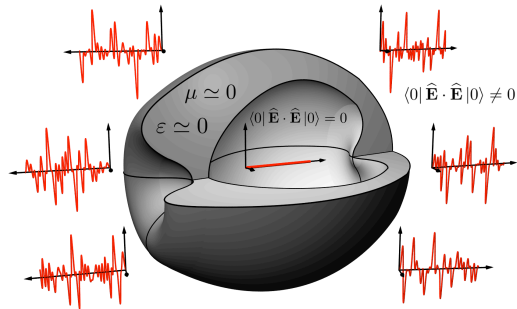


Extreme Platforms for Extreme Photonics



Nader Engheta
With special thanks to

Brian Edwards

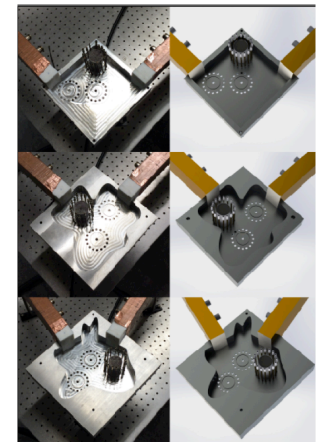
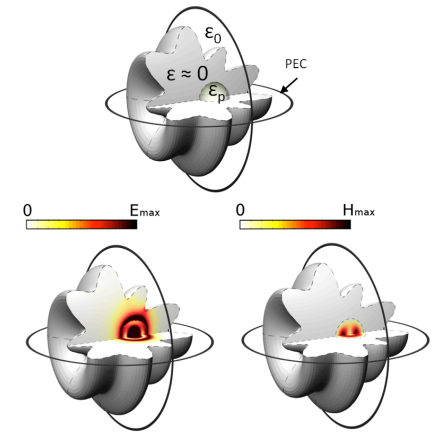
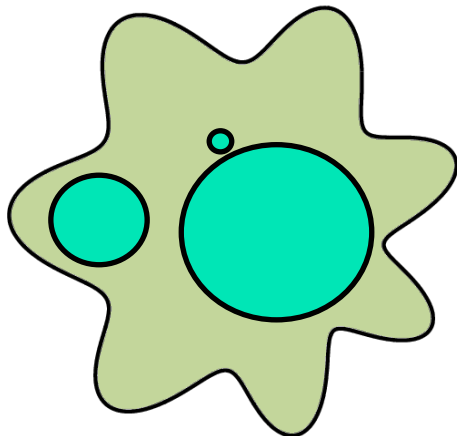
Inigo Liberal

Nasim Mohammadi Estakhri

Ahmed Mahmoud

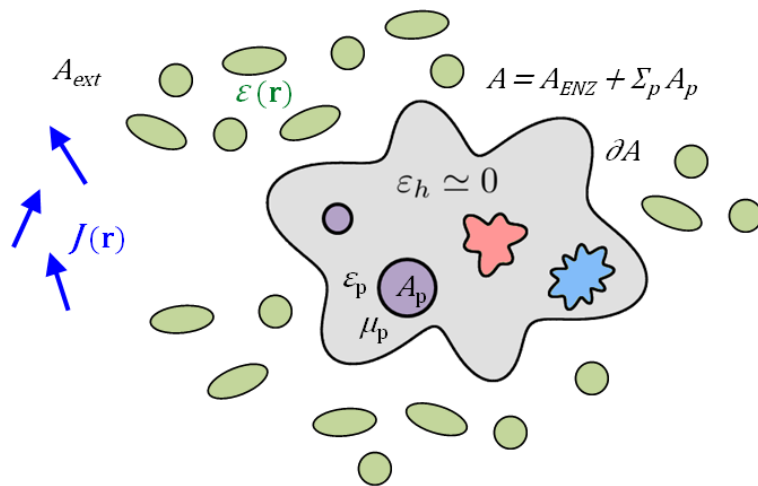
Yue Li

Yaakov Lumer

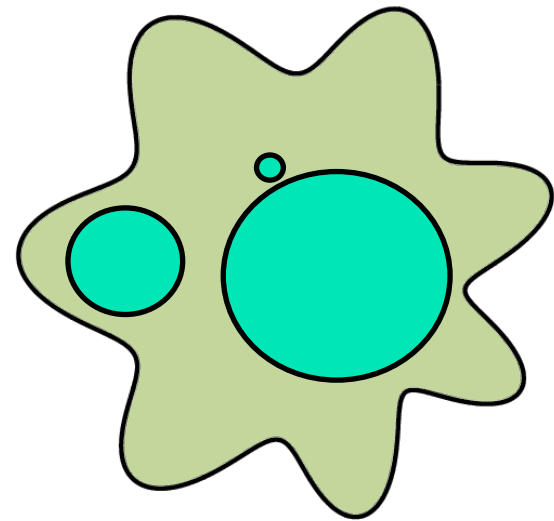


June 6, 2017

Photonic Doping

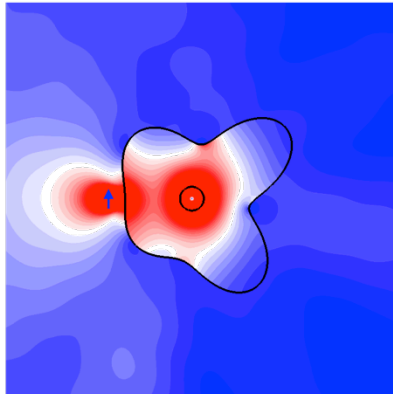


Peculiar Effective Medium Properties

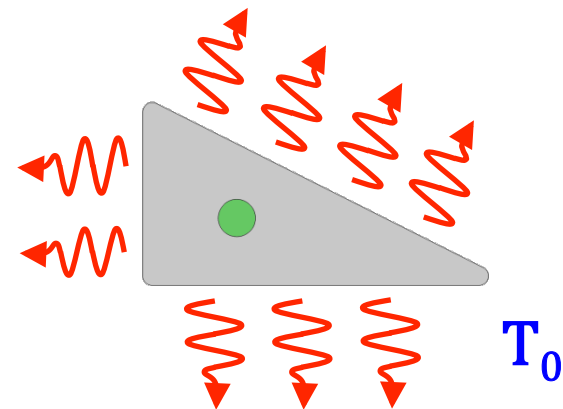


Thermal Engineering with Zero-Index Media

Photonic Doping

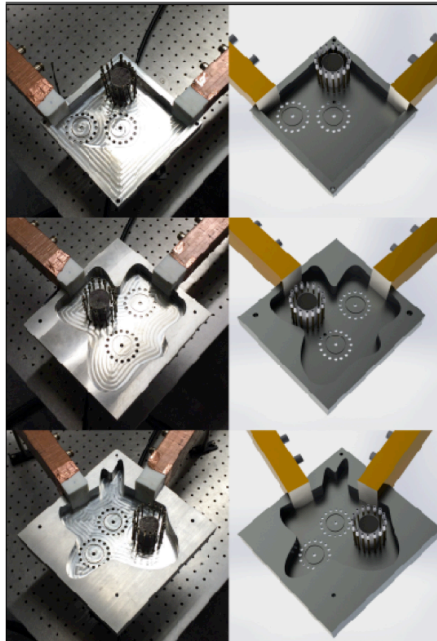


Engineering Thermal Emission

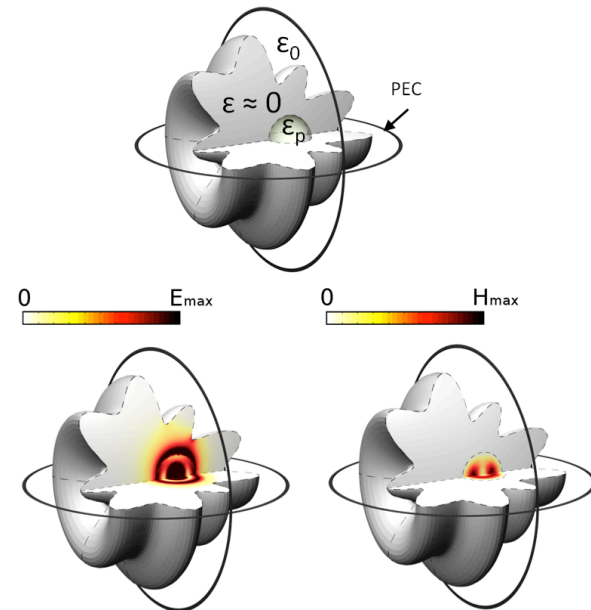


Extreme Resonant Cavities

Geometry-Independent Cavities



Bound State in the Continuum



Liberal and Engheta, Nature Photonics, March 2017

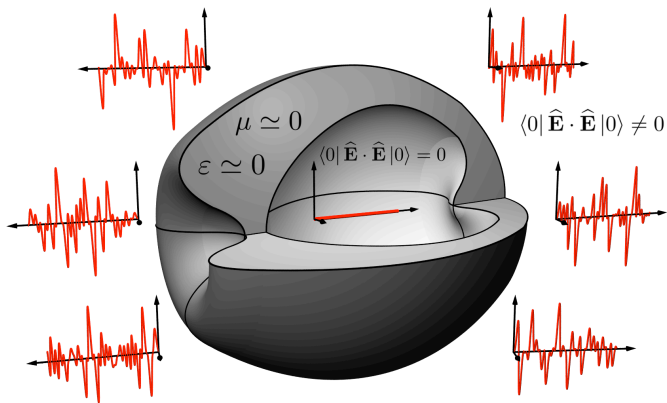
Liberal, Mahmoud, Li, Edwards, Engheta, Science, 2017

