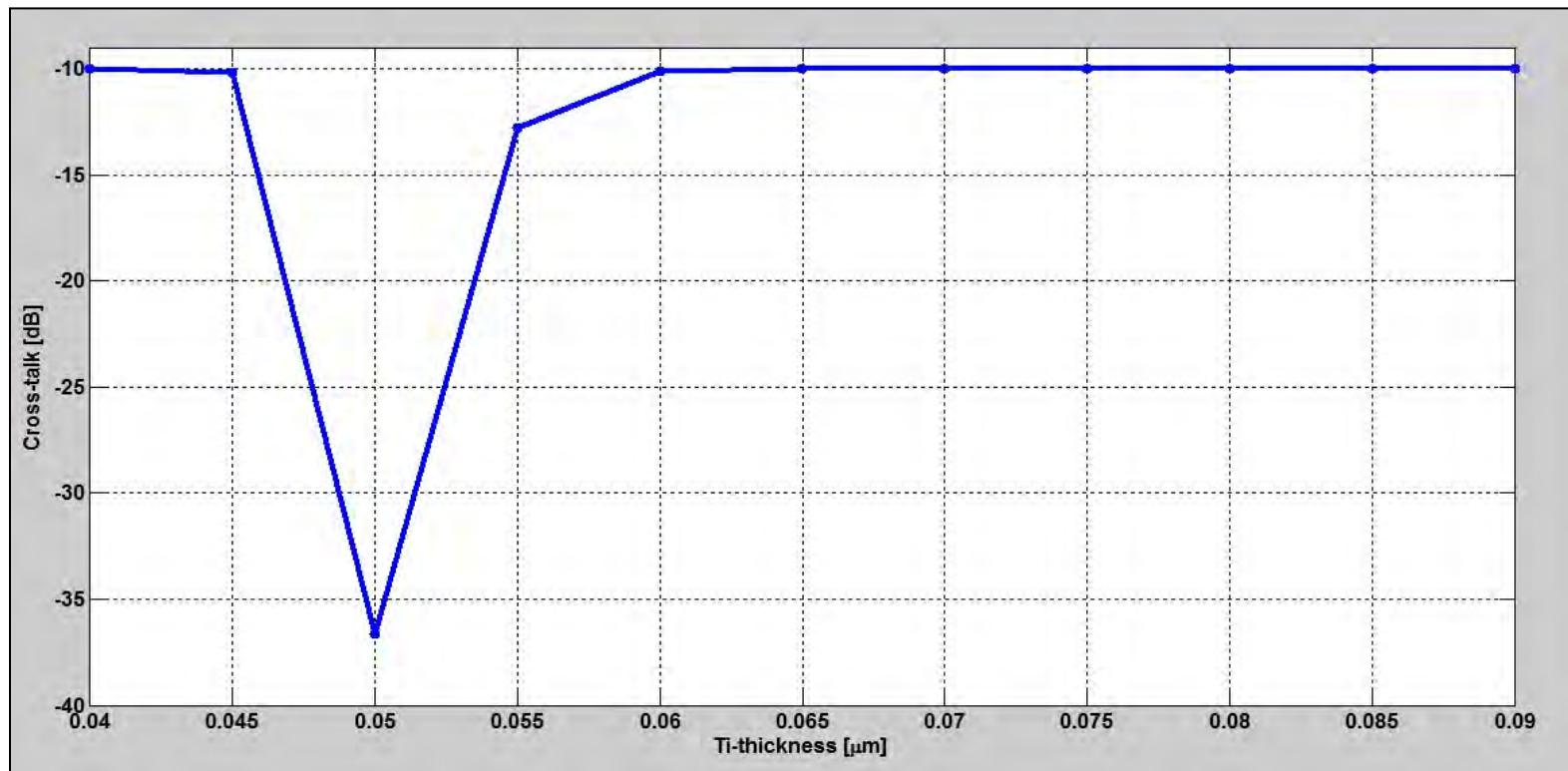


Figure: Calculated cross-talk levels due to variation in Ti-thickness for operating wavelength 1.3 μm ; (switch state: Cross).