Mahmoud, Liberal and Engheta, Nature Communications, 2016

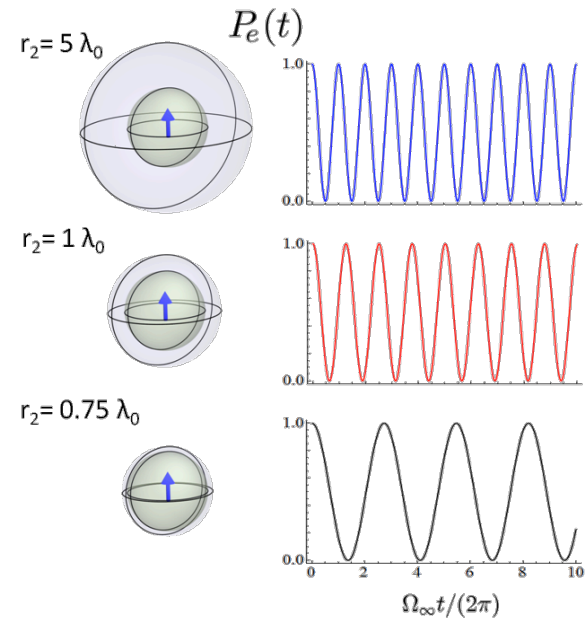
Quantum Optics of ZIM

Extreme Quantum Optics

Engineering Rabi Frequencies without detuning



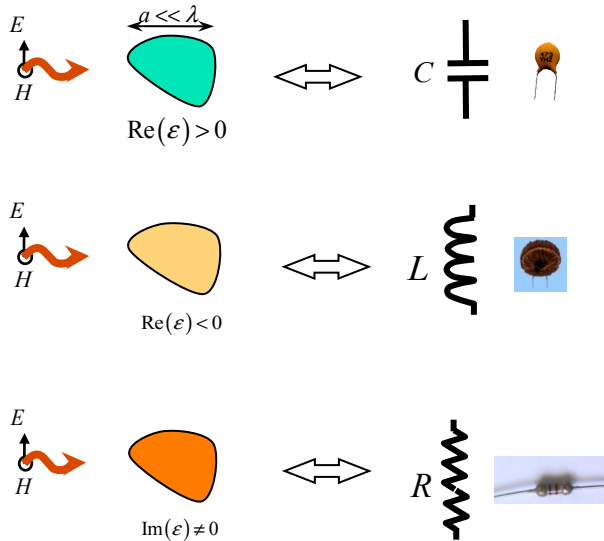
Liberal and Engheta, PNAS, 2017



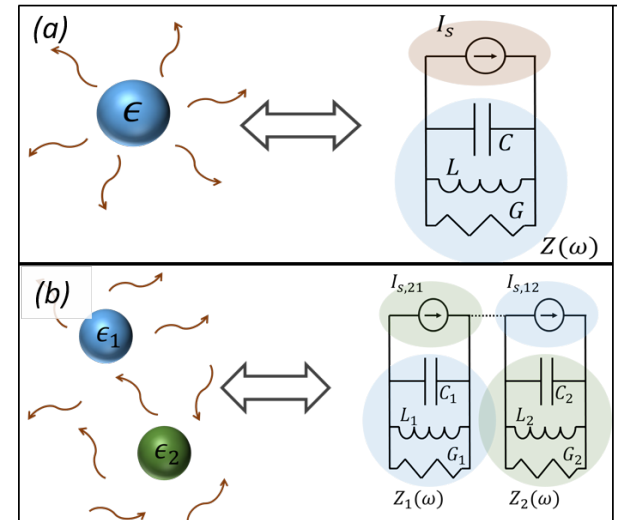
Liberal and Engheta, PNAS, 2017

Optical Metatronics

Optical Metatronics



Quantum Metatronics

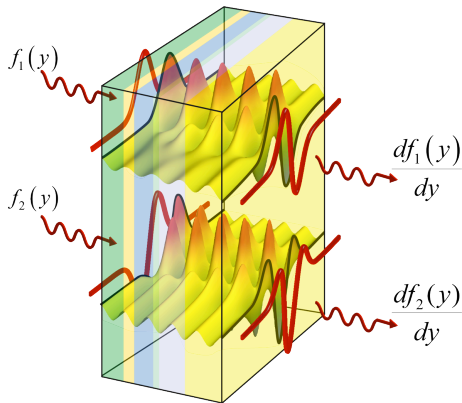


N. Engheta, et al. *PRL*, 2005
 N. Engheta, *Science*, 2007

Lumer, Liberal and Engheta, *CLEO Conference*, May 16, 2017

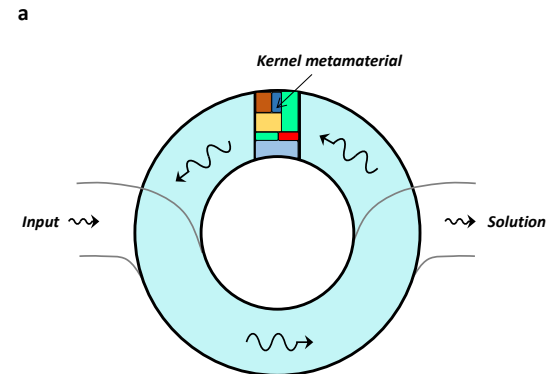
Extreme Platforms for Mathematical Operations

Informatic Metastructures



Silva, Monticone, Castaldi, Galdi, Alu, Engheta, Science, 2014

Metastructures to Solve Equations with Waves

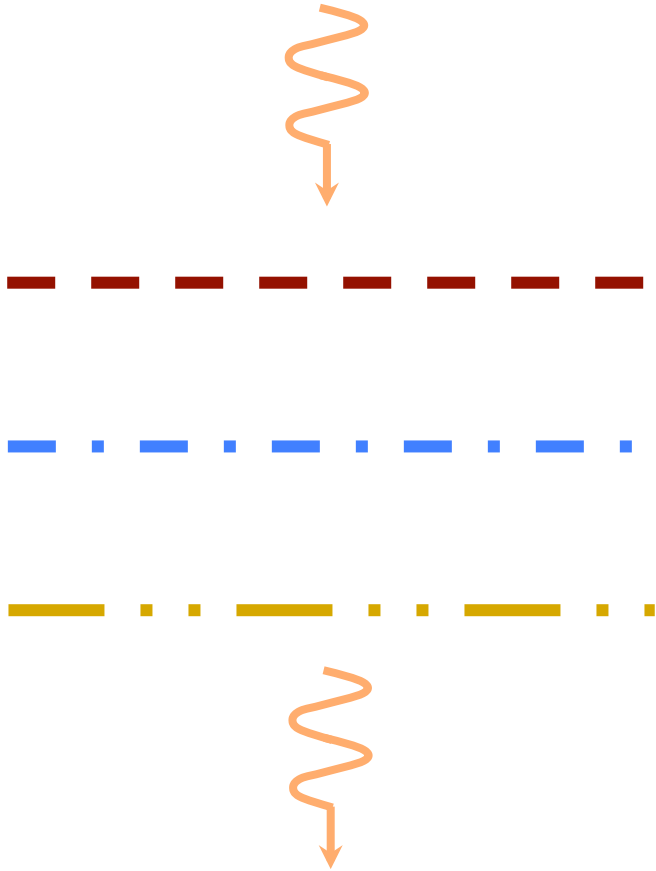


N. Mohammadi Estakhri, B. Edwards, N. Engheta
CLEO Conference, May 18, 2017

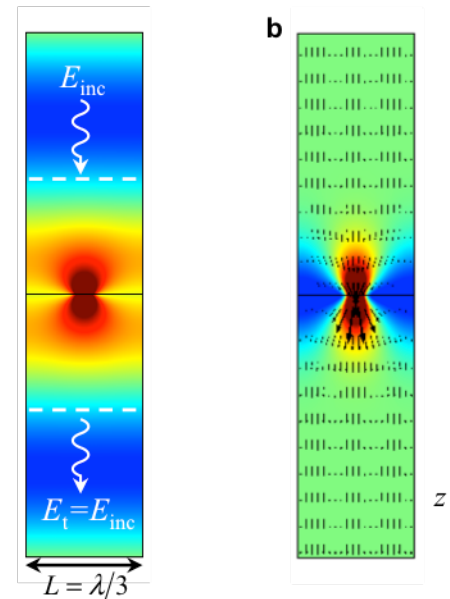
B. Edwards, N. Mohammadi Estakhri, N. Engheta
MRS Spring Meeting, April 11, 2017

Extreme Metasurfaces

Cascaded Metasurfaces



Transparent Metasurfaces with Prescribed Aperture Fields





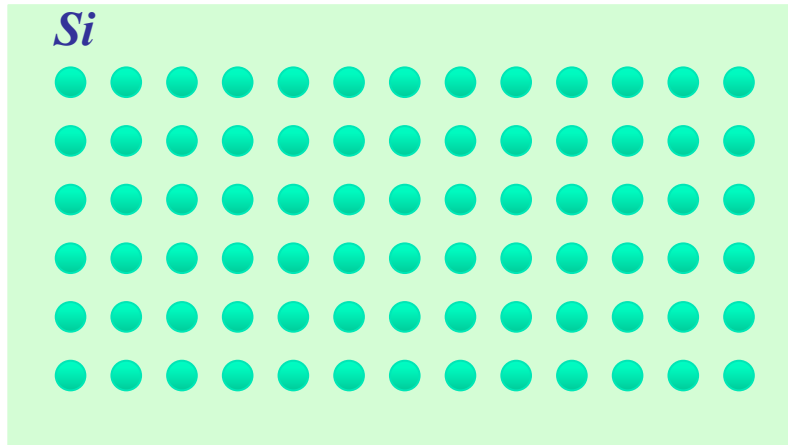
Photonic Doping

Liberal, Mahmoud, Li, Edwards, Engheta, Science, 355, 1058-1062, March 10, 2017

Background: Electronic Doping



Si

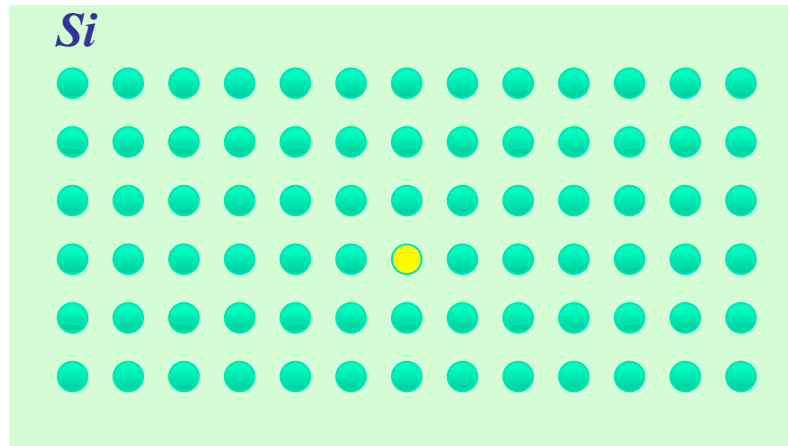


Pure Intrinsic Semiconductor

Background: Electronic Doping

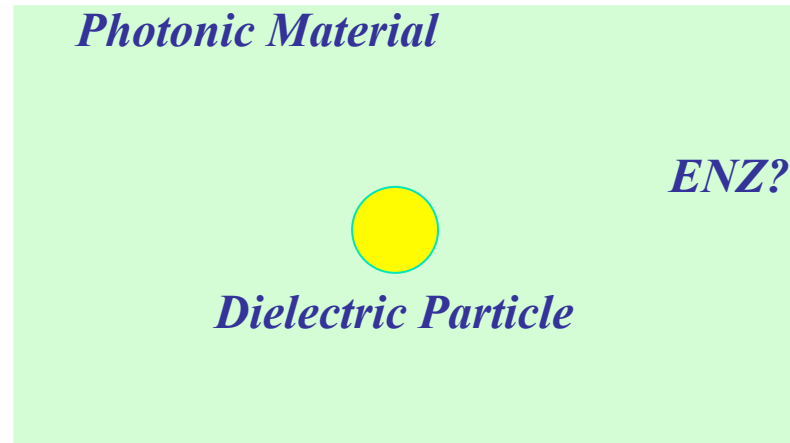


Si



Doped Semiconductor

How about “photonic doping”?

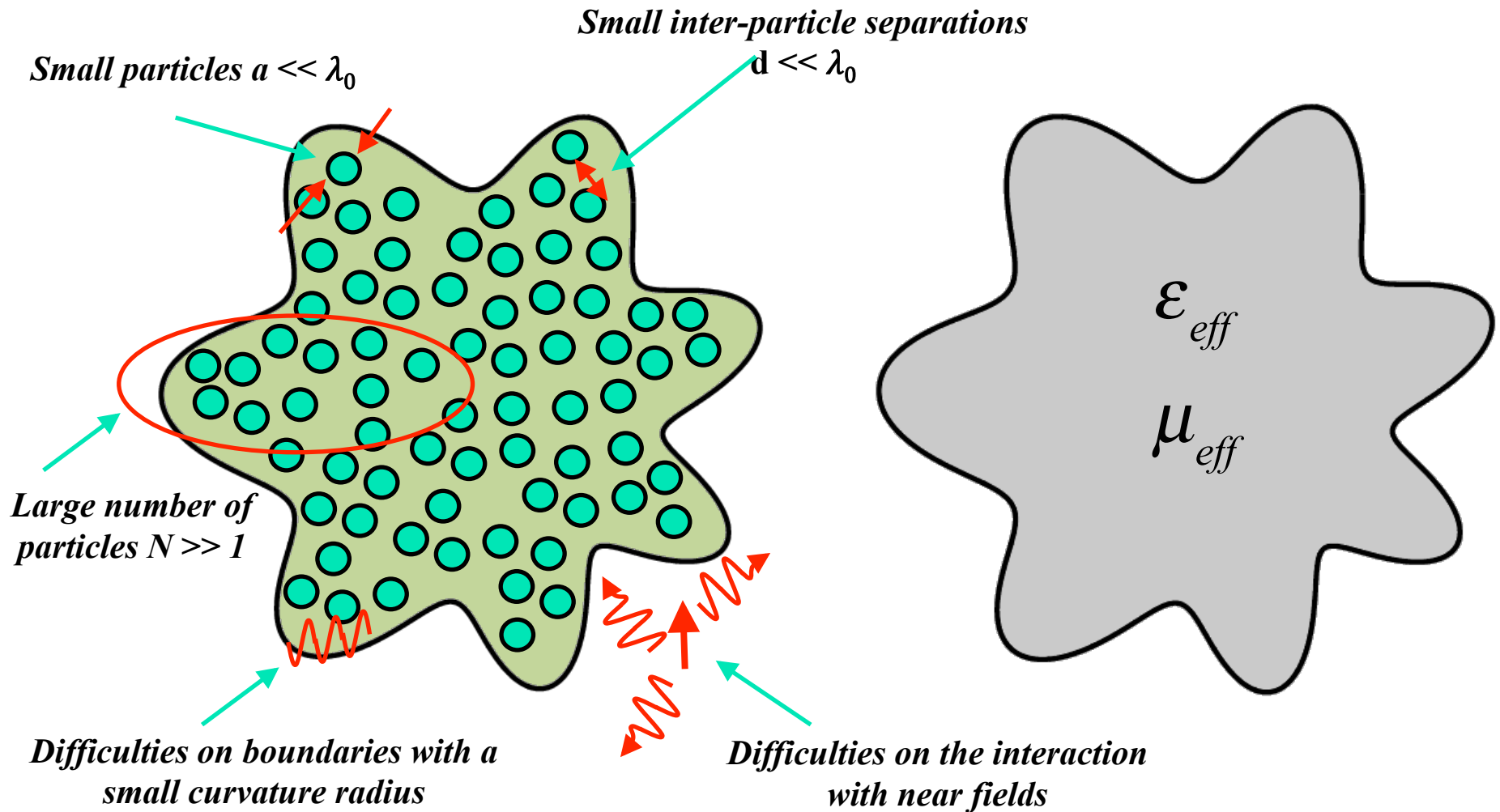


“Pure” Photonic Material

Conventional Effective Medium Theory (EMT)



2D structure

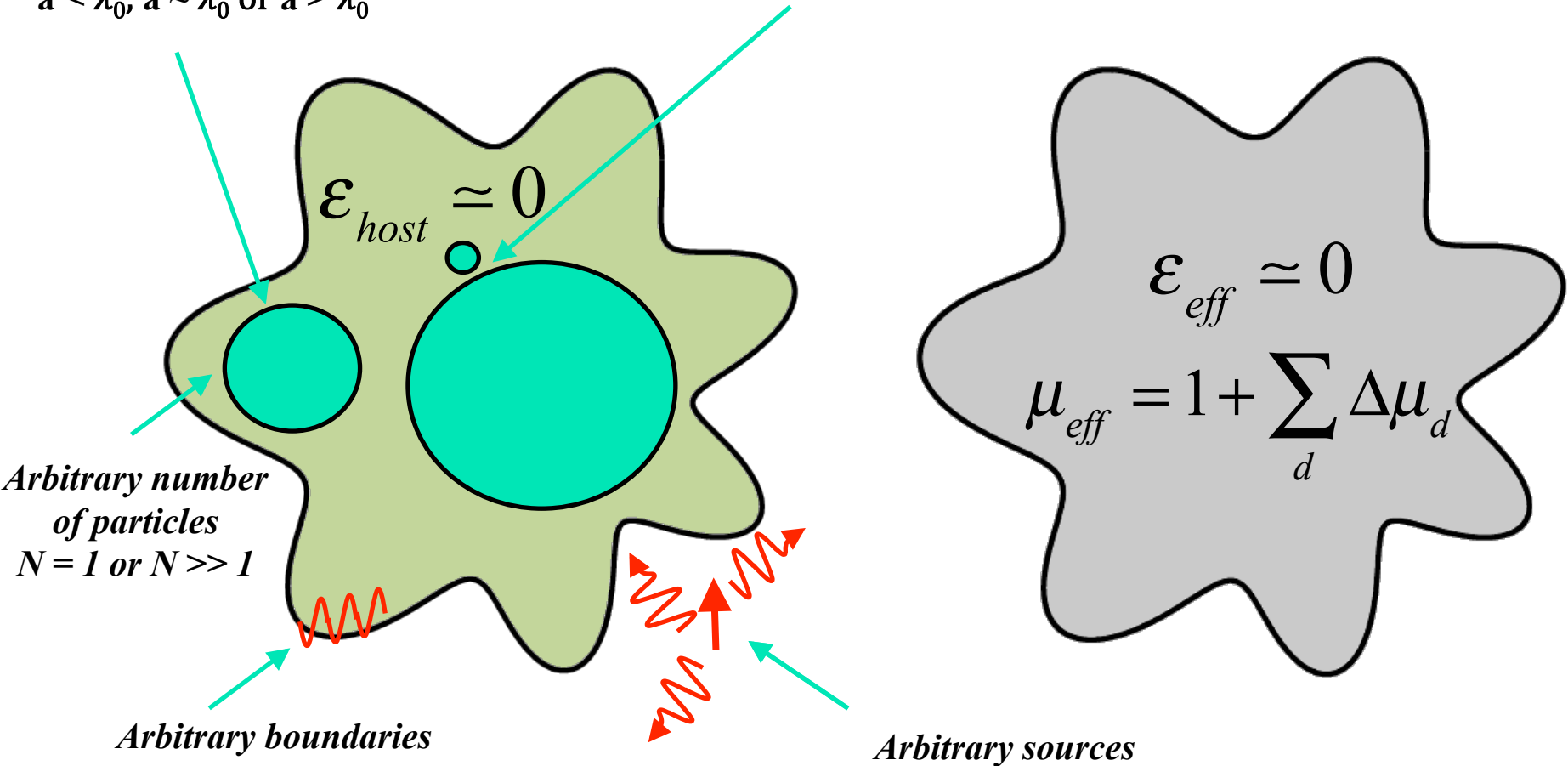


What if the host is an ENZ medium?

Arbitrary particle size
 $a < \lambda_0$, $a \sim \lambda_0$ or $a > \lambda_0$

Arbitrary inter-particle separation
 $d < \lambda_0$, $d \sim \lambda_0$ or $d > \lambda_0$

2D structure



Background on Epsilon-Near-Zero (ENZ)



PRL 97, 157403 (2006)

PHYSICAL REVIEW LETTERS

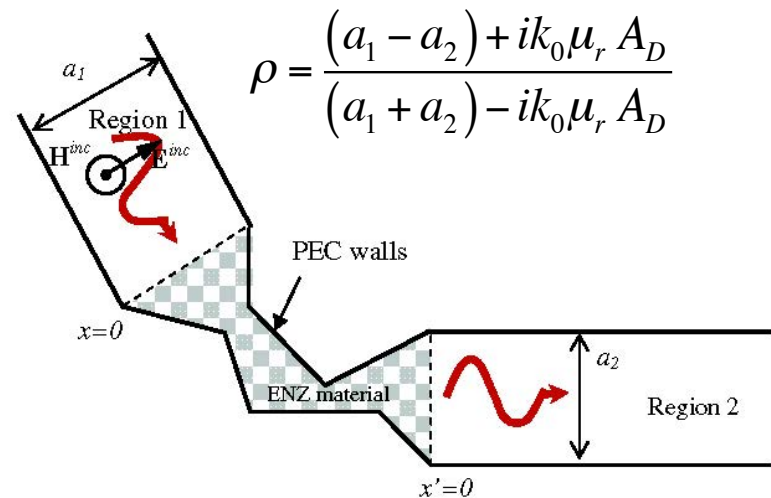
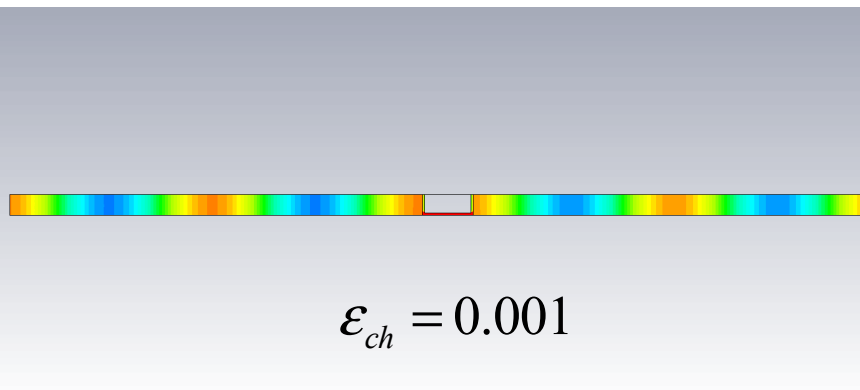
week ending
13 OCTOBER 2006

Tunneling of Electromagnetic Energy through Subwavelength Channels and Bends using ϵ -Near-Zero Materials

Mário Silveirinha* and Nader Engheta†

Department of Electrical and Systems Engineering, University of Pennsylvania, Philadelphia, Pennsylvania 19104, USA

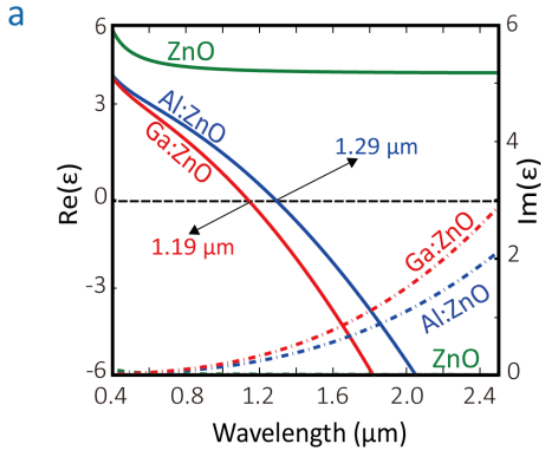
(Received 23 March 2006; published 10 October 2006)