Variation of extinction ratio

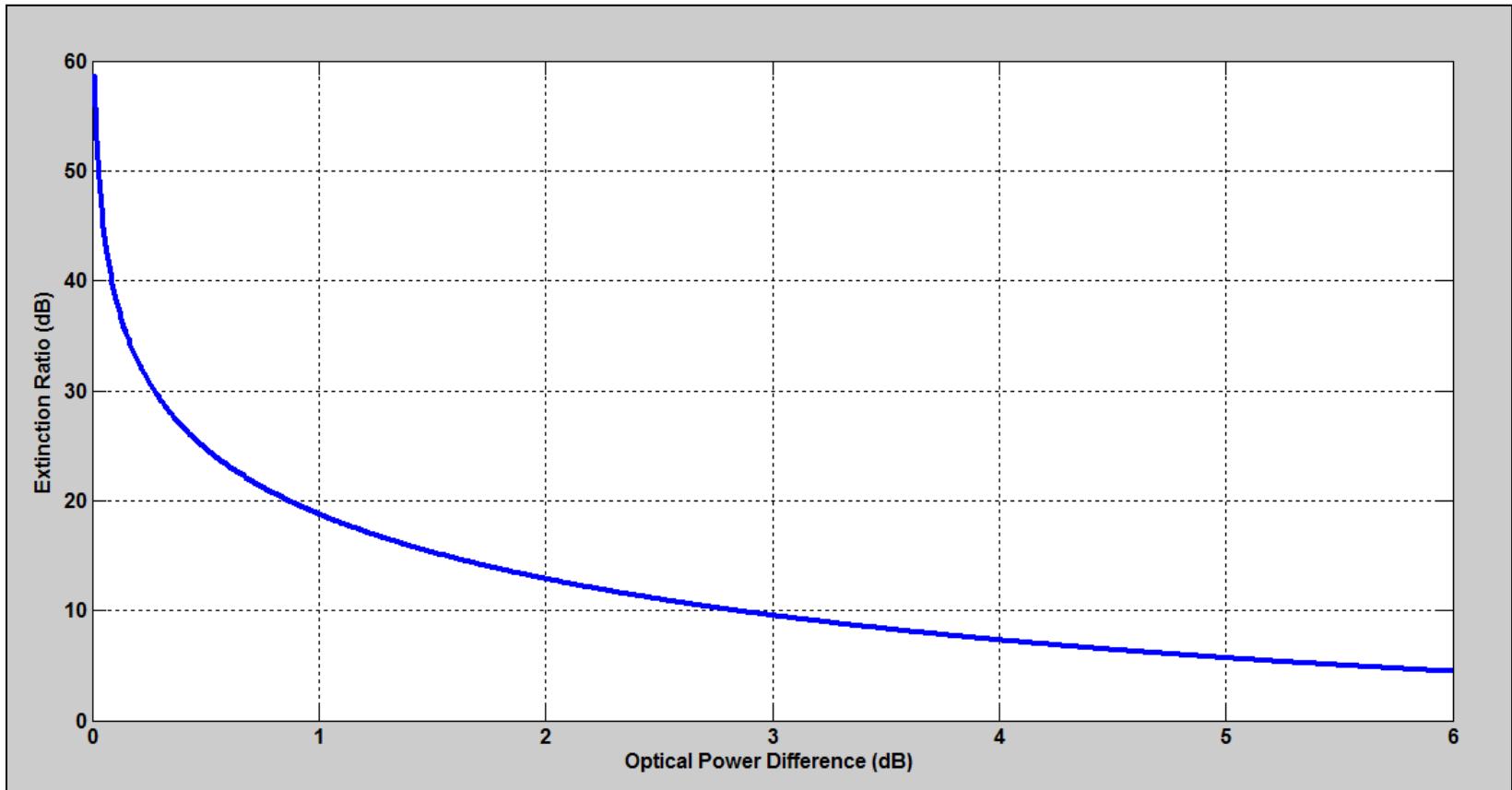


Figure: Extinction ratio for a modulator versus the optical power difference between its two arms