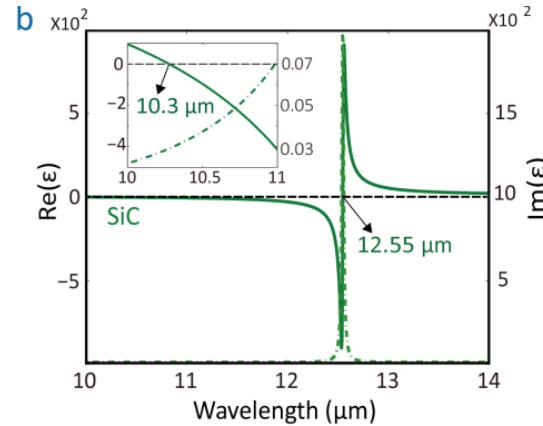
Background: ENZ Structures



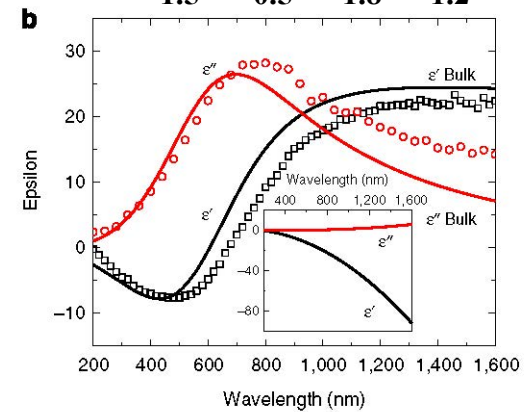
TCO



SiC



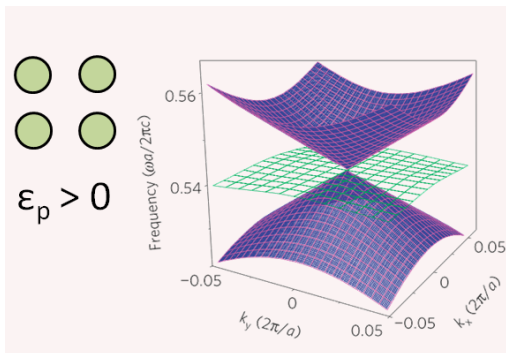
$\text{Bi}_{1.5}\text{Sb}_{0.5}\text{Te}_{1.8}\text{Se}_{1.2}$



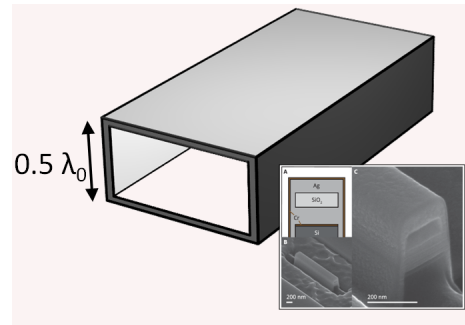
From: A. Boltasseva (Purdue)
Kim, et al., *Optica* (2016)

From: J. Caldwell (NRL)
Kim, et al., *Optica* (2016)

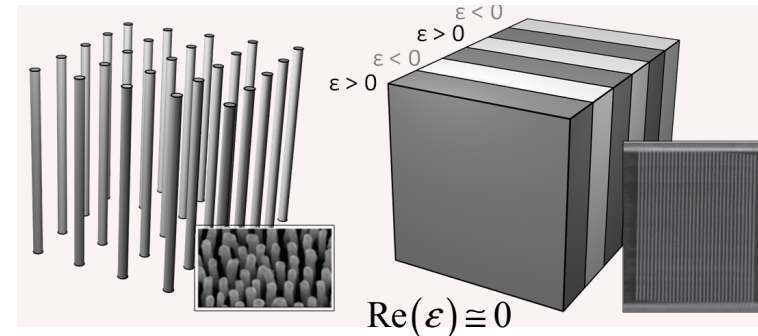
From: N. Zheludev (Southampton)
Ou et al., *Nat. Commun.* (2014)



From: CT Chan's
Huang, et al., *Nat. Mater.* (2011)



SEM from:
Vesseur, et al., *PRL* (2013)



Wire SEM from: Zayat & Podolskiy
Pollard, et al., *PRL* (2009)
Stack SEM from:
Mass, et al., *Nat. Photon.* (2013)

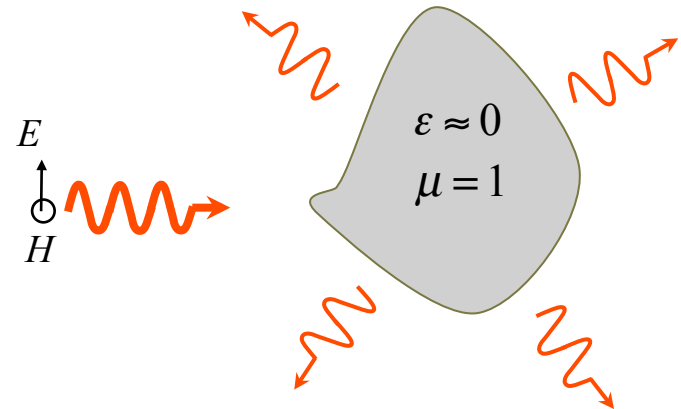
Background: One of ENZ Properties



- **Maxwell Equations** $\nabla \times \mathbf{H} = -i\omega\epsilon\mathbf{E}$ \longrightarrow $\nabla \times \mathbf{H} = 0$
 $\nabla \times \mathbf{E} = i\omega\mu\mathbf{H}$
- **2-D Scenario with TM polarization**

$$\mathbf{H} = H(x, y) \hat{\mathbf{u}}_z$$

$$\mathbf{E} = \frac{1}{-i\omega\epsilon} \nabla H(x, y) \times \hat{\mathbf{u}}$$

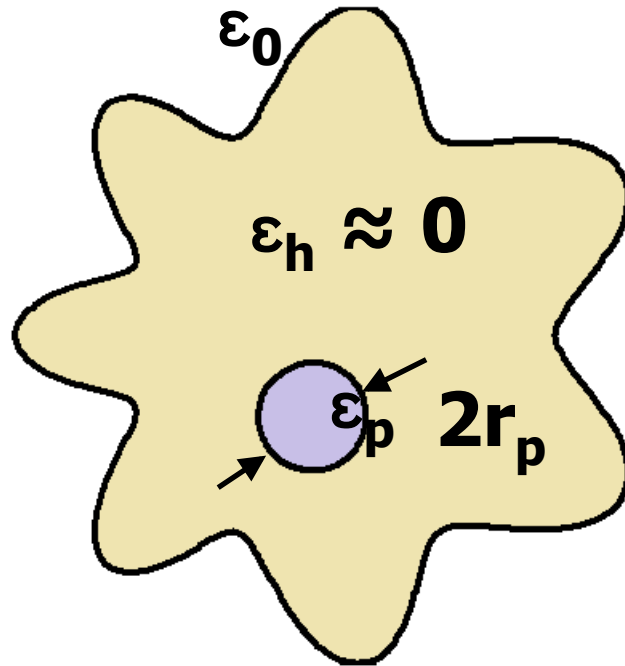


R. W. Ziolkowski, PRE, (2004)

N. Engheta, Science, 340, 286 (2013)

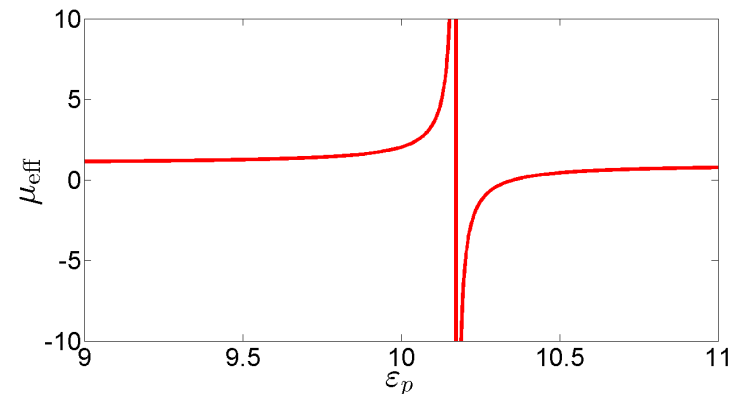
M. Silveirinha & N. Engheta, PRL, (2006)

Photonic “Doping”

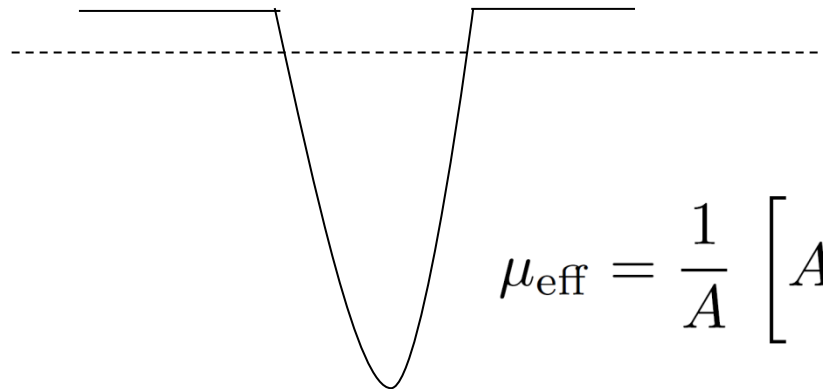
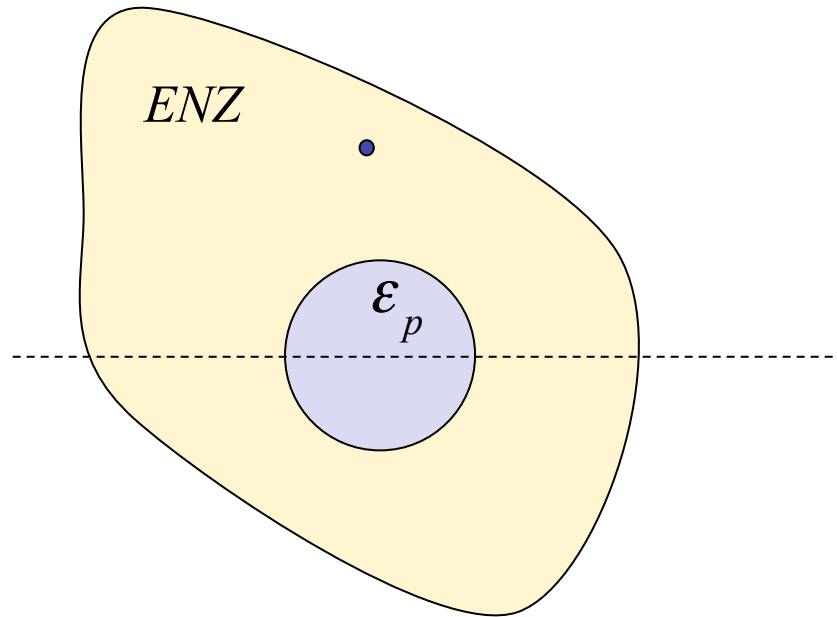
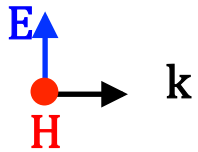


$$\epsilon_{\text{eff}} \simeq 0$$

$$\mu_{\text{eff}} = \frac{1}{A} \left[A_h + \frac{2\pi r_p}{k_p} \frac{J_1(k_p r_p)}{J_0(k_p r_p)} \right]$$

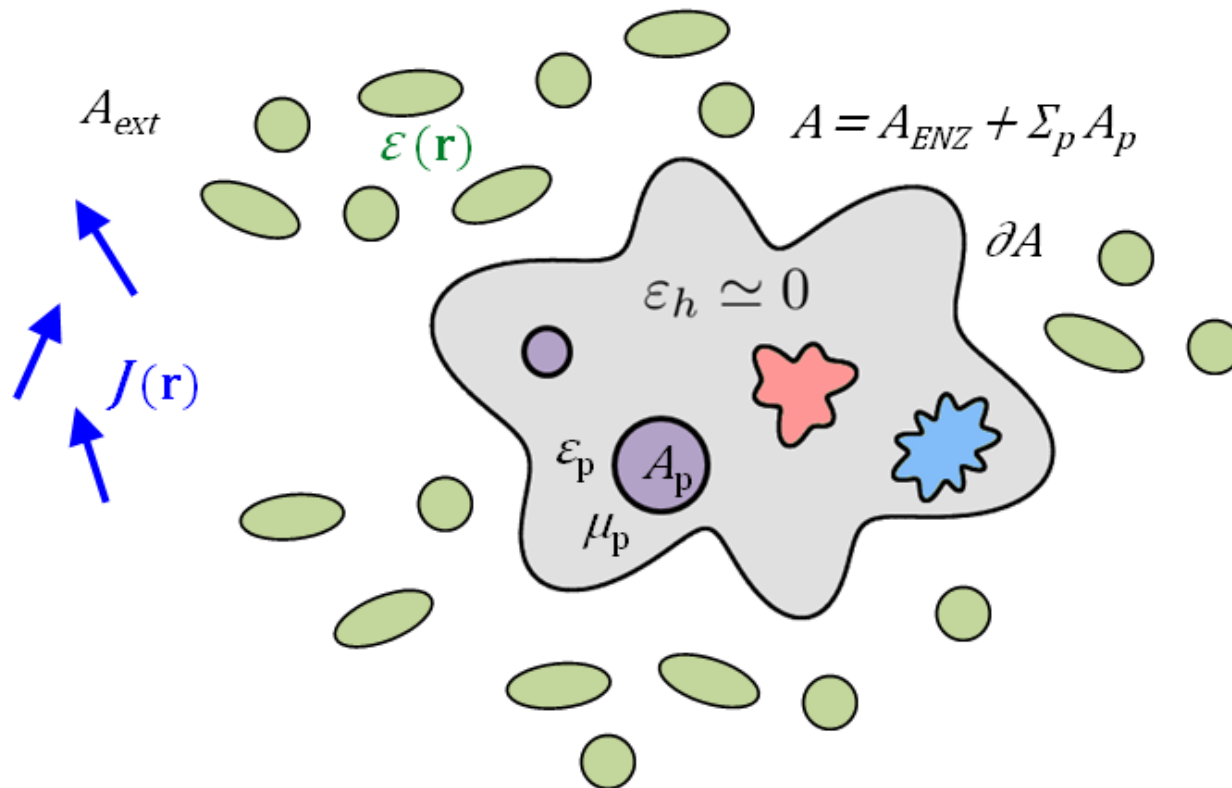


Physical Explanation



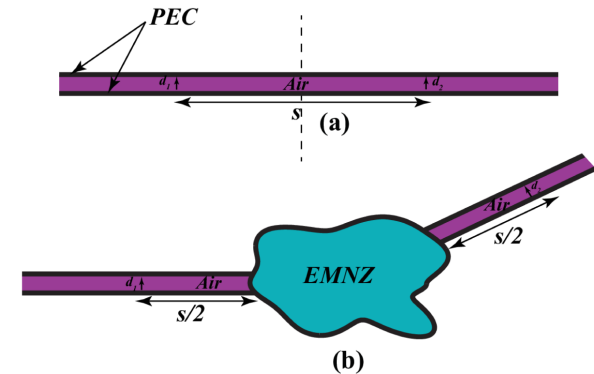
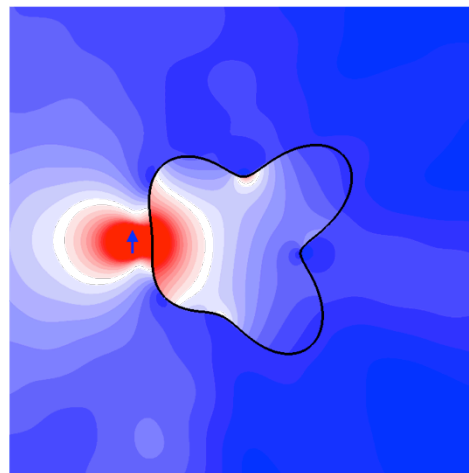
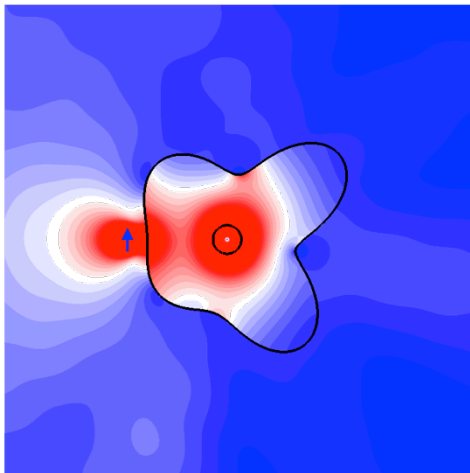
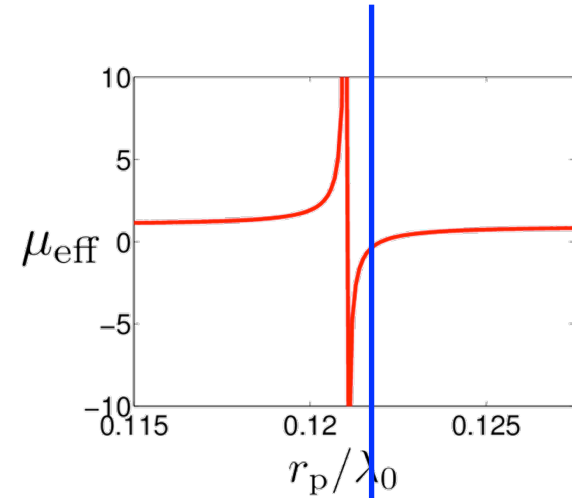
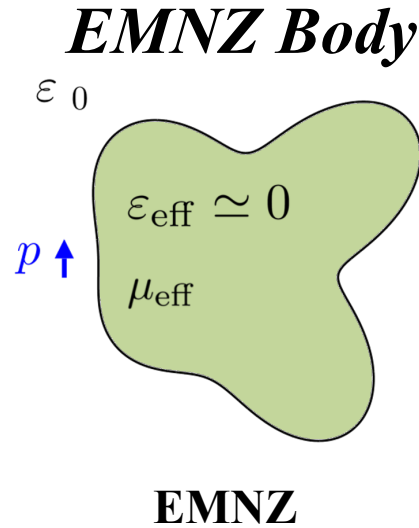
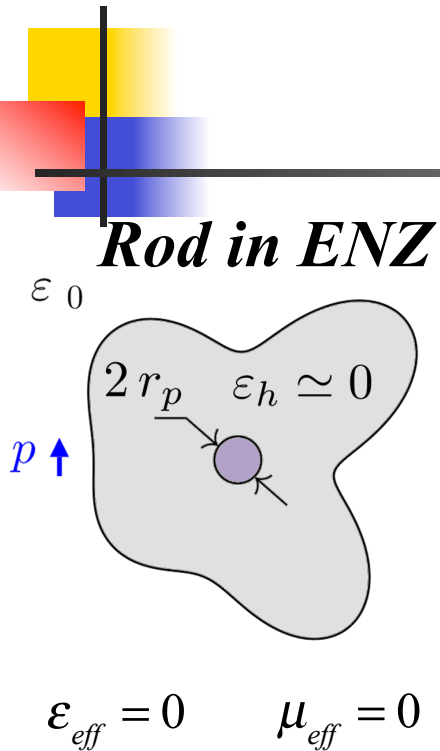
$$\mu_{\text{eff}} = \frac{1}{A} \left[A_h + \frac{2\pi r_p}{k_p} \frac{J_1(k_p r_p)}{J_0(k_p r_p)} \right]$$

Photonic “Doping” 2D Generic Structures



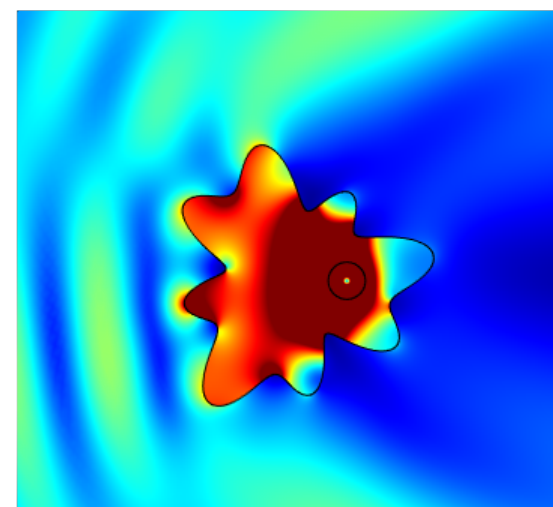
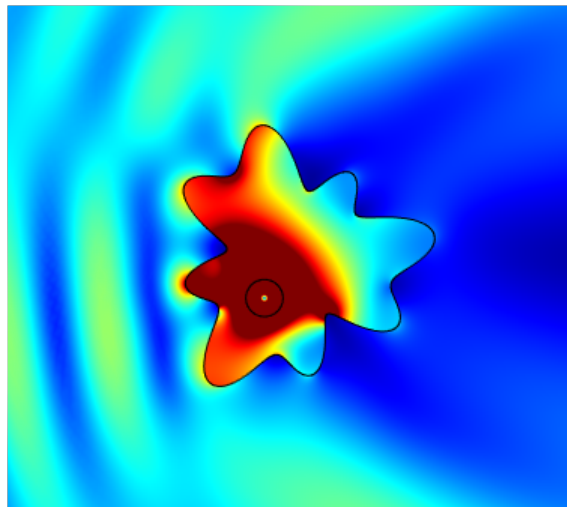
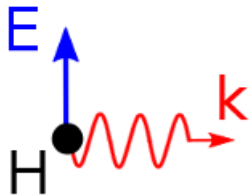
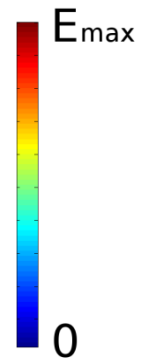
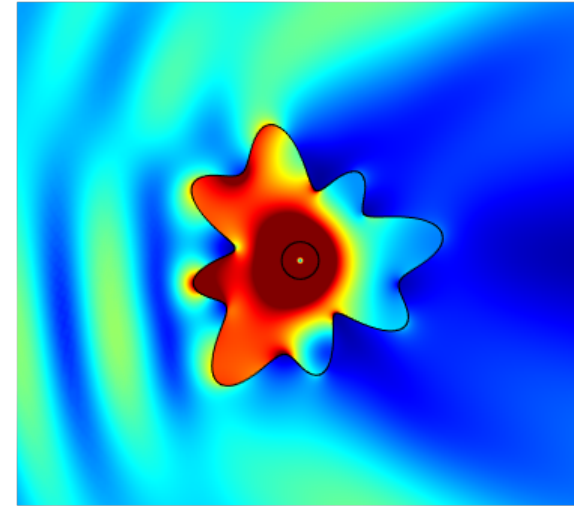
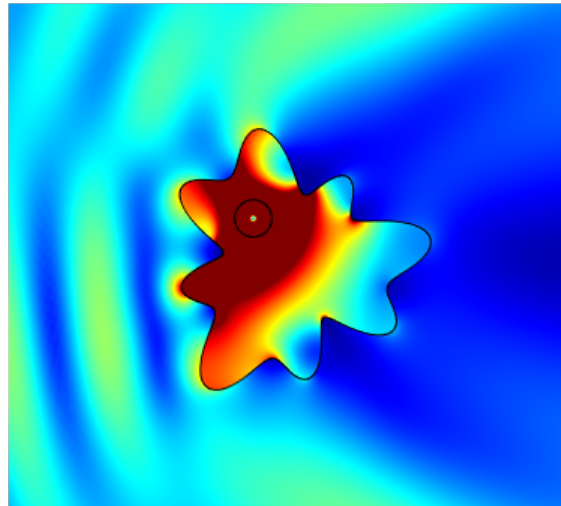
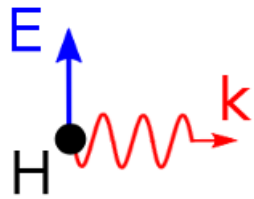
$$\epsilon_{eff} \simeq 0 \quad \mu_{eff} = 1 + \sum_d \Delta\mu_d \quad \Delta\mu_d = \frac{1}{A} \left[\int_{A_d} \psi^d(\mathbf{r}) dA - A_d \right]$$