Variation of bit rate

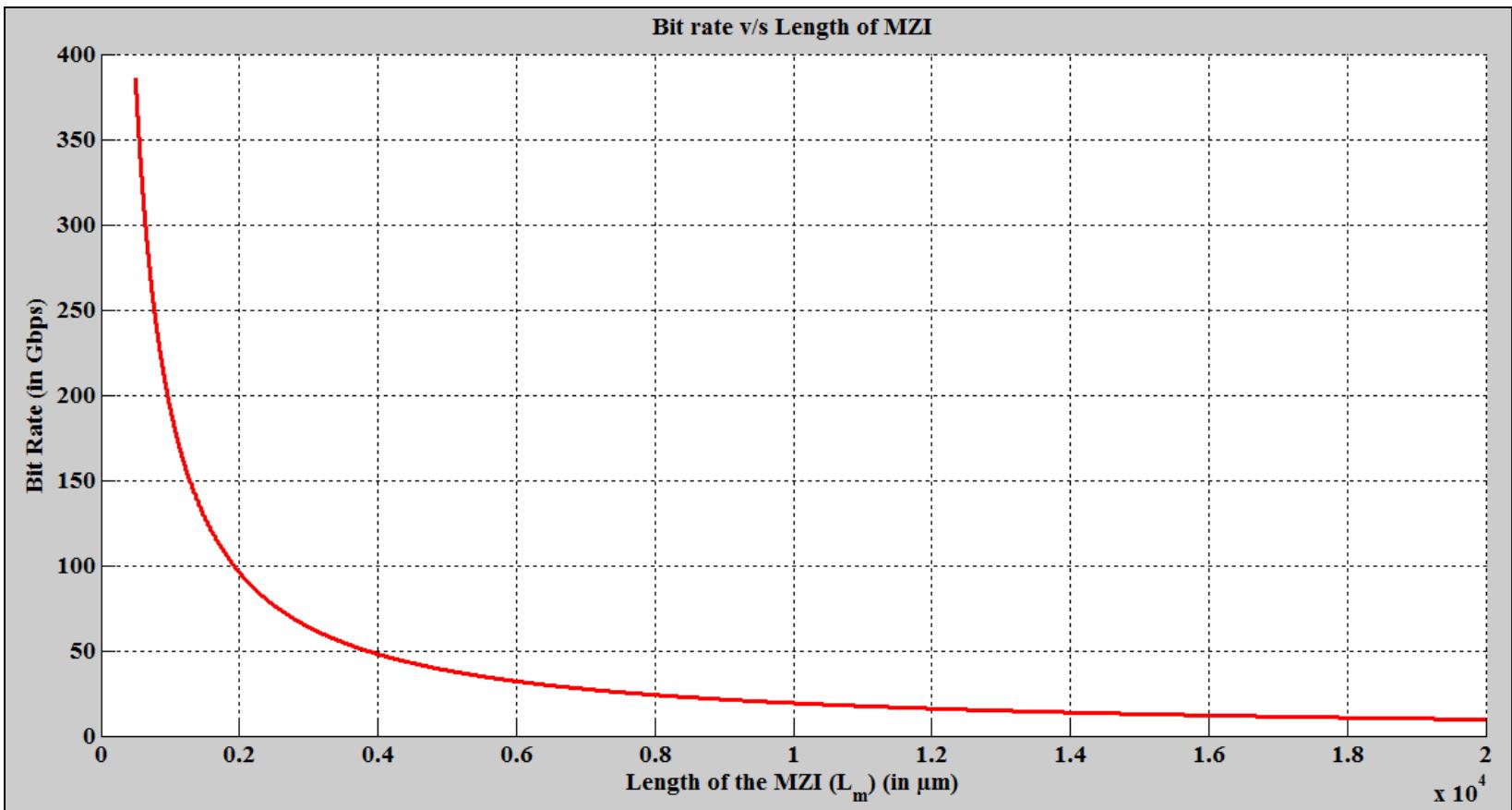


Figure: Variation of bit rate with respect to length of MZI.

Variation of chromatic dispersion and modal dispersion

The chromatic dispersion of a single LiNbO_3 based MZI is given by (Raghavendra and Prasad 2010);

$$D_c = - \left(\frac{L_m \cdot \Delta\lambda \cdot \lambda}{c} \right) \cdot \left(\frac{d^2 n_e}{d\lambda^2} \right)$$

Where

L_m → the length of a single MZI.

λ → the operating wavelength.

$\Delta\lambda$ → the spectral line width of optical source.

n_e → the effective refractive index of the material (LiNbO_3).

The modal dispersion, D_{modal} for a multimode step-index electro-optic device with length L_m is given by

$$D_m = \frac{L_m n_e \Delta n_e}{c}$$

Δn_e is the relative refractive index difference.