Example 1: EMNZ $\mu_{\text{eff}} = 0$



Mahmoud, Liberal & Engheta
Optical Materials Express, Feb 2017

Rod Position Independence



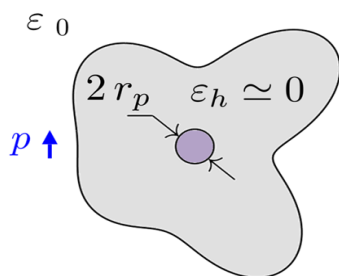
Example 2: PMC

$$\mu_{\text{eff}} = \infty$$

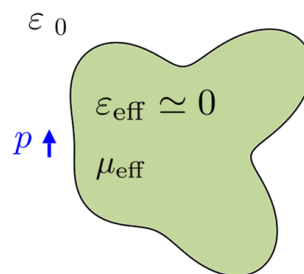


Rod in ENZ

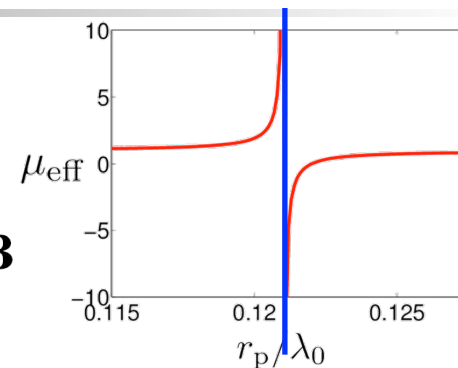
A



PMC Body

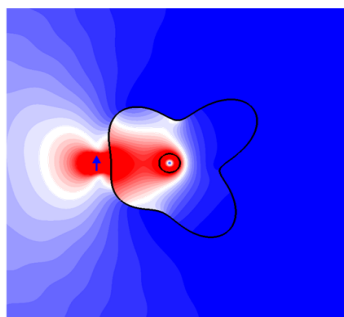


B

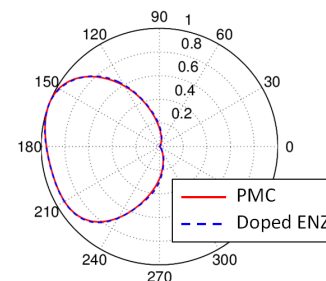
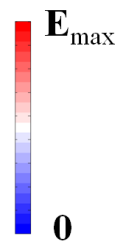
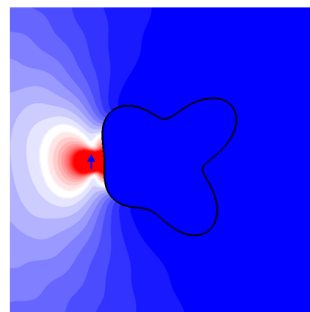


C

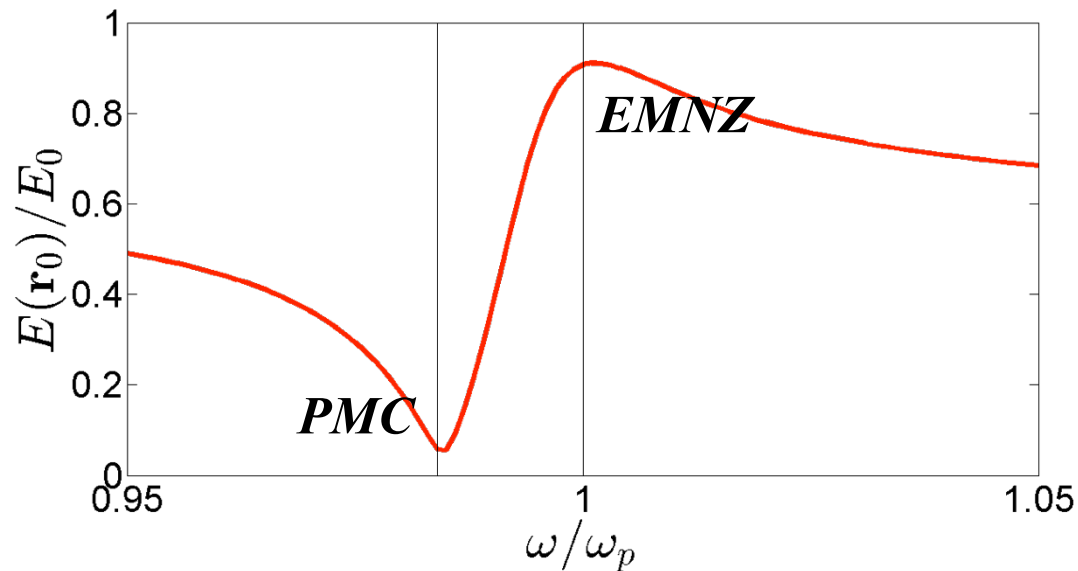
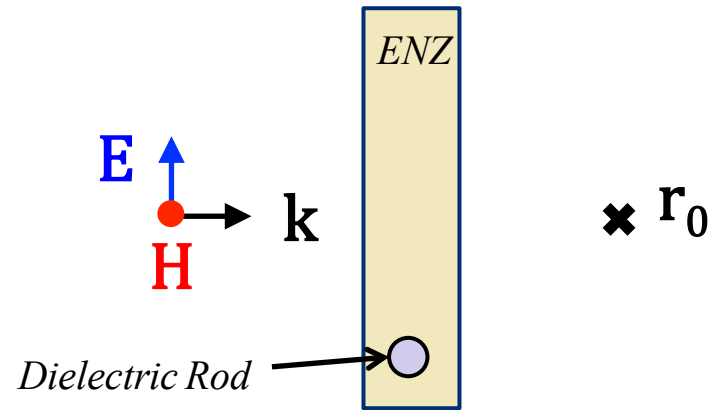
$$\epsilon_{\text{eff}} \approx 0 \quad \mu_{\text{eff}} \rightarrow \infty$$



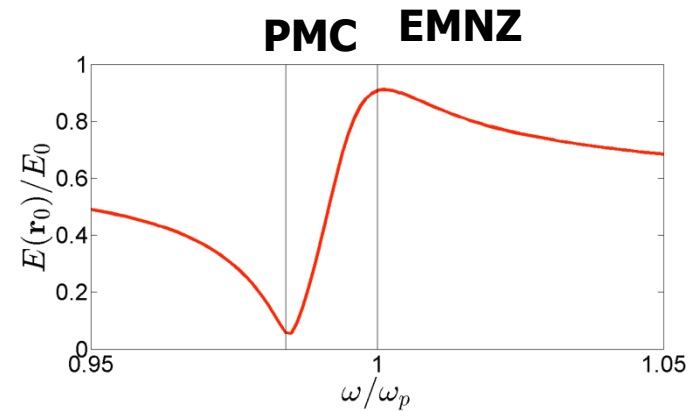
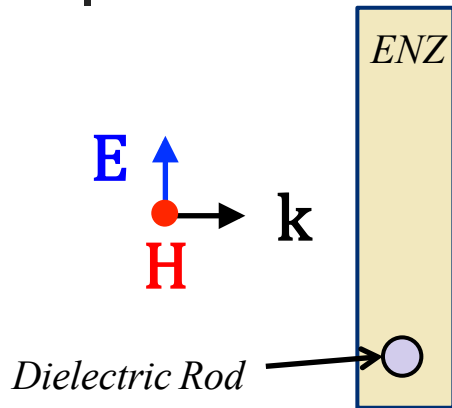
PMC



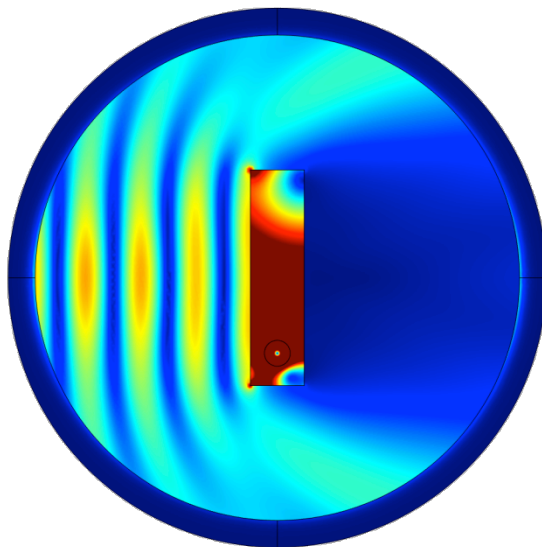
Example 3: Single ENZ 2D slab



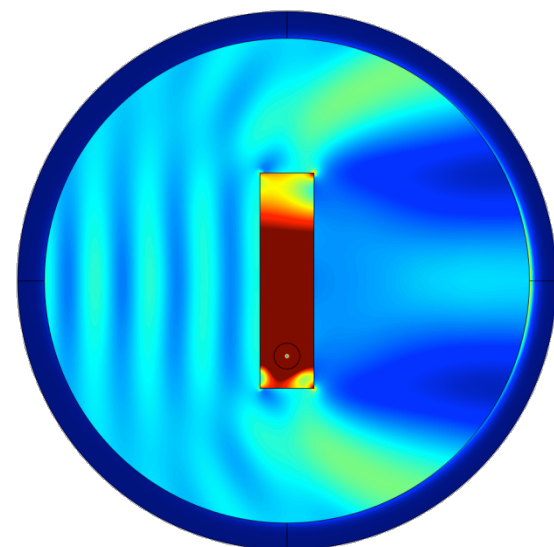
Example 3: Single ENZ 2D slab



PMC point ($\omega = 0.985 \omega_p$)



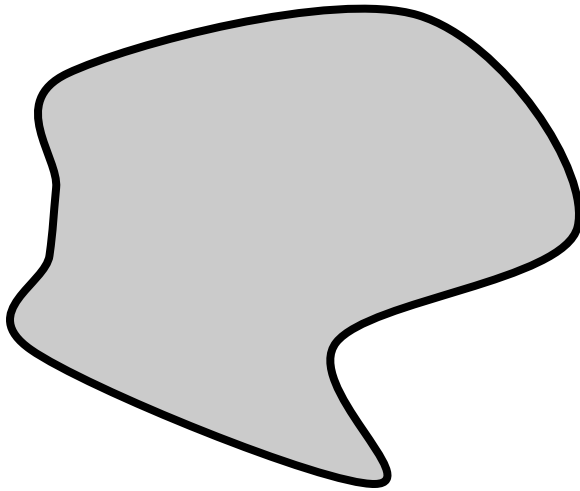
EMNZ Point ($\omega = \omega_p$)



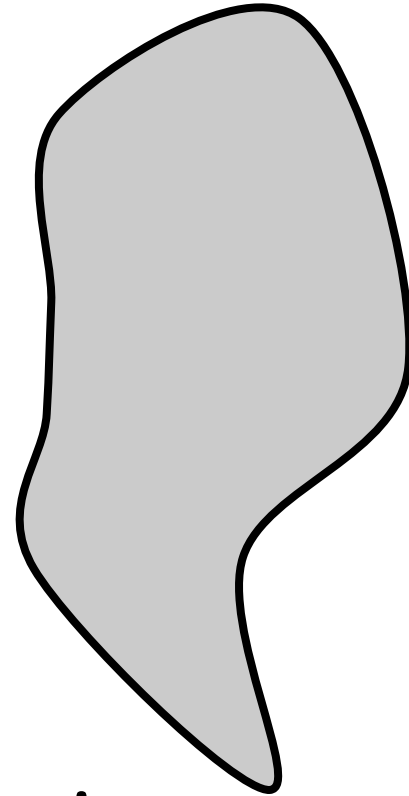


“Extreme” Cavity Resonators

Conventional Cavity



$$\omega_n$$

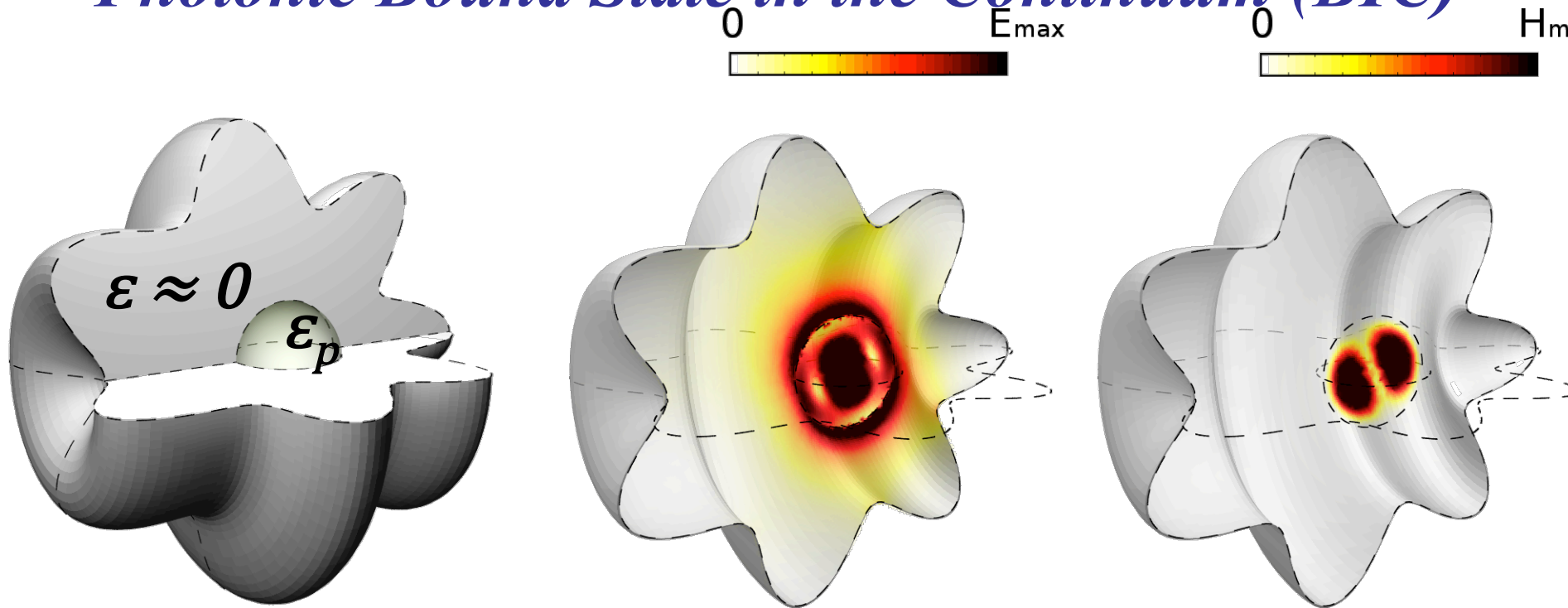


$$\omega'_n \neq \omega_n$$

“Ph-Doped” ENZ and “Open Cavity”



Photonic Bound State in the Continuum (BIC)



I. Liberal and N. Engheta, [Science Advances](#), 2016

I. Liberal and N. Engheta, [Optics and Photonics News \(OPN\)](#), 2016

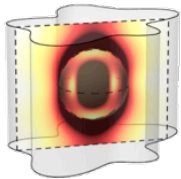
I. Liberal and N. Engheta, [Nature Photonics](#), March 2017

Mahmoud, Liberal and Engheta, [Nature Communications](#), 2016

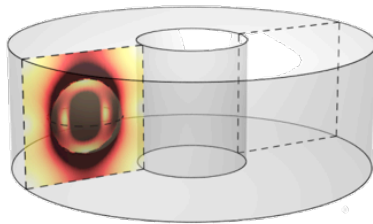
Flexible “Open” Cavity: Photonic BIC



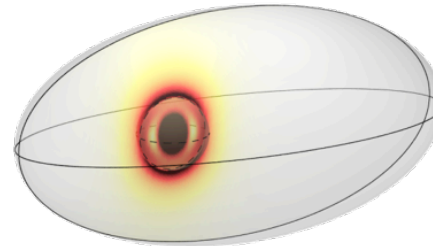
Cavity I



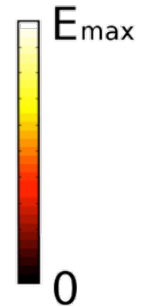
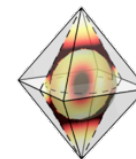
Cavity II



Cavity III

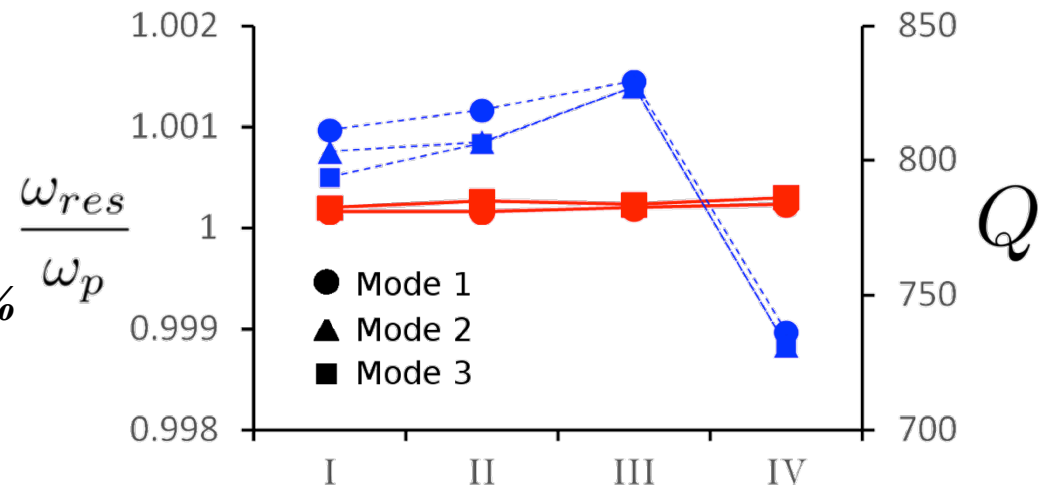


Cavity IV



- **Three degenerate eigenmodes (spherical defect)**
- **Eigenfrequency variation < 0.05% (induced by losses)**

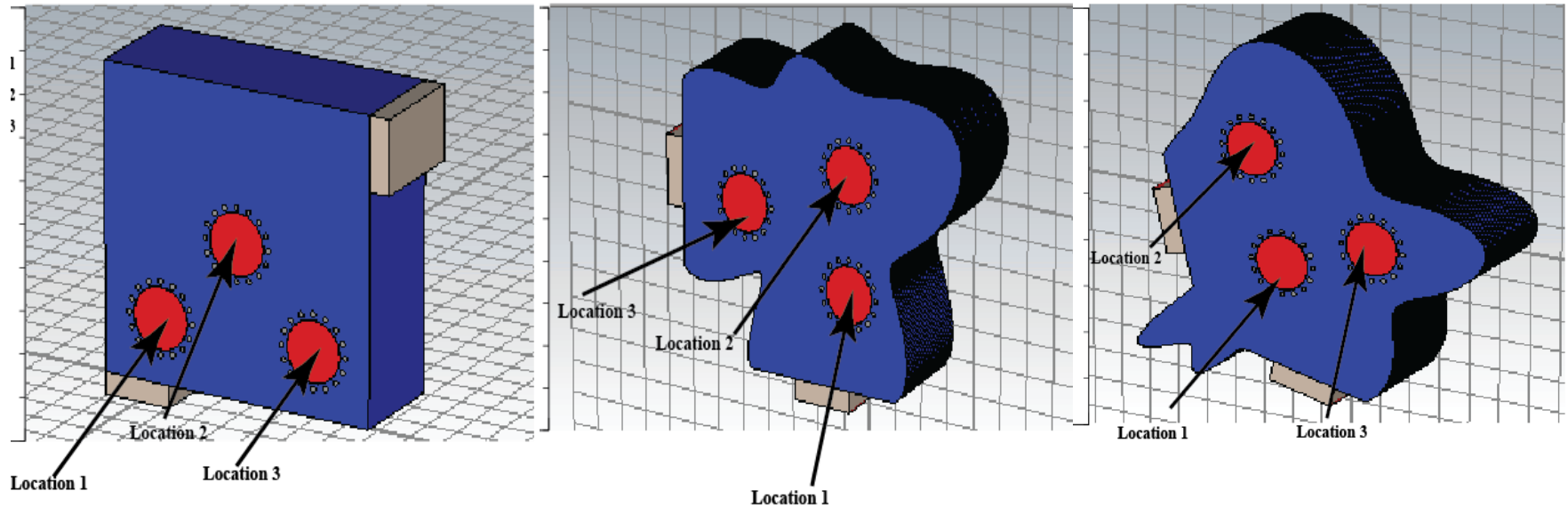
$$\varepsilon''(\omega_p) \approx 0.03$$



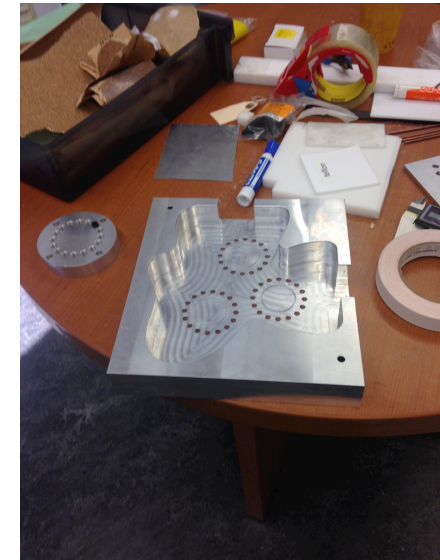
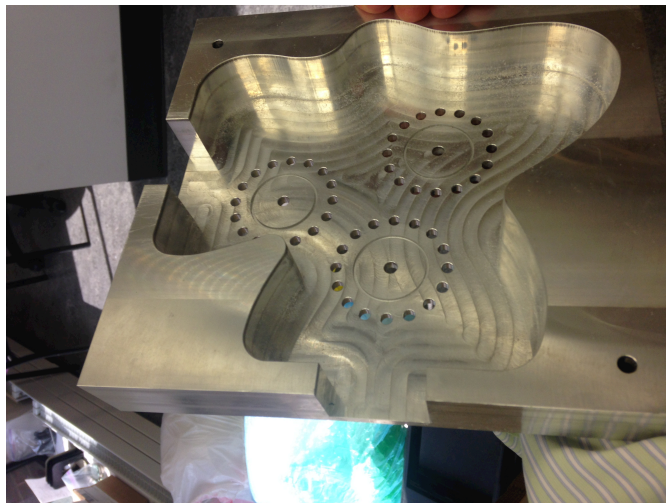
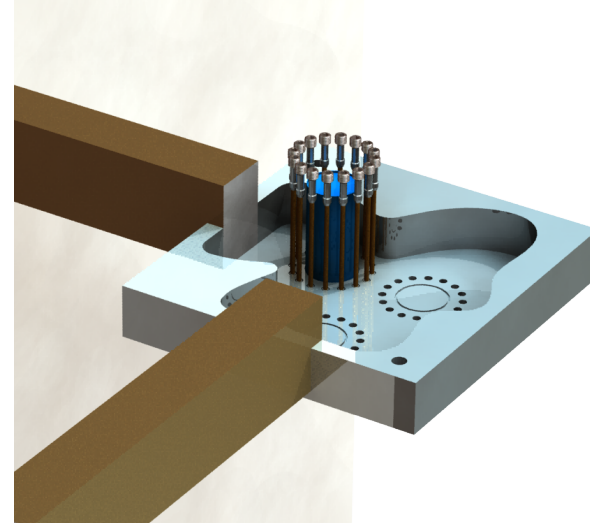
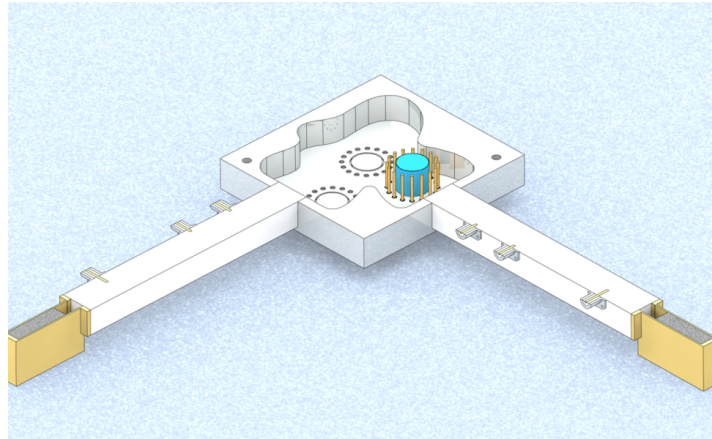
I. Liberal and N. Engheta, *Science Advances*, 2016