The total dispersion coefficient D_{total} is given by

$$D_{\text{total}} = D_m + D_c$$

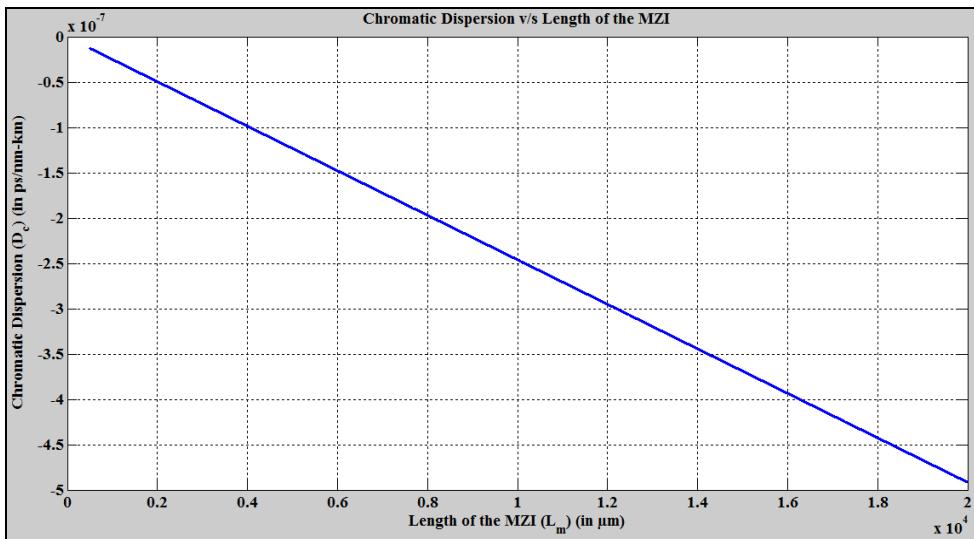


Figure: Variation of chromatic dispersion with respect to length of MZI.

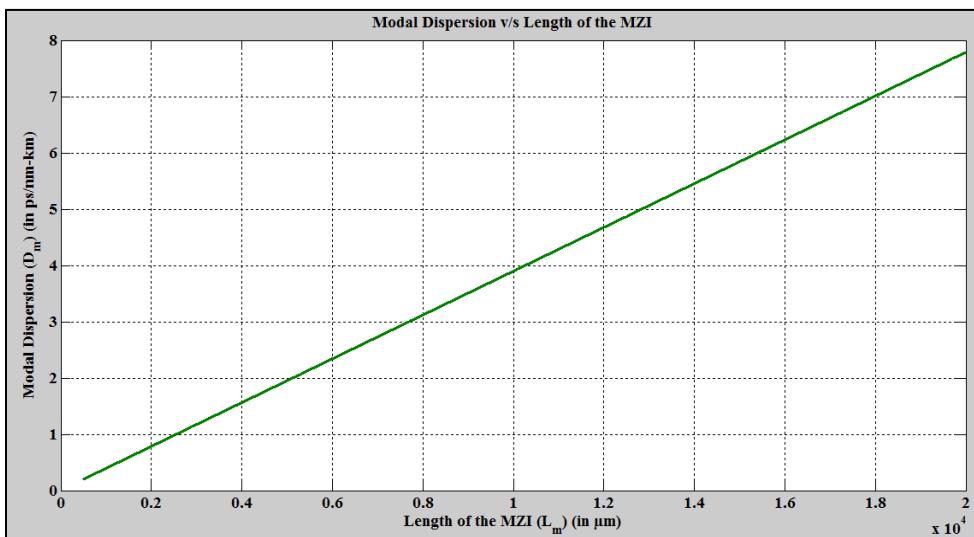


Figure: Variation of modal dispersion with increase in length of MZI.

Future scope

- In this study, a thorough study of LiNbO₃ based MZIs is performed to design various optical signal processing devices. However, more compact devices having less complexity may be proposed further to get better performance.
- By using the applied electrode voltage and some of the sensing material in one arm of MZI, it can be used for designing the ultra-efficient optical modulator and sensors.
- On the basis of the simulation results; a 3-dB coupler, Mach-Zehnder interferometer and other optical integrated devices can be fabricated.

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THANK YOU