I. Liberal and N. Engheta, *Optics and Photonics News (OPN)*, 2016

Experimental Verification of EMNZ Cavity

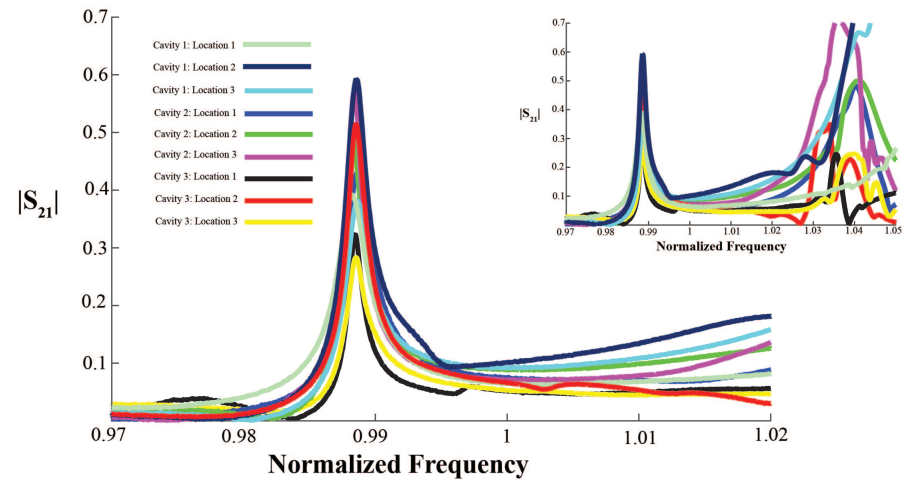
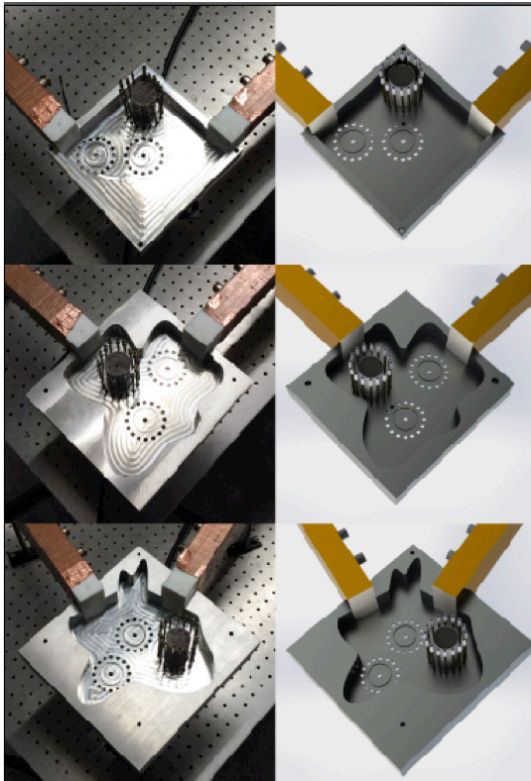


Experimental Verification of EMNZ Cavity



I. Liberal, Y. Li, A. Mahmoud, B. Edwards and N. Engheta, Science, March 10, 2017

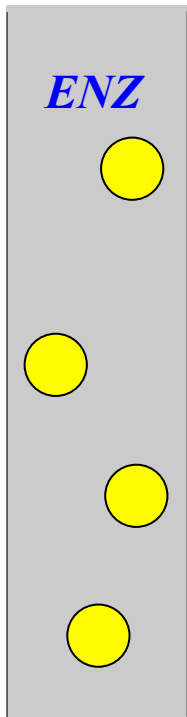
Experimental Verification of EMNZ Cavity



Several rods embedded in ENZ metasurface



Filling ENZ Metasurface with several rods



$$\epsilon_{\text{eff}} \simeq 0$$

$$\mu_{\text{eff}} = \frac{1}{A} \left[A_h + \frac{2\pi r_p}{k_p} \frac{J_1(k_p r_p)}{J_0(k_p r_p)} \right]$$

$$\mu_{\text{eff}} = \frac{1}{A} \left[A_{\text{ENZ}} + \sum \mu_d \int_{A_d} \psi_d(\mathbf{r}) dA \right]$$

$$\mu_{\text{eff}} = 1 + \sum \Delta\mu_d$$

$$\Delta\mu_d = \frac{1}{A} \left[\mu_d \int_{A_d} \psi_d(\mathbf{r}) dA - A_d \right]$$



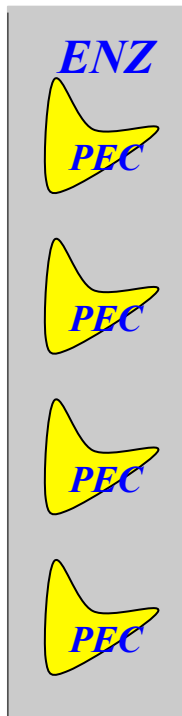
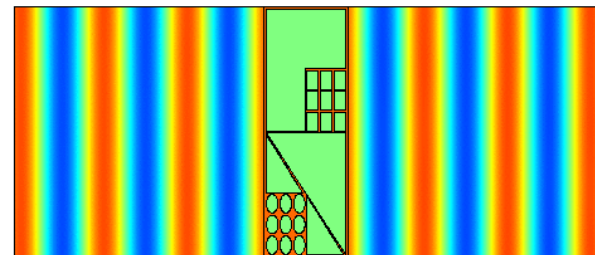
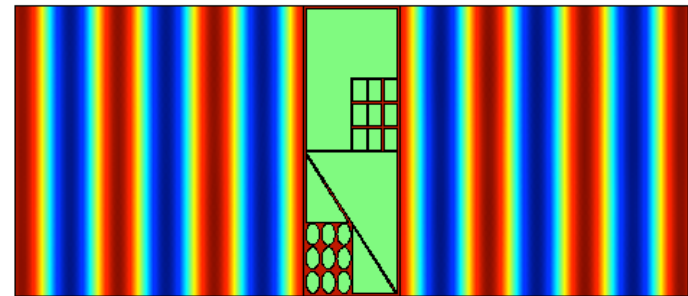
ENZ-based Metasurface with PEC rods



Filling ENZ Metasurface with conducting parts

+H_z

-H_z



$$\epsilon_{\text{eff}} \simeq 0$$

$$\mu_{\text{eff}} \approx 1 - \frac{A_{\text{PEC}}}{A}$$

$$\mu_{\text{eff}} \rightarrow 0$$

ENZ Metasurface filled with Conductors



Filling ENZ Metasurface with conducting parts

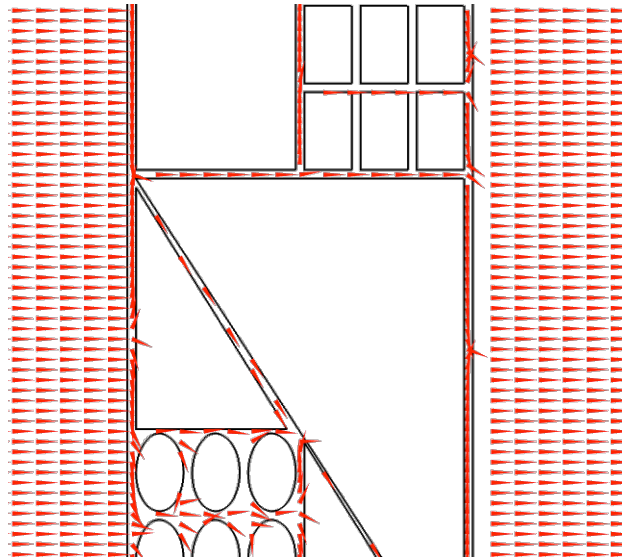
$$L_x = 1 \lambda_0$$

$$L_y = 3 \lambda_0$$

$$\mu_{\text{eff}} = 1 - \frac{A_{\text{PEC}}}{A}$$

$$\varepsilon_{\text{eff}} \simeq 0$$

Poynting vector

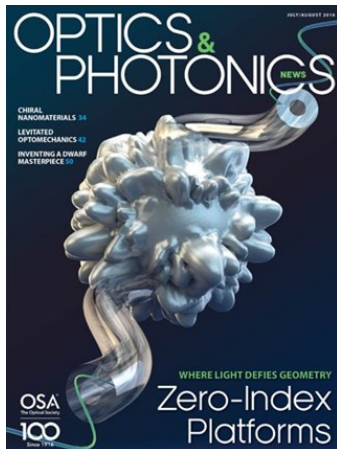


Summary

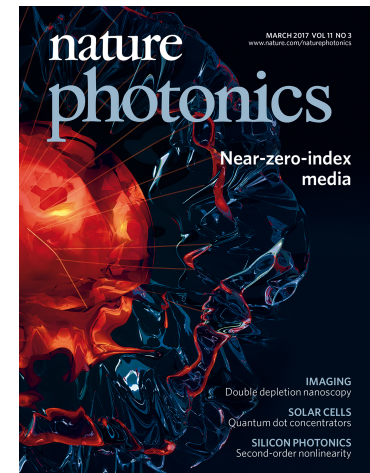
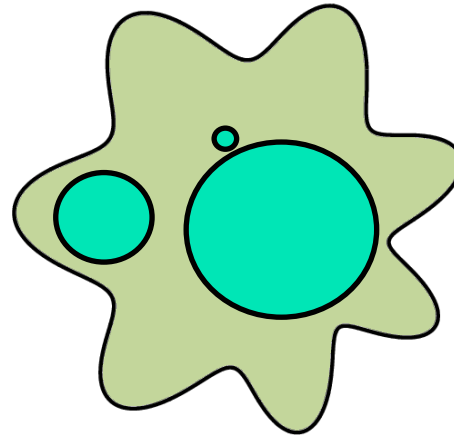


Extreme platforms can play interesting roles in light-matter interaction

Extreme photonics offers unique functionality



July/Aug 2016



March 2017



Thank you very much

